A POCKET-BOOK OF MECHANICAL ENGINEERING

Tables, Data, Formulas, Theory, and Examples, for Engineers and Students



by Charles Maccaughey Sames





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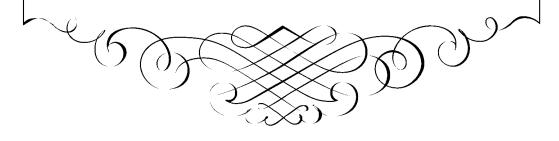
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The New Pearl of Great Price, by Peter Bonus, 1338 AD

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OF

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TABLES, DATA, FORMULAS, THEORY AND EXAMPLES

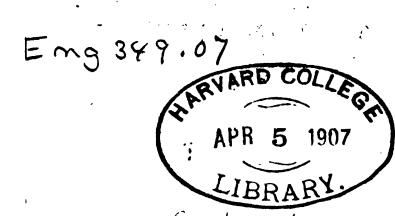
FOR ENGINEERS AND STUDENTS

BY .

CHARLES M. SAMES, B.Sc. Mechanical Engineer

SECOND EDITION, REVISED AND ENLARGED SECOND THOUSAND

JERSEY CITY, N. J.
CHARLES M. SAMES
1907



Engine ring ... priation.

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CHARLES M. SAMES

PREFACE.

This book is the result of the writer's endeavor to compact the greater part of the reference information usually required by mechanical engineers and students into a volume whose dimensions permit of its being carried in the pocket without inconvenience.

In its preparation he has consulted standard treatises and reference books, the transactions of engineering societies, and his own memoranda, which extend back over a period of fifteen years. A large amount of valuable and timely matter has been obtained from the columns of technical periodicals and also from the catalogues which manufacturers have courteously placed at his disposition.

While very great care has been taken in the preparation of manuscript and in the reading of proofs, it is nevertheless a regrettable fact that first editions are not always infallible, and the writer will accordingly be under obligations to those who will call his attention to such errors in statement or typography as may come to their notice.

Suggestions indicating how subsequent editions may be made of greater usefulness are respectfully solicited.

CHARLES M. SAMES.

SECOND EDITION, FOR 1907.

ALL matter contained in the first edition has been carefully scrutinized for errors, comparisons having been made with the original sources of the information from which it was compiled, as it was found that nearly all the inaccuracies occurred through recopying from notes.

A number of alterations have been made in the text, certain data have been replaced by fresher matter, and the work has been enlarged by the addition of an appendix in which new subjects are treated, some omissions supplied, and much space given to recent and valuable matter relating particularly to Machine Design.

C. M. S.

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SYMBOLS AND ABBREVIATIONS.

```
Area in square feet.
Am. Mach.
              American Machinist.
              Area in square inches.
Bm
B.H.P.
B. T.
B.T.U.
              Bending moment.
              Brake horse-power.
              Board of Trade.
              British thermal unit.
B.W.G.
              Birmingham wire gauge.
Ĉ.
              Centigrade.
              Modulus of transverse elasticity.
Č. I.
              Cast iron.
C.
              Center.
cm.
              Centimeters.
              Center of gravity.
c, g.
cir. mils
              Circular mils.
              Candle-power.
c.-p.
              Cubio.
cu.
              Coefficient.
coeff.
              Larger, or outside, diameter in inches.
Diameter in inches (diam.).
D
d
degs.
{m E}
              Modulus of direct elasticity.
E.H.P.
              Electrical horse-power.
E.M.F.
              Electro-motive force.
E. N.
              Engineering News.
E. R. Engineering Record.
E. W. & E. Electrical World and Engineer.
F.
              Fahrenheit.
Fn
              Tractive force in pounds.
f
fc, fo, fe 🔻
              Acceleration in feet per second.
              Stresses in pounds per square inch (compression, shear, ten-
                   sion).
/
ft.
              Modulus of rupture.
              Feet.
              Foot-pounds.
ft.-lbs.
G
              Pounds in one cubic foot of water.
              Acceleration of gravity in feet per second (=32.16); Grams.
g
gal.
              Gallons.
              Gram-calories.
              Height or head in feet; total heat in steam above 32° F., in B.T.U.
H.P.
              Rated horse-power.
              Height in inches; sensible heat in the liquid above 32° F.
h
hor.
              Horizontal.
              Hours.
hr.
              Moment of inertia.
              Polar moment of inertia.
I.H.P. Indicated horse-power.
Ing. Taschenbuch. Engineer's Pocket Book (Hütte), Berlin.
              Inches.
```

in,

```
K
              Modulus of volumetric elasticity.
k_{oldsymbol{v}}
              Specific heat at constant volume.
k_p
                                         pressure.
kg.
              Kilograms; kg.-m., kilogram-meters.
              Kilometers.
km.
              Kilowatts.
kw.
L
              Length in feet; latent heat in B.T.U. per lb. of steam.
              Length in inches.
lb.
              Pounds.
lin.
              Linear.
M
              Poisson's ratio.
M.E.P.
              See pm.
M.M.F.
              Magneto-motive force.
m
              Mass in pounds = w + g.
m.
              Meters.
              Millimeters.
mm.
m.-kg.
              Meter-kilograms.
              Number of revolutions per minute.
N
n
P
              Total pressure in pounds.
p
p''
              Pressure, in pounds per square inch.
              Pitch, in inches (rivets, screws, gear-teeth).
pm
             Mean effective pressure in pounds per square inch.
perp. Q
              Perpendicular.
             Flow of air or water in cubic feet per minute.
              Radius in feet; thermodynamic constant.
              Radius in inches; radius of gyration in inches; ratio of ex-
                  pansion.
r.p.m.
              Revolutions per minute.
             Modulus of section in bending.
S
                                     torsion.
             Side of square in inches; distance in feet in velocity formulas,
sec.
             Seconds.
sp. gr.
             Specific gravity.
sq.
T
             Square.
             Absolute temperature in degs. F. (also \tau).
Tm
             Twisting moment.
T_n
             Greater tension in belt or rope.
             Thickness in inches; time in seconds.
t^{o} (or t)
             Temperature, or rise of temperature in degs. F.
in
V
             Lesser tension in belt or rope.
              Velocity in feet per minute; volume in cubic feet.
              Velocity in feet per second.
10
vert.
              Vertical.
W. I.
              Wrought iron.
              Weight or load in pounds (also wt.).
W
yd.
Z. V. D. I.
              Yards.
             Zeitschrift des Vereines deutscher Ingenieure.
                                                                 Berlin.
  (Alpha)
             Coefficient of linear expansion in degs. F.; an angle.
ß
   (Beta)
             An angle.
   (Gamma) Pitch angle in spiral gears.
7
             Total deflection in feet; A = same in inches.
  (Delta)
           \delta_c, \delta_l, \delta_s, \delta_t Deflection or strain per inch of length (due to com-
             pression, laterally, shear, and tension, respectively). Efficiency.
Angle of torsion.
  (Eta)
(Theta)
   Mu)
Д
             Coefficient of friction; tangent of friction angle.
π (Pi)
             Ratio of circumference to diameter = 3.14159 + ...
 (Rho)
(Sigma)
             Radius of curvature in bending.
             Symbol indicating summation.
   Tau)
             Absolute temperature in degs. F.; normal pitch in spiral gears.
  (Phi)
             Entropy.
             ''Varies as.''
             Greater than.
             Less than.
             Parallel to.
```

Across.

MATHEMATICS.

WEIGHTS AND MEASURES (ENGLISH).

Length. 1,000 mils = 1 inch; 12 inches = 1 foot; 3 feet = 1 yard; 5.5 yards = 1 rod, pole or perch; 7.92 inches = 1 link; 100 links = 1 chain; 80 chains = 1 mue = 5,280 feet; 1 furlong = 40 rods; 1 knot or nautical mile =6,080.26 feet $=\frac{1}{2}$ league.

Surface. 144 sq. in. = 1 sq. ft.; 9 sq. ft. = 1 sq. yd.; 30.25 sq. yd. = 1 sq. rod; 160 sq. rods = 1 acre = 43,560 sq. ft.; 1 circ. mil = 0.0000007854 sq. in. Volume. 1,728 cu. in. = 1 cu. ft.; 27 cu. ft. = 1 cu. yd.; 1 cord of wood = 128 cu. ft.; 1 perch of masonry = 24.75 cu. ft.

Avoirdupois Weight. (The grain is the same in all systems.) 27.34375 grains = 1 drachm = 16 ounce; 1 pound = 16 oz. = 7,000 grains; 1 long ton = $\overline{2,240}$ lb.; 1 net or short ton = 2,000 lb.

Z.240 ib.; I net or short ton = 2,000 ib.
Troy Weight. 24 grains = 1 pennyweight; 20 pennyweights = 1 ounce;
12 ounces = 1 lb. = 5,760 grains; 1 carat = 3.168 grains (= 0.205 gram).
Apothecaries' Weight. 20 grains = 1 scruple; 3 scruples = 1 drachm;
8 drachms = 1 oz.; 12 oz. = 1 lb. = 5,760 grains.
Liquid Measure. 4 gills = 1 pint; 2 pints = 1 quart; 4 quarts = 1 gallon (U. S. gal. = 231 cu. in.; British Imperial gal. = 277.274 cu. in); 31.5 gal. = 1 barrel; 2 barrels = 1 hogshead.
Apothecaries' Fluid Measure. 60 minims = 1 fluid drachm; 8 drachms = 1 fluid ounce = 437.5 grains

drachms=1 fluid ounce=437.5 grains.

Dry Measure, U. S. 2 pints=1 quart; 8 quarts=1 peck; 4 pecks=1 bushel=2,150.42 cu. in.=1.2445 cu. ft. (1 British bushel=8 Imperial gal.=2,218.192 cu. in=1.2837 cu. ft.).

Circular Measure. 60 seconds=1 minute; 60 minutes=1 degree; 90 degrees=1 quadrant=1 circumference

Board Measure (B. M.). No. of feet board measure=length in feet X width in feet X thickness in inches.

METRIC MEASURES.

The following prefixes are employed for subdivisions and multiples: Milli = 0.001, Centi = 0.01, Deci = 0.1, Deca = 10, Hecto = 100, Kilo = 1,000, Myria = 10,000.

1 meter = 39.370113 in. = 3.28084 ft. 1 kilometer = 3,280.843Length. ft. = 0.62137 mile. 1 inch = 2.54 centimeters (cm.) = 25.4 millimeters.

foot = 0.3048 meter = 30.48 cm. 1 mile = 1.6093 kilometers = 1609.3 meters. Surface. 1 square cm. = 100 sq. mm. = 0.155 sq. in. 1 sq. meter (m.) = 10.764 sq. ft. 1 are = 100 sq. m. 1 hectare = 100 ares = 10,000 sq. m. = 2.4711 acres. 1 acre = 0.4047 hectare. 1 sq. mile = 259 hectares. 1 sq.

2.4711 acres. 1 acre=0.4047 hectare. 1 sq. mile=259 hectares. 1 sq. ft.=0.092903 sq. m. 1 sq. in.=6.4516 sq. cm.

Volume. 1 stere=1 kiloliter=1 cu. meter=35.3148 cu. ft. 1 liter (l.) =1 cu. decimeter=61.024 cu. in.=0.2642 gal. (U. S.). 1 gal. (U. S.)=3.7854 liters. 1 cu. cm.=0.061 cu. in.

Weight. 1 gram (or gramme)=15.432 grains. 1 kilogram (kg.)=2.20462 lb. avoirdupois. 1 metric ton=1,000 kg.=2,204.62 lb. 1 grain=0.0648 gram. 1 lb.=0.4536 kg.

Pressure and Weight. 1 lb. per sq. in.=0.070308 kg. per sq. cm. 1 kg. per sq. cm.=14.223 lb. per sq. in.=1 metric atmosphere. 1 atmosphere (14.7 lb. per sq. in.)=2,116.3 lb. per sq. ft.=33.947 ft. of water=30 in. of mercury (762 mm.) at 62° F.

1 lb. per sq. in.=27.71 in. of water=2.0416 in. of mercury at 62° F. =2.0416 in. of mercury at 62° F.

ARITHMETIC AND ALGEBRA.

Squares and Cubes of Numbers. Circumferences and Areas of Circles.

n	n ²	n³	πη	$\pi n^2 \div 4$
1	1	1	3.142	0.7854
1 2 3 4 5 6 7 8 9	9	1 8	6.283	3.1416
3	9	27	9.425	7.0686
4	16	64 125	12.566	12.5664
5	25	125	15.708	19.6350
0	36 49	216	18.850	28.2743 38.4845
9	64	343 512	21.991 25.133	50.2655
å	81	729	28.274	63.6173
10	100	1000	31.416	78.5398
11	121	1000 1331	34.558	95.0332
12	144	[1728	37.699	113.097
13	169	2197	40.841	132.73 2
14 15	196	2744	43.982	153.938
15 16	225	3375	47.124	176.715
16 17	256 289	4096 4913	50.265 53.407	201.062 226.980
18	324	5832	56.549	254.469
19	361	6859	59.690	283.529
20	400	8000	62.832	314.159
21	441	9261	65.973	346.361
22	484	10648	69.115	380.133
23	529 576	12167 13824	72.257	415.476
24 25	576	13824	75.398	452.389
.25 26	625	15625 17576	78.540 81.681	490.874 530.929
27 27	676 729	19683	84.823	572.555
28	784	21952	87.965	615.752
$\overline{29}$	841	24389	91.106	660.520
30	900	27000	94.248	706.858
31	961	29791	97.389	754.768
32	1024	32768	100.531	804.248
33 34	1089 1156	35937 39304	103.673 106.814	855.299 907.920
35	1225	42875	109.956	962.113
36	1296	46656	113.097	1017.88
37	1369	50653	116.239	1075.21
38	1444	54872	119.381	1134.11
39	1521	59319	122.522	1194.59
40	1600	64000	125.66	1256.64
41 42	1681	68921	128.81	1320.25 1385.44
42 43	1764 1849	74088 79507	131.95 135.09	1452.20
44	1936	85184	138.23	1520.53
45	2025	91125	141.37	1590.43
46	2116	97336	144.51	1661.90
47	2209	103823	147.65	1734.94
48	2304	110592	150.80	1809.56
49	2401	117649	153.94	1885.74
50 51	2500 2601	125000 132651	$157.08 \\ 160.22$	1963.50 2042.82
51 52	2704	140608	163.36	2042.82 2123.72
53	2809	148877	166.50	2206.18
·5 4	2916	157464	169.65	2290.22
5 5	3025	166375	172.79	2375.83
<u> 56</u>	3136	175616	175.93	2463.01
57	3249	185193	179.07	2551.76
58	3364	195112	182.21	2642.08
	<u> </u>	l		

Squares and Cubes of Numbers. Circumferences and Areas of Circles.

n	n ²	n^8	πn	$\pi n^2 \div 4$
59	3481	205379	185.35	2733.97
60	3600	216000	188.50	2827.43
61	3721	226981	191.64	2922.47
$\tilde{62}$	3844	238328	194.78	3019.07
63	3969 .	250047	197.92	3117.25
64	4096	262144	201.06	3216.99
65	4225	274625	204.20	3318.31
66	4356	287496	207.35	3421.19
67	4489	300763	210.49	3525.65
68	4624	314432	213.63	3631.68
69	4761	328509	216.77	3739.28
70	4900	343000	219.91	3848.45
71	5041	357911	223.05	3959.19
72	5184	373248	226.19	4071.50
73	5329	389017	229.34	4185.39
73 74	5476	405224	232.48	4300.84
75	5625	421875	235.62	4417.86
75 76	5776		238.76	4536.46
70		438976	238.70 241.90	4656.63
77	5929	456533		
78	6084	474552	245.04	4778.36
79	6241	493039	248.19	4901.67
80	6400	512000	251.33	5026.55
81	6561	531441	254.47	5153.00
82	6724	551368	257.61	5281.02
83	6889	571787	260.75	5410.61
84	7056	592704	263.89	5541.77
85	7225	614125	267.04	5674.50
86	7396	636056	270.18	5808.80
87	7569	658503	273.32	5944.68
88	7744	681472	276.46	6082.12
89	7921	704969	279.60	6221.14
90	8100	729000	282.74	6361.73
91	8281	753571	285.88	6503.88
92	8464	778688	289.03	6647.61
93	8649	804357	292.17	6792.91
94	8836	830584	295.31	6939.78
95	9025	857375	298 . 45	7088.22
96	9216	884736	301.59	7238.23
97	9409	912673	304 .73	7389.81
98	9604	941192	307.88	7542.96
99	9801	970299	311.02	7697.69
100	10000	1000000	314.16	7853.98

Square and Cube Root by Approximation. From above table take n whose cube or square is nearest the number of which the root is desired. For square root, divide the number by n, obtaining the quotient n_1 ; take $(n+n_1)+2$ $(=n_2)$ for a new divisor, obtaining n_3 as a quotient; take $(n_2+n_3)+2$ for a new divisor and continue process until divisor and quotient are alike, or to the required accuracy.

tient are alike, or to the required accuracy.

For cube root, divide the number by n^2 , obtaining quotient n_1 ; take $\left(\frac{2n+n_1}{3}\right)^2 = n_2^2$ for a new divisor, obtaining quotient n_3 ; take $\left(\frac{2n_2+n_3}{3}\right)^2$

for a new divisor and continue process until $(2nx+nx_{+1})+3=$ quotient. Compound Interest. $a=c(1+p)^n$, where a=amount, c=initial capital, p=rate per cent in hundredths, and n=number of years. Binomial Theorem.

$$(a\pm b)^{n}=a^{n}\pm na^{n-1}b+\frac{n(n-1)}{1\cdot 2}a^{n-2}b^{2}\pm \frac{n(n-1)(n-2)}{1\cdot 2\cdot 3}a^{n-8}b^{8}+\ldots$$

Arithmetical and Geometrical Progression. Let a=first term of the series, b=last term, d=difference between any two adjacent terms (in Arith. Prog.), n=number of terms, s=sum of all the terms, r=ratio of any term divided by preceding one (in Geom. Prog.). Then, for Arithmetical

series,
$$b = a + (n-1)d = \frac{2s}{n} - a$$
;

$$s = \frac{n}{2}[2a + (n-1)d] = \frac{b+a}{2} + \frac{b^2 - a^2}{2d} = (b+a)\frac{n}{2} = \frac{n}{2}[2b - (n-1)d].$$

For Geometrical series, $b=ar^{n-1}=\frac{a+(r-1)s}{r}=\frac{(r-1)sr^{n-1}}{r^n-1}$;

$$s = \frac{a(r^{n}-1)}{r-1} = \frac{rb-a}{r-1} = \frac{b(r^{n}-1)}{(r-1)r^{n-1}} = \frac{\sqrt[n-1]{b^{n}} - \sqrt[n-1]{a^{n}}}{\sqrt[n-1]{b} - \sqrt[n-1]{a}}; n=1 + \frac{\log b - \log a}{\log r}.$$

Sinking Fund for Depreciation and Benewal. $s=a(r^n-1)+(r-1)$, where s is the fund or amount to be accumulated in n years, and r=1 plus the rate per cent of interest to be compounded annually, the rate being expressed in hundredths. Example. A certain machine costing \$1,000 (s) will need to be replaced by a new one costing the same amount at the end of 10 years (n). What sum must be paid into a sinking fund at the end of each year to amount to \$1,000 at the end of the tenth year, interest being compounded at the rate of 5 per cent? $1,000=a(1.05^{10}-1)+(1.05-1)$, and a, or the annual amount to be placed in the fund, = \$79.50.

Interpolation. Where a value intermediate to two values in a table is desired, the following formula may be employed. Value desired, $a_z = a + nb + \frac{n(n-1)c}{1.2} + \frac{n(n-1)(n-2)d}{1.2.3} + \dots$

$$a_z = a + nb + \frac{n(n-1)c}{1 \cdot 2} + \frac{n(n-1)(n-2)d}{1 \cdot 2 \cdot 3} + \dots$$

Let N, N_1 , N_2 and N_3 be four numbers (equally spaced) whose tabular functions are a, a_1 , a_2 and a_3 . Then, in above formula to find a_x , the tabular function of N_x (lying between N and N_1), $n = \frac{N - N}{N_1 - N}$.

Example. The chords of 30°, 32°, 34° and 36° are 0.5176, 0.5513, 0.5847 and 0.6180, respectively. Find the chord of 31°.

$$a_x = 0.5176 + 0.5(0.0337) + \frac{0.5(-0.5)(-0.0003)}{2} + 0.5\frac{(-0.5)(-1.5)(0.0002)}{6} = 0.5345.$$

Logarithms (log). The hyperbolic or Napierian log of any number equals the common log×2.3025851. The common log of any number equals the hyperbolic log (log_e)×0.4342945.

Every log consists of a whole part (the characteristic) and a decimal part (the mantissa). The mantissa or decimal part only is given in the tables. The characteristic of the log of a number is one less than the number of

figures to the left of the decimal point in the number. Log 3=.47712, log 30=1.47712, log 300=2.47712, etc Log 0.3=-1.47712, log 0.03=-2.47712, log 0.003=-3.47712, etc. Any logarithm with a negative characteristic as -1.47712, may be written as 9.47712-10. (The sum of 9 and -10 being -1.)

Formulas for Using Logarithms. $\log ab = \log a + \log b$.

$$\log \frac{a}{b} = \log a - \log b$$
. $\log a^b = b \log a$. $\log \sqrt[b]{a} = \frac{\log a}{b}$.

Examples.

 5×4 (using logs); Log 5 = .69897Log 4 = .60206

Sum = 1.30103, which is the log of 20, or the result re-

quired.

Multiply 0.5 by 0.04.

$$log 0.5 = -1.69897 = 9.69897 - 10$$

 $log 0.04 = -2.60206 = 8.60206 - 10$

Their sum = 18.30103 - 20 = -2.30103, or the log of 0.02. For 0.5+0.04, diff. of $\log = 1.09691 - 0 = \log \text{ of } 12.5$.

Find nth root of 0.09.

 $\log 0.09 = -2.95424 = 8.95424 - 10$

divided by n (say 2) = 4.47712 - 5 = -1.47712, or log of 0.3.

Raise 0.3 to nth power.

$$\log 0.3 = -1.47712 = 9.47712 - 10$$

multiplying by $n \text{ (say 2)} = 18.95424 - 20 = -2.95424 - \log 0.09$.

$$\log \pi = .49715$$
, $\log \frac{1}{\pi} = -1.50285$, $\log \pi^2 = .9943$,

$$\log \sqrt{\pi} = .248575.$$
 $\pi = 3.1415926536 + .$

TABLE OF CHORDS.

Deg.	Chd.	Deg.	Chd.	Deg.	Chd.	Deg.	Chd.	Deg.	Chd.
2 4 6 8 10 12 14 16 18	.0349 .0698 .1047 .1395 .1743 .2090 .2437 .2783 .3129	20 22 24 26 28 30 32 34 36	.3473 .3816 .4158 .4499 .4838 .5176 .5513 .5847 .6180	38 40 42 44 46 48 50 52 54	.6511 .6840 .7167 .7492 .7815 .8135 .8452 .8767	56 58 60 62 64 66 68 70 72	.9389 .9700 1.0000 1.0301 1.0598 1.0893 1.1184 1.1471 1.1756	74 76 78 80 82 84 86 88 90	1.2036 1.2313 1.2586 1.2856 1.3121 1.3383 1.3640 1.3893 1.4142

MENSURATION.

AREAS OF PLANE FIGURES (A).

Triangles. Take as base any side which will be intersected by a perpendicular let fall from vertex of opposite angle. Length of base = b, length

of side to the left = a, side to right = c. Then
$$A = \frac{1}{2} \sqrt{a^2 - \left(\frac{a}{2b} - \frac{c}{2b}\right)}$$
 =

bh+2, where h=length of perpendicular. **Trapezoid.** If a, b and h=lengths of parallel sides and perpendicular, respectively, A = 0.5h(a+b).

Circle. (r=radius, d=diameter) $A = \pi r^2 = \pi d^2 + 4$. Circumf. $= \pi d$.

Sector of Circle. $A = 0.5r \times \text{length}$ of arc = 0.008727 $r^2 \times \text{degrees}$ in arc. Segment of Circle. A=0.5[br-c(r-h)]. b=arc, c=base, h=heightat center of base.

Ellipse. Equation referred to axes through center: $a^2y^2 + b^2x^2 = a^2b^2$, where a = semi-minor axis, b = semi-major axis and x and y are the abscissa and ordinate of any point on the perimeter. $A = \pi ab$. Length of perimeter $= \pi(a+b) \left[1 + \frac{1}{4} \left(\frac{a-b}{a+b} \right)^2 + \frac{1}{64} \left(\frac{a-b}{a+b} \right)^4 + \frac{1}{256} \left(\frac{a-b}{a+b} \right)^6 \dots \right]$

$$=\pi(a+b)\left[1+\frac{1}{4}\left(\frac{a-b}{a+b}\right)^2+\frac{1}{64}\left(\frac{a-b}{a+b}\right)^4+\frac{1}{256}\left(\frac{a-b}{a+b}\right)^6\ldots\right]$$

Parabola. Equation, origin at vertex: $y^2 = 2px$, where 2p is the parameter, or double ordinate through focus. Area of any portion from vertex - **Hyperbola.** Equation: $a^2y^2-b^2x^2=-a^2b^2$. Cycloid. Length of curve = 4 times diam. of generating circle. Area = 3 " area " i"

Area of Any Irregular Figure. Simpson's Rule. Divide the length of the figure into an even number of equal parts and erect ordinates through the points of division to touch the boundary lines. Then $A = \begin{pmatrix} 1 & 1 \\ & 3 \end{pmatrix} d$. where a = sum of first and last ordinates, b = sum of even ordinates, c = sum of odd ordinates (excepting first and last) and d = common distance between ordinates. The greater the number of divisions the greater will be the accuracy.

LOGARITHMS OF NUMBERS.

No.	0		2	3	4		- 6	7	8	9	Diff
10	00000	00432	00860	01284	01703	02119	02531	02938	03342	03743	415
11					05690						379
12	07918	08279	08636	08991	00342	09691	10037	10380	10721	11059	344
13	11394	11727	12057	12385	12710	13033	13354	13672	13088	14301	323
$\tilde{1}\tilde{4}$	14612	14022	15229	15534	15836	16137	16435	16732	17026	17210	295
15					18752						281
1 6					21484						264
îř	22015	92200	99559	22205	24055	31301	77.51	24707	95049	95995	
18	95597	95740	90.307	96945	26482	50717	98051	97194	97414	976.16	24(
19					28780						234
					30963						222
20	OUTUS	00040	avaaa		30803	31113	91991	01001	91000	0.60.0	211
21					33041						202
22										35984	193
23					36922						185
24					38739						177
25					40483						170
26					42160						164
27					43775						158
28	44716	44871	45025	45179	45332	45484	45637	45788	45939	46090	153
29	46240	46389	46538	46687	46835	46082	47129	47276	47422	47567	148
30	47712	47857	48001	48144	48287	48430	48572	48714	48855	48996	143
31	49136	49276	49415	49554	49603	49831	49969	50106	50243	50379	138
32					51055						134
33					52375						130
34					53656						126
35	54407	E F	54654	54777	54900	55022	55145	55967	5.7388	55500	122
36	EERON	55761	55971	55001	56110	5,0000	50248	50.167	KARQA		119
37										57864	116
	57070	Econo	20000	7900A	58433	50540	50050	50771	K0005	50005	
38	10/0/0	COVER	50000	50.490	EOREO	Komen	COUNT	tho-n	knnee	00097	113
39	1001100		200	20100	60638		CACES	annen	annoo	21170	110
40	00200	00914	00923	OOOOI			OUSUS		0.1000		107
41	61278	61384	61490	61595	61700	61805	61909	62014	62118	62221	104
42	62325	62428	02531	62634	62737	62839	02941	03043	63144	63246	102
43	63347	63448	63548	63649	63749	63849	63949	04048	64147	64246	99
44	64345	64444	64542	64640	64738	04830	64933	65031	65128	65225	98
45	65321	65418	05514	65610	65706	05801	65896	65992	66087	66181	96
46	66276	66370	66464	66558	66652	66745	66839	66932	67025	67117	9.5
47	67210	673.12	07394	67486	67578	67669	67761	67852	67943	68034	92
48	68124	68215	68305	68395	68485	68574	68664	68753	68842	68931	90
$\tilde{49}$	69020	69108	69197	69285	69373	69461	69548	69636	69723	69810	88
50	69897	69984	70070	70157	70243	70329	70415	70501	70586	70672	86
51	70257	70849	700:27	71012	71096	71181	71265	71349	71433	71517	84
52	71800	71484	71767	71850	71933	72016	72000	72181	72263	72346	82
53	70400	705/10	79/01	72672	79754	79225	72016	72007	7307X	73159	81
03 54	ronon	793300	77.114	77.107	73560	7 (1.17)	72710	73700	71272	73057	80
4.3"%	10200	100-0	F 4.2 3 3.7%.7	# N.F 301.79.F	I a exercise	*****	****	* 50 8 67 67	A STORE OF	* 24.62.4	\$.78 %

LOGARITHMS OF NUMBERS (Continued).

No.	0	1	2	3	4	5	6	7	8	9	Diff
55	74036	74115	74194	74273	74351	74429	74507	74586	74663	74741	78
56	74819	74896	74974	75051	75128	75205	75282	75358	75435	75511	77
57	75587	756034	75740	75815	75891	75967	76042	76118	76193	76268	7
58	76343	76418	76492	76567	176641	76716	76790	76864	76038	77012	7
59	77085	77159	77232	77305	77379	77452	77525	77597	77070	77743	7:
60	77815	77887	77960	78032	78104	78176	78247	78319	78390	78462	7
61	78533	78604	78675	78746	78817	78888	78958	79029	79099	79169	7
62	79239	79309	79379	79449	79518	79588	79657	79727	79796	79865	71
63	79934	80003	80072	80140	80209	80277	80346	80414	80482	80550	61
64	80018	80686	80754	80821	80889	80956	81023	81090	81158	R1224	68
65	81201	81358	81425	81491	81558	81624	RIMON	81757	Q1Q92	81889	6
66	21054	22020	R2088	89151	80017	20029	20017	20412	20172	82543	66
67	82607	99679	20707	99909	20200	20020	20005	22050	Colon	00107	6
68	22051	20015	22272	82119	2250A	92560	20000	83696	20720	60000	6:
69	000001	00010	CINII	04070	CATOR	CAINC	04004	84323	00100	00044	
											63
70	84510										6:
71	85126										61
72	85733										- 6(
73	86332	86392	86451	86510	86570	86629	86688	86747	86806	86864	51
74	86923	86982	87040	87099	87157	87216	87274	87332	87390	87448	58
75	87506	87564	87622	87680	87737	87795	87852	87910	87967	88024	57
76	88081	88138	88196	88252	88309	88366	88423	88480	88536	88593	57
77	88649	88705	88762	88818	88874	88030	RRORA	80042	RODOR	20154	5(
78	89209	80265	89321	89376	80432	89487	80549	80507	80053	80708	50
79	80763	RORIR	80873	80027	80089	00037	annai	arino	ดดวดด	90255	54
80								90687			54
81	90849	90902	90956	91009	91062	91116	91169	91222	91275	91228	53
82	91381	01434	91487	91540	91593	91645	91698	01751	01803	01855	53
83								92273			52
84	92428										51
85	92942	02003	02044	03005	92146	02107	02947	02208	02240	03300	51
86	93450	02500	02541	03/01	02/15/1	02702	00750	02802	nocro	02002	5 0
87	93952										49
88	94448	04408	04547	0.1506	CARAS	0.17.04	0.17.10	04700	nioit	0.40000	40
89	94939	0.4000	$\alpha x \alpha \alpha \alpha$	nance:	05194	0.00	05001	0.000	02000	02000	48
90	95424	95472	95521	95569	95617	95065	95713	95761	95809	95856	48
91	95904	05052	95999	96047	96005	06149	06100	06927	00084	06339	48
02	96379	actoo	06172	agson	OALAT	OCCLA	OKARY	00700	OATES	onenel	47
93	96848	ONSOX	onoi?	ONORE	07/125	07/121	07100	07174	07000	07967	47
94	97313										46
95	97772	07010	OTORI	07000	07055	OCAAA	NOVIE	00000	00107	00100	46
96	98227	00070	06016	00202	OQING!	OSTED	ne ine	DOCTO!	10101	000000	
	0044/	004/4	00010	noo'id	noveo	100400	10499	000000	00000	20002	45
97	98677	AO (7.7)	00001	000011	00000	MOUNT	CPUOU	HORON	100.54	AAA (9	45
98	99123	70166	WWW.I.I	99700	TANUU	77544	WW.558	MA127	W4/0	ANDZO	44
99	99564	AAOOA	1 COVU	AMOND	$uu_1 uu$	00/02	V9520	3987U	uuu13	99957	44

Note.—The differences in the last column are mean values only. For accurate values the difference between any two consecutive values should be found by subtraction.

SURFACES (A) AND VOLUMES (V) OF SOLIDS.

Sphere. $A = 4\pi r^2 = \pi d^2$. $V = \frac{\pi d^3}{6} = 0.5236d^3$.

Ring of Circular Cross-section. A = 9.8696Dd. $V = 2.4674Dd^2$. (D = outside diameter - d; d = diam. of cross-section.)

 $A = 2\pi rh = \text{area of base} + \pi h^2$ (h = height). Segment of Sphere.

$$V = \pi h^2 \left(r - \frac{h}{3} \right).$$

Cone. $A = \pi r \sqrt{r^2 + h^2}$. $V = 0.2618d^2h$ (h = vert. height).

Conic Frustum. $A = \frac{\pi}{2}(D+d) \times \text{slant height, } h$.

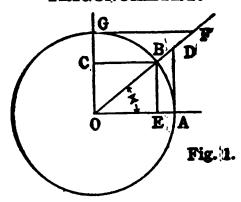
$$V = \frac{\pi h}{12}(D^2 + Dd + d^2).$$

 $V=0.7854d^2h$. (d is the revolving axis of cyl. and ellipsoid.) $V=0.5236Dd^2$. Paraboloid. $V=1.5708r^2h$. Cylinder. Ellipsoid.

 $V = \frac{1}{2} \times \text{area of base.}$ Pyramid.

 $V = \frac{h}{2}(A+a+\sqrt{Aa})$ (A and a = areas of bases). Frustum of Pyramid.

TRIGONOMETRY.



Functions of the angle BOE(=x). EB=sine, OE=cosine, EA=versed sine, GC=versed cosine, AD=tangent, GF=cotangent, OD=secant, OF=cosecant.

Formulas. (A, B and C are angles.)

 $\tan A = \frac{\sin A}{\cos A}$; $\cot A = \frac{\cos A}{\sin A}$; $\sec A = \frac{1}{\cos A}$; $\csc A = \frac{1}{\sin A}$; $\tan A = \frac{1}{\cot A}$. $\sin^2 A + \cos^2 A = 1; \text{ versin } A = 1 - \cos A; \text{ covers } A = 1 - \sin A;$ $\sin (A \pm B) = \sin A \cos B \pm \cos A \sin B.$ $\cos (A \pm B) = \cos A \cos B \mp \sin A \sin B.$ $\sin A = 2 \sin \frac{A}{2} \cos \frac{A}{2}. \cos A = \cos^2 \frac{A}{2} - \sin^2 \frac{A}{2}.$

 $1 - \cos A = 2 \sin^2 \alpha$. $1 + \cos A = 2 \cos^2 \frac{A}{2}$.

 $\tan A = 2 \tan \frac{A}{2} \div \left[1 - \tan^2 \frac{A}{2}\right]. \quad \sin A + \cos A = \sin \left(\frac{\pi}{4} + A\right) \sqrt{2}.$

 $\cos A - \sin A = \sin \left(\frac{\pi}{4} - A\right) \sqrt{2}. \quad \frac{1 - \cos A}{\cos A} = \tan A \tan \frac{A}{2}.$

 $\tan (A \pm B) = [\tan A \pm \tan B] \div [1 \mp \tan A \tan B].$ $\cot (A \pm B) = [\cot A \cot B \mp 1] \div [\cot A \pm \cot B].$

 $\sin A \pm \sin B = 2 \sin \frac{A \pm B}{2} \cos \frac{A \mp B}{2}.$

 $\cos A + \cos B = 2 \cos \frac{A+B}{2} \cos \frac{A-B}{2}.$

 $\cos A - \cos B = -2 \sin \frac{A+B}{2} \sin \frac{A-B}{2}.$

 $\begin{array}{l} \sin A \sin B = \frac{1}{2} \cos (A - B) - \frac{1}{2} \cos (A + B), \\ \cos A \cos B = \frac{1}{2} \cos (A + B) + \frac{1}{2} \cos (A - B), \\ \sin A \cos B = \frac{1}{2} \sin (A + B) + \frac{1}{2} \sin (A - B), \\ \sin 3A = 3 \sin A - 4 \sin^3 A, \quad \cos 3 = 4 \cos^3 A - 3 \cos A. \end{array}$

 $\cos A \pm i \sin A)^n = \cos nA \pm i \sin nA \ (i = \sqrt{-1}).$

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CHEMICAL DATA.

Atomic Weights and Symbols of Elements.

		1	
Aluminum Al	26.9	Molybdenum Mo	95.3
AntimonySb	119.3	Neodymium Ne	142.5
ArgonA	39.6	Neon.	19.9
Arsenic	74.4	NickelNi	58.3
Barium Ba	136.4	Nitrogen	13.93
Bismuth Bi	206.9	Osmium Os	189.6
	10.9	Oxygen	15.88
20.00	79.36	OxygenO PalladiumPd	106.7
210222101111111111111111111111111111111	111.6	PhosphorusP	
	132		30.77 193.3
	39.8		
Calcium	11.91		38.86
Carbon			139.4
Cerium	139	Radium Ra	223.3
Chlorine Cl	35.18	RhodiumRh	102.2
ChromiumCr	51.7	Rubidium Rb	84.8
Cobalt	58.56	Ruthenium Ru	100.9
Columbium (Nio-	00.0	Samarium Sm	148.9
bium)	93.3	ScandiumSc	43.8
CopperCu	63.1	Selenium Se	78.6
Erbium E	164.8	Silicon	28.2
Fluorine F	18.9	Silver Ag	107.12
Gadolinium	155	Sodium	22.88
Gallium Ga	69.5	Strontium Sr	86. 94
Germanium Ge	71.9	Sulphur 8	31.83
Glucinum (Beryl-Gl	9.03	Tantalum Ta	181. 6
lium)		Tellurium Te	126. 6
Gold	195.7	Terbium <u>T</u> b	158.8
Helium He	4	Thalium Tl	202.6
Hydrogen	1.00	Thorium Th	230.8
Indium In	113.1	Thulium Tm	169. 7
Iodine I	125.9	Tin Sn	118.1
Iridium Ir	191.5	Titanium Ti	47.7
Iron Fe	55.5]	Tungsten W	182.6
KryptonK	81.2	Uranium U	236.7
Lanthanum La	137.9	Vanadium V	5 0.8
Lead Pb	205.35	XenonX	127
Lithium Li	6.98	Ytterbium Yb	171.7
Magnesium Mg	24.18	Yttrium Yt	88.3
Manganese Mn	54.6	ZincZn	64.9
Mercury Hg	198.5	Zirconium Zr	89.9
=		1	

Calculation of the Percentage Composition of Substances. (1) Add together the atomic weights of the elements to obtain the molecular weight of the compound. (2) Multiply the atomic weight of the element to be calculated by the number of atoms present (as indicated by the subscript number) and by 100, and divide by the molecular weight of the compound.

Example. Find the percentage of sulphur in sulphuric acid (H₂SO₄). $H_2 + S + O_4$

 $(1\times2)+31.83+(15.88\times4)=97.35$, or the molecular weight. 3183+97.35

-32.59, or the percentage of sulphur in the acid.

Weights of Gases. Avogadro's law: "In equal volumes of all gases there are the same number of molecules." It follows from this law that the weights of equal volumes of all gases are proportional to their molecular weights.

The molecular or formula weight in grams of any gas occupies 22.4 liters

at 0° C. and 760 mm. pressure.

Find the weight of one liter of carbon dioxide (CO₂). Example. Molecular wt. of $CO_2 = 11.91 + (15.88 \times 2) = 43.67$ 43.67 grams = 22.4 liters, or 1 liter weighs 1.95 grams. (1 cu. ft. = 28.317 liters; 1 liter = 0.03532 cu. ft.; 1 lb. = 453.5924 grams;

1 gram = 0.0022046 lb.

MATERIALS.

Cast Iron (C. I.). Sp. gr. -7.21; wt. per cu. in. -0.261 lb. Fusing point of white iron -1.962° F.;—gray iron, 2.192° F. Chemically composed of iron (Fe), carbon (C) (graphitic and combined), silicon (Si), phosphorus (P), sulphur (S) and manganese (Mn). Contains 3.5 to 4% of total carbon, the hardness of castings varying directly with the amount of combined carbon. Si (from 0.5 to 3.5%) produces softness and strength proportional to amount contained. (Best at 1.8%.) S beyond 0.15% is prejudicial, producing blow-holes and brittleness when hot. P promotes fluidity but causes brittleness when in excess of 1%. Mn assists the carbonic producing blow-holes and brittleness of 1%. It should not on bon in combining and confers the property of chilling. It should not exceed 1%.

Wrought Iron (W. I.). Sp. gr. = 7.78; wt. per cu. in. = 0.282 lb. Consists of over 99% pure iron + 0.3% combined carbon + 0.14% each of S,

Si and P.

Steel. Cast steel, sp. gr. = 7.92; wt. per cu. in. = 0.286 lb. Forged steel, sp. gr. = 7 82; wt. per cu. in. = 0.283 lb. Fusing point = 2 500 to 2,700° F.

Temper (or content of carbon). Castings, 0.3 to 0.4%; forgings, 0.25 to 0.3%; chains, 0.15 to 0.18%; laminated springs, 0.4 to 0.6%; boiler plates, 0.17 to 0.2%; same, for welding, 0.15 to 0.17%; tool steel, 1.7%.

Manganese Steel (containing 14% Mn) has double the strength of ordinary steel combined with great hardness.

Nickel Steel (3 to 5% Ni) has 30% greater tenacity and 75% greater elastic strength than ordinary mild steel, along with equal ductility. Harveyized, for ship armor, it offers the same resistance with 43% less weight.

veyized, for ship armor, it offers the same resistance with 43% less weight. Chrome Steel (0.4% C+1% of Chromium (Cr)+2% Ni) is of extreme

hardness (self-hardening) and is used for safe walls, projectiles, and cutting

Tungsten Steel (Mushet's) is a self-hardening steel for tools, shells, etc. (1.36% C+0.42% Si+0.25% Mn+2.58% Tungsten (W)).

Copper (Cu). Sp. gr. =8.878 (wire and rolled): wt. per cu. in. =0.321 lb.* fusing point = 1,950° F. Zinc (Zn). Sp. gr. =6.86 (cast); wt. per cu. in. =0.248 lb.; fusing point =787° F. Tin (Sn). Sp. gr. =73; wt. per cu. in. 0.264 lb; fusing point =446° F. Aluminum (Al). Sp. gr =2.56 (cast) and 2.68 (rolled); wt. per cu. in. =0.092 lb. (cast) and 0.097 lb. (rolled). Fuses at 1,213° F.

Mercury (Hg) Sp. gr. =12.610 (at 200 F)

Fuses at 1,213° F.

Mercury (Hg). Sp. gr. = 13.619 (at 32° F) and 13.58 (at 60° F.); wt. per cu. in. = 0.493 lb. (at 32° F) and 0.491 lb. (at 60° F.). Fuses at -39° F.

Gun Metal Bronze (80 to 90% Cu+20 to 10% Sn) Strong and tough. Increasing the content of tin increases the hardness Phosphor Bronze (85% Cu+15% Sn+05 to 0.75% P) has the toughness of W I. Manganese Bronze (81% Cu+12% Sn+7% Mn) is even stronger. Silicon Bronze (Cu+3 to 5% Si) has a breaking stress of 55,000 to 75,000 lb. per sq. in.. but at and around 5% Si, is brittle. Aluminum Bronze (Cu+5 to 11% Al) has a slightly greater strength. Brass (60 to 70% Cu+40 to 30% Zn). Babbitt (89.3% Sn+3.6% Cu+7.1% Sb (antimony)).

Alloys. (E. A. Lewis, Engineering, 3-31-05.)

•	Cu.	Sn.	$\mathbf{Z}_{\mathbf{n}}$.	Pb.	Ρ.	Si.
For steam or gas pressure	87 86	9 12	2 2	2		
bearings.	84 84	8 14		8 2	0.05	
Copper castings	99.75					0.25

 $\begin{array}{c} \textbf{Delta Metal (92.4\% Cu+2.38\% Sn+5.2\% Pb (lead)).} \\ \textbf{Magnolia Metal (83.55\% Pb+16.45\% Sn).} & \textbf{Tobin Bronse (59\% Cu+2.16\% Sn+0.3\% Pb+38.4\% Zn).} & \textbf{Solder.} & 2 Sn+1 Pb fuses at 340° F., 1 Sn+2 Pb fuses at 441° F., and 20 Sn+1 Pb (for aluminum) at 550° F.} \end{array}$

Woods. Average Sp. Gr. and Weights per Cu. Ft.

	Sp. Gr.	Wt.	Sp.	Gr. Wt	.]	Sp. Gr.	Wt.
Birch	73 65 . 62	46 41 30	Fir 0. Hickory Hemlock Maple White Oak	77 48 38 24 68 42	Poplar	.45 .61 .48	46 28 38 30 28

Stones and Miscellaneous Building Materials.

Weight of Rods, Bars, Plates, Tubes, and Spheres of Metals.

Material.	Lbs. per cu. ft.	Square Bars, lbs. per lin. ft.	Flat Bars, lbs. per lin. ft.	Round Rods, lbs. per lin. ft.	Plates, lbs. per sq. ft.	Spheres, lbs.
Cast Iron Wrought Iron Steel Copper	450 480 489.6 552	$3.125s^{2}$ $3.333s^{2}$ $3.4s^{2}$ $3.833s^{2}$	stitute bt s² in pre- ling col- n.)	$egin{array}{c} 2.454d^2 \ 2.618d^2 \ 2.670d^2 \ 3.010d^2 \end{array}$	37.5t 40t 40.8t 46t	$egin{array}{l} 0.1363d^3 \ 0.1455d^3 \ 0.1484d^3 \ 0.1673d^3 \end{array}$
Brass (65 Cu+ 35 Zn) Aluminum	523.2 166.5	3.633s ² 1.156s ²	(Substifor 82) cedingumen.	$2.853d^{2} \ 0.908d^{2}$	43.6 <i>t</i> 13.875 <i>t</i>	$0.1586d^3 \ 0.0504d^3$

For tubes, multiply numerical coeff. for round rods by $(d^2-d_1^2)$. For hollow spheres, multiply numerical coeff. for spheres by $(d^3-d_1^3)$. s=side of square, b=breadth, t=thickness, d=external diam., d_1 —internal diam., all in inches.

Weight of Square and Round Wrought Iron Bars in Lbs. per Lineal Foot.

$egin{array}{c} s \ or \ d. \end{array}$	Rd.	Sq.	s or d.	Rd.	Sq.	s or d .	Rd.	Sq.
	.010 .041 .092 .164 .256 .368 .501 .654 .828	.013 .052 .117 .208 .326 .469 .638 .833 1.055 1.302	10 10 10 10 10 10 10 10 10 10 10 10 10 1	1.237 1.473 1.728 2.004 2.301 2.618 3.313 4.091 4.95 5.89	1.576 1.875 2.201 2.552 2.930 3.333 4.219 5.208 6.302 7.5	15 1 1 1 2 1 1 2 2 2 2 3 3 4 4	6.913 8.018 9.204 10.47 13.25 16.36 19.8 23.56 32.07 41.89	8.802 10.21 11.72 13.33 16.88 20.83 25.21 30 40.83 53.33
		(s=sic	de of s	q. in in.	d = diam	in in	.)	

Weight of Flat W. I. Bars (1 in. wide) in Lbs. per Lineal Foot.

Thick-	Lbs.	Thick- ness.	Lbs.	Thick- ness.	Lbs.
1	.208 .417	14	1.46 1.67	†	2.50 2.71 2.92
7	.625 .833 1.04	18 18	1.88 2.08 2.29	_ 1	3.13 3.33
7	1.25	Thickn	ess in in.	For steel	add 2%.

Weight of Iron, Steel, Copper and Brass Sheets per Square Foot. Lbs. per sq. ft. = thickness in inches (obtained from gauge tables) ×40, 40.8, 46, or 43.6 respectively.

Corrugated and Flat Iron. Lbs. per Sq. Ft.

Thickness in in.	Flat, lbs.	Corr., lbs.	Thickness in in.	Flat, lbs.	Corr., lbs.
.065 .049	2.61 1.97	3.28 2.48	.028 .022	1.12 0.88	1.41 1.11
.035	1.4	1.76	.018	0.72	0.91

If galvanized, add 0.34 lb. per sq. ft. for flat plates and 0.43 lb. for corrugated plates. End laps 4 in. and 6 in. Side laps = 1 corrugation = 2.5 in.

Tin Plates. (Tinned sheet steel.) Usual roofing sizes are 14×20 and 20×28 (in inches). No. 29 B. W. G. weighs 49.6 lb. per 100 sq. ft.; No. 27 weighs 62 lbs. per 100 sq. ft.

Roofing Slate. (1 cu. ft. weighs 175 lb.)

3.62 2.717.25 5.43

Slates are generally laid so that the third slate overlaps the first by 3 in. Sq. in. of roof covered by 1 slate = 0.5b(l-3). No. of slates required for 1 square $(100 \text{ sq. ft.}) = 28,800 \div b(l-3)$. (b and l are breadth and length in in.) Sizes: 6 to 9×12 , 7 to 10×14 , 8 to 10×16 , 9 to 12×8 , 10 to 16×20 , 12 to 14×22 , 12 to 16×24 , 14 to 16×26 . (Increases by steps of 1 in.)

Pine Shingles. No. per 100 sq. ft.=3,600+no. of inches exposed to weather. Wt. in lbs. of 100 sq. ft.=864+no. of inches exposed to weather. Skylight and Floor Glass. Lbs. per sq. ft.=13×thickness in inches. Flagging. Wt. in lbs. per sq. ft.=14×thickness in inches. Approximate Weights of Roofing Materials. (Lbs. per 100 sq. ft.) 1 in. sheathing: spruce, 200; northern yellow pine, 300; southern yellow pine, 400; chestnut and maple, 400; ash and oak, 500. Shingles, 200; in. slate, 900; it in. sheet iron, 300; do., with lath, 500; corrugated iron, 100-375; galvanized flat, 100-350; tin, 70-125; felt and asphalt, 100; felt and gravel, 800-1,000; skylights (glass in 1, 1), 250-700; sheet lead, 500-800; copper, 80-125; zinc, 100-200; flat tiles, 1,500-2,000; do., with mortar, 2,000-3,000; pan tiles, 1.000.
Weight of Cast-iron Pipe per Lineal Foot. Wt. in lbs. =9.81t(d+t),

Weight of Cast-iron Pipe per Lineal Foot. Wt. in lbs. = 9.81t(d+t), where d and t are the internal diam. and thickness of metal in in. The wt. of the two flanges = wt. of 1 ft. of pipe. For copper, multiply by 1.226; for W. I., by 1.067.

Weight of Cast-iron Water and Gas Pipes per Lineal Foot.

42 **48** 30 36 12 16 20 24 4 8 Size in in.... 775 1330 250 350 475 600 125 200 42 75 Water, lbs. per ft. 383 542 100 150 184 250 350 40 70 Gas.

Thickness of Cast-iron Water Pipes.

t = 0.00006(h + 230)d + 0.333 - 0.0033d

where h = head of water in feet, t and d are thickness and diam. in in. **Riveted Hydraulic Pipe.** (Pelton Water Wheel Co.) Head in feet that pipe will safely stand = 48,600t+d. Weight in lbs. per lin. ft. = cdt c=15 for 4 in. pipe 14 up to 8 in. pipe, 13 up to 12 in., 12.5 up to 24 in and 12 up to 42 in. pipe.

Wrought-iron Pipe Dimensions and Threads. U. S. Standard.

Inter	rnal Diar				Internal Diam.					
Nominal in in.	Actual in in.	Thickness in in.	Lbs. per lin. ft.	Threads per in.	Nominal in in.	Actual in in.	Thickness in in.	Lbs. per lin. ft.	Threads per in.	
11122334	.270 .364 .494 .623 .824 1.048 1.38 1.611 2.067 2.468 3.067 3.548 4.026	.068 .088 .091 .109 .113 .134 .140 .145 .154 .204 .217 .226	.24 .42 .56 .84 1.12 1.67 2.24 2.68 3.61 5.74 7.54 9.	27 18 18 14 11.5 11.5 11.5 8 8 8	4½ 5 6 7 8 9 10 11 12 13 14 15	4.508 5.045 6.065 7.023 7.982 9.001 10.019 11. 12. 13.25 14.25 15.25	.246 .259 .28 .301 .322 .344 .366 .375 .375 .375	12.49 14.50 18.76 23.27 28.18 33.70 40 45 49 54 58 62	88888888888	

Standard Boiler Tubes. Lap-welded Charcoal Iron. (Morris Tasker & Co.)

Outside diam. in.	Inside diam. in.	Lbs. per ft.	Outside diam. in.	Inside diam. in.	Lbs. per ft.
1	0.856	0.708	31	3.262	4.272
1	1.106	0.900	1 .*	3.512	4.59
}	1.334	1.25	4	3.741	5.32
1	1.56	1.665	1 3	4.241	6.01
2^{-}	1.804	1.981	5	4.72	7.226
1	2.054	2 .238	6	5.699	9.346
4	2.283	2.755	7	6.657	12.435
į.	2.533	3.045	8	7.636	15.109
3	2.783	3.333	1 9	8.615	18.002
1	3.012	3.958	10	9.573	22.19

Surface of tube 1 ft. long in sq. ft. = 0.2618 × diam. in in.

Wrought-iron Welded Tubes. Extra Strong.

Marris al	Actual Diameters in in.							
Nominal diam. in.	Outside.	Inside, Ex. Strong.	Inside, Double Ex. Strong.					
1	0.405 0.54 0.675	0.205 0.294 0.421						
1	0.84	0.542	0.244					
	1.05	0.736	0.422					
1	1.315	.951	0.587					
	1.66	1.272	0.884					
	1.9	1.494	1.088					
2 ¹ 3	2.375	1.933	1.491					
	2.875	2.315	1.755					
4	3.5	2.892	2.284					
	4.	3.358	2.716					
	4.5	3.818	3.136					

Lead Pipe. Safe working pressure in lbs. per sq. in. = 1,000t+d. Approx. wt. in lbs. per ft. = 15.5t(caliber + t). t (thickness) and d (diam.) in in.

(U. S.

Number of Square and Hexagonal Nuts in 100 lbs. Standard; chamfered, trimmed and punched for standard taps.)

Stantua						-				
Bolt	No.	No.	Bolt	No.	No.	ı Bol	t	No.	N	To.
diam.	Sq.	Hex.	diam.	Sq.	Hex.	dia		Šq.		ex.
in in.	-		in in.			in i		_		
1	7270	7615	7	280	309	11	•	34	4	
•	2350	3000	1	170	216	2		23	2	
}	1120	1430		130	148	1 7	•	19	2	
•	640	740	1 1	96	111	1 3	•	12	18	
7	380	450	1 3	58	68	1 7	•	9	1	
			1			3		7.33		3.5
Bolt in lbs.	Bolts. Approximate Weight per Hundred. Weight of 100 bolts in lbs. $-a+(b\times length in in.)$.									
Bolt di	am. 🚦	1	}	t t	7	1	11	11	1#	1}
Sq. he						•				
and nu	178.									
a	=2		1 23	39	63.6	97		190	230	325
b	=1.4	3	5.6 8	.4 12.2	16.6	22	30	35	40	50
Hex. he	uts.									
a b	=1.2 =1.4	3.7 3	7 16 5.6 8	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	48 16.6	64 22	66 30	150 35	180 40	250 50
		-								
Bridge Rivets. Weight per 100. Weight of 100 rivets in lbs. $-a+(b\times length under head in in.)$.										
Diam.	in in. 🚦	1	#	7	Ŧ		1	1		11
· a	=1.8	5.8	3 11.	1 13.8	22.7	38	.8	58.	1	83.6
b	-3.13				17		.25	28.		34.8
Track Spikes. Number in Keg of 200 Lbs.										
	Tra	ick Spil	kes, N	lumber i	n Keg	of 20	1	bs.		
Size	41×1	5×16	5×}	5×16	51×1	51>	\ 1 6	6×:		6ׇ
Size No				_			\ 1 6			6ׇ 260
	4½×½ 533	5×16 650	$\frac{5\times\frac{1}{2}}{520}$	5× 1 393	51×1 466	5½ > 38	₹†6 34	6×3	Ď	
	4½×½ 533	5×16 650	$\frac{5\times\frac{1}{2}}{520}$	5×16	51×1 466	5½ > 38	₹†6 34	6×3	Ď	
No	4½×½ 533 Wire	5× 4 650 Nails a	5× 1 520 and Spil	5×1. 393 ces. Nu	51×1 466 umher i	5 } > 38 n On	<∦ 34 .e Pe	6×; 356 ound.	֖֖֖֖֖֖֖֖֝֞֞֞֞֞֞ ֪	260
	4½×½ 533 Wire	5×16 650	5× 1 520 nd Spil	5×1. 393 ces. Nu	5½×½ 466 umher i	5 1) 38 n On Finish	<∦ 34 .e Pe	6×3	֖֖֖֖֖֖֖֖֝֞֞֞֞֞֞ ֪	
No	41×1 533 Wire Lengt in.	$5 imes \frac{1}{16}$ 650 Nails a h Company	5× 1 520 .nd Spil ^{mon} Ba il.	5× 1 393 ces. Nu rbed. I	5½×½ 466 mher i	5½ 38 n On Finish ing.	< ft 34 .e Pe 1-]	6×356 ound. Barbed roof.	֖֖֖֖֖֖֖֖֝֞֞֞֞֞֞ ֪	260
No Sise	41×1 533 Wire Lengt in.	$5 imes \frac{7}{650}$ Nails a h Comi	5×1 520 nd Spil mon Ba il. 8	5×4 393 ces. Nu rbed. 1	51×1 466 umher i Fine. 550	5½ 38 n On Finish ing. 1350	6 P 1-]	6×356 356 ound. Barbed roof. 411	֖֖֖֖֖֖֖֖֝֞֞֞֞֞֞ ֪	260
No Size 2d 4d	4½×½ 533 Wire Lengt in. 1 1½	$5 \times \frac{7}{16}$ 650 Nails a h Company 120 43	5×1 520 nd Spil mon Ba il. 8 2 3	5×4 393 ces. Nu rbed. 1 76 1 57	5½×½ 466 1mher i Fine. 550 760	5½ 38 n On Finish ing. 1350 584	(6×356 nund. Barbed roof. 411 165	֖֖֖֖֝֞֞֞֞֞֞ ֪	260
No Sise 2d 4d 6d	4½×½ 533 Wire Lengt in. 1 1 2	5×16 650 Nails a h Comi na: 120 43 25	5×1 520 nd Spil mon Ba il. 8 2 3 52 2	5×4 393 ces. Nu rbed. 1 76 1 57	5½×½ 466 1mher i Fine. 550 760 350	51) 38 n On Finish ing. 1350 584 310	(6×356 356 ound. Barbed roof. 411	֖֖֖֖֝֞֞֞֞֞֞ ֪	260
No Sise 2d 4d 6d 8d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½	5×16 650 Nails a h Comi na: 120 43 25 13	5×1 520 nd Spil mon Ba il. 8 2 3 3 2 2	5×4 393 ces. Nu rbed. I 76 1 57 04 99	5½×½ 466 1mher i Fine. 550 760 350 190	51 > 38 n On Finish ing. 1350 584 310 170	(6×356 nund. Barbed roof. 411 165	o ^l Sp	260 oikes
No Sige 2d 4d 6d 8d 10d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3	5×16 650 Nails a h Comi na: 120 43 25 13	5×1 520 nd Spil mon Ba il. 8 2 3 3 2 2 2 3 7	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69	5½×½ 466 1mher i Fine. 550 760 350	5½ > 38 n On Finish ing. 1350 584 310 170 121	< 1 6 34 e P∈	6×356 nund. Barbed roof. 411 165	l Sp	260 oikes
No Size 2d 4d 6d 8d 10d 16d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½	5×16 650 Nails a h Comi na: 120 43 25 13 8	5×1 520 nd Spil mon Ba il. 8 2 3 2 2 2 37	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69 43	5½×½ 466 1mher i Fine. 550 760 350 190	5½ > 38 n On Finish ing. 1350 584 310 170 121 72	< 1 6 34 e P∈	6×356 nund. Barbed roof. 411 165) Sp 	260 pikes. 50 85
No Size 2d 4d 6d 8d 10d 16d 20d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½ 4	5×16 650 Nails a h Comi na: 120 43 25 13 8	5×1 520 nd Spil mon Ba il. 8 2 3 2 2 2 7 1	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69	5½×½ 466 1mher i Fine. 550 760 350 190	5½ > 38 n On Finish ing. 1350 584 310 170 121	< ↑ 34 e P(1-]	6×356 nund. Barbed roof. 411 165	5 8 Sp	260 oikes
No Size 2d 4d 6d 8d 10d 16d 20d 30d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½ 4 4½	5×16 650 Nails a h Cominai 120 43 25 13 8 5	5×1 520 nd Spil mon Ba il. 8 2 3 2 2 2 37 51 85 87	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69 43 31	5½×½ 466 1mher i Fine. 550 760 350 190	5½ > 38 n On Finish ing. 1350 584 310 170 121 72 54	< ♣ 34 e Pe 1-]	6×356 nund. Barbed roof. 411 165	5 Sp	260 bikes. 50 85 86
No Size 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½ 4 4½ 5 5½	5×16 650 Nails a h Cominai 120 43 25 13 8 5	5×1 520 nd Spil mon Ba il. 8 2 3 2 2 2 7 1 5 7	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69 43 31 24	5½×½ 466 1mher i Fine. 550 760 350 190	5½ > 38 n On Finish ing. 1350 584 310 170 121 72 54	< ♣ 34 e Pe 1-]	6×356 nund. Barbed roof. 411 165	5 Sp	260 bikes. 50 55 60 5
No Size 2d 4d 6d 8d 10d 16d 20d 30d 40d	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½ 4 4½ 5 5½	5×16 650 Nails a h Cominai 120 43 25 13 8 5 3 2	5×1 520 nd Spil mon Ba il. 8 2 3 2 2 2 37 51 85 87	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69 43 31 24	5½×½ 466 1mher i Fine. 550 760 350 190	5½ > 38 n On Finish ing. 1350 584 310 170 121 72 54	< ♣ 34 e Pe 1-]	6×356 nund. Barbed roof. 411 165	5 Sp	260 bikes. 50 55 60 55
No Sixe 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d 60d	4½×½ 533 Wire Lengtin. 1 1½ 2 2½ 3 3½ 4 4½ 5 5½ 6	5×16 650 Nails a h Comina 120 43 25 13 8 5 3 2 2 1	5×3 520 nd Spil mon Ba il. 8 2 3 2 2 2 7 1 5 7 1 5 2	5×4 393 ces. Nu rbed. 1 76 1 57 04 99 69 43 31 24 18	5½×½ 466 1mher i Fine. 550 760 350 190 187	5½ > 38 n On Finish ing. 1350 584 310 170 121 72 54 46 36	< ♣ 34 e Pe 1-]	6×356 nund. Barbed roof. 411 165	5 Sp	260 bikes. 50 55 60 5
No Size 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d 60d Spike	41×1 533 Wire Lengt in. 1 11 2 21 3 4 41 5 5 6 es 61 in Screws	5×16 650 Nails a h Comina 120 43 25 13 8 5 3 2 1 1 1, 9; 7 i	5×3 520 nd Spil mon Ba 11. 82 3 12 2 13. 15. 15. 27 11. 28 11. 38 12. 37 13. 38 14. 38 15. 38 16. 38 17 18. 38 18	5×4 393 ces. Nurbed. 1 76 1 57 04 99 69 43 31 24 18 in., 5; 9	5½×½ 466 1mher i Fine. 550 760 350 190 187	54) 38 n On Finish ing. 1350 584 310 170 121 72 54 48 38	ς ∰ 34 .e ₽α 1-]	6×356 bund. Barbed roof. 411 165 103	5 Sp 5 3 2 2 2 1 1 1 1	260 bikes. 30 35 36 30 5 20
Size 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d 60d Spike Lag lag screen	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½ 4 4½ 5 6 es 6½ in Screws. ews in lbs	5×16 650 Nails a h Common 120 43 25 13 8 5 3 2 2 1 1 ., 9; 7 i a. Appi	5 × 1 520 nd Spil mon Ba il. 8 22 3 32 2 27 15 15 27 21 27 28 27 28 29 20 20 20 21 21 22 23 24 25 27 28 29 20 20 20 20 20 20 20 20 20 20	5×4 393 ces. Nurbed. 1 76 1 57 04 99 69 43 31 24 18 in., 5; 9 te Weigh h in in.).	5½×½ 466 imher i Fine. 550 760 350 190 187	54) 38 n On Finish ing. 1350 584 310 170 121 72 54 46 36	e Po	6×356 ound. Barbed roof. 411 165 103	5 Sp 5 3 2 2 2 1 1 1 1	260 bikes. 30 35 36 30 5 20
Size 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d 60d Spike Lag lag screen	Wire 533 Wire Lengt in. 1 1 2 2 3 3 4 4 4 5 6 es 6 in Screws ews in lbe	5×16 650 Nails a h Common 120 43 25 13 8 5 3 2 2 1 1 ., 9; 7 i a. Approximation	5 × 1 520 nd Spil mon Ba il. 8 22 2 23 2 27 2 15 5 27 2 in., 7; 8 roximate b×lengt	5×4 393 ces. Nurbed. 1 76 1 57 04 99 69 43 31 24 18 in., 5; 9 te Weigh h in in.).	5½×½ 466 imher i Fine. 550 760 350 190 187	54) 38 n On Finish ing. 1350 584 310 170 121 72 54 46 36	e Po	6×356 ound. Barbed roof. 411 165 103	5 Sp 5 3 2 2 2 1 1 1 1	260 bikes. 30 35 36 30 5 20
Size 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d 60d Spike Lag lag screen	4½×½ 533 Wire Lengt in. 1 1½ 2 2½ 3 3½ 4 4½ 5 6 es 6½ in Screws. ews in lbs	5×16 650 Nails a h Common 120 43 25 13 8 5 3 2 2 1 1 ., 9; 7 i a. Approximately a common 120 10 10 10 10 10 10 10 10 10 10 10 10 10	5 × 1 520 nd Spilemon Ba il. 8 12 3 12 2 13 2 15 5 16 5 17 8 18 7 18 8 18 8 18 9 18 9 1	5×4 393 ces. Nurbed. I 76 1 57 04 99 69 43 31 24 18 in., 5; 9 te Weigh h in in.).	5½×½ 466 imher i Fine. 550 760 350 190 187	54) 38 n On Finish ing. 1350 584 310 170 121 72 54 46 36	e Po	6×356 ound. Barbed roof. 411 165 103	5 Sp 5 3 2 2 2 1 1 1 1	260 bikes. 30 35 36 30 5 20
Size 2d 4d 6d 8d 10d 16d 20d 30d 40d 50d 60d Spike Lag lag screen	Wire 533 Wire Lengt in. 1 1 2 2 3 3 4 4 4 5 6 es 6 in Screws ews in lbe	5×16 650 Nails a h Common 120 43 25 13 8 5 3 2 2 1 1 ., 9; 7 i a. Appli	5 × 1 520 nd Spile mon Ba il. 8 22 2 23 24 25 32 2 27 35 37 37 38 39 30 30 30 30 30 30 30 30 30 30	5×4 393 ces. Nurbed. 1 76 1 57 04 99 69 43 31 24 18 in., 5; 9 te Weigh h in in.).	5½×½ 466 1mher i Fine. 550 760 350 190 137	5½ > 38 n On Finish ing. 1350 584 310 170 121 72 54 46 36	e Ped.	6×356 ound. Barbed roof. 411 165 103	Sp 5 3 2 2 2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	260 sikes.

The above for bright, charcoal iron wire. If annealed take 75% of values. For Bessemer steel add 10% and for crucible steel 15%.

0.1

97,500

0.2

87,500

0.3

81,000

0.4

79,000

Diam. in in. 0.05 Strength in lbs. . . . 106,000

Galvanized Iron Wire. Weight and Resistance per Mile. (Roebling.)

B. S. gauge.	Lbs.	Ohms.	B. S. gauge.	Lbs.	Ohms.	B.&S.	Lbs.	Ohms.
6	550	10	9	330	16.4	12	170	32.7
7	470	12.1	10	268	20	13	100	52.8
8	385	14.1	11	216	26	14	62	91.6

Galvanized Steel-wire Strand (7 wires twisted). (Roebling.)

Diam. of rope, in	}	16	휷	16	ł	16	1
Wire gauge No	8	10	11	12	15	17	20
Lbs. per 100 ft	52	36	29	21	10	6	2.4

Estimated breaking strength in lbs. = $160 \times \text{wt}$. in lbs. of 100 ft.

Wire Hoisting Rope. (Roebling.) Made from $\frac{1}{4}$ to $2\frac{3}{4}$ in diam., 6 strands of 19 wires each, hemp center. Wt. in lbs. per ft. = $1.58d^2$. Approx. breaking strain in lbs. = cd^2 .

Diam. in in., $d = 1.5$	1	0.5
Swedish iron, $c = 30,000$	3 2,000	35,000
Cast steel, $c = 60,000$	64,000	70,000

Transmission or Haulage Rope. 🔂 to 🔢 in. in diam., 6 strands of 7 wires each, hemp center.

Diam. in in., $d = 1.5$	1	0.5
Swedish iron, $c = 30,000$	32,000	33,500
Cast steel, $c = 60,000$	64,000	67,000

Extra Strong Crucible Cast-steel Rope (6 strand, hemp center).

Diam. in in.,
$$d = 2.5$$
 1.5 1 0.5
19 wire strand, $c = 70,000$ 75,000 78,000 81,000
7 " $c = 70,000$ 75,000 78,000

Crane Chains (Pencoyd). Pitch in in. (c. of 1 link to c. of next),

$$p'' = 0.17 + 2.43d$$
 (where $d < 1\frac{1}{4}$ in.);
= $2.75d - 0.156$ (" $d > 1\frac{1}{4}$ in.);

d=diam. of link wire in ins. Outside width of link=3.3 $d+\frac{1}{16}$ in. approx. Approx. wt. per ft. in lbs.: for $d=\frac{1}{4}$ to $\frac{1}{4}$ in., wt.=0.875+6.5 $(d-\frac{1}{4})$; for $d=\frac{1}{4}$ to $\frac{1}{4}$ in., wt.=8+21.9 $(d-\frac{1}{4})$. **DBG** Special Chain. Average breaking strain in lbs.=62,000 d^2 ,

when $d \le \frac{1}{4}$ in., and $62,000d^2 - 6,800(d - \frac{1}{4})$, when $d > \frac{1}{4}$ in. For proof test take 1 of these values, and for safe load 1. Ordinary crane chains have from 87 to 90% of the strength of the D B G special chains. Chain sheaves should have a diameter of not less than 70d.

Holding Power of Nails and Spikes. (Approximate.) Force in lbs.

required to withdraw nail = csl, where l = length of nail in the wood in in., and s=circumference of a round nail or the four sides of cut nail in in.

Values of c.

7	White Pine.	Yellow Pine.	White Oak
Wrought spikes, Wire nails, Cut nails,	c = 360 $c = 167$ $c = 405$	318 662	720 940 1216

Weight of Floors. Solid brick arched floors, 70 lbs. per sq. ft. Hollow brick arched floors, from 20 lbs. per sq. ft. for a 3 ft. span to 60 lbs. for a 10 ft. span. Wooden floors, lbs. per sq. ft. per inch of thickness: White Oak, 4; Maple, 3.5; Yellow Pine, 3.2; White Pine and Spruce, 2.33; Hemlock, 2.

Floor Loads in lbs. per sq. ft. Street bridges, 80; dwellings, 40; churches, theatres and assembly rooms, 80; grain elevators, 100; warehouses, 250; factories, 200 to 400. Prof. L. J. Johnson states as the result of experiments that the excessive crowding of adults may produce a load as high as 160 lbs. per sq. ft. 1 cu. ft. of brickwork gives a load of 115 lbs.

-q. ft. of supporting floor. (Masonry, 160 lbs.)

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THE STRENGTH OF MATERIALS, STRUCTURES, AND MACHINE PARTS.

Stress is the cohesive force within the material which is called into action to resist the load or externally applied force.

Strain is the deformation produced by the stress and is proportional

to the stress within the elastic limit.

Elasticity is the property which a body possesses of regaining its original shape and dimensions after distortion.

Modulus of Direct Elasticity. $E = \frac{f_t}{\partial_t} = \frac{f_c}{\partial_c}$.

Modulus of Transverse Elasticity. $C = f_8 + \delta_8$ (for shear).

Modulus of Volumetric Elasticity. $K=f_v+$ decrease in vol. per cu. in.

Elastic Moduli in Inch-pounds.

Material.	$oldsymbol{E}$	\boldsymbol{c}	K
Cast Steel	30,000,000	12,000,000	26,000,000
Forged Steel	30,000,000	13,000,000	26,000,000
Tempered Steel	36,000,000	14,000,000	•
W. I. Bars	29,000,000	10,500,000	20,000,00 0
" Plates	26,000,000	14,000,000	20,000.00 0
Copper	12,000,000		24,000,000
" rolled	15,000,000 (for	drawn, $E=17,000$,	000)
Cast Iron	17,000,000	6,300,000	14,000,000
Brass and Gun Metal	13,500,000		15,000,000
Water			300,000

Poisson's Ratio (M). If a bar be extended or compressed, the direct strain $(\partial_t \text{ or } \partial_c) = \text{lateral strain } (\partial_t) \times M$. The value of M for steel is 3.25, for W. I., 3.6, for C. I., 3.7, for copper, 2.6, and for brass, 3.

Work. The unit of work is one foot-pound. Work = pressure or force \times distance = pounds \times feet = ft.-lbs., and may be represented by the area of a figure with abscissæ of distance and ordinates of pressure or force.

Resilience = the work done in deforming a body up to the elastic limit = $\frac{F}{2} \times A$, ft.-lbs. = $\frac{\text{total stress in lbs.}}{2} \times \text{deflection in feet.}$

Stress Due to Impulsive Load. Make energy equal to the resilience. Then, $\frac{1}{2a} = \frac{1}{2}$, and F (lbs.) = $\frac{1}{a^{3}}$, which is the maximum. The mean total stress (between 0 and max.) = $\frac{wv^2}{2 \eta d_I}$, which applies to steam-hammers, pile-drivers, etc. In case of a falling weight (e.g., sudden load on a beam or crane chain), $w(h+\Delta n) = \frac{F\Delta n}{2}$.

Stress Caused by Heat. $F = Eat^{\circ}a$.

Coefficients of Linear Expansion (a) per Deg. F.

Tempered Steel Strong Steel Mild Steel Wrought Iron	.0000063 .0000057	Cast Iron	.0000105
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Relative Hardness of Materials. Cast steel, 554; brass, 233; mild steel, 143; aluminum (cast), 103; copper (annealed), 62; zinc (cast), 41; lead, 4. Strength is increased as the temperature is lowered, -50 to 100% at -295° F. Iron and steel gain slightly in strength up to 500° F., but thereafter the decrease is rapid.

Factors of Safety.

Safe Load = Breaking Load + Factor of Safety.

	Dead Load.	Live Load.*	Moving and Reversible † Loads.
W. I and Mild Steel Hard Steel Bronzes C. I. and Brass Timber Brickwork Masonry In permaner tures	3 5 4 at struc-	5 to 8 5 to 8 6 to 9 6 to 10 10 6 20 to 30	9 to 13 10 to 15 10 to 15 10 to 15

Herr Wöhler's experiments in 1871 showed that range of variation in stress was a factor in lowering the breaking load and also that rupture may be caused by repetitions and repeated reversals of stress, none of which attain the elastic limit. Prof. Unwin gives the following equation:

 $f_1 = \frac{1}{2} + \sqrt{f^2 - xSf}$, where f_1 = the breaking stress under variation, in tons per sq. in., S = stress variation in terms of f_1 , x = 1.5 for W. I. and mild steel and 2 for hard steel, and f = breaking load under steady stress. $S = \frac{\text{highest stress} - \text{lowest stress}}{\text{highest stress}} \times f_1$.

For a steady load $f_1=f$; for a simple live or suddenly applied load, $S=f_1$; for alternately equal tensile and compressive stresses as in shafting, $S=2f_1$, whence, for

Steady load $f_1 = f$	$f_1 = f$
Live load $f_1 = 0.6f$	$f_1 = 0.472f$
Reversible load $f_1 = 0.33$	$f_1 = 0.25f$

Or, safety factors are in the ratio 1: 2: 3 to 4, approx.

Average Breaking Stresses of Building Materials.

(In lbs. per sq. in.) Material. Tension. Compression. La. Long-leaf Pine..... Hemp Rope..... 8,000 600 15,000 Granite 7,000 1,000 5,000 150 Sandstone...... tar) 2,000 (best, in cement) 300 Portland Cement, 1 mo. 2,000 **400** . 1 year. 3.000 **500** Concrete, 1 mo. . 200 1,000 1 year 2,000 400

Rosendale Cement has about $\frac{1}{2}$ the strength of Portland. Safe strengths of stone, brick, and cement = $0.1 \times$ breaking strengths.

† A reversible load causes alternate tension and compression.

^{*} A load on and off continually and instantly, but without velocity.

Average Breaking Stresses of Materials and Safe Stresses for Ordinary Live Loads. (In lbs. per sq. in.)

	Tension.		Compression.		Shear.	
Metals.	Breaking.	Safe.	Break- ing.	Safe.	Break- ing.	Safe.
Crucible Cast Steel.	100,000	18,000	180,000	18,000		11,200
Mild Steel	78,000	15,500		15,500		11,200
Structural Steel,						
0.1% Carbon	56,000	11,200	56,000	11,200	48,000	9,000
Do., 0.15% C	64,000	12,800			50,000	10,000
Soft Steel	52-62,000	15,000	(America		Webs =	9,000
Medium Steel	60-70,000	17,000	Co. Pract		''' =	10,000
Steel Castings	67,000	11,200	50,000	11,200	1	7,800
Iron Forgings	56,000	11,200		9,000	45,000	7,800
W. I. Plates	50,000	9,000		9,000	36,000	6,700
~ ·· · · · · · · · · · · · · · · · · ·	40,000	9,000	1.100.000	9,000	36,000	6,700
Cast Iron	17,000	2,800	100,000	9,000	11,000	2,200
Malleable Iron	35,000	6,000	(1407 34	.		
Manganese Steel	135,000	22,500	(14% Mn	ין	! '	
Nickel Steel	83,000	17,000	(Plates)		f i	
M D	100,000	18,000	(Forging	11,200	}	7,800
Manganese Bronze	67,000	11,200 9,000	· • • • • • • •			6,700
Phosphor Bronze	56,000	11,200		9,000	J · · · · · · ·	0,700
Aluminum Bronze.	63,000 67,000	11,200	İ			
Delta Metal	67,000	11,200	(Forging	()	1	
Delta Metal	45,000	7,800	(Cast)	D)		
Gun Metal	27,000 27,000	4,500	(Cast)	4,500	!	3,360
	29,000	4,500	58,000	4,500	25,000	3,360
Copper	25,000	3,360		3,360	20,000	2,200
Conner Wire	36,000	3,300	(anneale	1 - 1 '	1	2,200
Copper Wire	60,000	· • · · · · ·	(unanne	1 4 - 5		
Iron "	60,000	1	(anneale		1	
11011	80,000	• • • • • • • • • • • • • • • • • • •	(unanne		l i	
Steel ''	120,000	1	,	1	į į	1
3,000	80,000	l	(anneale	(b)	1 1	
44	180,000	[(crucible		1	
44 44	200,000	1	(bridge c		Į į	
*****		l	1,	1	1	

Where vacancies occur in table, assume compression to equal tension, and shear to be 0.7 × tension. || means parallel with grain or fiber, + means across grain.

Tensile Stress-Action. Load = Total Stress, or $w = f_t a$, $(= p \times ares)$

pressed upon in case of steam, air, or water pressure). Strength of Chain. $w=14,000d^2$ lbs. for safe loading, where d= diam. in in. of the wire in link. Wt. per ft. $=10d^2$, approx. (See Crane Chains, ante.)

Strength of Ropes. $w(\text{safe}) = 1,120d^2$ for White Hemp. For wire rope, $w(\text{safe}) = 20,000nd^2$ lbs., where n = no. of wires and d = diam. of wire in in. (See Wire Rope, ante.)

Strength of Pipes and Cylinders Pressed Internally.

Thin Cylinders. For a longitudinal section (e.g., boiler) $f_i = \frac{pr}{l}$, and for a transverse or ring section, $f_i = \frac{pr}{2t}$. Stresses f_i must be multiplied by η in the case of boilers or other cylinders where welded, riveted, or bolted construction is used. In this case η =efficiency=strength of joint+strength of solid plate. For ordinary steam, water, or gas pressures, $t=0.18\sqrt{d}$ for pipes and rough cylinders. For machining, in the case of cylinders, add 0.3 in. to above value of t. Kent states as an average derived from a number of rules: t=0.0004dp+0.3 in.

Thick Cylinders. (For very high pressures, e.g., hydraulic.) Exter-

nal diam. = Internal diam. $\times \sqrt{f_t + p} + \sqrt{f_t - p}$.

Tensile Stress induced by Centrifugal Force. $f_t = \frac{12wv^2}{\rho}$. For cast

iron w=0.261 lb. and f: safe=2,800 lb. Placing these values in formula, v is found to be 170 ft. per sec., or the safe theoretical velocity of a fly-wheel rim (double actual practice).

Strength of Bolts. The working stress per sq. in. of cross-section at the bottom of thread for ordinary joints=8,000 lbs. for W. I., and 11,000 lbs. for mild steel. (If under steam or water pressure, 6,000 lbs. In this case bolts \(\frac{1}{4} \) in. should not be used and the pitch should not exceed 6d.)

For steam cylinders, etc., No. of bolts=\(\frac{p}{2400} \) \(\frac{\cdot yl}{\text{bolt}} \) \(\frac{\text{am}}{\text{bolt}} \) \(\frac{1}{\text{bolt}} \) \(\frac{1}{\te

have to resist shock the shanks should be turned down to the diam. at bottom of thread.

Compressive Stress-Action. $w = f_{ca}$. (Applicable where length < 12d.)

(See Columns.)

Shear Stress-Action. For pins and rivets, $w=f_a$. f_a safe=11,000 lbs. per sq. in. (Am. Bridge Co. practice.)

Strength of Eye Bars. f_a safe=14,000 to 16,000 lb. for soft and me-

dium steel respectively.

Proportions: D-d=1.4b; $d=\frac{1}{2}$ to $1\frac{1}{2}b$: t (for b<5 in.)=0.75 m.; t (for b>5 in.)=(b+1)+8 (m.) Radius of fillet at neck=D=outside diam. (Passaic R. M. Co.) b=d=0.4D. Fillet radius=D. (Shaler Smith.) Strength of Riveted Joints.—Single-riveted Lap Joint. Shear strength of one rivet=tensile strength of plate between two holes, or

 $f_{\theta}\pi d^2 + 4 = f_t(p'' - d)t$ (1). d (of rivet) = 1.2 \sqrt{t} before riveting; $d = d_1$ (of hole)=1.3 \sqrt{t} after riveting (for plates <1 in.). Substituting in (1) and making $f_0=11,200$, $f_t=13,500$, pitch, $p''=1.09+d_1$ for steel. For iron plates and rivets $p''=1.14+d_1$; for steel plates and iron rivets, $p''=0.76+d_1$; for copper plates and rivets $p=0.98+d_1$. (Supplee gives as standard practice (up to $\frac{1}{2}$ in. plates) 1.31 and 1.25 in place of 1.14 and 0.76 as above.) Center of rivet to edge of plate $=\frac{1}{2}$ overlap =1.5d.

Double-riveted Lap Joint (staggered or zigzag). $p''=2.18+d_1$. Dis-

tance between rows of rivets = $\sqrt{1.09d_1 + 0.75d_1^2}$.

Chain-riveted Lap Joint (double riveted, but not staggered). p''=

2.18+ d_1 . Distance between rows=1.5+ d_1 .

Double-riveted Butt Joint (with two cover plates). $p''=4.36+d_1$.

Diagonal distance between centers of rivets in the two rows=2.18+ d_1 .

Thickness of each butt strap or cover plate= $\frac{1}{2}t$ of plate. Overlap=2d.

Treble-riveted Butt Joint. This case calls for three rows of rivets.

The pitch of the third row from edge is twice the pitch of the first two rows, which are staggered Examining as a lap joint the metal between

two holes on pitch line = $(p''-d) = \frac{1}{t}$ = the strength of one rivet.

As 5 rivets have to be taken care of, then $p'' = \frac{3.275d_1^2}{t} + d_1$. Considered

as a butt joint, $(p''-d) = \frac{1.31d^2}{t}$, and for 5 rivets, $p'' = \frac{6.55d_1^2}{t} + d_1$. An intermediate value is generally taken. (p''=pitch of third row from edge of plate.) In the above formulas p'' is taken equal to d_1 plus 2.18, 4.36, etc., which are multiples of 1.09 in formula for single-riveted lap joint,

and are for steel plates and rivets where $\frac{1}{f_L} = \frac{13}{500}$. For other metals or combinations similar multiples of 1.14, 0.76, 0.98, etc., should be used, or, if other safe stresses are chosen for fs and ft, values of p'' should be worked out from formula (1). Overlap=1 $\frac{1}{4}$ to 2d for treble-riveted butt joint, thickness of butt strap= $\frac{1}{4}t$ of plate.

Rivet Proportions. Round or snap head: large diam. = 1.67 × rivet

diam, and height of head $= \frac{1}{4}d$. Countersunk head: large diam. $= 1\frac{1}{4}d$. and is coued to rivet shank at an angle of 60°.

Efficiency of Joints. $\eta = \frac{p-1}{p''}$. (Following table gives η for steel where $f_t + f_s = 1.2.$

<i>t.</i>	d.	Single-riv. Le .	Double-riv. Lap.	Double-riv. Butt.	Treble-riv. Butt.
1 1 1;	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	.57 .54 .49 .45 .40	.73 .70 .66 .62 .57	.84 .82 .79 .77	.93 .92 .90 .90 .87

Riveting in Structural Work (example,—plate girder). Flange area $a = \frac{Bm}{hf}$. .: Bm (neglecting bending stress on web) = ahf (1). Bm of web = $\frac{th^2}{6}$, or allowing for rivet holes, $=\frac{fth^2}{8}$, and B_m (considering bending stre 3)

on web)= $hf(a+\frac{ht}{8})$, and the flange area $a=\frac{Bm}{fh}-\frac{hi}{8}$ (2).

Riveting: Lower angles to web (in tension), neglecting Moment of Resistance of web to bending; pitch of rivets, $p'' = h_i + V$, or the vertical shear. Upper angles to web, compression, M. of R. neglected; $p'' = h_i + V$

 $hf_8\sqrt[4]{\frac{1}{V^2+h^2w^2}}$, where w= total loading per inch of length. p'', h, t in in., a in sq. in., fs (=least strength of rivet subject to double shear and bearing stress) in lbs. per sq. in., V and w in lbs.

The pitch of rivets joining flange plates to angles is 6 in., excepting at and near the ends of flanges, where p''=4d.

Web stiffeners are angles riveted vertically to the web to prevent buckling of the latter. If $t < \frac{1}{60}$ the stiffeners should be spaced h in. apart

(maximum spacing=60 in.).

Pins, bolts, and rivets, unless fitting tightly and thoroughly gripping the plates, will be subject to bending stresses and smaller unit stresses must be employed, viz.: for circular sections, 0.75/s; for square sections, 0.66/s; for square sections, forces acting along diagonal, 0.89/s.

Strength of Cotter Joints. d=diam. of rod=breadth of cotter midway between ends=4×thickness of cotter. Taper of cotter 1 in 30 to 1 in 100. If tapered much greater than 1 in 30, cotters are apt to fly out.

Torsional Stress-Action. External Moment=Moment of Resistance at section or wr-feS.

at section, or $wr - f_{\theta}S_t$. Strength of Round Shafts. Moment of Resistance of section = $0.1964/_8d^3$ for solid shafts and $0.1964/_8(D^4-$) for hollow shafts.

Strength of Square Shafts. Moment of Resistance of section = $0.208/s^3$, where s= side of square in in.

Factor of Safety for Stiffness = 10 for short shafts; 16 for long shafts. Strength of Flange Coupling Bolts.

Diam. of bolt = $0.577 \text{ } / \text{ } (\text{diam. of shaft})^3 + (\text{bolt circle radius} \times \text{No. of bolts}).$ Strength of Sunk Keys. (Average practice.) Breadth=1 (diam. of shaft)+1 in.; Depth=1 (diam. shaft)+1 in.; Length=0.3 (diam. shaft)²+depth. For splines or keys upon which parts rotating with shaft may also slide axially, interchange the above dimensions for breadth and

de<u>pt</u>h. The Angle of Torsion, (θ) , is the angle through which one end of a shaft turns relatively to the other end under a given stress. ($\theta = arc + radius$.)

 $\theta = 2f_B l + (d \times Modulus of transverse elasticity, C).$

Strength of Helical Springs. For round wire, using shaft equation. $wr = f_8 \frac{\pi d^3}{16}$, where w = axial pull in lbs., r = radius of coil (to center of wire section), f_8 (safe)=60,000 (Begtrup and Hartnell). For square wire, $wr=0.208f_8s^3$. Deflection= $2f_8lr+Cd$, where $l=2\pi r\times No$. of turns or spirals, n; d=diam. of wire, and C=12,000,000. All dimensions in in. Further, deflection= $64wnr^3+Cd^4$ for round-wire springs, and= $60.5wnr^3+Cs^4$ for square-wire. (Values of f_8 and C are for steel wire.)

Conical Springs, round wire, $wr = \frac{\pi d^2 f s}{16}$, where r =largest radius of coil.

Deflection = $\frac{16wnr^8}{Cd^4}$.

Flat volute (rectangular section of height h, breadth or thickness b),

$$wr = 0.222b^2hf_8$$
. Deflection = $\frac{1.8\pi wnr^8(b^2 + h^2)}{Cb^3h^3}$.

Spiral Springs in Torsion.

Round wire, $wr = \pi f_0 d^3 + 32$. Deflection at $r = \frac{64wlr^2}{\pi E d^4}$.

 $\cdots \qquad \cdots \qquad r = \frac{12wlr^2}{R_{c}A}.$ Square wire, $wr = f_8 s^3 + 6$.

(*l* = developed length of spring in inches.)

Bending Stress-Action. In an overhung beam, or cantilever, the upper fibers are in a state of tension and the lower ones in compression, while in a supported beam, or girder, the opposite is the case. There exists therefore an intermediate longitudinal section where these stresses are zero in value. The intersection of this longitudinal section and a vertical cross-section is a line called the Neutral Axis, which passes through the center of figure (or gravity) of the cross-section. Consider two small areas, a_i and a_c (distant y_i and y_c from neutral axis), and let ρ be the radius of curvature of the neutral longitudinal section of the beam when under bending stress. Then, assuming the beam or bar to be bent into a circular ring, l of bar (before bending)= $2\pi\rho$; l (after bending), or circumference of bar at area $a_i = 2\pi(\rho + y_i)$, in tension, and l at area $a_c = 2\pi(\rho - y_c)$, in compression. Consequently, the strain on fibers at $a_i = 2\pi(\rho + y_i) - 2\pi i$ but $a_i = 2\pi(\rho + y_i)$. $2\pi\rho = 2\pi y_t$, and strain at $a_c = 2\pi\rho - 2\pi(\rho - y_c) = 2\pi y_c$; but $A = \frac{il}{E}$, generally;

 $\therefore 2\pi y = \int_{-\infty}^{\infty} \frac{2\pi \rho}{E}$ and $f = \frac{Ey}{\rho}$ (1), and the total stress on a small area a, $-fa=\frac{Eya}{\rho}.$

ent of Resistance. Moment of stress on the small area a $fay = \frac{Eay^2}{\rho}$, and the moment of all stresses on the section $= \frac{E}{\rho} \Sigma ay^2$. $\Sigma ay^2 = Moment of Inertia of the section (or Second Moment) = I. <math>\therefore$ Moment of Resistance $=\frac{EI}{2}$ (2). Representing the moment in terms of the limiting stress, then, Bending Moment, Bm = fS = Moment of Resistance (3). S is called the Section Modulus (=virtual area×arm through which it acts). From (1), (2), and (3), $S = \frac{I}{y}$, and $Bm = \frac{fI}{y}$.

Moments of Inertia of Area

For Beams.

Section.	I.	y (=dist. of furthest fibe: from axis.)
Rectangle, axis to breadth and	219	1 TOM SAIS.)
bisecting section	$\frac{bh^3}{12}$	<u>. n</u>
bisociting section	12	$\overline{2}$
Same No. (1.1)	h4	h
Square, ditto, $(b-h)$	$\frac{h^4}{12}$	2
Square, axis bisecting section on		
diagonal	84 12	$\frac{s\sqrt{2}}{2} (s = \text{side of square.})$

Hollow rectangle or square, axis		•
as for rectangle above	$\frac{b_1h_1^3-bh^3}{12}$	$rac{m{h_1}}{2}$
Triangle, axis to base	$\frac{bh^3}{36}$	$\frac{2h}{3}$
Circle, diameter as axis	$\frac{\pi d^4}{64}$	$\frac{d}{2}$
Hollow circle	$\frac{\pi}{64}(d_1^4-d^4)$	$\frac{d_1}{2}$ (b_1 , h_1 , and d_1 are outer dimensions.)

For shafts. (Polar Moment of Inertia = I_p .) Section. Rectangle.... $s+\sqrt{2}=0.707s$ $\frac{\pi d^4}{32}$ $\frac{d}{2}$ $\frac{\pi(d_1^4 - d^4)}{32}$ $\frac{d_1}{2}$ $(d_1 = \text{outer diam.})$

The Polar Moment of Inertia $I_p = I + I_1$, where I and I_1 are two Moments of Inertia of the section which are taken at right angles to each other through the c. of g. of the section.

The Radius of Gyration, $r = \sqrt{\frac{I}{\text{area of section}}}$.

Moment of Resistance. Graphic Solution. AB is the neutral axis

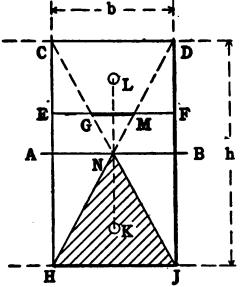


Fig. 2.

of the rectangular section CDHJ, and CD the line of limiting or greatest stress. The value of any horizontal fiber EF to resist stress is found by projecting the same vertically to the line CD and joining C and D to N. The interest GM is the value defined as CD. The intercept GM is the value desired. All fibers being thus treated, the sum of the virtual stress areas will be the areas CDN and HJN which each make one force of the couple when multiplied by the limiting stress f. K and L are the centers of gravity of the areas.

Moment of Resistance of rectangular section = f (area CDN or HJN) $\times \operatorname{arm} KL = f\left(\frac{bh}{4}\right) \times \frac{2h}{3} = f\frac{bh^2}{6} = fS$.

Moment of Inertia of any Section. Find fS by above method, divide by value of f and multiply by g. (I = Sy.) For rectangular section, $S = \frac{1}{6}$, $y = \frac{bh^3}{12}$

Center of Gravity and Moment of Inertia Determined Graphically (Fig. 3). Beam section 1 2 3 4 5 6 . . . 12. To find center of gravity (considering right half of section): Project each horizontal fiber of section vertically to the arbitrarily assumed line x_1x_1 parallel to base line xx. Join ends of projection to point b and note the intercept on each fiber. The sum of all these fiber intercepts will be the area a 24 17 16 25 26 b a, or A_1 . Then, $A_1h = AG$, where A is area of right half of section (sufficient in case of symmetry) and G = distance of center of gravity from xx. Then, $G = A_1h + A$, which determines the position of neutral axis, zz.

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Trapezoid: divide into two triangles by a diagonal and join their centers of gravity; repeat process with the other diagonal and the intersection of the lines joining the tenters of gravity will be c. of g. of trapezoid.

Sector of circle: on radius bisecting the arc, distance from center=

(2×chord×radius)+(3×length of arc).

Semicircle: on middle radius, 0.4244r from center.

Quadrant: on middle radius 0.6002r from center.

Quadrant: on middle radius, 0.6002r from center.

Segment of circle: distance from center = (chord)³ + (12 × area).

Parabola: \$ length from vertex, and on axis.

Semi-parabola: \$ length from vertex, \$ semi-base from axis.

Cone, Pyramid: in axis, \$ its length from base.

Paraboloid: in axis, \$ its length from base.

Paraboloid: in axis, its length from vertex.

Frustum of Pyramid: distance from larger base = $\frac{1}{4} \left(\frac{A + 3a + 2\sqrt{Aa}}{A + a + \sqrt{Aa}} \right)$.

 $= \frac{h}{4} \left(\frac{R^2 + r(2R + 3r)}{R^2 + r(R + r)} \right).$ Frustum of Cone: h = height; A, a, and R, r = larger and smaller base areas and radii respec-

tively.

Two or more bodies in the same plane: refer to co-ordinate axes. Multiply the weight of each body by the distance from its center of gravity to one of the axes, add the products and divide by the sum of the weights, the result being the distance of the center of gravity of the system from that axis. If bodies are not in a plane, refer them similarly to three rectangular planes.

Moment of Inertia of Compound Shapes. The Moment of Inertia of any section about any axis = the Moment of Inertia about a parallel axis passing through its center of gravity+[area of section × (distance between axes)²]. Also, the Radius of Gyration for any section around an axis par-

allel to another axis through the center of gravity =

 $\sqrt{(\text{dist. between axes})^2 + (\text{radius of gyration around axis through c. of g.)^2}}$. By these rules the I and r of "built up" beams and columns may be obtained,—for I, by finding the I of the several components of section about the same axis and adding the results for the combined section.

Bending Moment and Deflection of Beams of Uniform Section.

- (W=total load on beam.)

 I. Beam fixed at one end, concentrated load at the other. Maximum B_m at fixed end=Wl. (B_m may be represented by the ordinates of a Wl. right-angled triangle having base = l and height = Wl.) Deflection = $\frac{m \epsilon}{3EI}$.
- II. Beam fixed at one end, uniformly distributed load (e.g., wt. of beam). Max. B_m at fixed end $-\frac{Wl}{2}$. (B_m represented by ordinates from base of length l to a semi-parabolic curve having vertex at free end of l and axis perpendicular thereto, and whose semi-parameter $=\frac{l}{\bar{W}}$). Deflection $=\frac{Wl^3}{c_1 Er}$
- III. Beam, ends supported, concentrated load at center. Max. B_m at center $=\frac{Wl}{4}$. Deflection $=\frac{Wl^3}{48EI}$.
- IV. Beam, ends supported, concentrated load at any point. Max. B_m = $\frac{W(l-x)x}{l}$, where x=distance of load from one support. Deflection = $\frac{Wx^2(l-x)^2}{3EIl}.$
- V. Beam, ends supported, uniform load. Max. B_m at center = $\frac{Wl}{\Omega}$.
- Deflection = $\frac{5Wl^3}{384EI}$.

 VI. Beam fixed at both ends, centrally loaded. Max. B_m at center and ends = $\frac{Wl}{8}$. Deflection = $\frac{1}{192EI}$. Points of contra-flexure distant $\frac{l}{4}$ from

VII. Beam fixed at both ends, uniformly loaded. Max B_m at ends =

 $\frac{Wl}{12}$, $(\frac{Wl}{24})$, at center. Deflection = $\frac{Wl^3}{384EI}$. Points of contra-flexure are 0.211*l* from ends.

VIII. Beam fixed at one end, supported at the other and uniformly loaded. Max. B_m at fixed end = $\frac{Wl}{8}$. Deflection = $\frac{5Wl^3}{926EI}$. Point of contra-flexure = $\frac{l}{4}$ from fixed end.

IX. Beam fixed at one end, supported at the other, and centrally loaded.

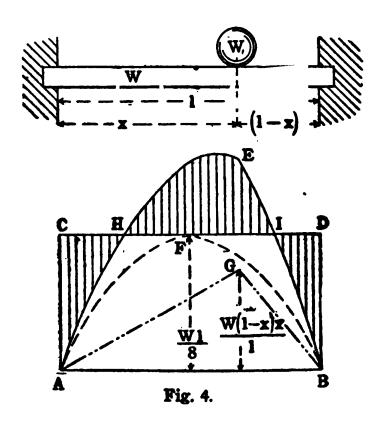
Max. $B_m = \frac{3Wl}{16}$. Deflection $= \frac{7Wl^3}{768EI}$.

X. Beam loaded at each end with $\frac{W}{2}$, with two supports, each distant x from ends. Max. $B_m = \frac{Wx}{2}$. Deflection, overhang, $= \frac{Wx(3lx-4x^2)}{12EI}$, for middle part, $= \frac{Wx(l-2x)^2}{16EI}$.

XI. Beam, both ends supported, with two symmetrically placed loads

XI. Beam, both ends supported, with two symmetrically placed loads $\left(\operatorname{each} = \frac{W}{2}\right)$, each x dist. from support. Max. $B_m = \frac{Wx}{2}$. Deflection = $\frac{Wx(3l^2-4x^2)}{48EI}$.

XII. Beam, fixed at one end, distributed load increasing uniformly from 0 towards fixed end. Max. $B_m = \frac{Wl}{3}$. Deflection $= \frac{Wl^3}{15EI}$.



XIII. Beam, both ends supported, distributed load increasing uniformly from 0 at center towards ends. Max. $B_m = \frac{Wl}{12}$. Deflection = $\frac{3Wl^3}{22\Omega El}$.

XIV. Same as XIII, but with load increasing uniformly from O at ends to center. Max. $B_m = \frac{Wl}{6}$. Deflection $= \frac{Wl^3}{60EI}$.

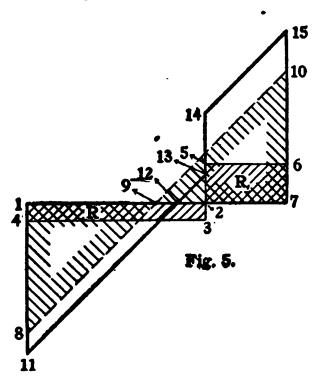
XV. Beam overhanging each of two supports by distance x, uniformly distributed load. $B_m = \frac{1}{2l}$ at either support, and $\frac{1}{2}(x-0.25l)$ at center. Max. B_m (when x=0.207l) = $\frac{3Wl}{140}$.

Combinations of loading may be shown graphically as in Fig. 4. W= uniform load, and $W_1=$ concentrated load. Consider the beam as merely supported at the ends, with a uniform load (e.g., itself). Then, the parabola AFB, on base AB, and of height= $\frac{1}{8}$, is the curve of Bm for W.

Again, consider beam as loaded only with W_1 . Then, the triangle AGB will be the curve of B_m for W_1 , and, by adding the ordinates of these curves a new curve AHEIB is obtained, which is the curve of B_m for the combined loads on a freely supported beam. Again, consider the beam as fixed. The B_m of the supported beam is now opposed by the reaction of the wall, which is a constant strain and whose B_m curve is the rectangle ACDB, equal in area to AHEIB. The algebraic sum of these bending moments gives for the fixed beam the shaded B_m curve ACHEIDBIHA, and the intersections at H and I determine the points of contra-flexure. The portions CH and ID are strained as cantilevers, the upper sides being in tension, while the part HI is strained as a supported girder, with tension on lower side.

The B_m curve for a moving load (e.g., that on a travelling-crane girder) is parabolic, with a maximum at center equal to $\frac{\overline{Wl}}{A}$.

Shear Stresses. The vertical shear stress caused by a concentrated load is represented by the ordinates of a rectangular area having a length = dist. from point of support to point of max. B_m , and a height = reaction at point of support. The vert. shear stress caused by a uniformly distributed load is represented by the ordinates of a right-angled triangular area having base as above, and height at point of support = reaction at that point. Thus, in Fig. 5, rectangles 1234 and 2567



rectangles 1234 and 2567 are for concentrated load W_1 (see Fig. 4), and triangles 189 and 9107 for distributed load W. The algebraic sum of these areas gives areas 11112 and 12131415712, any ordinate of which shows the vertical shear stress of the combined loads at the point where ordinate is erected. Heights 14, 67 and 111, 715 represent the reactions or proportions of W_1 and W respectively sustained by the points of support. points of support.

Horizontal shear stress. If a summation of the horizontal forces (tensile and compressive) is taken, proceeding from the upper or lower fibre to the neutral axis, it will be found that the max. hor. shear stress is at the neutral axis, and, in a rectangular beam, at

any section: Max. hor. shear stress = $(3 \times \text{Vert. shear at})$ the section considered) $\div 2bd$, where b and d are breadth and depth of beam. In long beams the shear is small compared with the bending stress and is fully taken care of by the

surplus section; in short beams it should be considered. Continuous Beams. (Reactions on supports in terms of W_1 , the uni-

form load on each span.)

? : I		3 11 4 26 32 37 37 108 106 137 143 374 392 511 535	11 43 108 143 137 386 392 529 529		152 601 209	each \times W_1 + 8 + 10 + 28 + 38 + 104 + 142 + 388 + 530
-------	--	---	---	--	----------------	--

The Allowable Deflection for cantilevers is $\frac{1}{10}$ in. per foot of span, and to in. per ft. of span for girders.

Beams of Uniform Strength (Rectangular Section).—With constant breadth, the depth varies as the ordinates of: I, a semi-parabola with verbreadth, the depth varies as the ordinates of: I, a semi-parabola with vertex at loaded end; II, a triangle, base at fixed end; III and IV, two semi-parabolas, vertices at supports, bases joining at load point; V, a semi-ellipse. With constant depth the breadth varies as the ordinates of: I, a triangle, base at fixed end; II, distance between two convex parabolas whose vertices touch at free end; III and IV, two triangles, bases at load point: V, distance between two symmetrical concave parabolas intersecting at points of support. (I, II, III, etc., refer to conditions of loading under the heading of Bending Moment and Deflection of Beams, ante.)

Strength of Circular Flat Plates of Radius r (Grashof).—Plate supported at circumference and uniformly loaded: $f=0.833pr^2+t^2$. Same loading, plate fixed at circumference: $f=0.666pr^2+t^2$. Plate supported at circumference: $f=0.666pr^2+t^2$. Plate supported at circumference:

cumference, loaded centrally with w (of radius r_1): $f = \left(1.383 \log \frac{r}{r_1} + 1\right) \frac{w}{n^2}$.

Strength of Square and Rectangular Flat Plates, Uniformly Loaded (Unwin).—Rectangular plate, fixed at edges: $f=0.5b^2l^4p+(b^4+l^4)t^2$, where b= breadth and t= length of plate in in. Square plate, fixed at edges: $f=0.25ps+t^2$, where s= side in in. Surface supported by stays: $f=0.222ps+t^2$, where s= distance in in. between the centers of stays, which are arranged in rows. f= working stress in lbs. Strength of Flat Stayed Surfaces. (See Steam Boilers.)

Strength of Laminated Steel Springs. $w=\frac{fnbt^2}{6l}$. Deflection, $d=\frac{ft^2}{Et}$.

where w-max. static load on one end of a semi-elliptic, or $\frac{1}{2}$ max. load on full elliptic spring; f=allowable stress in lbs. per sq. in. (varying according to homogeneity and temper)=90,000 for $\frac{1}{2}$ -in. plates, 80,000 for $\frac{1}{2}$ -in., and 75,000 for $\frac{1}{2}$ -in.; n=no. of plates; l=half span in ins.; E=30,000,000. (Reuleaux and Gaines.)

Combined Stresses.

Bending and Tension (Load parallel to axis at distance r).—Bending action $= wr = f_r S = f_t cS$; tensile action $= w = f_t a$. Combined max. tensile stress on edge nearest axis of $w=f_i'=w\left(\frac{r}{a}+\frac{r}{cS}\right)$. (See Modulus of Rupture.)

Strength of Crane Hooks. $w=abf_i+C$, where a= radius of inside of hook or sling, h= breadth of hook on hor, section through center of inside hook circle, b =thickness of section, w =load in lbs., f_t safe = 13,000 to 17,000 lbs.

Values of C:

h+a=1C=12.6C=15C=21.53.22 4.18 5.73 7.25 8.96 12.58 Rectangular section, Trapezoidal section, Elliptical 5.07 6.42 3.92 5.06 Elliptical 8.89

Distance from center of hook circle to shoulder on bolt end = 2h. of bolt end $d_1 = 1 \sqrt{\frac{w}{4.267}}$. In trapezoidal sections, the wide edge b should

be next to rope or chain; narrow edge $b_1 = b + (\frac{a}{a} + 1)$.

(Ing. Taschenbuch).

Towne gives the following proportions: Neck=d (taken as unit); turned shank=0.87d; sling diam.=1.65d; diam. of tip on hor. diam. of sling=0.7d; radial width of flattened wedge section on hor. sling diam.=1.4d; thickness of inner wedge edge=0.875d; do., outer edge=0.25d; width at mouth of sling=1.25d. Safe dead load in lbs.= $1,500d^2$, where d is in inches.

Reuleaux gives the following: $2a=1.95d_1=0.039\sqrt{w}=h=1.5b=2\times \text{diam}$ of hook tip on hor. line through c. of hook sling, $=1.33\times \text{width}$ at hook opening. These values agree fairly well with the Taschenbuch formulas

(Compare with formula $f_i = w(-\frac{r}{a} + \frac{r}{S})$) $(taking f_t = 13,000).$

Bending and Compression. Substitute f_0 for f_1 in formulas for bending and tension. Example: ship's davits. Columns and Struts. While these are cases involving bending and compression, their action is more complex. Where l < 12a they are calculated for direct crushing only; longer columns bend before breaking.

Gordon's Formulas.
$$f$$
 breaking $=\frac{a}{1+b\frac{l^2}{r^2}}$, both ends fixed or flat; $=\frac{a}{1+1.8b\left(\frac{l^2}{r^2}\right)}$, one end fixed, other hinged or round; $=\frac{a}{1+4b\left(\frac{l^2}{r^2}\right)}$ both ends hinged or round;

where I-length in ins., r-least radius of gyration, and a and b are as follows:

Cast Iron... 80,000
$$\frac{1}{6,400}$$
W. I. and very soft steel. $36,000-40,000$ $\frac{1}{36,000}$ to $\frac{1}{40,000}$
Medium Steel. $67,000$ $\frac{1}{22,400}$
Hard Steel. $114,000$ $\frac{1}{14,400}$
Dry Timber. $7,200$ $\frac{1}{3,000}$
Soft Steel. $\frac{1}{10,000}$ Am. Bridge Co. Practice. Medium Steel. $17,000$ $\frac{1}{11,000}$ Am. Bridge Co. Practice.

Then, w (lbs.) $-\frac{f$ (breaking) in lbs. per sq. in. \times area of section in sq. in. Factor of safety.

For W. I. and steel, factor of safety=4 for dead load, and 5 for moving load. For C. I. not less than 8.

Prof. Lanza states as the result of experiments that Gordon's formulas do not apply in the case of cast-iron columns, and he recommends 5,000 lbs. per sq. in. as the highest allowable safe loading, the length of column not to exceed 20 times its diameter and the metal to be of thickness sufficient to insure sound castings.

Eccentric Loading. When the resultant of the load does not pass through the c. of g. of the section, let r=distance between resultant and c. of g. of section; I its moment of inertia about an axis in its plane passing through the c. of g. and perpendicular to r; y= distance between said axis and fibre under greatest compression; w= total pressure on section.

Then f = -+-. Assume a section, compute f, and if it exceeds safe value (5,000 for C. I.) assume another section and compute f until a safe

value is found. Eccentric loading in buildings is due to the unequal distribution of loads on floors. If liable to occur only in rare cases, f may be taken at 8,000 lb. per sq. in. for C. I.

(City Safe Loads for Round and Square Cast Iron Columns.

Building Laws, 1897.) Safe load in tons of 2,000 lb.=

C (round or sq.)	New York.	Boston.	Chicago.
C (round or sq.) b (square) b (round)	=500 =400	1,067 800	800 600
		300	000

Resistance of Hollow Cylinders to Collapse. (See Furnace Flues under "Steam Boilers.")

Torsion and Bending. This combination of stresses exists to a greater or less extent in all shafting. Equivalent twisting moment=2×equivalent bending moment = $B_m + \sqrt{B_m^2 + T_m^2}$, where T_m = twisting moment = $faI_p + y.$

Torsion and Compression. (Propeller shaft.) $w = \frac{\pi^2 EI}{I^2} - \frac{Tm^2}{4EI}$

safety factor of 5 should be used.

Modulus of Rupture. The ultimate stress obtained from the momental formula in breaking a solid beam by bending will usually be found much greater than f_i breaking. Modulus of Rupture $f_r = cf_i$, where c generally = 2 for circular and square (one diagonal vertical) sections, 1.5 for square and rectangular sections, and unity for I and T sections. The values of c depend however on the material: Rectangular sections; Fir, 0.52 to 0.94; Oak, 0.7 to 1; Pitch-pine, 0.8 to 2.2; C. I., 2; W. I., 1.6; Forged steel, 1.47; Gun metal, 1. Circular sections: C. I., 2.35; W. I., 1.75; Forged steel, 1.6; Gun metal, 1.9. I sections: C. I., 1+(web thickness+flange width). width).

CARNEGIE ROLLED STRUCTURAL STEEL.

In the following tables, w = weight in lbs. per lineal foot, a = area of section in sq. in., h = depth of beam or channel in in., b = width of flange in in., t=thickness of web in in.

x, x₁, x₂=distance between c. of g. of section and (1) outside of channel web;
(2) outside of flange on T; (3) back of flange of equal leg angle.

I, r, S=Moment of inertia, radius of gyration and section modulus, where Neutral axis is perpendicular to web at center (Beams and chan-

nels).

" parallel to longer flange (Unequal leg angles).
" through c. of g. parallel to flange (Ts and equal leg angles).

" hrough c. of g. perpendicular to web (Zs).

P, r-Moment of inertia and radius of gyration, where

Neutral axis is coincident with center line of web (Beams).

parallel to center line of web (Channels).

shorter flange (Unequal leg angles).

through c. of g. coincident with stem (Ts).

-Least radius of gyration, neutral axis diagonal.

S'-Section modulus, where

Neutral axis is through c. of g. coincident with stem (Ts). web (Zs).

" " parallel to shorter flange (Unequal leg angles).

C = Coefficient of strength for fibre stress of 16,000 lbs. per sq. in. for beams, channels, and Zs, and 12,000 lbs. per sq. in. tor Ts.

C = WL = 8M = --, where f = 12,000 to 16,000 lbs.; M = moment of forces

in ft.-lbs., W = safe uniformly distributed load in lbs., L = span in feet. For concentrated load at middle of span use one-half the value of C in the tables. For quiescent loads f = 16,000 lbs. per sq. in.; for moving loads, 12,500 lbs., and, if impact is considerable, f = 8.000 lbs.

For columns or struts consisting of two latticed channels, r of column ection (neut. axis in center of section | to webs) = distance between c. of g.

of channel and center of column section (neglecting the Is of channels around their own axes,—a slight error on the safe side).

Carnegie Steel I Beams.
(Sizes with * prefixed are standard, others are special.)

h.	w.	a.	t.	b.	I.	ľ.	r.	·.	8.	c.
24 in.	100	29.41		7.25	2380.3	48.56	9	1.28	198.4	2115800
	95	27.94		7.19	2309.6	47.1	9.09	1.3	192.5	2052900
	90	26.47	.63	7.13	2239.1	45.7	9.2	1.31	186.6	1990300
*	85	25	.57	7.07	2168.6		9.31	1.33	180.7	1927600
•	80 100	23.32 29.41	.50 .88	7 28	2087.9 1655.8	42.80 59 85	9.46 7.5	1.30	174 165.6	1855900
20	95	27.54		7 21	1606.8	50 78	7.58	1 25	160.7	1766100 1713900
	90	26.47	.74	7.14	1557.8	48 98	7 67	1 36	155.8	1661600
	85	25	.66	7.06	1508.7	47.25	7.67 7.77	1.37	150 9	1609300
	80	23.73	.60	7	1466.5	45.81	7.86	1.39	146.7	1564300
	75	22.06	. 65	6.40	1268.9	30.25	7.58	1.17	126.9	1353500
	70	20.59	. 58	6.32	1219.9	29.04	7.7	1.19	122	1301200
*		19.08	. 50	6.25	1169.6	27.86	7.83		117	1247600
18	70	20.59	.72	6.26	921.3	24.62	6.69	1.09	102.4	1091900
	65	19.12	.64	6.18	881.5	23.47	6.79		97.9	1044800
_		17.65	.56	6.09	841.8	22.38	6.91	1.13	93.5	997700
15	55	15.93	.46	6 6.77	795.6	21.19	7.07	1.15	88.4	943000
15	100 95	29.41		6.68	900.5 872.9	00.90 49.27	5.53	1.31	$120.1 \\ 116.4$	1280700
	90	27.94 26.47	.99	6.58	845.4	45 Q1	5.59 5.65	1 22	112.7	1241500 1202300
	85	25	.89	6.48	817.8	43 57	5.72	1 32	109	1163000
	80	23.81	.81	6.4	795.5	41.76	5.78	1.32	106.1	1131300
	75	22.06	.88	6.29	691.2		5.60	1.18	92.2	983000
į	70	20.59	.78	6.19		29	5.68	$\overline{1.19}$	88.5	943800
	65	19.12	.69	6.1	636	27.42	5.77	1.2	84.8	904600
	60	17.67	.59	6	609	25.96	5.87	1.21	81.2	866100
	55	16.18	.66	5.75	511	17.06	5.62	1.02	68.1	726800
	50	14.71	.56	5.65	483.4	16.04	5.73		64.5	687500
_		13.24	.46	5.55	455.8	15.00	5.87		60.8	648200
12		12.48 16.18	.41	5.5	441.7 321	14.02 17.46	5.95	1.08	58.9	628300
12		10.18 14.71	.82 .70	5.61 5.49	303.3	16 19	4.45 4.54	1.04	53.5 50.6	570600 539200
'	45	13.24	.58	5.37	285.7		4.65	1 06	47.6	507900
*	40	11.84	.46	5.25	268.9	13.81	4.77	1.08	44.8	478100
		10.29	.44	5.09	228.3		4.71	.99	38	405800
*	31.5	9.26	.35	5	215.8	9.50	4.83		36	383700
10	40	11.76	.75	5.10	158.7	9.50	3.67	.90	31.7	338500
	35	10.29	.60	4.95	146.4		3.77	.91	29.3	312400
	30	8.82	.46	4.8	134.2	7.65	3.9	.93	26.8	286300
~	25	7.37		4.66			4.07	.97	24.4	260500
9	35	10.29	.73	4.77	111.8	7.31	3.29	.84	24.8	265000
	30 25	8.82 7.35	.57 .41 .29	4.61 4.45	101.9 91.9	6.42 5.65	3.4 3.54	.85 .88	22.6	241500 217900
*	21	6.31	20	4.33	84.9	5.16	3.67	.90	20.4	201300
8	25.5	7.50	54	4.27	68 4	4.75	3.02	80	18.9 17.1	182500
	23	6.76	45	4.18	68.4 64.5	4.39	3.09	.80 .81	1 16 1	172000
	20.5	6.03	.36	4.09	60.6	4.07	3.17	.82	15.1	161600
*	18	5.33	.54 .45 .36 .27	4	60.6 56.9 42.2 39.2	3.78	3.09 3.17 3.27	.82 .84 .74 .76	14.2	151700
7	20	1 5.88	.46	3.87	42.2	3.24	2.68 2.76	.74	12.1	128600
	17.5	5.15	.35	3.76	39.2	2.94	2.76	.76	11.2	119400
*	15	4.42	.46 .35 .25	3.66	36.2	2 .67	1 2.86	.78	15.1 14.2 12.1 11.2 10.4	110400
6	171	5.07 4.34	.48 .35	3.58	26.2	2.36	2.27 2.35	.68	8.7	93100
	144	4.34	.35	3.45	24	2.09	2.35	.69 .72	8 7.3	85300
*	121	3.61	. 23	3.33	21.8	1.85	2.4 6	.72	7.3	77500
5	144 124	4.34	.50	3.29	15.2	1.7	1.87	.63	6.1	64600
		3.60	.36	3.15	13.6 12.1	1.45 1.23	1.94 2.05	.63 .65	5.4	58100 51600
~	97	2.87	.21	3	14.1	1.45	4.UA	00	4.8	. UJUUU

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Carnegie T Shapes (Selected).

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									19410
			N S					81	20400
								84	16170
	3 12	1 32		1 78			72	60	14270
	2 73						62		12540
9.8							88	68	10990
			2.0				62	61	9680
9.0						1 08	72	64	8110
						44		51	6110
		83	1 2	6	83	44	35	51	4830
		74		5	74	44			4000
	1.44	69		42	68	33	30	48	3360
		66		32	67	25	22		2600
		59	36		8	18		42	2000
		54	23	19	51	12	114	37	1540
	75	42		14	49			34	1150
		44						31	860
		40	08						760
					29			1 .21	370
0.87	26	29	.02	.03	29	01		21	270
	15.7 12.3 14.8 13.9 10.6 9.3 9.8 8.6 9 6.2 5.9 5.6 4.2 3.7 3.2 2.6 2.1	15.7 4.56 12.3 3.54 14.8 4.29 13.9 4.02 10.6 3.12 9.3 2.73 9.8 2.88 8.6 2.49 9 2.67 6.2 1.8 5.9 1.71 5.6 1.62 5.1.44 4.2 1.2 3.7 1.08 3.2 9 2.6 .75 2.5 .54 2.1 .60 1.23 .36	15.7 4.56 1.56 12.3 3.54 1.51 14.8 4.29 1.37 13.9 4.02 1.18 10.6 3.12 1.32 9.3 2.73 1.29 9.8 2.88 1.11 8.6 2.49 1.09 9 2.67 6.2 1.8 .92 5.9 1.71 .83 5.6 1.62 .74 5 1.44 .69 4.2 1.2 .66 3.7 1.08 .59 3.2 .9 .54 2.6 .75 .42 2.6 .75 .42 2.1 .60 .40 1.23 .36 .32	15.7	15.7 4.56 1.56 10.7 3.10 12.3 3.54 1.51 8.5 2.43 14.8 4.29 1.37 8 2.55 13.9 4.02 1.18 5.7 2.02 10.6 3.12 1.32 4.8 1.78 9.3 2.73 1.29 4.3 1.57 9.8 2.88 1.11 3.3 1.37 8.6 2.49 1.09 2.9 1.21 9 2.67 .92 2.1 1.01 6.2 1.8 .92 1.6 .76 5.9 1.71 .83 1.2 .6 5.9 1.44 .69 .66 .42 4.2 1.2 .66 .51 .32 3.2 .9 .54 .23 .19 2.6 .75 .42 .15 .14 2.1 .60 .40 .08 .10 1.23	15.7 4.56 1.56 10.7 3.10 1.54 12.3 3.54 1.51 8.5 2.43 1.56 14.8 4.29 1.37 8 2.55 1.37 13.9 4.02 1.18 5.7 2.02 1.2 10.6 3.12 1.32 4.8 1.78 1.25 9.3 2.73 1.29 4.3 1.57 1.26 9.8 2.88 1.11 3.3 1.37 1.08 8.6 2.49 1.09 2.9 1.21 1.09 9 2.67 .92 2.1 1.01 .9 6.2 1.8 .92 1.6 .76 .94 5.9 1.71 .83 1.2 .6 .83 5.6 1.62 .74 .87 .5 .74 5 1.44 .69 .66 .42 .68 4.2 1.2 .66 .51 .32	15.7 4.56 1.56 10.7 3.10 1.54 2.8 12.3 3.54 1.51 8.5 2.43 1.56 2.1 14.8 4.29 1.37 8 2.55 1.37 2.8 13.9 4.02 1.18 5.7 2.02 1.2 2.8 10.6 3.12 1.32 4.8 1.78 1.25 1.09 9.3 2.73 1.29 4.3 1.57 1.26 .93 9.8 2.88 1.11 3.3 1.37 1.08 1.31 8.6 2.49 1.09 2.9 1.21 1.09 .93 9 2.67 .92 2.1 1.01 .9 1.08 6.2 1.8 .92 1.6 .76 .94 .44 5.9 1.71 .83 1.2 .6 .83 .44 5.6 1.62 .74 .87 .5 .74 .44	15.7 4.56 1.56 10.7 3.10 1.54 2.8 1.41 12.3 3.54 1.51 8.5 2.43 1.56 2.1 1.06 14.8 4.29 1.37 8 2.55 1.37 2.8 1.41 13.9 4.02 1.18 5.7 2.02 1.2 2.8 1.41 10.6 3.12 1.32 4.8 1.78 1.25 1.09 .72 9.3 2.73 1.29 4.3 1.57 1.26 .93 .62 9.8 2.88 1.11 3.3 1.37 1.08 1.31 .88 8.6 2.49 1.09 2.9 1.21 1.09 .93 .62 9 2.67 .92 2.1 1.01 .9 1.08 .72 6.2 1.8 .92 1.6 .76 .94 .44 .35 5.9 1.71 .83 1.2 .6 .83 <td>15.7 4.56 1.56 10.7 3.10 1.54 2.8 1.41 0.79 12.3 3.54 1.51 8.5 2.43 1.56 2.1 1.06 .78 14.8 4.29 1.37 8 2.55 1.37 2.8 1.41 .81 13.9 4.02 1.18 5.7 2.02 1.2 2.8 1.41 .81 10.6 3.12 1.32 4.8 1.78 1.25 1.09 .72 .60 9.3 2.73 1.29 4.3 1.57 1.26 .93 .62 .59 9.8 2.88 1.11 3.3 1.37 1.08 1.31 .88 .68 8.6 2.49 1.09 2.9 1.21 1.09 .93 .62 .61 9 2.67 .92 2.1 1.01 .9 1.08 .72 .64 6.2 1.8 .92 1.6 .76 .94<</td>	15.7 4.56 1.56 10.7 3.10 1.54 2.8 1.41 0.79 12.3 3.54 1.51 8.5 2.43 1.56 2.1 1.06 .78 14.8 4.29 1.37 8 2.55 1.37 2.8 1.41 .81 13.9 4.02 1.18 5.7 2.02 1.2 2.8 1.41 .81 10.6 3.12 1.32 4.8 1.78 1.25 1.09 .72 .60 9.3 2.73 1.29 4.3 1.57 1.26 .93 .62 .59 9.8 2.88 1.11 3.3 1.37 1.08 1.31 .88 .68 8.6 2.49 1.09 2.9 1.21 1.09 .93 .62 .61 9 2.67 .92 2.1 1.01 .9 1.08 .72 .64 6.2 1.8 .92 1.6 .76 .94<

Carnegie Steel Angles with Equal Legs. Max. and Min. Wts. Special Sizes marked *.

Size.	ı.	u.	.	x_2 .	I.	S.	r.	٠,٠٠٠
8×8	1}	56.9	16.73	2.41	97.97	17.53	2.42	1.55
8×8	ł	26.4	7.75	2.19	48.63	8.37	2.5	1.58
6×6	1_	37.4	11	1.86	35.46	8.57	1.8	1.16
6×6	1	14.9	4.36	1.64	15.39	3.53	1.88	1.19
*5×5	1	30.6	9	1.61	19.64	5.8	1.48	0.96
*5×5	i,	12.3	3.61	1.39	8.74	2.42	1.56	.99
4×4	H	19.9	5.84	1.29	8.14	3.01	1.18	.77
4×4	Ü	8.2	2.4	1.12	3.71	1.29	1.24	.79
31×31	11	17.1	5.03	1.17	5.25	2.25	1.02	.67
$3\frac{1}{2}\times3\frac{1}{2}$	Ť	7.2	2.09	.99	2.45	. 98	1.08	.69
3×3 3×3	1	11.5	3.36	.98	2.62	1.3	.88	.57
3×3	ł	4.9	1.44	.84	1.24	.58	.93	.59
21×21	}	8.5	2.5	.87	1.67	.89	.82	. 52
'2 1 ×2 1	1	4.5	1.31	.78	. 93	.48	.85	.55
$2\frac{1}{2} \times 2\frac{1}{2}$	i	7.7	2.25	.81	1.23	.73	.74	. 47
24×24	से	3.1	.9	. 69	.55	.30	.78	. 49
21×21	1	6.8	2	.74	.87	. 58	. 66	.43
21×21	- 1	2.8	.81	. 63	. 39	.24	.70	.44
2×2	**************************************	5.3	1.56	. 66	. 54 . 28	.40	.59	.39
2×2	1	2.5	.72	.57	.28	.19	. 62	.40
17×17	18	4.6	1.3	.59	. 35	.30	.51	.33
11×11	18	2.2	.62	.51	.18	.14	. 54	.35
11×11	}	3.4	.99	. 51	. 19	. 19	. 44	. 29
11×11	1	1.3	.36	.42	.08	. 07	.46	.30
11×11	10	2.4	.69	. 42	.09	.109	.36	.23
11×11	1	1.1	.3	.35	.044	.049	.38	.25
1×1	1	1.5	.44	.34	.037	.056	. 29	. 19
1×1	1	. 8	.24	.3	.022	.031	.31	. 20
*{ × {	ř	1.0	.29	.29	.019	.033	. 26	. 18
*1×1	1	.7	.21	.26	.014	.023	. 26	.19
	1	. 0	.25	.26	.012	.024	. 22	.16
1×1	1	. 6	.17	.23	.009	.017	. 23	.17

Carnegie Steel Angles with Unequal Legs.

Max. and Min. Wts. Special Sizes marked *.

Size.	t.	w.	a.	I.	<i>I'</i> .	S.	S'.	r.	۳٠.	7"
*8×31	11	20.5	6.02	4.92	39.96	1.79	7.99	0.9	2.58	0.74
*7×3½	1.	32.3	9.5	7.53	45.37	2.96	10.58	.89	2.19	.88
*7×3½	176	15	4.4	3.95	22.56	1.47	5.01	.95	2.26	.89
6×4	1,	30.6	9	10.75	30.75	3.79	8.02	1.09 1.17	1.85	.85
6×4	<u> </u>	12.3	3.61	4.9	13.47	$1.6 \\ 2.9$	3.32 7.83		1.93 1.85	.88 .74
$6\times3\frac{1}{2}$	1,	28.9 11.7	8.5	7.21	$29.24 \\ 12.86$	1.23	3.25	.92 .99	1.94	77
$6\times3\frac{1}{2}$		$11.7 \\ 24.2$	3.42 7.11	3.34 9.23	16.42	3.31	4.99	1.14	1.52	.84
*5×4 *5×4	1 \$	11	3.23	4.67	8.14	1.57	2.34	1.2	1.59	.86
5×3½	¥	22.7	6.67	6 21	15.67	2.52	4.88	.96	1.53	.75
$5\times3\frac{1}{2}$	3	8.7	2.56	6.21 2.72	6.6	1.02	1.94	1.03	1.61	.76
5×37	Aportortorto	19.9	5.84	3.71	13.98	1.74	4.45	.80	1.55	64
$5\overset{\circ}{\times}3$	13	8.2	2.4	1.75	6.26	.75	1.89	.85	1.61	66
$44\overset{\circ}{2}\overset{\circ}{\times}3$	13	18.5	5.43	3.6	10.33	1.71	3.62	.81	1.38	64
*4½×3	1 18	7.7	2.25	1.73	4.69	76	1.54	.88	1.44	66
*4×3½	#	18.5	5.43	5.49	7.77	2.30	2.92	1.01	1.19	72
$*4\times3\frac{1}{4}$	1 👯	7.7	2.25	2.59	3.56	1.01	1.26	1.07	1.26	73
$4 \times 3^{\bullet}$	##	17.1	5.03	3.47	7.34	1.68	2.87	. 83	1.21	.64
4×3	1 . 3	17.1 7.2	2.09	1.65	3.38	.74	1.23	.89	1.27	.65
$3\frac{1}{2}\times3$	11	15.8	4.62	3.33	4.98	1.65	2.20	. 85	1.04	1 .62
$3\frac{1}{2}\times3$	16	6.6	1.93	1.58	2.33	.72	.96	. 90	1.1	. 63
$\begin{array}{c} 3\frac{1}{2}\times2\frac{1}{2}\\ 3\frac{1}{2}\times2\frac{1}{2} \end{array}$	1 11	12.5	3.65	1.72	4.13	.99	1.85	. 67	1.06	.53
$3\frac{1}{2} \times 2\frac{1}{2}$	1	4.9	1.44	.78	1.80	.41	.75	.74	1.12	.54
*31×2	16	9	2.64	.75	2.64	.53	1.30	. 53	1	.44
*31×2	1 1	4.3	1.25	.4	1.36	.26	. 63	.57	1.04	. 45
$3 \times 2 \frac{1}{2}$	16	9.5	2.78	1.42	2.28	.82	1.15	.72	.91	.52
$3\times2\frac{1}{2}$	1 }	4.5	1.31	.74	1.17	.40	.56	. 75	.95	. 53
*3×2	}	7.7	2.25	.67	1.92	.47	1.00	. 55	.92	.43
*3×2	1 ‡	4.1	1.19	.39	1.09	.25	.54	.57	.95	. 43
$2\frac{1}{2}\times 2$	2	6.8	2	.64	1.14	.46	.70	.56	.75	.42
$2\frac{1}{2}\times2$ * $2\frac{1}{2}\times1\frac{1}{2}$	1,4	2.8	.81	.29	.51	.20	.29	.60	.79	.43
724 X 13	3	5.6	1.63	.26	.75	.26	.54 .23	.40 .43	72	.39 .40
*21×11	1 12	2.3	.67	.12	.34	112	23	.39	63	.30
*2×1	1 3	2.7 2.1	60	.12	24	.09	18	.39	63	31
*2×1	1 10	1.9	.53	.04	.09	.05	.09	.27	41	
1 ×1 *1* ×1		1.8	28	.02	.05	.03	.06	29	44	22
-12 V 1	ष	1 *	.20	1 .02	.00	1 .00	1 .00	3	1	

Carnegie Steel Z Bars.

(Dimensions: thickness × width of flange × depth of web.)

Dimensions.	w.		1.	I'.	S.	S'.	r.	٠٠.	r"	C.
* 3	21 22.7 25.4 28 29.3 31.9 34.6 11.6	5.39 6.19 6.68 7 46 8.25 8.63 9.4 10.17 3.4 4.1	25.32 29.8 34.36 34.64 28.86 43.18 42.12 46.13 50.22 13.36 16.18	10.95 12.87 12.59 14.42 16.34 17.27 19.18 6.18 7.65	9.83 11.22 11.52 12.82 14.1 14.04 15.22 16.4 5.34	3.27 3.81 3.91 4.43 4.98 4.94 5.47 6.02 2	2.36 2.28 2.29 2.21 2.22 2.22 1.98 1.99	1.43 1.44 1.37 1.39 1.41 1.36 1.37 1.35	.84 .81 .82 .84 .81 .82 .83 .75	104800 119700 123200 136700 150400 149800 162300 174900 57000 68200

Carnegie	Steel	\mathbf{Z}	Bars.—Continued.
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Dimensions	22.	α.	1	<i>I</i> '.	8.	8'.	7.	***	111	С.
4×34×5	17.9	5 25	19.19	9.05	7.68	3.02	1.91	1,31	7.4	81900
$\Lambda imes 3 \Lambda imes 5 \Lambda$	20.2			10.51	8.62	3.47	1.91	1.33	.75	
4 × 34 × 54	22.6	6.64	24.53	12.06	9.57	3.94	1.92	1.35	.76	102100
$1 \times 31 \times 5$	23.7	6.96	23.68	11.37	9.47	3 91	1.84	1.28	.73	101000
1×3/4×5/4	26			12.83		4.37	1.85	1.30	.75	110300
X 34 X 54	28 3	8.33	28.70	14,36	11.2	4.84	1,86	1.31	76	119500
$4 \times 3 \% \times 4$	8.2	2.41	6, 28	4,23	3.14	1.44	1,62	1.33	. 67	33500
% X3€ X4%		3.03	7.94	5.40	3.91	1.84	1.62	1.34	.68	41700
4 × 3 % × 44	12.4	3.66	9.63	6.77	4 67	2 26	1.62	1.36	. 69	49800
7. X 3 A. X 4	13.8	4.05	9.66	6.73	4.83	2.37	1.55	1,29	. 66	51500
4 × 34 × 4 %	15.8		11.18	7.96		2.77	1.55	1.31	. 67	
$4 \times 34 \times 44$	17.9	5,27	12.74		6.18	3 19	1.55	1.33	. 69	65900
1 × 3 % × 4	18.9		12.11		6.05	3.18	1.48	1.25	. 66	64500
$4 \times 34 \times 4 \%$	20.9	6,14	13.52	9.95	6,65	3.58	1.48	1.27	. 67	7000
4×34×44	2.3	6.75	14.97	11.24	7 26	4	1.40	1,29	. 69	7740
$4 \times 241 \times 3$	0.7	1.97	2.87	2.81	1.92	1.1	1,21	1.19	.55	20500
4 imes 24 imes 34	8.4	2.48			2.38	1 4	1,21	1,21	.56	
$4 \times 244 \times 3$	9.7	2.86	3.85	3.92	2.57	1.57	1,16	1.17	. 55	
4 imes 24 imes 3 imes	11.4	3.36	4.57	4.75	2.98	1.88	1.17			
$4 \times 2 M \times 3$	[12.5]	3,69			3.06	1 99	1.12	1.15	. 55	3260
N × 21 × 34	14.2	4.18	5.26	5.70	3,43	2.31	1,12	1.17		

REINFORCED CONCRETE CONSTRUCTION.

A reinforced concrete construction is one where concrete and steel are used jointly, being proportioned to carry the strains of compression and tension respectively. Such constructions have all the advantages of a purely masonry construction along with the elasticity of one of steel. They are permanent, proof against fire, rust, rot, acid, and gas and do not require attention, repair, or painting. Moreover, the strength of concrete increases with age, and a safety factor of 4 at the time of completion of structure may easily amount to 6 or 7 after the lapse of a year or so.

Advantages. Crushed stone, sand, and cement are procurable on short notice, while structural steel is often subject to long delays in delivery. Concrete may be molded into any desired form, and masonry simulated. Deflection under safe load is practically nil. It being essential that a beam fail by the parting of the steel, after its elastic limit has been exceeded the stretch is such that a reinforced concrete beam should deflect several feet before failure.

Design. The concrete should be reinforced in both vertical and horizontal planes, the vertical reinforcement being inclined at an angle of 45° to the horizontal and approximating thereby the line of principal tensile stress. The shear members should be rigidly connected to the horizontal reinforcing steel. Steel should be distributed proportionally to the stress existing at any point.

The concrete should be composed of the best grade of Portland cement, share, clean sand and broken stone or gravel (to pass a 1-in. ring) in the proportions 1:2.5:5 for floor slabs and 1:2.4 for beams. Steel bars should be at least 0.75 in. from bottom of beam. The concrete should be thoroughly rammed into place and the centering left in position for at least 18 days, and, if freezing has occurred, for such additional time as may be required for every indication of frost to vanish and for the concrete to become thoroughly set.

Formulas for Strength of Reinforced Concrete Beams and Columns. Let A = area of concrete in sq. in.; a = area of steel in sq. in.; b = width of beam in in.; c = distance from neutral axis to center of steel section in in.; d = distance from center of steel section to top of beam in in; e = distance from neutral axis to top of beam in in.; $f_{18} = \text{tensile}$ strength of steel in lbs. per sq. in.; $f_{1c} = \text{tensile}$ strength of concrete; $f_{cc} = \text{compressive}$ strength of concrete; h = depth of beam over all, in in.; d' = distance

distance from center of steel section to top of floor slab in in.; b' =width of floor slab in in.; t=thickness of floor slab in in. Then, distance from $\frac{15a+bd^2}{a}$ Rending neutral axis to center of reinforcing steel section, $c = \frac{10a - a}{30a + 2bd}$ Bending

Moment, $B_m = \left(\frac{5e}{8} + c\right) a f_{ts} + \frac{f_{tc}bc^2}{3}$ (If tensile strength of concrete is disregarded, omit $f_{ts}bc^2 + 3$. For safe loading take $\frac{1}{4}$ to $\frac{1}{4}$ of above values. $f_{ts} = 64,000$ lbs. per sq. in.; $f_{tc} = 200$ lbs. per sq. in. in formula.) Safe load on columns (where length < 15 × least diam.) in lbs. = 350(A + 15a). (The above abstracted from catalogue of the Trusted Concrete Steel Co., Detroit, and applies ble to system of construction devised by their engine of Indian and applicable to system of construction devised by their engineer, Julius A. Kahn). B_m in inch-lbs. = 0.333 $f_{cc}be^2 + acf_{ts}$. To determine position of neutral

axis: $\frac{a}{bh} = y = \text{percentage of metal to total sectional area of beam}$; $\frac{e}{h} = x = x$ the part of beam in compression. Then, assuming the steel to be located

at $\{$ depth of beam (from top), $x=20y\left(\sqrt{1+\frac{1}{1+\cdots}}-1\right)$.

In calculating beams with floor slabs united thereto, the beam and slab are considered as a T section. If the neutral axis falls in the slab the B_m formula above holds good. If, however, the neutral axis falls in the beam below the slab,

 $B_m = \frac{f_{cc}}{e_{c}} [e^2b'(3d'-e) - (e-t)^2(b'-b)(3d'-e-2t)].$

When $f_{cc} = 500$ lbs. and $f_{ts} = 16,000$ lbs. (Safe working stresses, Phila. Bureau of Bldg. Inspection). e = d' + 2.6. $a(\text{for T section}) = B_m + 1$ $16,000 \left(d' - \frac{t}{2} \right)$ approx.

Shear:—Beams without vertical reinforcement fail by cracking. unit shear at the plane of reinforcement, $q_i = \frac{Kmca}{Ib}$ where K =the vertical shear at the section under consideration, I = moment of inertia of section,

shear at the section under consideration, I = moment of inertia of section, and $m = \frac{E(\text{steel})}{E(\text{concrete})} = \frac{28,000,000}{1,400,000} = 20$. For a T section, $q = K + b\left(d' - \frac{e}{3}\right)$. Columns:—Vertical rods are placed near the corners of columns and bound together by lacings of wire or metal straps. In order to have joint action of the steel and concrete their deformations must be equal. Then $f_{cs} + E$ (concrete) = $f_{ts} + E$ (steel), or, $f_{ts} = f_{cc}E$ (steel) $\div E$ (concrete). If $f_{cc} = 500$ lbs. (safe stress), $f_{ts} = 10,000$ lbs., which is lower than the safe unit stress on steel, but the proper value to employ when $f_{cc} = 500$ lbs. For square columns longer than ten diameters, f_{cc} should be reduced by the following formula: $F_{\infty} = f_{\infty} + \left(1 + 0.0005 \frac{1}{h^2}\right)$, where $F_{\infty} = \text{allowable unit}$

stress, f_{cc} = unit stress allowed in short columns, b = side of column in in., and l = length of column in in. (E.G. Perrot, E. R., 5-28-04).

Edwin Thacher, C.E. (E. N., 2-12-03) takes E (steel) at 30,000,000 and E (concrete) for a 1 : 2 : 4 mixture, at 1,460,000 (30 days) and 2,580,000 (at end of six months); f_{ls} as the ultimate strength of steel + 10%; f_{cc} at 2,400 (30 days) and 3,700 (six months). In designing he gives the concrete a certain factor of safety at the end of one month and the steel the same factor of safety as the concrete at the end of six months (4 for static loads,—6 to 8 for moving loads). Ultimate strength of steel taken at 60,000 lbs., whence, f_{ls} = 66,000 lbs. per sq. in. He deduces the following formulas: $a - \frac{bd}{128}$ (30 days); $a = \frac{bd}{90}$ (6 mos).

Ultimate B_m in ft.-lbs. for beam 1 in wide 30 days. 6 mos. $= 36.8d^2$ and $53.07d^2$. Weight in lbs. at center producing first crack = $\frac{147.2d^2}{L}$ $=\frac{3,533d^2}{L^2}$ " $\frac{5,095d^2}{L^2}$. Uniformly distributed load per sq. ft.

where L = length of span in feet.

The following formulas are those of A. L. Johnson, C.E., of the St. Louis Expanded Metal Fireproofing Co., and are used m connection with the Johnson corrugated bars

Modulus of elasticity of steel in lbs. per sq. in., $E_s=29,000,000$; elastic limit of steel, F=50,000 lbs. per sq. in.

For average rock concrete (1 · 3 · 6, $E_{cc}=$ modulus of concrete in compression = 3,000,000, $f_{cc}=2,000$, $f_{tc}=200$), e=0.331h; ab+s=0.00646bh; ultimate B_m in inch-lbs. = 301.3 bh^2 .

For special rock concrete (trap rock and certain western limestones, 1 2 5, $E_{cc} = 2,400,000$; $f_{cc} = 2,400$; $f_{tc} = 200$), e = 0.418h; ab + s = 0.011bh (or 1.1% of reinforcement); ult. $B_m = 459bh^2$.

For einder concrete (1 2 5, $E_{cc} = 750,000$, $f_{cc} = 750$, $f_{tc} = 80$), e = 0.483h ab + s = 0.004bh; ult. $B_m = 161.2bh^2$ In the above distance from top of beam to certain of steel 0.01

ab+s=0.004bh: ult. $B_m=161.2bh^2$ In the above, distance from top of beam to center of steel -0.9h, a= area of steel section of one bar, and s= spacing of bars in inches.

Shear—Let $M_1=$ moment of resistance in inch-lbs, at one foot from end of beam carrying ultimate load; $B_m=$ ultimate moment at center; $\lambda=$ elongation per inch of steel at section one ft. from end; S= ultimate shearing strength in the concrete $(=\frac{1}{2})$ of ult. compressive strength). Then, $M_1=(4L-4)B_m+L^2$; $\lambda=M_1+\left(\frac{E_{cc}be^3}{3c}+\frac{E_{cc}bc^2}{3}+\frac{E_{cc}bc}{S}\right)$. $be^2=bc^2+\frac{2E_{cc}bc}{E_{cc}S}$: e=d-c. $P_2=$ total stress in metal in width b, in lbs. $=E_{cc}\lambda ab+S$, which gives

d-c: P_s =total stress in metal in width b, in lbs.= $E_s \lambda ab + S$, which gives the pull in the bars to be absorbed by b e shearing stress in the concrete over an area=12b. For safety P_s should not exceed b When the beam is loaded at two points some distance apart (or when uniformly loaded and the shear exceeds above limits) bars of different lengths should be used, the ends being bent up at 45°, beginning at a distance of \(\frac{1}{4}\) to \(\frac{1}{3}L\) from ends of beam.

Summary of Beam Tests. From about 200 reported tests, T. L. Condron (W. Soc. of Engs., 3-15-03) deduces the following formula Ult. B_m (in inch-lbs.) = $(nP + 55)bd^2$, where n = 450 for highly elastic steel bars positively bonded to the concrete (=275 for plain bars of ordinary structural steel); $P = \text{percentage of reinforcement} = (100 \times \text{bar section}) + bd$; b and d in in.

For ordinary concrete $(1 \ 3 \ 6)$ P may vary from 0.5 to 1.25, economy lying between 0.7 and 0.9 For extra strong concrete (1 2 4) P may be increased to 1.25.

Adhesion. (From Mass. Inst. of Technology Tests.)

```
Adhesion in lbs. per sq. in. of metal section per linear
Type of Bar.
                                                 nch of imbedment.
                          Average, 3000(±33%

2050(±15%

2550(±12%

2275(±16.5%

5550(±31.6%

3500(±28.6%
                                                          for max. or min. respectively)
Ransome.
                 } in.
                  ! ''
                                                          66
                                                                . .
                                                                      4 6
Thacher,
                                                          4 6
                                                                      6 6
                                                                         . .
                                                                          4 4
Johnson,
                                                          4 4
                                                                4 4
Plain round, 1 "
square, 1 "
                              4 4
                                       1375.
                              ..
                                       1170.
                                                (Also for all rectangular sections of
                                                    same area.)
```

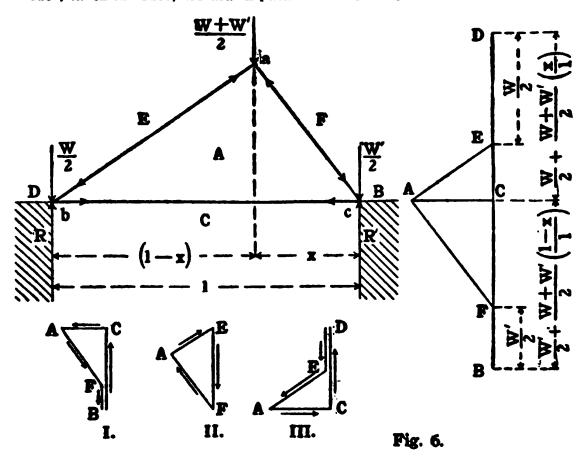
Types of Bars. Johnson square section with corrugations on sides which are at right angles to the length. Ransome: originally square section twisted about 20°. Thacher circular section deformed to elliptical sections at close longitudinal intervals; section practically uniform throughout length. Kahn smooth bars, the boundary line of whose cross-section is the same as that of a rectangular bar (12b wide × b thick) upon which is centrally superimposed a square (side =4b), whose diagonal coincides with center line of bar. (Corners of square are rounded.) These bars are placed flat in beams, the thin webs on each side of the middle rib being sheared at regular intervals and bent upwards at about 45° inclination, thus forming substantially the tension members of a Pratt truss and providing vertical reinforcement. The webs are only partially sheared from bar, one end being left uncut from rib by a length sufficient to provide a rigid attachment.

In other systems than the Kahn vertical reinforcement is obtained by bending individual rods upward at proper intervals. In the Cummings system rectangular links of varying widths and lengths made from plain rods are used, the ends of links being inclined upward to provide for the vertical reinforcement.

Stress Diagrams in Framed Structures. If three oblique forces maintain a body in a state of rest, their directions meet at one point and their proportional values may be shown by the respective sides of a triangle drawn parallel to the forces.

If a body remains at rest under the action of a number of forces in the same plane, their relative magnitude may be shown by a polygon whose

sides, taken in order, are drawn parallel to the forces.



General Case. Simple Roof Truss (Fig. 6).

 $\frac{1}{2}$ weight of ab(W) will be supported at each point, a and b.

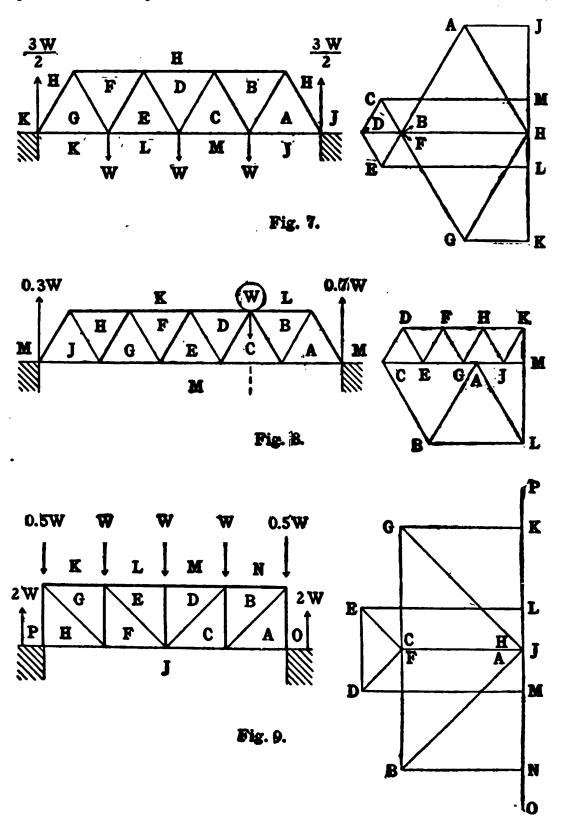
The weight, then, at $a = \frac{W + W'}{2}$.

The reaction at R which balances $a = \frac{W + W'}{2} \cdot \frac{x}{l}$.

 $a = \frac{W + W'}{2} \cdot \frac{l - x}{l}$

Total reaction at $R = \frac{W}{2} + \frac{W+W'}{2} \cdot \frac{x}{l}$.

The forces being thus stated, letter each cell or enclosed space (in this case but one, i.e., the triangle A), and also each section of the external space as divided by the lines of the forces and the members of the truss,



as B, C, D, E, and F. Draw the force diagram for each set of radiating forces. Consider the four forces at the point c, each defined by the spacial letters thus: FB, BC, CA, AF (using one direction of rotation through-

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Fig. 7 shows the stresses in a symmetrically loaded Warren trust, i.e., by the weight of its members. Fig. 8 shows the same truss under any concentrated load W, which may be taken for a rolling load by determining the stresses caused at each joint by imposing this load, and designing each member for the maximum stress it may have to withstand Note from BC, CD (Fig. 8), as compared with same members in Fig. 7, that the members are subject to either tensile or compressive stress and should be calculated for the greatest stress of each kind.

In the rafters of the roof-truss (Fig. 10) the load on each rafter = W, and, having three supports, is divided (as per table for Continuous Beams, ante) as follows: $\frac{3W}{16}$ at each end support and $\frac{10W}{16}$ on the middle support. The total horizontal wind pressure, $P_{f} = 40$ to 60 lbs. per sq. ft. \times width of bay between two rafters $\times k$ (see diagram)] is resolved into two components,—one parallel, and one normal to the rafter. The latter, $P_{f} = \frac{i\pi}{ac}$

and is distributed at a, d, and c as $\frac{3P_n}{10}$, $\frac{5P_n}{8}$, and $\frac{3P_n}{16}$, respectively.

If a be fixed and b loose, expansion is provided for, and the reaction R' is vertical. R, R', and Pn mutually balance and meet in the point x (found by producing Pn to intersect R'). By connecting R and x the direction of R is given and values of R and R' are obtained from the auxiliary force diagram. If the wind blows from the right, Pn acts on bc, and x will be above instead of below b. Each member should be designed to resist the maximum stresses in it caused by the weight of roof, rafters, snow, and also the wind pressure, from whichever side a maximum stress in the particular member is caused.

snow, and also the wind pressure, from whichever side a maximum stress in the particular member is caused.

Framed Structures of Three Dimensions must be solved by considering each plane of action separately. For example, in a shear legs substitute for the two rigidly attached legs a single one in a plane with the third or jointed leg, determine the respective stresses, and then resolve the stress in the substituted leg into the stresses for the two legs it replaces.

ENERGY AND THE TRANSMISSION OF POWER.

Force and Mass. The unit of force in engineering is one pound avoir. dupois. Mass, or the quantity of matter contained in a body, $=\frac{1g}{a}$.

$$g = 32.16954(1 - 0.00284 \cos 2l) \left(1 - \frac{2h}{r}\right)$$
, where

 $r = 20,887,510(1+0.00164 \cos 2l)$, in which l = latitude in degrees,

h = height above sea-level in feet, and r = radius of the earth in feet. In calculations g is ordinarily taken as 32.16 in the U.S. Velocity, or the rate of motion, is estimated in feet per second. If uniform, $s = \frac{1}{t}$. If uniformly varying from v_1 at beginning, to v_2 at the end of the time $t, s = \frac{v_1 + v_2}{2}t$. (1).

Acceleration (f) is the increase of velocity during each second, and, if uniform, is produced by any constant force, the force being measured by the increase of momentum it produces. Momentum, or the quantity of motion in a body=mass × velocity=mv, and force producing acceleration = wf+g. $f=\frac{v_2-v_1}{t}$ (2). Combining (1) and (2), $s=v_1t+\frac{ft^2}{2}$ (3). If $v_1=0$

(starting from a position of rest), $s = \frac{ft^2}{2}$ (4) and $f = \frac{v_2}{t}$ (5). Substituting

(5) in (4), $v_2^2 = 2/s$ (6). For retarded motion (3) would read: $s = v_1 t - \frac{ft^2}{2}$.

Impact of Inelastic Bodies. Two inelastic bodies after collision will move as one mass with a common velocity, and the momentum of their combined mass is equal to the sum of the momenta before impact.

 $(m_1+m_2)v(\text{final}) = m_1v_1+m_2v_2$. $v = \frac{m_1v_1 \pm m_2v_2}{m_1+m_2}$ accordingly as the bodies move in the same or in opposite directions before collision.

The Pendulum. A simple pendulum is a material point acted upon by the force of gravity and suspended from a fixed point by a line having no weight. A compound pendulum is a body of sensible magnitude suspended from a fixed point by a line or rod whose weight must be considered. The center of oscillation is a point at which, if all the weight of a compound pendulum be considered to be there concentrated, the oscillations will have the same periodicity as a simple pendulum. The distance of the center of oscillation from the point of suspension = (radius of gyration)²+ distance of center of gravity from point of suspension (a). An ordinary pendulum oscillates in equal times (isochronism) when the angle of oscillation does not exceed 5°. lation does not exceed 5°.

Let l=distance in in. between point of suspension and center of oscilla-

tion of a simple pendulum, t = time in seconds for n oscillations, and n = number of single oscillations (one side to the other) in time t. Then, for a simple pendulum, $l = \frac{12gt^2}{\pi^2n^2} = \frac{39.1t^2}{n^2}$.

For a compound pendulum (rod of radius r): $l = \frac{4a}{2} + \frac{r^2}{4a}$;

(ball of radius r): $l=a+\frac{2r^2}{5a}$. 66

" ball of weight W (dist. a) and ball of W_1 (dist. a_1), both on same side of point of suspension; $l = \frac{a^2W + a_1^{2M}}{V + a_1}W$.

Balls W(a) and $W_1(a_1)$, point of suspension between: dist. of c. of g. of system, $x = \frac{aW - a_1W_1}{W + W_1}$, and $l = \frac{a^2W + a_1^2W_1}{(W + W_1)}$.

In the last two cases W is the larger weight, and the weight of connecting line or rod is neglected. The length of a simple pendulum which oscillates seconds at New York is 39.1017 in.

Energy, or the capacity for performing work, is of two forms: Potential Energy, which is stored or latent, and Kinetic Energy, or the energy of motion. In any system, kinetic energy+potential energy=a constant. In any machine the energy put in = the useful work given out + the work lost by resistances. (Stored energy not considered.) Either kind of

energy may be transformed into the other kind.

Estimate of Energies. The Potential Energy of a weight w, at height H=wH ft.-lbs. If allowed to fall, the velocity on reaching the

ground, $v = \sqrt{2}fs$, from (6). But f = g, and s = H. $\therefore v = \sqrt{2g}H$ and $H = \frac{v^2}{2g}$.

Substituting (in wH), Energy (now Kinetic) in ft.-lbs. = $\frac{wv^2}{2a}$, which is applicable to all cases of moving bodies, it being strictly proper to assume

that the velocity is caused by gravity.

When a body rotates around an axis (e.g., rim of fly-wheel, of weight, w), v (linear) = $2\pi Rn$, $\left(n = \frac{N}{60}\right)$ and the Energy of Rotation in ft.-lbs. = $\frac{wv^2}{2g}$ = $\frac{w(2\pi RN)^2}{2g(60)^2} = 0.0001704wR^2N^2.$

The Energy of a Compressed Spring = $\frac{wL}{m}$ ft.-lbs.; the Energy of a

Compressed Gas=mean effective total pressure × stroke.

The Energy of One Heat Unit (1 B.T.U.=1 lb. water raised 1° F. when near 39°)=778 ft.-lbs.

Energy of Power Hammers. Energy of falling hammer = —. Energy received by the hot iron—mean total pressure in lbs. p, \times depth of impression H, in feet, and $pH = \frac{wv^2}{2g}$. $\therefore p = \frac{wv^2}{2gH}$. The greatest total pressure = 2p.

Energy of Recoil. Let w_1 and w_2 = weights of gun (with carriage) and projectile; v_1 and v_2 =velocity of recoil and projectile velocity at muzzle. Then, $w_1v_1 = w_2v_2$ and $v_1 = \frac{2v_2}{w_1}$ The energy of a body in motion = $\frac{wv^2}{2g}$, hence the energy of recoil = $w_1\left(\frac{w_2v_2}{w_1}\right)^2 + 2g$, and the energy of the

 $projectile = w_2v_2^2 + 2q.$ Power is the rate at which work is performed, the unit being one horse-

power, or 33,000 foot-pounds exerted during one minute.

Elements of Machines. A machine is an assemblage of parts whose relative motions are fully constrained, and its purpose is the transmission or the modification of power. Let P be the point where the power is applied and W the point where it is removed or utilized. Then, work put in at P=work taken out at W (neglecting resistances). As work=

force \times distance, $Ps = Ws_1$, or -P = -R, where s and s_1 are the distances traveled by P and W. Further,

velocity of P force W = Mechanical Advantage, W.

By the principle of moments, $Pr = Wr_1$ and the The Lever. Mechanical Advantage $= P = \frac{1}{r_1}$, r and r_1 being the respective radii of

P and W from the fulcrum (for straight lever and parallel forces). Lever Safety-Valve. Let w, w_1 , and W be the weights of lever, valve, and ball, respectively in lbs., r, r_1 , and R the distances from center of gravity of lever, valve center, and ball center to fulcrum, in in., d the valve diam., in in., and p the steam pressure per sq. in. of valve. Then,

$$W - \frac{(0.7854pd^2 - w_1)r_1 - wr}{R}.$$

If the lever is bent or the forces are not parallel, the arms r_1 and R are then equal to the length of the perpendicular drawn from fulcrum to the line of direction of each force.

Wheel and Axle. Mechanical Advantage $=\frac{r}{R} = \frac{\text{wheel radius}}{\text{axle radius}}$

Train of Gearing. P is applied at radius of first wheel, transmitted by its toothed axle to circumference of second wheel which is toothed, by second axle circumference to third wheel circumference, etc.

Mechanical Advantage, $\frac{W}{P} = \frac{r_1}{R_1} \times \frac{r_2}{R_2} \times \frac{r_3}{R_3}$, etc.

Block and Tackle. The pull P on the rope through the distance s will raise the weight W through the distance

$$s_1 = \frac{s}{\text{No. of plies of rope shortened by the pull}}$$

Mechanical Advantage = $\frac{W}{P} = \frac{\text{No. of plies shortened}}{1}$. In any movable pulley, $\frac{W}{P} = \frac{2}{1}$, W rising only one-half the height that P does.

Differential Pulley. Two pulleys whose diameters are d and d_1 rotate as one piece about a fixed axis. An endless chain passes around both pulleys and one of the depending loops of the chain passes around and supports a running block from which W is hung. P is applied on the chain running directly to pulley of larger diam., d.

Mechanical Advantage =
$$\frac{W}{P} = \frac{P's \text{ dist.}}{W's \text{ dist.}} = \frac{\pi d}{\pi d - \pi d_1} = \frac{2d}{d - d_1}$$
.

Inclined Plane and Wedge. While P moves through base b, W is raised through the height h, and Mech. Adv. $= \frac{1}{P} = \frac{1}{h}$. A cam is a revolving inclined plane.

The Screw is an inclined plane wrapped around a cylinder so that the

The Screw is an inclined plane wrapped around a cylinder so that the height of the plane is parallel to the axis of cylinder. It is operated by a force applied at the end of a lever-arm (of length r) perpendicular to axis. Let p''=pitch of screw=height of inclined plane for one revolution of screw. Then, Mech. Adv. $=\frac{W}{P} = \frac{P's \text{ dist.}}{W's \text{ dist.}} = \frac{2\pi r}{p''}$.

Connecting-Rods are subject to alternate tension and compression and the diam. d_1 at mid-length is calculated by means of Gordon's formula for columns (both ends hinged) where $r^2 = d_1^2 + 16$, using a safety factor of 10 and values of a and b for steel. The diam. at small end (d) is designed to resist compression only, that at large end (d_2) being obtained by continuing the taper from small diam. to diam. at mid-length and thence to the large end, and is equal to $2d_1 - d$. Kent gives as the average of a large number of formulas considered by him: $d_1 = 0.021 \times \text{diam.}$ of cylinder $\times \sqrt{p}$ (steam). Barr gives as the average of twelve Am, builders: cylinder $\times \sqrt{p}$ (steam). Barr gives as the average of twelve Am. builders: $d_1 = 0.092 \text{ cyl. diam.} \times \text{stroke (for low-speed engines)}$, and thickness, t (for rectangular sections, high-speed engines) = $0.057\sqrt{\text{diam. cyl.}} \times \text{stroke}$ breadth = 2.7t. All dimensions in inches.

Connecting-Rod Ends. Strap-end: width = 0.8m, thickness = 0.22m (increased to 0.33m at mid-length and also at ends when slotted for gibs and cotter); depth of butt-end of rod = $1.1d + \frac{1}{16}$ in. d = diam. of crank-pin, m = d + 0.2 in.

Crank-Arms (Wrought Iron). Hub diam. = 1.8d; hub length = 0.9d; diam. of crank-pin eye = $2d_1$; length of eye = 1.4 d_1 ; width of web = 0.75× diam. of adjacent hub or eye; thickness of web = 0.6×length of adjacent hub or eye (d=least diam. of shaft; d_1 =diam. of crank-pin).

Valve-Stems. Diam.,
$$d_8 = \sqrt{\frac{\text{total pressure on }}{12,000}} \frac{\text{valve area}}{\text{area}}$$
.

Eccentrics. Sheave diam. = $(2.4 \times \text{throw}) + (1.2 \times \text{shaft diam.})$; breadth = $d_3 + 0.6$ in.; thickness of strap = $0.4d_3 + 0.6$ in. ($d_3 = \text{diam.}$ of valve-stem.)

SHAFTING.

For strength against permanent deformation, $d=3.33\sqrt[4]{\frac{\text{H.P.}}{N}}$. For stiffness to resist torsion (max. allowable twist < 0.075° per foot in length), $d=4.7\sqrt[4]{\frac{\text{H.P.}}{N}}$. These values are for W.I.; for steel shafts d has but 84% of the values given by formulas. In designing take the larger of the two values of d obtained from the formulas.

Average Practice. $d = \sqrt[6]{\frac{c.H.P.}{N}}$, where c (for cold-rolled shafting) for shafts carrying pulleys =75; for line shafting, hangers 8 ft. apart, =55; for transmission only, =35. For turned iron shafting under similar conditions multiply value of c by 1.75.

Length between bearings to limit deflection to 0.01 in. per foot of shaft-

Length between bearings to limit deflection to 0.01 in. per foot of shafting: for bare shafts, L (in feet) = $\sqrt[3]{720d^2}$; for shafts carrying pulleys, $L = \sqrt[3]{140d^2}$.

Fly-wheel Shafts. For shafts carrying fly-wheels, armatures or other heavy rotating masses, find the equivalent twisting moment of the combined torsion and bending in inch-los. and apply same in the two formulas at the beginning of this topic, remembering that

Twisting moment =
$$\frac{33,000.12}{2\pi} \cdot \frac{\text{H.P.}}{N} = 63,025 \cdot \frac{1}{N}$$
. (See p. 31.)

Average Engine Practice. Crank-shaft diam., d=6.8 to $7.3 \times \sqrt[3]{\frac{\text{H.P.}}{N}}$ for low and high speed respectively (Barr). Also, d=0.42 to $0.5 \times \text{piston}$ diam. (Stanwood). N for machine-shops=120 to 180; for wood-working shops, 250 to 300; for cotton and woolen mills, 300 to 400.

JOURNALS.

The allowable pressure p in lbs. per sq. in. on the projected area $(l \times d)$ of journals is as follows: For very slow-speed journals, p=3.000; for cross-head journals, p=1.200 to 1.600; for crank-pin journals, low speed, p=800 to 900; ditto, Am. practice, 1.000 to 1.200; for marine engine crank-pin journals, 400 to 500; railway journals, 300; crank-pin journals for small engines, 150 to 200; main bearings of engine, 150; marine slide-blocks, 100; cross-head surfaces, 35 to 40 lbs per sq. in.; propeller thrust-bearings, 50 to 70; main shafting in cast-iron boxes, 15.

Overhung Journals. On end of shaft. Constant pressure. When

N<150, $d=0.03\sqrt{P}$ for W. I., and $0.027\sqrt{P}$ for steel; $\frac{l}{d}=1.5$ to 2. When N>150, $d=0.0244\sqrt{lP+d}$ for W. I. and $0.019\sqrt{lP+d}$ for steel. Also $\frac{l}{d}=0.13\sqrt{N}$ for W. I. and $0.17\sqrt{N}$ for steel.

Journals under Alternating Pressures (e.g., crank-pin). When N<150, $d=0.027\sqrt{P}$ for W. I. and $0.024\sqrt{P}$ for steel; $\frac{l}{d}=1$ for W. I. and 1.3 for steel. When N > 150, $d = 0.0273 \sqrt{\frac{lP}{d}}$ for W. I. and $0.02 \sqrt{\frac{lP}{d}}$

for steel; $\frac{l}{J} = 0.08 \sqrt{N}$ for W. I. and $0.1 \sqrt{N}$ for steel. Am. Engine Prac-

tice: d (for crank-pin)=0.22 to 0.27×piston diam.; l=0.25 to 0.3×piston diam. (Stanwood). Cross-head pins: d_1 =0.8d; l_1 =1.4 d_1 .

Neck Journals, or those formed on the body of shaft need but two-thirds the diameter of overhung journals of the same length. For ball and socket shaft-hangers, l=4d; depth of shoulder on neck journal may

be taken as $0.07d + \frac{1}{2}$ in. **Pivots.** For N < 150, p = 700, 350, or 1,422 lbs. per sq. in., and $d = \sqrt{P \times 0.05}$, 0.07, or 0.035, for W.I., on bronze, C.I. on bronze, and W.I. or steel on lignum-vitæ, respectively. For N > 150, $d = 0.004 \sqrt{PN}$ and $0.035\sqrt{P}$ for W.I. (or steel) on bronze and lignum-vitæ, respectively.

Collar Bearings. Outside diam. $D = \sqrt{d^2 + \frac{\text{total thrust in lbs.}}{47 \times \text{no. of collars}}}$ ness of collar=0.4 $(D-d)=\frac{1}{2}\times$ space between collars. (d=shaft diam.). Shaft Couplings. For a cast-iron keyed sleeve-coupling, l=2.66d+2 in.; external diam. of sleeve = 1.66d + 0.5 in. For a cast flange coupling, l of hub on each half = 1.33d + 1 in.; hub diam. = 1.66d + 0.5 in.; flange diam. = 2.5d + 4 in.; flange thickness = 0.166d + 0.42 in.; width of flange rim = 0.35d + 0.86 in.; no. of bolts = 2 + 0.8d; diam. of bolts = $\frac{1}{8} + \frac{5}{16}$ in. For plates forged on abutting shaft ends, t=0.3d; outside diam. = $1.6d+(2.25\times bolt diam.)$; no. of bolts = $\frac{d}{2}$. (d=shaft diam.)

Brasses should have a thickness in the center (where wear is greatest) =0.16d+0.25 in.

BALL AND ROLLER BEARINGS.

Roller Bearings. Let n=number of rollers; d=diam. of rollers in in. (for conical rollers take diam. at mid-length); l=length of rollers in in.; then, if the rollers are sufficiently hard and are so disposed that the load is equally distributed over l and n, Load in lbs. P=cnld, where c=355 for C. I. rollers on flat C. I. plates, and 850 for steel rollers on flat steel plates (Ing. Taschenbuch).

Friction may be reduced 40 to 50% by the use of roller bearings. The Hyatt flexible rollers consist of flat strips of springy steel wound spirally into tubular form; they give at all times a contact along their entire length. It is claimed for them that they save 75% of the lubrication (and 10 to 25% of the power) needed by ordinary bearings of equal capacity, and that they cannot become overheated.

Ball Bearings. Diam. of enclosing circle = (d+c)F + d, where d = diam. of ball; c = clearance between each pair of balls; F, a factor as follows:

No. of balls..... 14 15 16 17 18 19 Factor F....... 4.494 4.8097 5.1259 5.4423 5.7588 6.0756 No. of balls 20 21 22 Factor F 6.3925 6.7095 7.0266

or, generally, $D=d+\frac{d+c}{\sin 80^{\circ}}$, where n=no. of balls.

If $0.005n > \frac{d}{4}$, take $c = \frac{0.25d}{n}$; otherwise, c = 0.005. All dimensions in inches.

Crushing Strength of Balls.

Breaking	Load	in	Lbs.
----------	------	----	------

d	Ball on	Between Flat	Auto Machy.	Safe		
	Ball.	Plates.	Co.	Load.		
	1280	1814	1288	160		
	4153	6570	5150	640		
	9030	12700	11600	1450		
	16710	22610	20600	2570		
	28580	30000	32260	4030		
	59030	90650	82400	10300		

The Auto Machinery Co.'s data answer to breaking load $-82,400d^2$ and are a fair average of the first two columns (results obtained by F. J. Harris at Rose Polytechnic Institute), the surface of ball race being considered as between a spherical and a plane surface.

Greatest load on a single ball = $\frac{\text{total load} \times 5}{N - f^{1-n}}$ in an annular bearing where n ranges from 10 to 18 (Stribeck, Ing. Taschenbuch). Prof. C. H. Benjamin recommends a safety factor of 10, that in above table is 8. Radial Ball Bearing, with 4 point contact. $P_{(\text{safe})} = (nd)^{37}$ If P > 3,000 lbs., P = 300 + 290nd.

Thrust Bearing, with 3 point contact. $P_{\text{(safe)}}(1,000 \text{ to } 4,500 \text{ lbs.}) =$ 1,143($nd-2\frac{1}{8}$); $P_{(safe)}(4,500 \text{ to } 8,500 \text{ lbs.}) = 2,125(<math>nd-4$); $P_{(safe)}(8,500 \text{ to } 17,000 \text{ lbs.}) = 1,500 + 808nd.$

Thrust Bearing, Balls between Flat Plates.

When nd = 31,200 P, safe, in lbs. = 475 2,200 3,200 5,000

Thrust Bearing, 2 Point (Balls in Races of Larger Diam.).

When nd R 10 12 1,500 4,000 P, safe, in lbs. = 300 800 2,750 4.800

Relation between Ball Diam. (d) and Shaft Diam. (D).

d = 0.143 + 0.17DThree-point Thrust Bearing, Flat-plate d = 0.125 + 0.19Dd = 0.0625 + 0.166DTwo-point race d=0.3D, when $D\leq 1.5$ in. Radial, four-point..... 4 4 d=0.31+0.15D when D>1.5 in.

The foregoing proportion represents the practice of the American Ball

Co., of Providence, as derived from their catalogue by the author and may be taken as guidance in design.

Friction of Ball Bearings. M. I. Golden (Trans. A. S. M. E.) from experiments on balls from 1 to 1 in. in diam. in radial or annular bearings at speeds from 200 to 2,000 r.p.m., deduces as a tentative formula.

Friction = Load $\left(0.005 + \frac{0.001}{d} + 0.005D\right)$, where d = diam. of ball, and

D=diam. of path of balls in the races.

At speeds around and exceeding 2,000 r.p.m. chattering takes place, which may be reduced to a marked degree by the use of oil. He found $\mu=0.00475$ (taken as 0.005 in formula).

Double Ball Bearings. In an ordinary ball bearing the turning of

the shaft rotates the balls in such a manner that the surfaces of two con-

tiguous balls rub or grind upon each other, and this is said to be the cause of a large proportion of the failures recorded in the use of ball bearings. In the Chapman double ball bearing a smaller ball (not in contact with the shaft) is introduced between every two balls of the bearing proper, and a rolling contact throughout the bearing is thereby established. The Chapman Co. (Toronto, Ont.) claim to save 80% of the work lost in friction by ordinary self-oiling journal bearings, and refer to runs of 1; to 2 years duration without lubrication or appreciable week. years duration without lubrication or appreciable wear.

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For a single wheel (in addition to foregoing lettering), let t=thickness of tooth or cutter on pitch circle; D''=working depth of tooth; s=addendum; f=amount added to tooth depth for clearance; D''+f=total depth

of tooth;
$$P'$$
 = circular pitch. Then, $P = \frac{N+2}{D} = \frac{N}{D'} = \frac{N}{P'}$; $P' = \frac{N}{P}$;

$$D' = \frac{DN}{N+2} = \frac{N}{P}; \quad D = \frac{N+2}{P} = D' + \frac{2}{P}; \quad D'' = \frac{2}{P} = 2s; \quad N = PD' = PD - 2;$$

$$f = \frac{t}{10}$$
; $t = \frac{1.57}{P} = \frac{P'}{2}$; $s = \frac{1}{P} = \frac{P'}{\pi} = 0.3183P' = \frac{D'}{N} = \frac{D}{N+2}$; $s + f = \frac{1}{P} \left(1 + \frac{\pi}{20}\right)$

Bevel Gearing is used to connect shafts whose directions meet at any angle. The pitch surface of each gear is the frustum of a cone, both cones having a common vertex. The teeth have their surfaces generated by the motion of a straight line traversing the vertex while a point in the line is carried round the traces of the teeth on a conical surface, which surface is generated by a line drawn from the extremity of larger diameter of pitch surface frustum to the axis and perpendicular to an element in the pitch surface.

Spiral Gears are used to connect non-parallel shafts which do not intersect. Let α = angle of inclination of axes, and γ , ν , n, R, N, t, and T be respectively the pitch angle, circumf. velocity, revolutions, radius, no. of teeth, circumferential pitch, and normal pitch of wheel A, and γ_1 , ν_1 , n_1 , etc., similar values for wheel B.

Then,
$$\gamma + \gamma_1 + \alpha = 180^{\circ}$$
 and $\frac{v_1}{v} = \frac{\sin \gamma}{\sin \gamma_1}$, whence $\frac{n_1}{n} = \frac{R \sin \gamma}{R_1 \sin \gamma_1} = \frac{N}{N_1}$.

Then, $\gamma + \gamma_1 + \alpha = 180^{\circ}$ and $\frac{v_1}{v} = \frac{\sin \gamma}{\sin \gamma_1}$, whence $\frac{n_1}{n} = \frac{R \sin \gamma}{R_1 \sin \gamma_1} = \frac{N}{N_1}$. $T = t \sin \gamma$ and $T_1 = t_1 \sin \gamma_1$, and as T must equal T_1 , $\frac{t}{t_1} = \frac{\sin \gamma_1}{\sin \gamma}$. For minimum eliding makes $T_1 = t_2 \sin \gamma_1$. mum sliding make $\gamma = \gamma_1$. The position of the common tangent at point of contact of the pitch cylinders is determined from $\frac{co}{R_1} = \frac{co}{\cot r_1} = (\frac{-1}{n} + \cos \alpha)$

$$+\left(\frac{n}{n_1}+\cos\alpha\right)$$
. Also, $\cot\gamma=\frac{\sin\alpha}{\frac{n}{n_1}+\cos\alpha}$.

For
$$\alpha = 90^{\circ}$$
, $\frac{n_1}{n} = \cot \gamma$, or, $\frac{\text{revs.}(n) \text{ of follower}}{\text{revs.}(n_1) \text{ of driver}} = \tan \gamma$.

For $\alpha=90^{\circ}$, $\frac{n_1}{n}=\cot \gamma$, or, $\frac{\text{revs.}(n) \text{ of follower}}{\text{revs.}(n_1) \text{ of driver}}=\tan \gamma$. Worm Gearing. In this case $\alpha=90^{\circ}$, N=1 and the teeth of B are inclined at an angle r to the edge of wheel, and $\tan r = \frac{t}{\Omega R} = 0.15916 \frac{t}{R}$

Strength of Gear Teeth (Wilfred Lewis). Load in lbs. transmitted by teeth, W = fp''by, where b = width of tooth face, and y = a factor depending on the no. of teeth (n) and the curve employed.

y, for involute teeth, 20° obliquity=0.154 $-\frac{0.912}{3}$;

" (and epicycloidal) =
$$0.124 - \frac{0.684}{7}$$
;

" teeth with radial flanks =
$$0.075 - \frac{0.276}{n}$$
.

Safe Working Stress, f, in lbs. per sq. in.

Speed of teeth in feet per min. 100 250 **500** 1,000 1,500 2.000 2.500 14,000 10,500 20,000 11,000 8,200 Steel. f= f= f= 7,600 5,700 5,400 6,200 4,800 15,000 8,000 4,600 4,000 3,600 Cast Iron, 5,600 4,400 3,000 2,500 1.900

Approximate Strength. Safe load W, in lbs.=300bp'' for C. I. (120bp'', if shock is to be provided for. Lineham). Rawhide. W in lbs.=57 to $114 \times bp''$ (Ing. Taschenbuch). An American gear-maker, however, states that rawhide has the same strength as cast iron.

Bevel Wheels. $W = fp''by \times \frac{\text{small diam. of bevel}}{\text{large diam. of bevel}}$

H.P. Transmitted = $(W \times \text{velocity of teeth in feet per min.}) + 33,000$ Safe Maximum Speeds. 1,800 ft. per min. for teeth in rough, cast (iron) wheels; 2,500 ft. for cast-steel and 3,000 ft. for machine-cut cast-

iron wheels.

Proportions of Gears. Face, b=2p'' to 2.5p''; thickness of rim = 0.4p'' + 0.125 in. at edge (add 25% for center); thickness of rim on bevel wheel (larger end) = 0.48p'' + 0.15 in. (taper to vertex); width of oval arms (in plane of wheel) = 2p'' to 2.5p''; thickness of oval arms (parallel to shaft) = p'' to 1.25p'', or half the width of arm; No. of arms = $0.55\sqrt{\text{No.}}$ of teeth $\times\sqrt[4]{p''}$; taper of oval arms:—2p'' to 2.5p'' wide at hub end tapered to from 1.33p'' to 1.66p'' at rim; thickness of hub = p'' + 0.4 in.; length of hub = b to 1.25b. For arms of cruciform section: width of webs in plane of wheel =2p'' to 2.5p''; width of webs in plane of shaft =b to b+0.08p''; thickness of webs in plane of wheel =0.035p''

(No. teeth \div No. arms); thickness of webs in plane of shaft =0.32p''+0.1 in. **Driving Chain.** Allowable velocities =500 to 600 ft. per min. No. of teeth in sprockets =8 to 80. Radius of sprocket =p''+2 sin $(180^{\circ}+No.$ of teeth). p''=length of chord bet. centers of two adjacent teeth.

The Renold Silent Chain Gear consists of a chain made of stamped links of a peculiar form which runs on an accurately cut sprocket wheel. These links are joined by hardened-steel shouldered pins and are provided with removable split bushings. Advantages: high speeds (up to 2,000 ft. per min.); largest size (2 in. pitch, 10 in. wide) transmits 126 H.P. at 1,000 ft. per min.; positive velocity ratio; can be used on short centers, in damp or hot places runs sleck thus obvicting excessive journal fricin damp or hot places, runs slack, thus obviating excessive journal friction; the contact is rolling instead of sliding and the running is practically noiseless. No. of teeth, 18 to 120. Where load or power is pulsating, a spring center sprocket is used to absorb the shock.

BELTING.

On account of slip, belting does not transmit power at an exact velocity ratio, but it is nearly noiseless and can be used over distances not exceed-

ing 30 ft. without intermediate support.

Belt Tension. In any belt strained around a pulley and in motion there will be a slack side and a tight side. The tension on the tight side there will be a stack side and a tight side. The tension on the tight side is equal to the tension on the slack side plus the frictional resistance to the slipping of the belt on the pulley. The relation between Tn (greater tension) and tn (lesser tension) is: Log $(Tn+tn)=0.4343\mu l+r=0.007578\mu\theta^{\circ}$, where l+r= (arc of pulley embraced by belt)+(radius of pulley), and $\theta^{\circ}=$ degs. of arc of pulley embraced by belt. μ (coefficient of friction) for leather belts on iron pulleys=0.3 to 0.4 if dry, and 0.15 if oily; for wire rope, $\mu=0.15$ on iron pulleys and 0.25 on leather-bottomed pulleys; for hemp rope on iron pulleys, $\mu=0.18$ to 0.28

The Driving Pull of a Belt = $T_n - t_n$, and the

Horse-Power Transmitted = $\binom{Tn-tn}{33,000}V = \frac{(Tn-tn)2\pi RN}{33,000}$

Strength of Leather Belting. f_t (safe) = 320 lbs. per sq. in. of section, which allows for lacing or other jointing (or, 275 lbs. for laced and 400 lbs. for lapped and riveted joints). Single belts run from \hat{f}_t in. to \hat{f}_t in. in thickness; double belts from \hat{f}_t in. Section must be sufficient to meet Tn. Rubber belts: $f_t = 11$ lbs. \times No. of plies \times width in in.

Tension in Belts due to Centrifugal Force (unimportant at low $f_t = \frac{12wv^2}{1}$ (where w = weight of 1 cu. in. of leather = 0.0358 lb.) =speeds).

 $0.0134v^2$, and total tension on tight side $= Tn + 0.0134btv^2$. Creep, Slip, and Speed. As the belt tension changes from Tn to tn a slight retrograde movement, or creep, occurs which is due to the release of tension and which causes the follower pulley to revolve at a correspond-This result is called the slip, and the loss amounts ingly decreased rate. to about two per cent.

Belt Speed. Generally not in excess of 4,000 ft. per min., at which speed max. economy is shown. Belt speeds however rise as high as 6,000

ft. per min.

H. P. of Belting (approximate formula).

belt width in in. × pulley diam. in in. × revs. per min. for single 2,800

belts. For double belts divide by 1,960 instead of 2,800.

Sag of Belts and Proper Distance between Shafts. (Sag in in.-s;

Length in feet =L.)

Narrow belts over small pulleys, L=15 ft., s=1.5 to 2 in.; wider belts over larger pulleys, L=20 to 25 ft., s=2.5 to 4 in.; main belts over very large pulleys, L=25 to 30 ft., s=4 to 5 in.

Length of Belts. Open belt: $L=\pi(R+R_1)+2\beta(R-R_1)+2l\cos\beta$;

Crossed belt: $L=2(R+R_1)\left(\frac{\pi}{2}+\beta\right)+2l\cos\beta$; where L=length of belt

in in., R and R_1 = radii of larger and smaller pulleys, respectively, β = angle between straight part of belt and center line of pulleys (= No. of degrees $\times \pi + 180$, in circular measure), l = distance between centers of

pulleys in in.

pulleys in in.

Cone Pulleys (open belts). The length of belt must be the same for each pair of pulleys in the set, and the radii of the pulleys have the following relation: $RR_1 - (1.01414l + c)R_1 - (1.004724l + c)R = 0.51657l^2 - (1.01414l + c)(1.004724l + c)$. l being fixed by the design, insert values of R and R_1 for any one pair of pulleys and solve equation for c. Let the ratio of $R + R_1$ for any other pair of pulleys = n. Substitute nR_1 for R, also value of c in equation and solve for R_1 , taking the negative value of the root of right-hand member of the equation. This formula is absolutely accurate where $\beta < 30^{\circ}$,—a limit including all practical applications. (For derivation see article by the compiler in Am. Mach., 5-19-04.) Let n and n_1 be the lowest and highest respective speeds for any set of cone pulleys, and x the number of speed changes; then, the speed ratio

between any two successive speeds, $a-\sqrt{\frac{n}{n}}$, (geometric ratio).

back-gear is used the number of speed changes is doubled and the speed ratio of the back-gear corresponds to the term of the series where it is introduced.

Principle in Belt Driving. The advancing side of belt must move at right angles toward the shaft it approaches, while the retreating side

at right angles toward the shaft it approaches, while the retreating side may make any deviation.

Lacing. Punch b+1 holes in each end of belt, arranged zigzag in two rows. The edges of holes should be \(\frac{1}{4}\) in. from sides and \(\frac{1}{4}\) in. from ends,—rows at least 1 in. apart. Lacing should not be crossed on the side running on pulley. (b=width in in.)

Cemented Belts. (Formula for canvas and leather.)

Gutta-percha, 16 parts: India rubber, 4; pitch, 2; shellac, 1; linseed-oil, 2; melt and thoroughly mix.

Leather-Belt Dressing. Use tallow for dry belts,—with the addition of a little resin for wet or damp places. For hard, dry belts apply neats-foot oil and a little resin. Oil drippings destroy the strength of leather. Leather should not be exposed to a temperature much above

Leather should not be exposed to a temperature much above leather. 110° F.

PULLEYS.

(Design of.) r=radius of pulley; b=width of rim=1 $\frac{1}{2}$ to 1 $\frac{1}{2}$ ×width of belt; t=thickness of rim at center, =0.2 to 0.25h: t_1 =thickness of hub, =0.75h to h; t=length of hub, =t; t=number of arms; t=width

of arm at center of hub; $h_1 = \text{width of arm at rim}, =0.8h$; $n=2.5+\frac{1}{2b}$;

 $h = \frac{b}{4} + \frac{r}{10n} + 0.25$ in. Thickness of arms at hub and rim $= \frac{h}{2}$ and $\frac{h_1}{2}$ respectively. (The above for arms of oval cross-section.) Pulleys with more than one set of arms may be considered as separate pulleys combined, with dimensions for each as above, excepting that arm-proportions need be but from 70 to 80% of the values given. Crowning; rise at center of $_{\text{rim}} = 0.05b$.

Friction Gearing. P-total pressure forcing wheels together at line of contact; F_n =tractive force to overcome friction; μ =coefficient of friction, =0.15 to 0.20, metal on metal; 0.25 to 0.30, wood on metal;

0.25, leather on iron; 0.2, wood on compressed paper.

 $F_n = \mu P$; H.P. = $F_n V + 33,000$. Transmits power without jar, but is limited to very light loads.

ROPE TRANSMISSION.

Wire Rope. Used where belting is impracticable, for spans of 70 to 400 feet. Ropes used are 6 strand, 7 to 19 wires per strand. The sheave pulleys have a deep V-groove with a rounded bottom of alternating leather and rubber blocks. The minimum diameters of sheaves for obtaining maximum working tension in rope without overstraining by bending are 150d, 115d, and 90d, for ropes of 7, 12, and 19 wires per strand respectively, where d-diam. of rope in in. Actual H.P. transmitted = $3.1d^2v$, where sheave diams. are \geq above values. Proper deflection in feet = 0.0000695(span in feet)². Speeds from 3,000 to 6,000 ft. per min. (v=ft. per sec.)

Manila Rope.

Diam. in in., $d = \frac{1}{2}$ $\frac{1}{8}$ $\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{4}$ $\frac{1}{4$ Ultimate strength in lbs. = $9,000d^2$. Safe tension, Tn on driving side =

180d² (lbs.). Centrifugal force, $F = \frac{wv^2}{g}$, where w = weight of 1 ft. rope.

H.P. transmitted = $\frac{2vn(Tn-F)}{3\times550}$, where n=No. of wraps of rope around pulley. Best economical speed = 5,000 ft. per min. Add 250 ft. of rope to calculations to provide for tightener. Sheave dimensions: pitch diam. = 40d to 80d; outside diam. = pitch diam. + $2d + \frac{1}{16}$ in., center to center of grooves = 1.5d; center of groove to edge = $d + \frac{1}{16}$ in.

Cotton Driving Rope transmits about $\frac{1}{6}$ more power than Manila rope for the same diam. Sides of pulley groove are inclined at 45° ; distance from center to center of grooves = 1.5d; width of groove at outside diam. = 1.25d. The bottom of groove is rounded with circle of diam. =

Sag, s (in inches) is obtained from the following formula: $T_n = \frac{wL^2}{8s} + ws$, for driving side, also $tn = \frac{Tn-F}{3} + F = \frac{wL^2}{8s} + ws$, where L = length of span in feet. FRICTION.

The tractive force necessary to overcome friction between the surfaces of solids depends (1) directly on the pressure between the surfaces in contact; (2) is independent of the area of the surfaces in contact, but increases in proportion to the number of pairs of surfaces; (3) is independent (at low speeds) of the relative velocity of the surfaces; (4) the tractive force depends on the coefficient of friction, μ , for the particular materials employed.

Tractive force, $Fn = \mu P$.

Coefficients of Friction, μ , for Plane Sliding Surfaces (Morin). (For low speeds and light loads only.)

Lubrication.

Dry.	Water.	Olive-	Lard.	Tal-	Dry Soap	Polished and greasy.
Wood on wood0.5	0.68		0.21	0.19	0.36	0.35
Metal on wood 6	. 65	.1	.12	.12	• • • •	.1
Hemp on wood63	.87					
Leather on wood 47	• • • •	• • • •	• • • •	• • • •	• • • •	.28
Stone on wood6						
Stone on stone						
Stone on W. I	••••	.12	.1	.11	••••	.15

Values of μ for Static Friction (Broomall).

	Dry.	$\mathbf{Wet}.$	Dry.	\mathbf{W} et.
Steel on steel Steel on C. I Steel on tin Pine on pine	. 23 . 365	0.635	C. I. on C. I 0.3114 C. I. on tin454 C. I. on pine47	0.3401

 μ =tangent of the angle of friction, i.e., the greatest inclination possible before sliding occurs.

If surfaces are thoroughly lubricated the friction is neither solid nor

fluid but partakes of the nature of both.

Comparison of Solid and Fluid Friction. Solid friction varies directly as the pressure and is independent of the area of surface and of velocity (when low). Fluid friction is independent of the pressure, varies directly as the area of wetted surface, directly as v (at very slow speeds), as v^2 (at moderate velocities) and as v^3 (at high velocities). For low speeds Morin's table may be used. For flat surfaces, 400 to 1,600 ft. per min., C. I. on C. I., lubricated, u=0.23, at a pressure of 50 lbs. per sq. in.

Friction of Journal Bearings (Beauchamp Tower). $\mu = c \checkmark v + p$, where v = linear velocity in ft. per sec., and p = pressure in lbs. per sq. in. of the projected area of journal. (Projected area = length × diam.). Values of c vary according to the lubricant employed, viz.: Olive-oil, 0.289; lard-oil, 0.281; mineral grease, 0.431; sperm-oil, 0.194; rape-oil, 0.212; mineral oil, 0.276. These values are for thorough bath lubrication. To avoid seizing, p should not exceed 600 lbs. per sq. in. The following results were obtained by Prof. A. L. Williston (E. W.

& E., 3-18-05).

 μ (average). Pressure per Sq. In. Hyatt Roller Bearing. 0118 80 to 345 lbs. 80 to 250 80 to 145 ''

The bearings were all $1\frac{1}{2}$ in. diam. $\times 4$ in., lubricated with moderately heavy machine-oil of good quality. The C. I. and bronze bearings were reamed to size and lapped to insure perfect surface and high polish. μ at starting for the Hyatt bearing was found to be 0.0058.

Friction of Collar Bearings. For p=15 to 90 lbs., v=5 to 15 ft.,

 $\mu = 0.036$.

Friction Loss in Journals and Collars (R=outside or mean radius for journal and collar, respectively). Work lost, in ft.-lbs. per min.= $F_RV = \mu P \times 2\pi RN$, or, expressed in horse-power, H.P.=0.0001904 μPRN . Work Lost in Pivot Friction=(0.5 to 0.66)($2\pi RN\mu P$) in ft.-lbs.

LUBRICATION.

Spongy metals like C. I., brasses, and white-metal alloys, lessen frictional resistance to a considerable degree, but the use of unguents is necessary for good results. Lubricants are solid, as graphite; semi-solid, as greases; liquid, as oils. The following are the best lubricants for the purposes indicated:

Low temperatures: light mineral lubricating oils.

Intense pressures: graphite or soapstone. Heavy pressures at slow speeds: graphite, tallow.

Heavy pressures at high speeds: sperm, castor, or heavy mineral oils. Light pressures at high speeds: sperm, olive, rape, or refined petroleum oils.

Ordinary machinery: lard-oil, tallow-oil, heavy mineral oil.

Steam cylinders: heavy mineral oils, lard, tallow.

Delicate mechanisms: clarified sperm, porpoise, olive and light mineral lubricating oils.

Metal on wood bearings. water.

Essential Properties of Good Lubricants. (1) Body or viscosity sufficient to prevent contact of surfaces. (2) Freedom from corrosive acids. (3) As much fluidity as is consistent with body. (4) Low coeffi-(5) High flash and burning points. cients of friction. (6) Freedom from substances likely to cause gumming or oxidation.

Specific Gravities of Lubricants. Petroleum, 0.866; sperm-oil, 0.881; olive- and lard-oils, 0.917; castor-oil, 0.966.
Flashing and Burning Points. Sperm-oil flashes at 400° F. and burns at 500° F.; lard-oil flashes at 475° F. and burns at 525° F.

burns at 500° F.; lard-oil flashes at 475° F. and burns at 525° F.

Thorough lubrication (preferably the oil-bath) is essential in order to obtain the best results, and to prevent seizing.

Graphite as a Lubricant. Foliated or thin flake graphite when applied as a lubricant materially reduces friction and prevents seizing and injurious heating of bearings. It may be applied dry to surfaces where pressures are light, or mixed with oil or grease (3 to 8% graphite, by weight) for heavy pressures. It may also be used to advantage in the presence of high temperatures, as in steam, gas-engine, and air-compressor cylinders, and also in ammonia compressors and pumping-engines. Water of condensation often suffices for a mixing lubricant.

Graphite fills up the minute depressions and pores in metal surfaces, bringing them much nearer to a perfectly smooth condition so that a considerably thinner film of oil (which may have a greater fluidity than usual) will be sufficient.

A test of car-axle friction by Prof. Goss (bearing pressure 200 lbs. per sq. in.) gave the following results:

Sperm-oil only, 9 drops per min., rise in temp. per hour = 26° F.; \(\mu = 0.284 \)

Sperm-oil only, 9 drops per min., rise in temp. per hour = 26° F.; μ = 0.284 Sperm-oil with

. . 44 44 4% of graphite, 12.9 " 6 6 4 4 $=28^{\circ} \text{ F.}$; $\mu = 0.215$ (From catalogues of the Jos. Dixon Crucible Co.)

Power Measurement. Power is measured by dynamometers, which either absorb or transmit the power undiminished. The Prony Brake is the typical form of absorption dynamometer and consists of a horizontal lever connected to a revolving shaft or pulley in such a manner that the friction between the surfaces in contact tends to rotate the lever-arm in the direction of the shaft rotation. This tendency is resisted by weights on the lever-arm, and the weight that will just prevent rotation is ascertained. Let P=weight in lbs. on lever, L=length of lever in feet from center of shaft to point of application of weight, V=velocity in ft. per min. of point of application of weight if allowed to rotate at the speed of the shaft, N=r.p.m., and W= work of shaft or power absorbed per min.

Then, $W = PV = 2\pi LNP$ ft.-lbs., or, H.P. $= \frac{2\pi NLP}{33,000}$.

HEAT AND THE STEAM ENGINE.

Heat, according to the dynamical theory, is a mode of motion of the molecules of a substance, its intensity being proportional to the amount of motion and its most readily observed effect being that of the expansion of the substance.

Transfer of Heat. Heat will pass from the warmer of two bodies to the colder until their temperatures become equal, the transfer being

effected by radiation, conduction, or convection.

Radiation is the transfer of heat from one body to another across an intervening medium whose temperature is not affected by the transfer

Dark, rough surfaces are the best radiators and are advantageous in apparatus for heating, while light, polished surfaces are the poorest.

Relative Radiating Values. Lampblack, 100; polished metals cast iron, 26; wrought iron, 23; steel, 18; brass, 7; copper, 5; silver, 3

Heat Units Radiated per Hour per Square Foot of Surface (for F. difference in temperature). Polished metals: silver, 0.0266; copper. 0.0327; tin, 0.044; zinc and brass, 0.0491; tinned iron, 0.0859; sheet iron, 0.092. Other materials: sheet lead. 0.133; ordinary sheet iron. 0.566; glass, 0.595; cast iron, new, 0.648; do., rusted, 0.687; wroughtiron pipe, 0.64; wood, stone, and brick, 0.736; sawdust. 0.72; water, 1.0853; oil, 1.48.

Conduction is the transfer of heat by contact between the molecules

Conduction is the transfer of heat by contact between the molecules of a body or the surfaces of contact of two distinct bodies.

Relative Values of Good Conductors. Silver, 100; copper, 73.6; brass, 23.6; tin, 14.5; iron, 11.9; steel, 11.6; lead, 8.5; platinum, 8.4; bismuth, 1.8; water, 0.147.

Heat Units Transmitted per sq. ft. per hour, for 1° F. difference in temperature: copper, 643; brass, 557; W. I., 374; C. I., 316 (Isherwood). These values are for bright surfaces up to \(\frac{1}{3}\) in. thick. For surfaces coated with grease or saline deposits (i.e., condensers) Whitham states that these values should be multiplied by 0.323.

Relative Values of Poor Conductors as Heat Insulators: Mineral wool, 100; hair-felt, 85.4; cotton wool, 82; sheep's wool, and infusorial earth, 73.5; charcoal, 71.4; sawdust, 61.3; wood and air-space, 35.7.

Comparative Radiation from Covered Pipes. Bare pipe, 1.00; covering of magnesia +7% asbestos, 0.308; plaster of Paris +4% asbestos. 0.34.

Radiation from Bare W. I. Pipes in B.T.U. per sq. ft. per hour, per degree F. difference of temperature between pipe and surrounding medium (taken at 70° F.):

	f. Radiation.	Radiation and Convection		
Degs. diff.		Still Air.	Moving Air.	
10	0.743	1.247	1.583	
50	0.816	1.55	2.038	
100	0.911	1.773	2.344	
150	1.035	1.983	2.615	
200	1.167	2.18	2.856	
250	1.22	2.4	3.12	
300	1.32	2.6	3.37	

Steam-Pipe Coverings. The following figures are for coverings 1 in. thick. (For each 10 in. additional thickness (up to 1.5 in.) subtract the percentage given.) Under average conditions (air at about 70°, steam about

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stant. $V \propto \frac{1}{P}$; : $V = \frac{\text{a constant}}{P}$, and PV = a constant. The pressure

curve of a gas expanding according to this law is a rectangular hyperbola

and is called the isothermal of the gas.

Gay-Lussac's Law. The increase in volume of a given portion of a gas varies directly as the increase in temperature if the pressure be constant. Let V, V_1 , and V_2 be respectively the original volume, the increase in volume, and the final volume, and t° the rise in temperature. Then, $V_1 \propto t^\circ$, and $V_1 - V \alpha t^\circ$, where $\alpha - \text{coefficient}$ of cubical expansion (=coeff. of linear expansion $\times 3$); $\therefore V_2 = V + V_1 = V + V \alpha t^\circ = V(1 + \alpha t^\circ)$. α for air =0.00203611 for each degree F.

Absolute Temperature. If a given volume of air at 32° F. be reduced 491.13° in temperature (=1 +0.00203611), its volume will theoretically become zero and its heat-motion may be considered as having cased

become zero and its heat-motion may be considered as having ceased. For a perfect gas, absolute zero is 492.66° F. below the melting-point of ice, or, practically, -461° F. (= -273° C.), from which point all temperatures should be reckoned. In reality, all gases liquefy before reaching absolute zero. Absolute Temperature (τ)= 461° +reading of thermometer in degs. F.

stant, and $PV \propto \tau$; $\therefore PV = R\tau$. For 1 lb. of air at 32° F. (12.387 cu. ft.) under atmospheric pressure (14.698 lbs. per sq. in. =2,116.5 lbs. per sq. ft.), $PV = 12.387 \times 2,116.5 = 26,217.66$ ft.-lbs.= $R\tau$, and, as $\tau = 493^\circ$, R = 53.354.

Latent Heat. In changing from solid to liquid and from liquid to gaseous states, bodies pass through critical points called respectively the points of fusion and of evaporation, and at these points heat is absorbed to perform the work of molecular rearrangement. The Latent Heat of a substance is the quantity of heat units absorbed or given out in changing one pound of the substance from one state to another without altering its temperature.

Latent Heat of Substances in B. T. U. per Lb. Fusion Ice, 142.6 to 144: iron, 41.4 to 59.4; lead, 10.55. Evaporation: Water, 965.7; ammonia, 529; bisulphide of carbon, 162; SO₂, 164.

Saturation and Boiling Points. Saturation is said to occur when all the latent heat required for steam has been taken up. Boiling occurs when the tension in the water overcomes the surrounding pressure. Dry saturated steam is that which has a specific volume, temperature and pressure corresponding to its complete formation. Wet saturated steam is that in process of formation and in contact with the water from which it is generated. Superheated steam is that which has its temperature raised above that of the formation point.

Specific volume = No. of cu. ft. per lb. Specific density = No. of lbs.

Specific volume = No. of cu. ft. per lb. Specific density = No. of lbs.

per cu. ft.

Moisture in Steam is measured by a calorimeter, and the percentage of moisture, $w=100\times\frac{H-H_1-k(T^\circ-t^\circ)}{L}$, where H=total heat, L=latent

heat per lb. of steam at the pressure of the supply-pipe, H_1 =total heat per lb. at the pressure of the discharge side of calorimeter, k=specific heat of superheated steam, T^o =temperature of the throttled superheated steam in the calorimeter, and t^o -temperature due to the pressure on the discharge side (t^o =212° F. at atmos. pressure and k=0.48). All but $\frac{1}{2}$ to 1% of the moisture in steam may be removed by the use of a separator, in which apparatus the direction of steam flow meets with abrupt shapers and the water particles by reason of their momentum are

abrupt changes and the water particles by reason of their momentum are

thrown out of the path of flow.

The Quality of Superheated Steam (or the percentage of heat in excess of that due to the pressure), $Q = [L + 0.48(T^{\circ} - t^{\circ})] \div L$, where L =latent heat of 1 lb. of steam at the observed pressure, $T^{\circ} =$ observed temperature, and to temperature due to pressure.

Pressure and Temperature Relations of Saturated Vapor.

 $p = a + b\alpha^n + c\beta^n$ (Regnault).

212° to 428° 32° to 212° 212° to 428° 32° to 212° F. $\log \alpha = 9.998181-10$ 3.743976 9.9985618-10 a = 3.0259080.0042454 $t^{\circ}-212$ $\log \beta = 0.0038134$ 0.412002 $\log b = 0.61174$ $n=t^{\circ}-32$ 7.74168-10 $\log c = 8.13204-10$

Rankine gives as a close approximation, $\log p = A - \frac{B}{r} - \frac{C}{r^2}$, where A = 6.1007, $\log B = 3.43642$, $\log C = 5.59873$, and p = lbs. per sq. in. (in both formulas).

both formulas).

Sensible Heat,—Heat of the Liquid (h). The number of B.T.U. required to raise 1 lb. of water from the freezing-point to t° Centigrade = $(t+0.00002t^{2}+0.000003t^{3})\times 1.8$.

The Total Heat of Evaporation is the quantity of heat necessary to raise one pound of water from 32° F. to a given temperature and then evaporate it. Total heat (in B.T.U.) = $1.091.7 + 0.305(t^{\circ} - 32) = 1.081.94 + 0.305t^{\circ}$. Latent heat = total heat—sensible heat = (approximately) $1.091.7 - 0.695(t^{\circ} - 32)$. (For greater accuracy subtract the sensible heat as obtained from formula above from the total heat.)

Density (D), Volume (V), and Relative Volume (V₇) of Saturated Steam. The density or weight in lbs. of 1 cu. ft. of saturated steam may be obtained from $\log D = 0.941 \log p - 2.519$. The volume of 1 lb. of steam in cu. ft. may be obtained from $\log V = 2.519 - 0.941 \log p$. The relative volume or number of cubic feet of steam from 1 cu. ft. of water may be derived from $\log V_{\tau} = 4.31388 - 0.941 \log p$.

The External Work of 1 lb. of Steam, W_e (in B.T.U.) = $\frac{144p}{(\text{cu. ft. in 1 lb. steam at }p, -0.016)}$, where 0.016 = cu. ft. in 1 lb. of

water. Evaporation from and at 212°. In comparing the evaporative performances of boilers working under various pressures and temperatures, it is customary to reduce them to a normal standard efficiency expressed by the equivalent weight of water which would be converted into steam if it were supplied to the boiler at a feed temperature of 212° and evaporated at the same temperature and at atmospheric pressure. The equivalent weight of water evaporated "from and at" 212°,

 $W = \frac{1}{1000}$ where $H = \text{total heat of the steam generated at the given abso-$

lute pressure (gauge pressure +14.7 lbs.) and h=the heat of feed-water.

Properties of Saturated Steam. The following table is abstracted from the complete tables of Prof. C. H. Peabody, whose results are probably in more general use among engineers than any others. H=total heat of the steam = 1,091.7+0.305(t° -32); h=heat of the liquid; L=latent heat of vaporisation, =H-h. Internal work, $W_1=L-\frac{1}{778}$, where $u=v-\frac{1}{100}$.016 = increase of volume of water and steam during evaporation (1 lb. water=.016 cu. ft.). Entropy of liquid ϕ_w =specific heat $\times \log_{\epsilon_{m}} \frac{\tau}{\epsilon}$;

vapor, $\phi_8 = \frac{L}{t} + \phi_w$; $\tau = t^\circ + 460.7$. p (absolute) = pressureentropy

above vacuum in lbs. per sq. in.; v=vol. of 1 lb. of steam in cu. ft.; w=weight of 1 cu. ft. of steam in lbs. The values above 325 lbs. pressure are from Buel's tables.

Cooling Water Required by Condensers. Heat lost by steam=heat gained by the water; or, lbs. steam \times (sensible heat+latent heat—temp. of hot well)=lbs. water \times (final temp. of water—initial temp. do.), which may be reduced to. lbs. water per lb. of steam, w=(1 113.94+.305 T_e - T_h)+(T_w-t_w), where T_e =temp. of steam at release, T_h =temp. of hot-well (usually from 110 to 120° F.), T_w and t_w =final and initial temps. of the cooling water.

of the cooling water.

This formula has been criticised by E. R. Briggs (Am. Mach., 5-18-05) because it assumes that the whole weight of entering steam must give up its heat of vaporization at the release temperature, when, as a matter of fact, some 20 to 30% of the steam is in the form of water at this point. He suggests the following formula which gives much smaller results.

 $w = (H - \frac{1}{x}) + (Tw - tw)$, where H = total heat per lb. of steam supplied to engine (reckoned above Th), x=steam consumption of engine in lbs. per I.H.P. hour, and 2,545=B.T.U. in one H.P. per hour. Specific Heats of a Gas. The specific heat (k_p) at constant pressure of any normally permanent gas such as air is 0.2375 B.T.U.

Properties of Saturated Steam.

		oper des	or Satura	teu Steam	L•	·
p (abs.).	<i>t</i> ° F.	v.	w.	<i>H</i> .	h.	L.
0.5	80	640.8	.00158	1106.3	48.04	1058.3
1	101.99	334.6	.00299	1113.1	70	1043.1
3 5	141.62	118.4	.00844	1125.1	109.8	1015.3
5	162.34	73.22	.01336	1131.5	130.7	1000.8
10	193.25	38.16	.02621	1140.9	161.9	979
14.7	212	26.42	.03794	1146.6	180.9	965.7
15 20	$213.03 \\ 227.95$	26.15 19.91	.03826	1146.9	181.8	965.1
25 25	240.04	16.13	.05023 .06199	1151.5 1155.1	196.9 209.1	954.6 946
30	250.27	13.59	.0736	1158.3	219.4	938.9
35	260.85	11.45	.08736	1161	228.4	932.6
40	267.13	10.37	.09644	1163.4	236.4	927
45	274.29	9.287	.1077	1165.6	243.6	922
50	280.85	8.414	.1188	1167.6	250.2	917.4
55 I	286.89	7.696	.1299	1169.4	2 56.3	913.1
. 60	292 .51	7.096	.1409	1171.2	261.9	909.3
65	297.77	6.583	.1519	1172.7	267.2	905.5
70 75	302.71	6.144 5.762	.1628	1174.3	272.2	902.1
80	307.28 311.8	5.702 5.425	.1736 .1843	1175.7 1177	276.9 281.4	898.8 895.6
82	313.51	5.301	.1886	1177.6	281.4 283.2	894.4
84	315.19	5.182	.193	1178.1	285 285	893.1
86	316.84	5.069	.1973	1178.6	286.7	891.9
88	318.45	4.961	.2016	1179.1	288.4	890.7
90	320.04	4.858	.2058	1179.6	290	889. 6
92	321.06	4.76	.2101	1180	291.6	888. 4
94	323.14	4.665	.2144	1180.5	293.2	887.3
96	324.64	4.574	.2186	1181	294.8	886.2
98 100	326.12	4.486 4.403	.2229	1181.4 1181.9	296.4	885
102	$327.58 \\ 329.02$	4.403	.2271 .2314	1182.3	297.9 299.4	884 882. 9
104	330.43	4.244	.2356	1182.7	300.9	881.8
106	331.83	4.169	.2399	1183.1	302.3	880.8
108	333.2	4.096	.2441	1183.6	303.8	879.8
110	334.56	4.026	.2484	1184	305.2	878. 8
112	335.89	3.959	.2526	1184.4	306.6	877.8
114	337.2	3.894	. 2568	1184.8	308	876.8
116	338.5	3.831	.261	1185.2	309.4	875.8
118 120	$339.78 \\ 341.05$	3.77 3.711	.2653 .2695	1185.6 1186	310.7	874. 9
120 125	344.13	3.572	.2095	1186.9	312 315	874 871. 9
130	347.12	3.444	2904	1187.8	318.4	869.4
135	350.03	3.323	.3009	1188.7	321.4	867.3
140	352.85	3.212	.3113	1189.5	324.4	865.1
145	355.59	3.107	.3218	1190.4	327.2	863.2
150	358.26	3.011	.3321	1191.2	330	861.2
155	360.86	2.919	.3426	1192	332.7	859.3
160	363.4	2.833	.3530	1192.8	335.4	857.4
165 170	365.88 368 20	2.751	.3635 .3737	1193.6 1194.3	338 340.5	855. 6
175	368.29 370.65	2.676 2.603	.3841	1194.3	340.5 343	853.8 852
180	372.97	2.535	.3945	1195.7	345.4	850.3
190	377.44	2.408	.4153	1197.1	350.1	847
200	381.73	2.294	. 4359	1198.4	354.6	843 .8
210	385.87	2.19	.4565	1199.6	358.9	8 4 0.7
220	389.84	2.096	.4772	. 1200.8	363	837.8
230	393.69	2.009	.4979	1202	367.1	834.9
240 250	397.41	1.928	.5186	1203.2	371	832.2
250 260	400.99 404.47	1.854 1.785	. 5393 . 5601	1204.2 1205.3	$374.7 \\ 378.7$	829.5 826.6
200 275	409.5	1.785	.5913	1205.3	383.6	823.2
300	417.42	1.554	.644	1209.3	391.9	817.4
325	424.82	1.437	.696	1211.5	399.6	811.9
500	467.4	0.942	1.062	1224.5	443.5	781
1000	546.8	0.48	2.082	1248.7	528.3	720.4

The specific heat at constant volume (kv) is less, no external work being performed, and is equal to 0.1689 B.T.U.

Expressed in foot-pounds, and using capitals for symbols,

 $K_p = 184.77$ ft.-lbs., and $K_r = 131.42$ ft.-lbs.

The specific heat of a gas at constant pressure is the same at all temperatures. External work = $P(V_1 - V) = K(\tau_1 - \tau)$. Total heat = $K_p(\tau_1 - \tau)$; ... Internal work = $(K_p - R)(\tau_1 - \tau)$. When a gas is the same at all temperature $K_p(\tau_1 - \tau)$.

consequently $K_p - K_v = R = 53.354$ ft.-lbs.

The Specific Heat of Superheated Steam at constant pressure is usually taken as 0.4805. Grindley states that it averages from 0.4317 (between 230° and 246° F.) to 0.6482 (between 295° and 311° F.). Assuming a straight-line equation between these values, Specific Heat of super-

heated steam, $k_p(\text{at }t^o) = 0.3451 + 0.00333(t^o - 212)$. Griessman (Z.V.D.I., 12-26-03) gives $k_p = 0.375 + 0.002083(t^o - 212)$. Prof. C. R. Jones (E. R., 7-16-04) gives $k_p = 0.462 + 0.001525p$, where p = absolute pressure in lbs. per sq. in. H. Lorenz (Z.V.D.I., No. 32-04) employs the following formula, where k_p varies as the pressure and inversely

as the cube of the absolute temperature: $k_p = 0.43 + 1,476,000 \frac{p}{3}$ (p in lbs.

per sq. in.; $\tau=461^{\circ}+t^{\circ}$ Fahrenheit). By making fair suppositions as to the temperatures involved in Jones' experiments, his results agree fairly well with those of Lorenz. For low pressures the value of Regnault (0.4805) seems corroborated by these investigators, while for pressures around 120 lbs. a value of 0.6 may be taken.

 K_p for superheated steam (when $k_p=0.4805$)=373.83 ft.-lbs., and $K_v=288.05$ ft.-lbs. $K_p-K_v=85.78$ ft.-lbs. and $K_p+K_v=1.3$. The total heat of superheated steam, $H_1=H+k_p(t_8-t)$, where H is the heat at temperature of the steam. perature t of the steam at saturation and t_8 is the temperature attained

in superheating.

Expansion Curves. Adiabatics and Isothermals. The area A included by the ordinates P and P_1 , the axis of abscissas and the curve of formula $PV = P_1V_1 = C$ is: $A = PV \log_e (V_1 + V) = R\tau \log_e (V_1 + V) = R\tau \log_e r$, where r = ratio of expansion. When the curve is of the form $PV^n = P_1V_1^n = C$, $A = (PV - P_1V_1) \div (n-1)$. $n = \tau = (K_p + K_v)$ of the substance employed in the expansion.

When a gas expands against a resistance it performs work which requires an expenditure of heat. If the gas itself yields this supply of heat its temperature is lowered and the expansion is called adiabatic and represented by $PV^n = C$. If the heat required during the expansion be supplied from an external source that the expansion is called a supplied from an external source that the expansion is supplied from an external source that the expansion is supplied from an external source that the expansion is supplied from an external source that the expansion is supplied from an external source that the expansion is supplied from an external source that the expansion is called an expansion is supplied from an external source that the expansion is called an expansion is called a supplied to the expansion is called an expa plied from an external source the temperature of the expanding gas remains constant and the expansion is termed isothermal (PV=C).

Various Expansion Curves. Isothermal of a perfect gas: PV = C. Adiabatic of a perfect gas: $PV^{7} = C$. ($\gamma = 1.3$ for superheated steam and 1.408 for air—usually taken as 1.41). Expansion of dry, saturated steam

without becoming either wet or superheated: $pV^{18} = 475$ (Rankine), or (p+0.35)(V-0.41) = 389 (Fairbairn). Adiabatic of saturated steam: $pV^n = C$, where $n = 1.035 + 0.1 \times dryness$ fraction, the dryness fraction being the weight of the steam after the water particles are subtracted, divided by the weight of both steam and water particles. n=1.135 for initially dry steam (Zeuner) and n=1.111 for steam containing 25% of moisture (Rankine).

(For additional relations between p, v, and τ see Compressed Air.)

Specific Volume of Dry Saturated Steam. $V = \frac{1}{\tau p} + v$. Take to at 1°, find the increase of pressure p from tables for 1°. v = vol. of 1 lb. of water, in cu. ft. $L = \text{latent heat at } \tau^{\circ} F$. (absolute). in ft.-lbs.

Volume of Superheated Steam. If greater than that of saturated steam, $PV_{\text{sup.}} = 93.5\tau_{\text{sup.}} - 971P^{0.25}$ (Peabody).

Thermal Efficiency of Heat Engines. Efficiency = $\frac{\tau - \tau_1}{\tau}$, where τ is the absolute temperature at which the heat is received (which should be as near to that of the furnace or gas explosion as possible), and τ_1 the absolute temperature of rejection of the heat, i.e., that of the condenser or the atmosphere. If τ_1 were absolute zero, the efficiency would be the maximum attainable. The difference, therefore, $(\tau - \tau_1)$, should be the

greatest possible with available temperatures.

Causes of Energy Loss in Steam Engines. Steam is not supplied at the furnace temperature (the greatest cause of loss), and the temperature of rejection is higher than that of the cooling water in the condenser. Steam is not compressed from the condenser temperature to that of the furnace, only a small part being compressed to the temperature corresponding to boiler pressure. If the condensed steam is not returned to the boiler a corresponding weight of feed-water must be heated to boiler temperature. Initial condensation in the cylinder causes waste, only a portion of the steam so condensed being re-evaporated during the stroke, and the expansion is not adiabatic. Clearance in the cylinder requires an additional amount of steam for each stroke which performs no work during the full pressure period of the stroke. Water particles in the steam (due to boiler priming) pass into the condenser without performing work and also abstract heat from the cylinder in their attempt to vaporize.

To must not be high enough to burn the cylinder lubricant or the packing and to is limited by the temperature of available condensing water. Radiation, leakage of steam, receiver drop in compound engines, wiredrawing and friction losses (both of steam flow and of the moving parts of drawing, and friction losses (both of steam flow and of the moving parts of the engine) are additional causes of loss.

Initial Condensation. When saturated steam is admitted to a cylinder which has been cooled to exhaust temperature, part of it condenses. After cut-off the condensation continues, but, as the cylinder and steam temperatures become more nearly equalized, the latent heat liberated during liquefaction causes a partial re-evaporation. The initial loss is considerable, and, being but partially recovered through the re-evaporation, a quantity of water is rejected at release, part of which evaporates during the exhaust and causes back-pressure.

Methods of Reducing Cylinder Condensation. If the engine has a high rotating speed the time of each stroke is too short to allow the

temperature changes which cause condensation to take place. Clothing the cylinder with non-conducting materials is a partial means of prevention. The supply of heat from live steam to the walls of the cylinder by means of a surrounding jacket assists re-evaporation providing that the piston speed is low enough to permit the absorption of the heat. By compounding, the work is divided among 2 to 4 cylinders and the range of temperature in a single cylinder is comparatively small. The saving due to compounding results from the re-evaporation taking place earlier in the total expansion.

The use of superheated steam is the most effective preventive of condensation. Saturated steam is allowed to flow through a coil or other form of superheater, its temperature being there sufficiently raised by the form of superheater, its temperature being there sufficiently raised by the heat of the furnace gases to keep it dry, or nearly so, during the stroke. Superheat cannot exceed 750° F., cylinder lubrication being impossible at higher temperatures; the best results, however, are obtained between 650° and 700°. With superheat the pressures do not need to be so high, 160 lbs. being ample excepting in the largest engines. A moderate superheat of 100° to 150° above boiler temperature aids, especially in long pipe transmissions, and effects a saving of 10 to 12%.

At 120 lbs. pressure, with 170° superheat, 18% of the steam-consumption has been saved in a triple-expansion engine. A saving of 50% has been recorded, but 15 to 25% more nearly represents average practice.

The following formulas approximately express the results of a large number of tests (S=saving in per cent):

 $S = 5.17 + 0.083 \times degs$. F. of superheat (for turbines); $S=4+0.12\times degs.$ F. of superheat (for reciprocating engines).

Heating Surface of Superheaters. $A \text{ (in sq. ft.)} = \frac{0.48W(t_1^\circ - t_2^\circ)}{R/I}$

where 0.48 = sp. heat of superheated steam, W = lbs. of steam to be superheated per hour (boiler temp., t_2), t_1 =temp. after superheating, t_3 =temp. of furnace gases (1,000° to 1,200° F.), 6=B.T.U. transmitted per sq. ft. of heating surface per hour, where $(t_3-t_1)=400$ ° to 500° F.

Leakage is nearly independent of speed of sliding surfaces, is proportional to difference of pressure between the two sides of valve, and is inversely as the overlap of valve. With well-fitting valves it may amount to over 20% of the entering steam, and rarely falls below 4%.

For an unjacketed cylinder with a given ratio of expansion, initial condensation (expressed as a percentage of the steam in the cylinder) diminishes with increase of initial temperature, while the total condensation per

stroke increases with such temperature increase.

Re-evaporation for a given ratio of expansion is as great, and sometimes greater, without jackets as with them, showing clearly that the regenerative action of the cylinder walls with a given ratio of expansion is largely independent of their mean temperature. (Prof. Capper, in Report of Steam-Engine Research Com. of I.M.E., 1905.)

Calculation of Initial Condensation and Leakage.

Steam not accounted for by indicator
$$c \log r$$
.

Indicated steam $d\sqrt{N}$.

where r=ratio of expansion, c=6 to 8 for simple unjacketed engines, 4 for jacketed slide-valve engines, 2 to 4 for Corliss engines (jacketed and unjacketed, respectively), and 12 for very poor engines.

Indicator Diagrams. (Fig. 11.) The figure shows the indicator diagram of a simple condensing engine, ON being the vacuum line or line

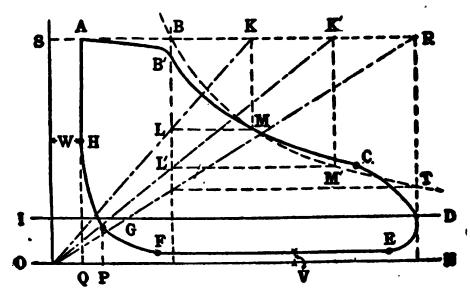


Fig. 11.

of zero pressure, OS the line of zero volume, and ID the atmospheric line of 14.7 lbs. absolute pressure (0 lbs. gauge). AR is the length of stroke and SA the clearance, which is the volume of the valve passages plus the volume between the piston at the end of stroke and the cylinder head reduced to a percentage of the stroke. (Clearance ranges from 2 to 7% of the total volume; when unknown it may be assumed as being 3% for well designed engines.)

The clearance space first file processes in the clearance space first file processes.

The clearance space first fills, pressure rising immediately to A, and the piston moves to B, where the steam is cut off, and expansion takes place between B and C. If the cut-off is gradual (due to slow closing of the steam port), the steam will be "wire-drawn," and the pressure before cut-off will fall along the line AB'.

The exhaust port opens at C and the pressure drops to D and on the return stroke through D to E, where the port is fully open, and remains so until F is reached. The exhaust port closing at F, the remaining steam is compressed to G (cushioning the stroke), where incoming fresh steam, (due to the opening of steam-valve slightly before the commencement of the next stroke), rapidly raises the pressure to the starting-point A. The space V between the lines FE and ON represents the back-pressure

due to vapor pressure in the condenser, it being impossible to obtain a perfect vacuum. Back-pressure varies from 2 to 3 lbs. under fair conditions. The theoretical expansion curve BMT is an equilateral hyperbola (assuming the expansion to be isothermal) and should be drawn on the diagram or card for comparison. Taking any point M on the actual expansion curve B'MC, draw KM perpendicular to SR and intersecting it at K. Draw OK, and also ML perpendicular to SR and intersecting OK at L. Draw LB perpendicular to SR. B will be the theoretical point of cut-off. Any other point (M') may be determined by drawing OK'; then a perpendicular let fall from K' will intersect L'M' (drawn parallel to SR from intersection of OK' and BL') at M', the desired point. Where

to SR from intersection of OK' and BL') at M', the desired point. Where the clearance is unknown it may be approximately fixed by selecting two points on the expansion line (B, M'), drawing the rectangle BK'M'L' and producing the diagonal K'L' to its intersection with ON at O.

Faults shown by Indicator Cards. (Fig. 12.) A,—too early admission; B,—too early release; C,—too early compression; D,—too late release; E,—too late admission; F,—too little compression; G,—too early cut-off; H,—choked admission; J,—choked exhaust; K,—leaky cut-off; L,—too much back-pressure; M,—double admission; N,—eccentric slipped backward; O,—eccentric too far ahead; P,—indicator inertia; Q,—sticking indicator piston; R,—initial condensation; S,—re-evaporation.

T shows the form of card obtained from gas-engines, the heavy line being the theoretical card. The explosive charge is drawn in along the atmospheric line, compressed along the lower curve, and ignited at the end of compression, when the pressure rises instantly. Expansion takes place along the upper curve to point of release, where the exhaust is then represented by the atmospheric line to the point of beginning of the cycle. In actual cards the ignition is not instantaneous but takes place along the dotted curves, the lower one indicating too late ignition and consequent loss of power. Release takes place before the end of the stroke, the pressure falling as shown by dotted line.

Calculation of Indicated Horse-Power. I.H.P. = $\frac{p_m La(2N)}{33,000}$, where

 p_m is the mean effective pressure throughout the stroke, in lbs. per sq. in., L = stroke, in feet, a = area of piston, in sq. in., and 2N = No. of strokes

per minute.

To obtain p_m (also abbreviated to m.e.p.), find the area of the card or diagram by means of a planimeter and divide same by its length, thus obtaining the mean (or average) height, and express this height in lbs. of pressure by comparison with the scale of the spring used in the indicator. Or, divide ARNQ (Fig. 11) into 10 equal parts by vertical lines, measure the middle ordinate of each on the diagram, add same and divide by 10, thus obtaining the average height. Or, trace the card on section-ruled paper, ascertain the number of squares included by the boundary-line of the diagram and divide this number by the number of squares in one of the diagram and divide this number by the number of squares in one horizontal row between the extreme end ordinates of the diagram, thus obtaining the mean height. Should there be a loop in the diagram (as in Fig. 12 for too early cut-off) its area should be subtracted from the remainder of the diagram as the pressure indicated by the loop is negative.

Vacuum.—The best vacuum for a reciprocating engine is from 24 to 26 in. when the barometer is at 30 in.; with a better vacuum the additional gains are offset by the losses in obtaining same. A turbine should have the best obtainable vacuum, each additional inch above 24 in. reducing

the steam consumption some 4 to 6%.

Indicated Water Consumption.—Lbs. water per hour per I.H.P. = $137.5[(b+c)w-cw_1] \div p_m$, where b= percentage of stroke completed at point where the calculation is made (which may be at any point between cut-off and release); c=percentage of clearance to the stroke; w=weight in lbs. of 1 cu. ft. of steam at the pressure of the point where the calculation is made; w_1 =lbs. in 1 cu. ft. of steam at the final compression pressure.

Diagram Factor. In a theoretical diagram with admission at boiler pressure (p) up to the point of cut-off, expansion along a hyperbolic curve, release at the end of stroke, exhaust at back-pressure (pb), and no

compression, $p_m = -(1 + \log_e r) - p_b$, where r = ratio of expansion = number

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low-speed, unjacketed; slow-speed, jacketed, 0.85 to 0.9. Corliss, jacketed, 0.8 to 0.9. Triple-expansion,—high-speed, unjacketed, 0.7; marine engines, 0.6 to 0.66.

Hyperbolic Logarithms.

No.	Log.	No.	Log.	No.	Log.	No.	Log.
1 1.25 1.5 1.75 2.25 2.5 2.75 3.25 3.5 3.75	0 .2231 .4055 .5596 .6931 .8109 .9163 1.0116 1.0986 1.1787 1.2528 1.3218	5.25 5.5 5.75 6.25 6.5 6.75 7.25 7.5 7.75	1.6582 1.7047 1.7492 1.7918 1.8326 1.8718 1.9095 1.9459 1.9810 2.0149 2.0477 2.0794	9.5 9.75 10 11 12 13 14 15 16 17 18	2.2513 2.2773 2.3026 2.3979 2.4849 2.5649 2.6391 2.7081 2.7726 2.8332 2.8904 2.9444	25 26 27 28 29 30 31 32 33 34 35	3.2189 3.2581 3.2958 3.3322 3.3673 3.4012 3.434 3.4657 3.4965 3.5263 3.5553 3.5553
4.25 4.5 4.75 5	1.3863 1.4469 1.5041 1.5581 1.6094	8.25 8.5 8.75 9 9.25	2.1102 2.1401 2.1691 2.1972 2.2246	20 21 22 23 24	2.9957 3.0445 3.0911 3.1355 3.1781	37 38 39 40	3.6109 3.6376 3.6636 3.6889

Diameter of Cylinder for any given I.H.P.

$$d=144.9\sqrt{\text{I.H.P.}+p_mLN}$$
.

Cylinder Ratios for Multiple Expansion Engines.—For compound engines (2 cyls.), ratio = \(\sqrt{No.} \) of expansions = 2.8 to 3.5. For triple expansion engines:

Gauge Pressure.	High Pressure Cyl.	Inter- meulate.	Low Pressure.
130 lbs.	1	2.25	5
140 ''		2.4	5.85
150 ''		2.55	6.9
160 ''		2.7	7.25

For quadruple expansion engines:

Gauge Pressure.	High Pressure Cyl.	1st Inter- mediate.	2d Inter- mediate.	Low.
160 lbs	1	2	4	8
180 ''	ī	$ar{f 2}$. 1	4.2	9
200 ''		2.15	4.6	10
220 ''	1	2.2	4.8	11

The most economical point of cut-off in a simple, non-condensing engine lies between $\frac{1}{2}$ and $\frac{1}{6}$ of the stroke.

The Best Ratio of Expansion. The best number of expansions (N)

The Best Ratio of Expansion. The best number of expansions (N) in a simple condensing engine is $N = \frac{171}{r/L_1} (\log e^{-} + -)$, where τ and τ_1 are absolute temperatures, V and V_1 are vols. in cu. ft. of 1 lb. of steam, L and L_1 are latent heats. V, τ , and L for the beginning and V_1, τ_1 , and L_1 for the end of the expansion (Willans).

Combination of Multiple Expansion Diagrams. In order to com-

pare the expansion with any desired theoretical curve, the several diagrams of the multiple expansion cylinders must be plotted on the same horizontal scale of volumes, clearances being added to the volumes proper.

Any reference curve R may then be drawn. (Fig. 13).

Steam Consumption of Engines.

		Boiler Pres-	Lbs. Steam
Type.	I.H.P.	sure, Lbs.	per I.H.P. per Hour.
Non-Condensing:			
Common Slide-valve	25 to 100	80	33 to 40
Single-valve Automatic, high	20 00 200	-	00 10 10
speed	50 '' 150	80	32 '' 40
Double-valve Automatic, high	200		02 10
speed	50 '' 150	80	30 '' 35
Field, with superheat	136		(18.6)
	100 to 200	75 to 90	22 to 27 (17.5)
Corliss, Automatic	100 10 200	110 '' 120	22 10 21 (11.0)
	100 200	110 120	20 21
Condensing:	000 and an	90	10 4- 00
Corliss, Simple	200 and up	80	18 to 20
Compound Automatic, high		110 / 100	
speed.	200 to 500	110 to 120	
Compound Schmidt (superheat)	75	180	(10.17)
Corliss	400 and up	110 to 135	
Leavitt	640	135	(12.16)
Bollinckx	300	90	(12.19)
Triple Expansion, Marine and			
Pumping	300 to 1,000	160 to 180	11.2 to 15
Triple Expansion, Sulzer	615	140	(11.85)
, Allis	575	120	(11.68)
Quadruple Expansion		180 to 200	10 to 12
Rice & Sargent Cross-compound	420	143.4	
(Vacuum, 26.8 in., superheated to 443° F., Cyls., 16.07 in. and		,	(/
443° F., Cyls., 16.07 in, and			
28.03 in. $(r=3.04)$)		(at throttle))
20.00 22. (. 0.02))	• • • • • • • • • • • • • • • • • • • •	(200 0220020)	Lbs. per
]	E.H.P. Hour.
Westinghouse - Parsons Turbine,		•	2,42,12,1, 44,0446,
(Vacuum, 28 in., superheat,			
100° F., 3,500 r.p.m., full load)	553	150	13.55
Same (superheat, 140° F., 1,500	000	100	10.00
	2,030	150	12.66
r.p.m.)	2,000	100	12.00
Same (saturated steam, 1,500	9 090	150	14.7
r.p.m.)	2,030	100	14.7
(A gain of 14% by superheating.			
Consumption at nalf load is 9%			
greater.)			

The values in parentheses are some of the most economical results ever obtained. These figures may be expected from first-class designs: non-

obtained. These figures may be expected from first-class designs: non-condensing, 25 lbs.; condensing simple, 18 lbs.; compound, 16 lbs.; triple expansion, 13.5 lbs.

The following are some recent economical results with saturated steam: Westinghouse-Parsons Steam Turbine (Dean & Main test), 600 H.P., saturated steam at 150 lbs., 28 in. vacuum: 125% load, 13.62 lbs. steam: 100% load 13.91 lbs.; 75% load, 14.48 lbs.; 41% load, 16.05 lbs.; average, 85% load, 14.51 lbs. steam per H.P.

850 H.P Rice & Sargent compound Corliss engine, 120 r.p.m. cylinder ratio, 1:4; clearances 4% and 7%; live-steam jackets on cyl. head, live steam in reheater. For 600 H.P. load (150 lbs., 28.6 in. vacuum, 33 expansions) Prof. Jacobus' test showed a steam consumption of 12.1 lb. per

sions) Prof. Jacobus' test showed a steam consumption of 12.1 lb. per H.P. hour. The cyl. condensation loss was 22% and the jacket consumption 10.7% of the total steam used.

250 H.P. Van den Kerchove compound engine, with poppet valves; 126 r.p.m., cylinder ratio, 1, 2.97: clearances 4%, jackets all over cylinder, no reheater. For 117 H.P. load Prof. Schröter's test showed a steam consumption of 11.98 lbs. per H.P. hour (150 lbs. pressure, 27.6 vacuum, 32 expansions). The cyl. condensation was 23.5% and the jacket consumption 14% of the total steam.

The most economical engine reported is a Cole, Marchent & Morley vertical cross-compound, with unjacketed cylinders and having a receiving reheater between. Nominal H.P. = 500; cylinders, 21 and 36 in., stroke, 36 in. Boiler pressure, 114.5 lbs. gauge, temperature of steam, 726° F. (=378° superheat). R.p.m.=100.7; I.H.P.=145.5. Vacuum 26.5 in. Steam per I.H.P. per hour=8.585 lbs., and at 481 I.H.P., 9.098 lbs. The engine is supplied with drop piston valves, and has run successfully for

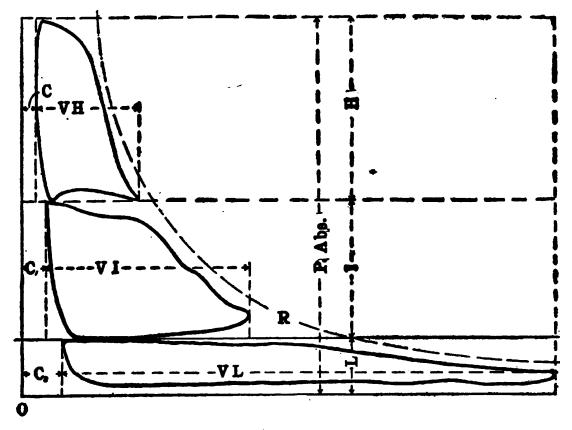


Fig. 13.

over a year, no trouble being experienced with the high temperatures employed. (The Engineer, London, June 2, 1905.)

Governors. Simple Fly-ball or Watt Governor. Let h=vertical

distance from the point of support of the radius or pendulum arms to the plane in which the centers of gravity of the balls or weights revolve at Then, $h - \frac{r}{N^2}$ inches, and $N = \frac{r}{N^2}$ any particular speed. Greater

sensitiveness may be obtained by using the Porter type of governor, which has an axial weight w_1 in addition to the fly-ball weights (each = w) of a $(w+w_1)\frac{35,200}{N^2}$ In this case h = (simple governor

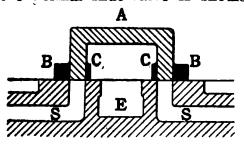
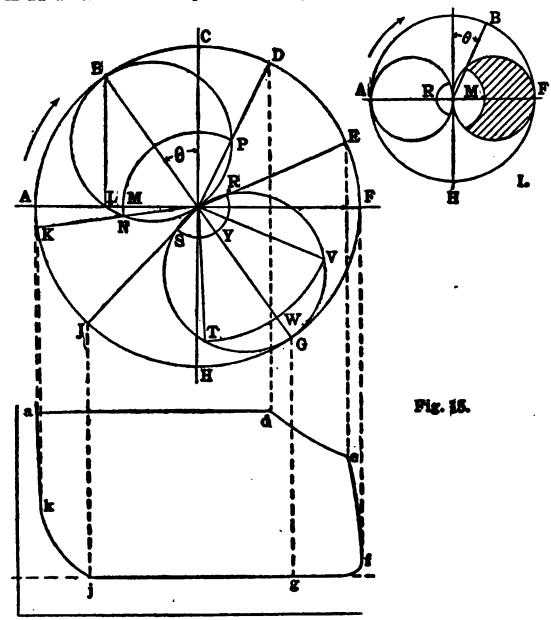


Fig 14.

Valves. Zeuner's Diagram. When the crank is on the dead-center the normal slide-valve A should be at half-stroke, 90° in advance of the crank and on the point of admitting steam. If the valve has steam lap B added to it, the advance would necessarily be 90°+steam lap. To assist the steam under compression in cushioning the stroke, steam is admitted slightly before the end of stroke and at the dead-center the valve is then open by an amount called the lead, which must be added to the advance (90°+steam lap), to locate the position of the eccentric. Steam and exhaust laps (B and C)

form an additional width to the valve-face and are for the purpose of effecting an early cut-off of steam or exhaust flow. (Fig. 14.)

The action of a slide-valve is best shown by means of Zeuner's diagram (Fig. 15). On the diameter $AF(=2\times\text{eccentric}$ throw) draw the circle ABFH. In the small diagram (I.) draw the steam-valve circle OF and also the exhaust-valve circle OA. With O as a center draw an arc with radius OM(=steam-lap) and also an arc with radius OR(=exhaust-lap) If the crank is on the dead-center A, the eccentric will be at B, or $90^{\circ} + \theta$ in advance. The intercepts or shaded part MF made by the radius OB



on the steam-valve circle will show the amounts of port opening for the corresponding positions of OB, or the eccentric.

The diagram may be used to better advantage by turning the valve-circles $back \ 90^{\circ} + \theta$, as in the main figure. Steam is admitted before the end of the previous stroke, the crank position being shown by OK which passes through the point N. The angle AOK is the angle of lead. At OA the crank is on a dead-center, at OB the steam-port is fully open and at OD steam is cut off by the closing of the port. From D to E the steam arrands in the cylinder. At E the exhaust-port opens reaching full expands in the cylinder. At E the exhaust-port opens, reaching full opening at G and closing at J, the steam remaining in cylinder being com-

pressed to K, where fresh steam is admitted for the next stroke. OM is the steam-lap, OR the exhaust-lap, and LM is the linear lead due to the angular lead AOK. WY is the width of the steam-port and the exhaust has full opening from OV to OT. (O is center of circle ABF.)

By increasing the steam-lap, admission takes place later in the stroke and ceases earlier; expansion occurs earlier and ceases later; exhaust and compression are unchanged.

By increasing the exhaust-lap admission is unchanged, expansion begins

as usual but continues longer, exhaust occurs later and ceases earlier, and compression begins earlier and ceases later.

By increasing the travel of the valve, admission begins earlier and ceases later, expansion occurs later and ceases earlier, exhaust begins and ceases later, and compression begins later and ends earlier.

By increasing the angular advance, admission, expansion, etc., all begin

earlier but their respective periods are unaltered.

Valve Proportions. Ports should be dimensioned so as to allow a velocity of about 6,000 ft. per min. for live steam, and about 5,000 ft. per min. for exhaust. For a velocity of 6,000 ft. per min., Port area _ (diam. of cyl.)2×piston speed Length of port should be as near diam.

of cyl. as possible, and width = area + length. Width of exhaust port $\frac{\text{tra e}}{2}$ +width of steam-port-width of bridge between ports+ex-

For Corliss cylindrical semi-rotary valves; diam. of admission-valve = 3.2 × width of steam-port; diam. of exhaust-valve = 2.25 × width of exhaust-port. Length = diam. of cyl. Widths to be obtained from area formula

for slide-valves.

Piston Speeds in Feet per Minute. Locomotives, 1,000 to 1,200; marine engines, 700; horizontal engines, 400 to 600; pumping-engines, 130. Cyl. area + port area = 6,000 + piston speed in ft. per min.

Flow of Steam. Lbs. per min. = 0.85ap when discharging into the atmosphere. When flowing from one pressure to another which is d lbs. less and p-d > .58p, lbs, per min. = $1.9ak\sqrt{(p-d)}d$. k=0.93 for a short nozze and 0.63 for an orifice in a thin plate $(p-absolute\ pressure)$. Also, velocity in ft. per sec. = $3.5953\sqrt{h}$, when h = height in feet of a column of steam of the given absolute initial pressure and of uniform density, whose weight is equal to the pressure on the unit of base.

Flow of Steam in Pipes. $v=50\sqrt{\frac{HD}{L}}$, where L and D are the length and diameter of the pipe in feet and H is the height in feet of a column of steam at entrance pressure which would produce a pressure equal to the difference between the pressures at the ends of the pipe.

the difference between the pressure Q, in cu. ft. per min. =4.7233 $\sqrt{\frac{Hd^5}{L}}$, where d=diam. of pipe in inches W, in lbs. flowing per min. =87 $\sqrt{\frac{w(p_1-p_2)d^5}{L\left(1+\frac{3.6}{d}\right)}}$ where w=lbs. per cu. ft

of steam at initial pressure, p_1 , and p_2 =pressure at the end of pipe.

The Setting of Corliss Valves. There are three marks on the hubof the wrist-plate which indicate the extremes of throw and the central position accordingly as they coincide with another mark on the stand. Fix the wrist-plate in the central position, unhooking the rod connecting to the eccentric. Remove the back bonnets of the valves, and marks will be found on the valves and valve-chambers which indicate respectively the working edges of the valves and ports. By means of the adjustable rods which connect the valve-arms to the wrist-plate set the steam-valves so that they will have a lap of $\frac{1}{4}$ to $\frac{1}{2}$ in. (the former for a 10-in. cyl., and the latter for a 35-in. cyl.,—intermediate sizes in proportion).

Similarly, set the exhaust-valves with $\frac{1}{16}$ to $\frac{1}{2}$ in. lap for non-condensing, and with $\frac{1}{4}$ to $\frac{1}{4}$ in. lap for condensing engines.

and with 1 to 1 in. lap for condensing engines.

Adjust the dash-pot rods by turning the wrist-plate to the extremes of travel and regulate their lengths so that when they are down as far as they will go the steel blocks on the valve-arms will barely clear the shoulders on the hooks. (If the rods are too long they will be bent, if too short the hooks will not engage and the valves will not open.)

Hook the connecting-rod to the wrist-plate, loosen the eccentric, turn

't over and adjust the eccentric-rods so that the wrist-plate will have correct

extremes of travel, as shown by the marks on hub. Place the engine on extremes of travel, as shown by the marks on hub. Place the engine on either dead-center, turn the eccentric enough more than one-fourth of a revolution in advance of the crank (in the direction of rotation) to show an opening of the steam-valve (at the piston end of cylinder) of $\frac{1}{12}$ to $\frac{1}{2}$ in., according to the speed, this being the lead. The higher the speed the more the lead required. Set the eccentric, turn to the other dead-center and obtain the same lead by adjusting the length of the rod connecting to wrist-plate. To adjust the regulator connections to the cut-off cams, turn the wrist-plate to one extreme of travel and adjust the rod connecting turn the wrist-plate to one extreme of travel and adjust the rod connecting turn the wrist-plate to one extreme of travel and adjust the rod connecting to the opposite cam so that the cam will clear the steel in the tail of hook by 1/2 in. Turn to the other extreme of travel and adjust the other cam. To equalize the cut-off, block up the regulator about 11/2 in., which is its average position when running. Turn the engine slowly and note the positions of cross-head when the cut-off cams trip and the valves close. These positions should be at equal distances from the respective extremes of travel of the cross-head, and the rods should be adjusted until they are. Indicator cards should then be taken and such readjustments made as are required for the equalization of the diagrams.

To Place an Engine on a Dead-center. Locate by a mark on the

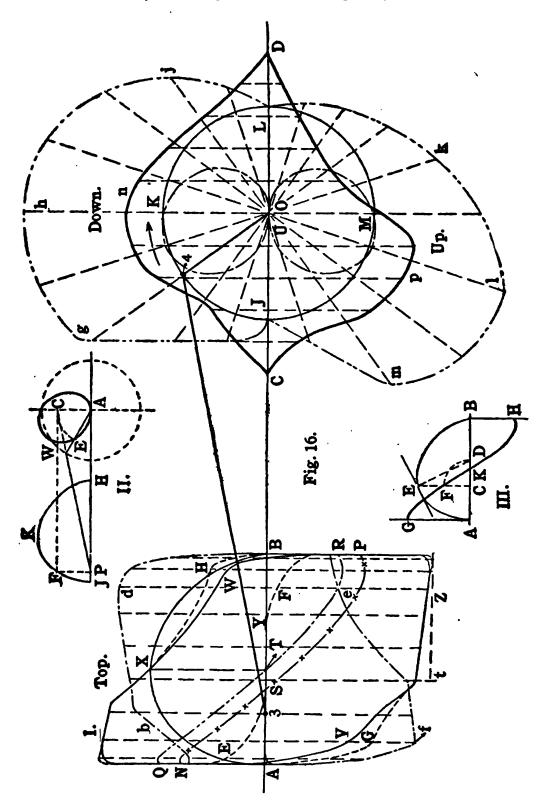
To Place an Engine on a Dead-center. Locate by a mark on the guides the position of a mark on the cross-head when it is at any point near the end of the outward stroke. Denote this position on the flywheel rim by a mark which coincides with a fixed reference pointer. Turn wheel rim by a mark which coincides with a fixed reference pointer. Turn the engine beyond the dead-center and on the return stroke until the mark on the cross-head coincides with that on the guides. Note this position on fly-wheel by making a mark at the reference pointer. Find the point midway between the two marks on the fly-wheel rim and turn the engine until this mid point coincides with reference pointer and the engine will be on a dead-center. To avoid the errors which might arise from looseness of bearings, the engine should be turned a little beyond the original position on the return stroke and the motion then reversed up to the original position so that the same brasses will press on the crank-pin in both observations.

pin in both observations.

Acceleration, Inertia, and Crank-effort Diagrams. The effect of the reciprocating parts of an engine is shown in Fig. 16. A vertical engine is chosen for illustration as both the inertia force and the dead weight of the moving mass are present, the effect of the latter being absent in a horizontal engine. Draw the crank-circle JKLM with radius 0.4=21 in. and the connecting-rod 3.4=90 in. Draw the polar velocity curves are constructed as follows: In (II), if W moves uniformly, AW represents the crank velocity. Project the connecting-rod PW to C and AC will then be the corresponding piston velocity of the point P. Revolve AC to AE on the line AW and E will be a point in the polar velocity curve. Transfer AC to PF and F will be a point in the velocity curve JKH. The remaining points of each curve are similarly determined. The crank 0.4 makes 88 rev. per min., and the crank-pin consequently has a velocity of 16.1 ft. per sec. and OK (=ordinate X) should be divided into 16.1 parts to serve as a scale of measurement. The acceleration curve, QTR must then be drawn by the method shown in (III). Let AEB (III) be the velocity curve. Draw a tangent at any point E, a normal, ED and let fall a perpendicular EC to AB. Set off CF=CD by revolving CD through 90° and F will be a point in the acceleration curve GKH. QT and TR 90° and F will be a point in the acceleration curve GKH. QT and TR show respectively the increase and decrease of velocity for the downward stroke and RT and TQ the acceleration and retardation for the up stroke. The force moving the reciprocating parts around the dead-centers J

and $L = \frac{v}{gR}$. The inertia force, $= \frac{v}{g}$, whence, f, the acceleration $= \frac{v}{R} = \frac{16.1 \times 16.1}{1.5} = 148$ ft. per sec. AQ, therefore, should be divided into 148 parts for a scale of acceleration in ft. per sec. The moving parts of the engine weigh 8,030 lbs. and the inertia force at any moment, F = --

 $\frac{8,030}{32.16}$ × acceleration, or, at AQ(=148 ft. per sec.), F=36,911 lbs.NSP below QTR, each ordinate of distance between the two curves being equal to QN, which is 8,030 lbs. by scale where AQ=36,911 lbs. NSP is the curve of inertia pressure. The pressure per sq. in. on piston at $AQ=36,911 \div 491$ (=area of piston in sq. in.)=75.2 lbs. Draw the indicator cards to this scale, viz.: EQXHB for the top of piston and FPGA for



the bottom. When QXHB is being drawn by the indicator on the top side of piston, AFR is being drawn on the bottom side, and deducting the ordinates at F from those at H, the net effective pressure will be represented by the solid line WR. Similarly, by deducting E ordinates from

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E =the energy area (in this case 49,560 ft.-lbs.). Then $\frac{w(v_1^* - v_2^*)}{2g} = E$, where w = weight of wheel in lbs. Now, $v_1 - v_2 = \frac{v}{k}$, $v_1 + v_2 = 2v$, and $v=2\pi RN+60$, where R= radius of gyration of wheel in feet. Substituting and reducing, weight of wheel in the $w-\frac{2.932Ek}{R^2N^2}$. Values of k $\left(\frac{1}{k}=$ percentage of fluctuation from the mean speed).

For hammering and crushing machinery, k=5; for pumping and shearing machinery, 20 to 30; for ordinary driving engines for machine-shops,

30 to 35; for milling machinery and gear transmission, 50; for spinning machinery, 50 to 100; for electric lighting, 150 to 300.

If the diameter of the wheel be large and the rim heavy (as compared with the arms and hub), R may be taken as the radius to center of rim section. If the hub and arms are of considerable weight, assume a section of fly-wheel, replacing the arms by a thin disc of equal weight and treat the whole cross-section of the wheel through the shaft as a beam section, finding its modulus, S, multiplying the same by y, the outer radius of wheel, and thus obtaining I, which, divided by the total area of cross-section, will give R^2 . v must be measured at R and great care taken to avoid the confusion incidental to calculating in both feet and inches. Cd^2

 $w = \frac{Cu^{-s}}{D^2N^2}$, where d, s, and D are diam. of cyl. in in., stroke in in., and

Barr.

 $w = \overline{D^2N^2}$, where a, s, and D are diam. Of cyl. In in., stroke in in., and diam. of fly-wheel in feet, respectively (J. B. Stanwood). Values of C: ordinary slide-valve engines, 350,000; Corliss engine for ordinary duty and slide-valve engines for electric lighting, 700,000; automatic high-speed and Corliss engines for electric lighting, 1,000,000.

Proportions of Steam-Engine Parts. In the following table the formulas attributed to Prof. John H. Barr are mean results obtained by him from some 160 engines (from 12 American builders) ranging from 20 to 750 H.P. Those of J. B. Stanwood are the conclusions of an extended practice and those of Wm. Kent are the best probable mean expressions of a large number of formulas considered and discussed by him in The Mechanical Engineer's Pocket Book. The following notation is employed: a = area of piston, l = length of stroke, d = diam. of piston, $d_1 = diam$. of fly-wheel, s = diam. of cylinder studs, t = thickness, $l_1 = length$ of connecting-rod (2.5l to 3l). All in inch measure. N = r.p.m., p = max. steam pressure in lbs. per sq. in., V = piston velocity in ft. per min., H.P. and I.H.P. = rated and indicated horse-power, respectively. (See also related matter in Strength of Materials, ants.)

Kent.

Stanwood.

	TTOHU.	DVOIL WOOLL
0.05d + 0.5 in.	0.0004dp + 0.3 in.	
1.2 X above		
••	0.00036dp + 0.31 in.	
0.025d + 0.5 in.	$0.01414\sqrt{p+b}$	
0.46d (h.s.)	4/17	
0.32d (l.s.)	~ la	•
$0.145 \checkmark ld$)	0.0101/	
0.11\(\sqrt{\text{id}}\)	0.01 3~ pla	0.14d to 0.17d
• • • • • • • • • • • • • • • • • • • •		
•		
0.057\17	$0.014\sqrt{n} \pm 0.6$ in	
2 74	(Crank and 2 25)	
4.56	cross-head and	
	2.00/	
0.0005/77	0.02143/2	
U.U82 * la	0.021a · p	
	$1.2 \times above$ $0.7d$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

·	Barr.	Stanwood.
Cross-head pins: $(L = \text{length}, D = \text{diam.})$	<u>.</u> •	•
High speed,	$LD = 0.08a; \frac{L}{D} = 1.25$	L = 0.25d to 0.3d
Low " 1	$LD = 0.07a; \frac{L}{D} = 1.3$	D = 0.18d to 0.2d
Crank-pins:		
High speed, L	$D = 0.24a$; $L = \frac{0.3 \text{H.P.}}{l} + 2.5 \text{ i}$	n. $\int_{1}^{1} L = 0.25d \text{ to } 0.3d$
Low " L	$D = 0.09a$; $L = \frac{0.6\text{H.P.}}{l} + 2 \text{ in.}$	D = 0.22d to 0.27d
Crank-shafts, Main Jou	ırnals:	
High speed, $(LD=0)$.46a; $D = 7.3\sqrt[3]{\frac{\overline{\text{H.P.}}}{N}}$; $L = 2.2D$.56a; $D = 6.8\sqrt[3]{\frac{\overline{\text{H.P.}}}{N}}$; $L = 1.9D$	
Low " (LD=0.	.56a; $D = 6.8 \sqrt[8]{\frac{\text{H.P.}}{N}}$; $L = 1.9D$	D = 0.42d to 0.5d
Steam-ports, area:		0.00-4-0.00-
Slide-valve,	77. 7 700	$\begin{array}{c} 0.08a \ { m to} \ 0.09a \ 0.1a \ { m to} \ 0.12a \end{array}$
High speed,	aV + 5,500 aV + 6,800	0.1 <i>a</i> to 0.12 <i>a</i> 0.07 <i>a</i> to 0.08 <i>a</i>
Corliss,	av +0,000	0.072 00 0.000
Exhaust-ports, area:		0.15a to 0.2a
Slide-valve,	aV + 5.500	0.18a to 0.22a
High speed,	$aV \div 5,500$	0.10a to 0.12a
Corliss, Steam pipes, area:	a , . 0,000	
Slide-valve,		n = 0.25d + 0.5 in.
High speed,	aV + 6,500	0.33 <i>d</i>
Corliss,	$aV \div 6,000$	0.3 <i>d</i>
Exhaust-pipes, area:	7.0	0.003
Slide-valve,	dia:	m.= 0.33 <i>d</i> 0.375 <i>d</i>
High speed,	aV + 4,400	0.375 <i>a</i> 0.33 <i>d</i> to 0.37 <i>d</i>
Corliss,	aV+3,800	0.554 to 0.574
Fly-wheel weight, in lb	s. per n.r.:	33
Slide-valve,	$1,200,000,000,000 + d_1^2N$	
High speed,	1,200,000,000,000 1 01 1	80 to 120
Corliss, Weight of engine:	• • • • • • •	
Meight or engine:	•	lbs. per H.P.
Slide-valve,		125 to 135
High speed,	115 lbs. per I.H.P.	90 to 120
Corliss,	175	220 to 250

Piston speed in ft. per min. = 600; weight of reciprocating parts in lbs.,

Piston speed in ft. per min. = 600; weight of reciprocating parts in lbs., for high-speed engines = $1.860,000d^2 + lN^2$; square feet of belt surface per I.H.P. per min. = 55 (high speed) and 35 (low speed) (Barr).

Clearance space: Corliss, 0.02l to 0.04l; high speed, double valve, 0.03l to 0.05l; high speed, single valve, 0.08l to 0.15l; slide-valve, 0.06l to 0.08l. Pressures on wearing surfaces in lbs. (L = length, D = diam., both in in.): Main bearings, 140LD to 160LD; crank-pins, 1.000LD to 1.200LD; cross-head pins, 1.200LD to 1.600LD (Stanwood).

Pressure on thrust-bearings = 35 to 40 lbs. per sq. in. of area (Fowler). Receiver volume for compound engine: If the cylinders are tandem, the connecting steam passages will be sufficient. If the cranks are at 90° , the volume of receiver should be at least as great as that of the low-pressure cylinder.

mire cylinder.

TEMPERATURE-ENTROPY; DIAGRAMS.

In an indicator diagram the co-ordinates are pressure and volume and the area represents work done per stroke, in ft.-lbs.

In a temperature-entropy diagram the vertical ordinates are absolute temperatures, the horizontal ordinates, or abscissas, are quantities termed entropy, and the area represents energy measured in heat-units. Entropy, therefore, is length in a diagram whose area represents energy in heat-units and whose height is absolute temperature.

Isothermals on this diagram are horizontal straight lines,—the temperature being constant,—and adiabatics are vertical straight lines,—there being no change in the quantity of heat during a change of temperature.

Application to Carnot Cycle (Fig. 18). Heat supplied at τ_1 = area H_1 , and heat rejected at τ_2 = area H_2 , AB and CD being isothermal and BC and AD being adiabatics.

Work done = H_1 and afficiency =

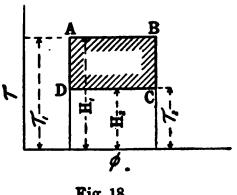
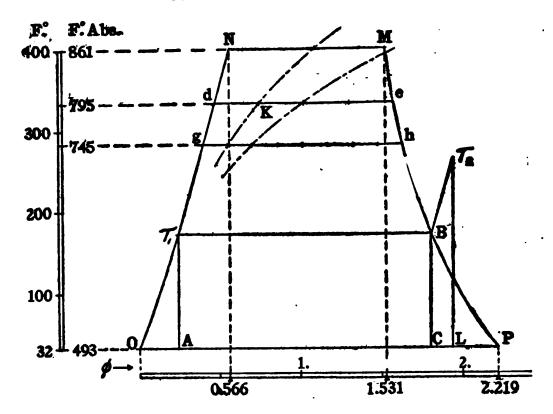


Fig. 18.

Work done = $H_1 - H_2$, and efficiency =

 $(H_1-H_2)+H_1=(\tau_1-\tau_2)+\tau_1.$ Construction of Diagram for The diagram is Water and Steam. drawn to represent the changes of lb. of working substance and an arbitrary zero point is chosen to (i.e., 32° F. from OL The entropy of absolute). $492^{\circ} = 0. \quad \text{At any}$ at absolute temperature, \(\tau_{\text{,}} \) the entropy of water, $\phi_w = \log_e \tau - \log_e 492 =$ $\log e \tau - 6.198$.

The additional entropy due to the conversion of water into steam is



g. 19.

divided by the corresponding absolute temperature, or $L \div \tau = \phi_{\bullet}$. The following table gives the

Entropy per	Lb.	Weight.
-------------	-----	---------

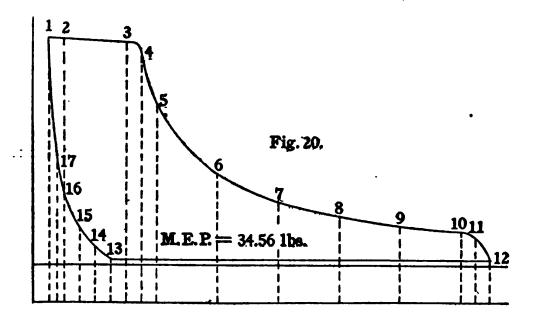
t	τ	Water from 32° F. (ϕ_w) .	Steam (ϕ_g) .	Steam and Water $(\phi_{vv} + \phi_s)$.
32	492	0.0000	2.2189	2.2189
50 100	510 560	.0359	2.1163 1.8649	2.1522 1.9945
150	610	.2154	1.6547	1.8701
200	660	. 2949	1.476	1.7709
250	710	.3690	1.322	1.691
300 350	760 810	.4386	1.188 1.0698	1.6266 1.574
400	860	. 5665	0.9649	1.5314

The results in this table are plotted in Fig. 19, ON being the water line or the plotting of the values of ϕ_W , and MP the dry-steam line, or $\phi_W + \phi_S$. If 1 lb. of water is raised from 32° F. to τ_1 , the heat units required will be represented by the area $O_{71}A$. The heat then required to convert the water into steam will be the area $\tau_1 BCA\tau_1$ The entropy of the water will be OA as measured by the scale, that of the latent heat by AC, and

the entropy of the steam and water by OC(=OA+AC). From steam-tables it is found that 1 lb. of dry saturated steam at 334° F. (794° ab.) occupies 4 cu. ft. If the isothermal at this temperature be divided into four equal parts, each part will represent 1 cubic foot. Also ah may be divided into eight parts, each representing 1 cu. ft. (1 lb. = 8 cu. ft. at 284° F.). Other isothermals may be similarly divided, and if all of the points for say 1 cu. ft. are connected, the resulting curve will be

a curve of constant volume (for 1 cu. ft.).

If 1 lb. of water at 334° F. be supplied with heat sufficient to evaporate one-quarter of itself, the distance dK will represent the portion of the total



heat de required for the whole ib. The dryness of the steam († of it being evaporated) will then be 0.25, and it may be stated that. The dryness evaporated) will then be 0.25, and it may be stated that. The dryness is represented in the entropy diagram by the fraction (hor. dist. of point from water line) + (hor. dist. bet. steam and water lines) = dK + de in the instance under consideration.

If the steam is superheated to τ_2 before entering the cylinder, the additional entropy, CL, is obtained from the formula: Entropy, $CL = 0.48(\log \epsilon_D) - \log \epsilon_D$.

 $0.48(\log_e \tau_2 - \log_e \tau_1)$.

To Draw the Entropy Diagram from the Data in an Indicator Diagram.—Fig. 20 is the indicator diagram of an engine having the following data: Initial pressure, 105 lbs., back-pressure, 17 lbs. (both absolute):

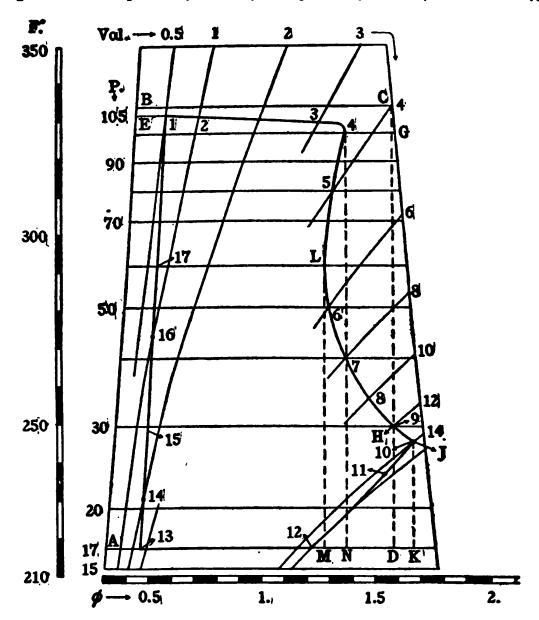


Fig. 21.,

r.p.m. = 90; cylinder, 14×36 ; m.e.p. = 34.56 lbs.; I.H.P. = 87.06; area of cyl. = 153.94 sq. in.; volume of cyl. = 3.207 cu. ft.; volume of clearance (3.448%)=0.11058 cu. ft.; lbs. steam used per hour = 2,133.5 (= 24.5 lbs. per I.H.P. hr.); lbs. of entering steam per stroke = 0.197547.

The compression steam is generally assumed to be dry, and, at point 17

The compression steam is generally assumed to be dry, and, at point 17 (where vol. = 0.16587 cu. ft. and pressure = 60 lb.), its weight will be = 0.16587×0.14236 (or the weight of 1 cu. ft. at 60 lbs.) = 0.023613 lb. ... Total steam in cyl. = 0.197547 + 0.023613 = 0.22116 lb. and the vol of 1 lb. of steam similar to that in the cylinder, x=actual vol. in cyl. + 0.22116. The pressures and values of x for the various points of Fig. 20 may now be plotted on Fig 21. For example, the pressure at point 7 on the indicator diagram is 40 lbs. (absolute). The contents of cyl. at this

point are 1.7694 cu. ft., which, divided by 0.22116, gives the volume x. of 1 lb., or 8 cu. ft. and point 7 on the entropy diagram is thus located by the intersection of the constant-volume curve 8 and the horizontal line of temperature 267° F. (727° abs.), which corresponds to a pressure of 40 lbs. absolute.

Losses. The entropy diagram just considered may be compared with that of the Rankine cycle for an ideal engine where the

Rankine cycle for an ideal engine where the expansion is adiabatic down to back-pressure and where there is no compression. latter diagram is the area ABCDA, BC being drawn at 108 lbs. (assuming a drop of 3 lbs. from the separator to cylinder).

The loss BEAGCB is that due to wire-

drawing during the entrance of the steam; loss 4GH64 occurs during expansion and is due to condensation, leakage, etc.; loss JK12J is due to incomplete expansion; loss 13AE1 16 13 is due to clearance, compression, etc. All areas represent heat-units according to scale. The area 4LMN4 represents additional liquefaction loss after cut-off, and 7NKJ7 the gain due to reevaporation. Fig. 21 shows only the work-

evaporation. Fig. 21 shows only the working part of diagram, the full diagram on a smaller scale being shown by Fig. 21a.

Entropy Diagrams Applied to Internal Combustion Engines. $\phi = H + \tau$; $d\phi = dH + \tau$. $dH = kvd\tau + (AP + J)dV$, and $(AP + J) = (k_P - kv)\tau + V$, or, combining these equations, $dH + \tau = d\phi = (kvd\tau + \tau) + (k_P - kv)dV$ +V, which is the general equation for change of entropy. (A = numerical constant),

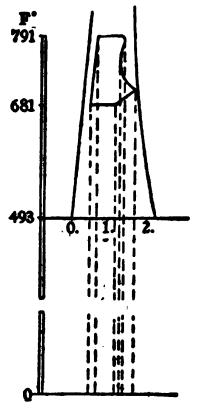


Fig. 21a.

J = Joule's equivalent = 778, P = lbs. pressure per sq. ft.) Integrating between limits, $\phi_1 - \phi_2 = kv \log_e (\tau_1 + \tau_2)$ when the volume is constant, and $\phi_1 - \phi_2 = k_p \log_e (\tau_1 + \tau_2)$ when the pressure is constant.

When P and V vary according to the law PV^x = constant, considering that $PV = R\tau$, letting $k_p + k_v = \tau$, substituting in the general equation and reducing, $\phi_1 - \phi_2 = kv_{x-1} \log_e \frac{1}{\tau_2}$, or, the change in entropy when $PV^* =$ constant.

In adiabatic expansion r=x, hence $\phi_1-\phi_2=0$. In the theoretical gas-engine diagram (Fig. 22, I.) $P_b=P_aV_a^{\gamma}+V_b^{\gamma}$, and $\tau_b=P_bV_b+(K_p-K_v)$, where V_b specific volume of explosive mixture at b, K_p and k_v multiplied at b, K_p and k_v surjection to f be a principle of f because of f by f and f and f by f and f and f and f by f and f by f and f an

at b, K_p and K_v = specific heats of mixture in ft.-lbs. (= k_p and k_v multiplied by 778, or the equivalent of 1 heat-unit in ft.-lbs. In the following calculations the old value,—772,—has been employed). If τ_a is known, $\tau_b = \tau_a(r)^{\gamma-1}$, where $r = V_a + V_b$ and $\gamma = k_p + k_v$. $\tau_c = \tau_b P_c + P_b$.

The increase of entropy during the explosion is represented by the logarithmic curve bc (II, Fig. 22) and increase of entropy from b to $c = \phi_c - \phi_b = k_v \log_e(\tau_c + \tau_b)$. Adiabatic expansion is shown by the vertical line cd, there being no change in the amount of entropy. $\tau_d = P_d V_d + (K_p - K_v)$ and $P_d = P_c V_c \gamma + V_d \gamma = P_c V_b \gamma + V_a \gamma$.

From d to a (exhaust at const. vol.), $\phi_d - \phi_a = k_v \log_e(\tau_d + \tau_e)$, which is negative. The exhaust and suction strokes do not enter into consideration, the temperature being assumed as constant.

tion, the temperature being assumed as constant. The diagram is completed by drawing OX at the absolute zero of temperature, when the work done per cycle = area abcd; heat received per cycle = area ObcX; thermal efficiency = $abcd \div ObcX$; heat rejected into exhaust = area OadX.

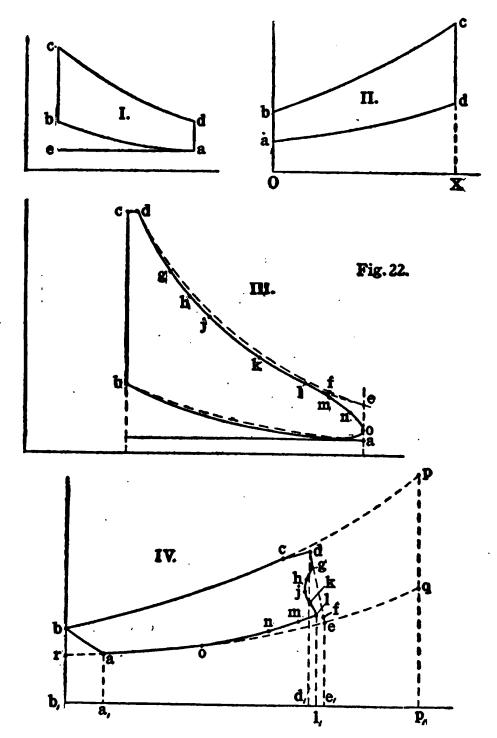
Since $(\phi_c - \phi_b) = (\phi_d - \phi_a)$ and bc is governed by the same law as ad, the ratio of the two temperatures is constant and dependent only on the amount of compression, a high ratio resulting in a correspondingly increased

The indicator card of a Crossley Otto engine tested by Prof. Capper

is shown in III, Fig. 22, the data for and a more complete analysis of which

may be found in Golding's "Theta Phi Diagrams."

Cylinder, 8.5 in. diam. by 18 in. stroke, vol. -0.591 cu. ft., clearance vol. =0.2467 cu. ft., total vol. =0.8377 cu. ft. R.p.m. =162.5, explosions per min. =71.2, net I.H.P. =13.32. Gas used per hour =279.75 cu. ft., gas per explosion =0.06544 cu. ft. at 518° F. and 14.8 lbs. pressure, abso-



lute (=0.0822 cu. ft. at temperature and pressure at a, or 605° and 13.8 lbs.) Pressures in lbs. per sq. in. at a, b, c, d and e=13.8, 67.8, 240, 240 and 48.71, respectively. Volumes in cu. ft. at same points =0.8377, 0.2467, 0.2467, 0.2617 and 0.8377, respectively. Since $p_a V_a^x - p_b V_b^x$, from the above values of p and V, x = 1.3707 for the ideal expansion curve = 1.3022 for the compression curve (both dotted). The location of e is found by

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The heat transformed into work = area abcdiloa. This, however, does not represent the total heat generated during the explosion. The total available heat of each explosion = 36.04 B.T.U. (or that of 0.001877 lb. of gas, whose calorific value is 19,200 B.T.U. per lb.). To represent this on the diagram, produce be to p so that the area $b_1bpp_1 = 36.04 + 0.049747 =$ 724.5 B.T.U. per lb. of mixture. $\tau_p = \tau_b + \tau_r$ ($\tau_r = \text{the rise in temperature}$ from b due to complete combustion). $\tau_r = 724.5 + kv = 3.955^{\circ}$ and $\tau_p = 3.955 + 840 = 4.795^{\circ}$. Net heat transformed into work = abcdilo = 8.2 B.T.U. per explosion, or 22.75% of the total available heat. Heat given to cylinder walls during compression stroke = $a_1abb_1 = 0.77$ B.T.U. Heat given to exhaust = a_1aomll_1 = 13.63 B.T.U. The remainder ($l_1lidepp_1$ = 13.44 B.T.U.) is transmitted through the cylinder walls, and the total heat passing through walls = 13.44+0.77 = 14.21 B.T.U. = heat given to jacket water plus that radiated from the exterior surface of cylinder head and piston.

In an ideal engine (i.e., one with a non-conducting cylinder, complete combustion, exhaust at constant volume, adiabatic expansion and compression) the work per explosion = area rbpq, and the maximum possible work = 100 $(\tau b - \tau_a) + \tau b$ per cent of the total heat evolved, = 100(840 - 580) + 840 = 30.95% of the 36.04 B.T.U. = 11.154 B.T.U. per explosion. The net work actually obtained = 8.2 B.T.U. = 73.5% of the maximum. The same general method is employed for oil engines, temperatures being calculated from $PV = R\tau$, etc. In a Diesel engine where oil is sprayed into the cylinder under air pressure for 5 to 10% of the combustion stroke, $k_p = 0.264$ (mean value) and if γ is taken at 1.408, $k_v = 0.1875$.

STEAM TURBINES.

Turbines are machines in which a rotary motion is obtained by means of the gradual change of the momentum of a fluid.

In steam turbines the energy given out by steam during its expansion from admission to exhaust pressure is transformed into mechanical work, either by means of pressure or of the velocity of the steam while expanding.

The De Laval turbine is one of pure impact and consists of a wheel carrying a row of radially attached vanes or buckets. The steam is delivered to these vanes from stationary nozzles, in which it is fully expanded (thus attaining the highest practicable velocity) and after passing the vanes is exhausted either into the atmosphere or into a condenser. The nozzles are inclined to the plane of the wheel at an angle of 20°; the inlet and outlet angles of the vanes range from 32° to 36° according to the size of the turbine. The best peripheral velocity is about 47% of the steam Economical reasons restrict it to about 1,400 ft. per sec. for large wheels and 500 ft. per sec. for small ones. R.p.m. of wheels range from 10,000 to 30,000, and are reduced to 0.1 these values by helical gears.

In the Parsons turbine a drum with rows of radial vanes revolves in a stationary case. Between each row of moving vanes there is a ring of vanes fixed to the case which deflects the direction of the steam flow to the next rotating row of vanes. The diameters of drum and casing increase in steps from inlet to exhaust end, the steam flowing through the vanes in the annular space between the drum and case. The expansion is prac-

tically adiabatic

The Rateau musticellular turbine in effect consists of a number of wheels of the De Laval type mounted side by side on the same shaft, each wheel rotating in a compartment of its own and the exhaust of each wheel being led through nozzles or openings in the partition walls to the next succeed-Step-by-step expansion and moderate speeds are thereby ing wheel. obtained.

In the Curtis turbine the nozzles deliver steam at a velocity of about 2,000 ft. per sec. and this velocity is absorbed by a series of moving vane wheels on a vertical shaft with alternating fixed rings of stationary guide

blades, similar to Parsons' arrangement.

When the initial velocity has been absorbed the steam is again expanded through another set of nozzles to a further series of wheels, and so on. By this compounding the peripheral speed is kept down around 400 ft. per sec. In the following table the pressures are gauge pressures.

Steam Turbine Data.

Make.	Size.	Vacuum.	Steam Pres- sure. lb.	R.P.M	Super heat.	- n K	T711	per Hour. Load.
T	400 TZ 3T	in.		0.000				TO 11 TO
Parsons.	400 K.W		125	3,300	0		15.41	per B.H.P.
•	1,250 ''	25	150	1,200			14.4	44 44 .
6.6	1,250 "	28	150	1,200	77		13.2	" E.H.P.
De Laval.	30 H.P		100	2,000	• •	41	40	" B.H.P
DU Lavai.	30 11:1	• • • • • •	50	2,000	• • • • •		50	61 11
4.6		05 5			• • • • •	50		
• •	ου	25.5	125	2,000		25-30		
44	300 ''	27	200	900	20-90	16.5	14.5	46 44
4.6	300 ''	27	200	900		17.5	15.5	44 44
Curtis.	2,000 K.W	28.8	160	750	242	16.3	15.3	" K.W.
Rateau	500 H P	(1.33 g)	-6 2	2.400		18	-0.0	" Ē.H.P.
Traveau	000 II I	(1.00 g)	U.A	2,100	• • • • •	10		12.11.1 .
6.6	500 44	/1 co d	101	0.400			12 .	44 44
4.6	500	(1.63 €)	121	2,400		• • • • •		66 66
••	500 . "	29	180	2,400	90		11.5	••
Westinghou	.se-							
Parsons.	600 ''	28	150		100	14.34	12 48	" B.H.P.
44	600 ''	28	150	• • • • •		15.86		11 11.11.
	UUU	40	100	• • • • •	U	10.00	TO . OA	

Flow of Steam through Nozzles. Zeuner's fermula for the velocity of steam flowing through a nozzle and expanding adiabatically may be simplified to the following form without involving appreciable error:

v (in ft. per sec.) = $224\sqrt{h-h_1+ls-l_1s_1}$ (1), where k and k_l are the initial and final heat in the water in B.T.U., l and l_l the initial and final latent heat in the steam in B.T.U., and s and s_l are the initial and final degrees

of saturation of the steam. $s_1 = s - (t - t_1)(c - t)x \cdot 10^{-7}$ (2), where $s_1 =$ saturation after adiabatic expansion, s =initial saturation, t and t_1 are temperatures (F°) before and after expansion.

Values of c and x. (s is assumed or ascertained beforehand.)

When
$$s = 1$$
 .95 .90 .85 .80 .75 .70 $c = 900$.870 845 833 817 770 710 $x = 16.6$ 15.7 14.7 13.4 12 11.5 11

The weight of steam delivered per sq. in. of nozzle cross-section per minute in lbs., w=0.417v+su (3), where u=cu. ft. in 1 lb. of dry steam at the pressure corresponding to v.

At that section of the nozzle where the pressure has dropped to 58% of the initial pressure the flow per sq. in. is greatest, hence this section is the smallest and the nozzle diverges from this point to the mouth.

The theoretical minimum weight of steam per H.P. hour, W = 127,000,000

 $+v^2$ (at mouth) (4).

(The foregoing matter has been derived from an article by A. M. Levin in Am. Mach., 6-30-04.)

Example —Steam at 185 lbs. (absolute) containing 20% of moisture (s=0.8) is required to expand adiabatically in a nozzle to 1 lb. (absolute). p at throat = $185 \times 0.58 = 107.3$ lbs. From formula (2) and steam-tables the following values are found

p.	lbs.	t°.	l.	8.	u.	h.
Initial		375	848	0.800	2.45	348
Throat	107.3	333	879	.778	4.08	304
Mouth	1	102	1 043	655	334	70

Substituting in (1) and (3), v at throat = 1,391 ft. per sec., v at mouth = 3,703 ft. per sec., w at throat = 182.75 lbs. per sq. in. per min., and w at mouth = 7.058 lbs. per sq. in. per min.

Area of cross-section at mouth = $(182.75 + 7.058 = 25.9) \times$ section at throat. Min. wt. of steam per H.P. hour (from (4)) = 9.27 lbs. The kinetic energy of 1 lb. steam = $v^2 + 2g$; if v = 3,703, kinetic energy = 213,200 ft.-lbs.

In designing a nozzle, calculate v at mouth from the conditions assumed then $v^2(\text{mouth}) + 2g = \text{kinetic energy of 1 lb. of steam in ft.-lbs.}$ Assume

this energy to develop from 0 at the inlet to its full value at the mouth by equal increments per increment of nozzle length, and plot curve of velocities corresponding thereto. Assume several pressures between supply and mouth and find the corresponding velocities from (1), locating these pressures vertically under the corresponding velocities on the curve, and draw a second or pressure-curve through these points. Determine s, h, l, and u from steam-tables and formula (2) and find values of w by formula (3) for the various pressures chosen. The reciprocals of w will be the sq. in. of cross-section per lb. of steam per min., which, if plotted, will give points in the curve of nozzle cross-section.

(For an elaboration of this subject, consult Stodola's "The Steam Turbine," translated by Dr. L. C. Loewenstein, D. Van Nostrand Co.)

LOCOMOTIVES.

Train Resistance. $R_1 = 3\left(\frac{V+12}{V+3}\right) + \frac{V^2}{200}$ (European practice, Fowler's Pocket Book); $R_1 = 3 + \frac{V}{a}$ (Baldwin Loco. Wks.); $R_1 = 4 + 0.005V^2 +$ $(0.28+0.03N)\frac{V^2}{W}$ (Wellington); $R_1=4+\frac{72}{130}$ (Wellington, for any loading, 5 to 35 mi. per hr.); $R_1 = 3 + .0386V + \left(\frac{17.1}{w} + 1.036\right) \frac{V^2}{1.000}$ (Von Borries).

In these formulas R_1 =resistance in lbs. per ton of 2,000 lbs. (2,240 lbs. for first formula), V=speed in miles per hour, N=number of cars in train, W=weight of train in tons of 2,000 lbs., and w-wt. of one car in tons. Resistance due to grade in lbs. per ton (2,000 lbs.), R_2 =0.3788G, where G=grade in feet per mile.

Curve resistance, in lbs. per ton, $R_3 = 0.5682A$, where A = angle of curve in degrees. (The angle of a railway curve is the angle at the center subtended by a chord of 100 ft. The radius of a curve of A degrees - 5,729.65 ft. $\div A$.)

Acceleration resistance (due to change of speed), $R_4 = 0.0132(V_1^2 - V^2)$.

Acceleration resistance (due to change of speed), $R_4 = 0.0132(V_1^2 - V^2)$. where V_1 is the higher speed.

Total resistance, $R = R_1 + R_2 + R_3 + R_4$.

Horse-Power = $(WVR \times 5,280) + (33,000 \times 60) = 0.002666WVR$.

Tractive Power cannot exceed the adhesion, which varies from 20% of the weight on the drivers when rails are wet or frosty, to 22.5% when dry. At starting 25% may be attained by the use of sand.

Tractive power = $d^2p_1s \div d_1$, where d and d_1 are respectively the diams. of cylinder and drivers in in., p_1 the mean effective pressure in lbs. per sq. in., and s=stroke in in. M.E.P.=boiler pressure $p \times c$ (approx.). Values of c:

Cut-off = . .
$$\frac{1}{8}$$
 $\frac{1}{4}$ $\frac{1}{8}$ $\frac{1}{2}$ $\frac{1}{8}$ $\frac{1}{4}$ $\frac{7}{8}$ $\frac{1}{1}$ $\frac{7}{8}$ $\frac{1}{1}$ $\frac{7}{8}$ $\frac{1}{1}$ $\frac{1}{1}$

The average m.e.p. decreases as the piston speed increases, as shown in the following from Bulletin No. 1, Am. Ry. Eng. & Maintenance of Way Assn.:

Piston speed (ft. per min.). 250 300 400 500 M.E.P. (%)...... 85 80.2 70.8 62 600 800 1,000 1,200

For compound engines of the Vauclain 4-cyl. type, Tractive power in lbs. $= pe(2.66D^2 + d^2) \div 4d_1$, where p = boiler pressure, and D = diam. of high-pressure cyl. (For a 2-cyl. or cross-compound, omit d^2 from formula.)

The tractive power decreases as the speed increases, as shown by the following table, where $r = \text{stroke} \div \text{diam}$. of driver, and a speed of 10 mi. per hr. is taken as unity.

V = .	10	15	20	25	30
(r=0.429)	1	.88	.75	.64	.53
(r=0.536)	1	.83	.67	.54	.45

Weight of Train in tons, for average freight work (including engine and tender) $W = \text{tractive power} + [6 + 20 \times (\text{grade in per cent})]$. The weight of freight carried may be taken as (W - wt. of loco.) + 2. H.P. = Tractive

power $\times V + 375$.

Grate Area in sq. ft. $=d^2s+C$ (d and s in in.). For express locomotives, simple, C=197 to 288 (average practice = 240); compound, C=118. For freight locomotives, simple, C=250 to 290 (-500 for very heavy locos.); compound, C=132 to 197 (=177 for good practice). (For compound locos. d=diam. of h. p. cyl.)

Heating Surface = Grate area $\times C$. For passenger locomotives, C=47 to 75 (=70 for good practice). For freight locos., C=65 to 100 (best practice on heavy locos., C=78 to 90)

Diameters of Cylinders. $d=0.542\sqrt{d_1w+ps}$, where w= weight on drivers in lbs. For the diam. of h. p. cyl. in a compound engine replace 0.542 in formula by 0.4 to 0.46. Diam. of l. p. cyl.=(1.56 to $1.72)\times$ diam. h. p. cyl.

Areas of Steam-Ports. For simple locos., A = 7.5% of cyl. area. For heavy, modern freight locos., A = 10% of area of h. p. cyl. and 4.5 to 6.5% of l. p. cyl. area.

Areas of Exhaust-Ports, simple, about $2.5 \times \text{area}$ of steam-port.

Piston-Valves. Diam. of valve $= 0.4 \times \text{cyl.}$ diam.

Coal Consumption. From 120 to 200 lbs. per hour per sq. ft. of grate area.

Under favorable conditions one I.H.P. requires the combustion of 4

to 5 lbs. of coal per hour.

Balancing. To avoid oscillations the forces and couples in a horizontal plane due to the inertia of the reciprocating parts must be eliminated

as far as possible.

Let W=combined weight of crank-pin, connecting-rod, cross-head, piston-rod and piston+one-half the weight of one crank-arm. case of an inside cyl. take the weight of one web in place of crank-arm wt.

r=radius of crank; R=radius of c. of g. of balance-weight; a=distance between centers of wheels (i.e., c. to c. of rails); b=distance between centers of cyls. Then, the weight of each balance-weight, W_b =

 $\frac{Wr}{aB}\sqrt{\frac{a^2+b^2}{2}}$, $\frac{b^2}{a}$, and $\tan \theta = \frac{a-b}{a+b}$, where $\theta =$ angle between radius to c. of g. of balance-weight from wheel center, and the center line of the near crank produced. For inside cyls. both balance-weights fall within the quadrant bounded by the produced center lines of the cranks. For outside cyls. $\tan \theta$ is negative and the balance-weights are outside of the said quadrant.

In the U.S. the balance-weights are equally divided between the wheels coupled together; in England they are concentrated on the drivers. The

U. S. method reduces the hammer-blow on the rails, and to still further lessen this, some builders balance only 75% of the reciprocating weight. Another rule is as follows: On the main drivers place a weight equal to one-half the weight of the back end of the connecting-rod plus onehalf the weight of the front end of connecting-rod, piston, piston-rod, and cross-head. On the coupled wheels place a weight equal to one-half the weight of the parallel-rod plus one-half the weights of the front end of the main-rod, piston, piston-rod, and cross-head. Balance-weights to be opposite the crank-pins and their centers of gravity must be at the same distances from the axles as the crank-pins.

Friction of Locomotives. An 8-wheel Schenectady passenger locomotive tested by Prof. W. F. M. Goss gave the following results. (Cyl.

 17×24 , drivers, 63 in., wt., 85,000 lbs.)

Cut-off at $\frac{1}{2}$ stroke, friction at 15 mi. per hr. = 12% of $\frac{1}{2}$ of $\frac{1$ of total power.

Dimensions of Modern Locomotives.

Type		Degg								
		1 250 E	Jan Book I				Treign	10		
Railroad		Penna. A ,T.&S.F.	Alton.	Prussian	B. & O.		Paris &			
				State.	Mallet		Orleans.	-Atch., Top. &	Pop. & Santa	ita Fé
:	ļ			Borries.)	Comp.)		4 cyl.	•	ı	
Builder	Am. Loco.	Baldwin.	Baldwin.	Hanover	Am.	Am. Loco.	Soc. Alsa-	Am. Loco.	Baldwin.	Baldwin. Baldwin.
	<u>.</u>	,	,	Mch. Co.	<u>Loco</u> . ငှ		cienne.	ප්		•
Arrangement.	T4-4-2	4-4-2	4-6-2	4-4-2	0-12-0	7-8-0 7-8-0	4-4-2	2-10-0	2-8-2	2-10-0
Unvers, diam., in.	3	73	8	11	26	21	8	22	22	22
Wt. on drivers, Ibs.		000,06	141,700	67,000	334,500	201,000	79,500	232,000	199,670	237,800
total, ibs.	176,600	187,000	219,000	132,650	334,500	227,000	161,200	259,800	261,720	267,800
per driv'g-axle.		45,000	47,233	33,500	55,750	50,250	39,750	46,400	20,000	47,580
Cyls., diam., in.		15 & 25	22	14류 & 22뉴	20 & 32	16 & 30	14류 & 254	174 & 30	18 & 30	19 & 32
stroke, in	56	56	88		32	30	254	32	32	32
Boiler, type	Belpaire	Wagon top	Straight	ğ	Straight	Ext.	Straight	Ext. wagon	Wagon	Wagon
			top			wagon top	top	top	top	top
diam., in.	29	99	22	56H inside	82 inside		65# inside	784	784	784
Working	1	,)	,	•
pres. lbs. 205 220 220	205	220		200	235	210	228	225	225	225
r upes, diam of igth	Z.X15. I	Z+"×18" 1"		2"×14′ 7击"	**************************************	2"×14' 9"	24"×14' 54"	2‡"×18'	6" 2\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	2 1 ″×19′
Hooting	212	273	328	241	436	204	*126 (Serve)	413	463	463
treating surrace,		000	0,0	•		1			1	1
Heating surface	2,4/4	2,839	3,848	1,632	5,366	3,915	2,403	4,476	5,156	5,156
fire law and fit		8	066	100	010	50	741	900	010	768
Total Harasan	9,630	2000	200	1,100	817	777	#/T 0	009	017	707 204
Grafe area so. ft.		0,029 49 4	4,0,4 5,4		0,000	4,142	7,0,7	4,004 50 K	0,300 58 F	0,380 58 K
Simple or com-	Simple	Bal. comp.	Simple	4 cvl bal.	Tandem	Tandem	Bal. comp.	Tandem	Vauclain	Tandem
pound.	•							0000	2000	
Wheel base, drivers	2, 2,,	8, 4"	13' 9"	%,101,%	30' &'.	15/	1,4 1/4	20.5	16,7	% 4%.
total	30, 84,	25,	32, 8,	29, 64,	30,8%	23' 7"	28' 64'	28' 11"	31, 64"	29, 10,
Superheatersurface)	•				
in sq. ft.				289						
# Same tithes have intermed longituding	omoșu; osc	1 100000	of with market	1.						-

* Serve tubes have internal longitudinal ribs which render cleaning difficult, but on account of increased surface they have from 30 to 50% greater efficiency.

† 4-4-2 indicates wheel arrangement, thus: 4 front truck wheels.—4 drivers.—2 trailers.

STEAM-BOILERS.

Horse-Power. The capacity of a boiler is fully expressed by stating the quantity of water it is capable of evaporating in a given time under given conditions, and the H.P. of the steam so generated depends entirely on the economy of the engine in which it is used. There is, however, a commercial demand for rating boilers in terms of H.P. and the A.S.M.E. committee has recommended the following: The unit of commercial H.P. developed by a boiler shall be 34.5 lbs. of water evaporated per hour from a feed-water temperature of 212° F. into dry steam of the same temperature, —hich is equivalent to 33,317 B.T.U. per hour and also practically equivalent to an evaporation of 30 lbs. of water from 100° F. into steam at 70 lbs. gauge pressure.

Heating Surface is all that surface which is surrounded on one

side by water to be heated and on the other by flame or heated gases. Heating surface in sq. ft., A = cQ + H, where Q = quantity of water evaporated per hour, H = total heat of the steam at boiler pressure, and c for locomotive boilers = 90, for Scotch marine boilers = 180, for Cornish - 220,

for plain cylinder - 280, for return-tubular and water-tube boilers = 400. Relative Values of Heating Surfaces per sq. ft. compared with flat plates Flat plate above fire, 1; cylindrical surface above and concave to fire, 0.95; same, but convex, 0.9; flat surface at right angles to the current of hot gases, 0.8; water-tube surface, same as last, 0.7; sloping surface at side of and inclined to the fire, 0.65; vertical surface at side of fire, 0.5; locomotive boiler tubes,—not more than 3 ft. from fire-box tube plate, 0.3. Horizontal surfaces underneath the fire and the lower half of internally heated tubes are not considered as effective.

Ratio of Heating Surface to Grate Surface. Plain cylinder, 10 to 15; Scotch marine and Cornish, 25 to 40; Lancashire, 26 to 33; horizontal return-tubular, 30 to 50; water-tube, 35 to 65; locomotive, 60

Areas of Tubes and Gas Passages. Area near bridge wall = | grate Tube area (total)=0.1 to 0.11×grate surface for anthracite and 0.14 to 0.17 x grate area for bituminous coal, both at moderate rates of combustion (Barrus).

Holding Power of Tubes. Expanded only, 5,000 to 6,000 lbs.:

expanded and flared, 19,000 to 20,000 lbs.

Boiler Efficiencies. For the purpose of comparison it is customary to express the evaporation in lbs. of dry steam per lb. of pure combustible, and in order to eliminate the effects of variation in the temperature of the feed-water, the results are reduced to what is termed "the equivalent evaporation" from and at 212° F. (See page 59.) The complete combustion

 $\frac{14,600}{965.7}$ = 15.3 lbs. of water from of 1 lb. of pure carbon will evaporate

and at 212°. 192 American boiler tests summarized by H. H. Suplee give 10.86 lbs. per lb. of fuel, which may be considered as good practice, ordinary averages being from 6 to 8 lbs. per lb. of fuel. 12.5 lbs. evaporation is generally the best obtainable from high-grade fuels like Pocahontas and Cumberland coals. One test, however, is recorded showing an evaporation of 13.23 lbs. per lb. of Cumberland coal.

Performance of Boilers (D. K. Clark). $w=Ar^2+Bc$, where w=lbs. water evaporated from and at 212° F. per sq. ft. of grate per hour, r=ratio of heating to grate surface, and c=lbs. fuel per sq. ft. of grate per hour.

of heating to grate surface, and c=lbs. fuel per sq. ft. of grate per hour. A and B are respectively as follows: Stationary boilers, 0.0222 and 9.56; marine, 0.016 and 10.25; portable, 0.008 and 8.6; locomotive, 0.009 and

9.7

Materials and Tests. (From Am. Boiler Mfrs. Assn. Uniform Specifications.)

Cast Iron. Should be soft, gray, and highly ductile; used only for

hand-hole plates, man-heads, and yokes.

Steel. Homogeneous open-hearth or crucible.

Shell Plates not exposed to direct heat. Tensile Strength (T.S.)

65,000 to 70,000 lbs. per sq. in.; elongation > 24% in 8 in. Phosphorus (P)

and Sulphur (S) < 0.035%.

Shell Plates exposed to direct heat. T.S. = 60,000 to 65,000 lbs., elongation > 27% in 8 in., P < 0.03% and S < 0.025%.

Fire-Box Plates (exposed to direct heat). T.S. = 55,000 to 62,000 lbs., elongation > 30% in 8 in., P < 0.03% and S < 0.025%.

Test Pieces to be 8 in. long with a cross-section > 0.5 sq. in.; width = or>thickness, edges machined. Up to 0.5 in thickness, plate must stand bending double and being hammered down flat upon itself. Above 0.5 in it must stand bending 180° around a mandrel of diam. = 1.5t. Bending-test pieces must not be less than 16t in length, edges must be machined

and pieces must be cut both lengthwise and crosswise from plate.

Rivets must be of good charcoal iron or of soft mild steel having same properties as fire-box plates. They must be tested hot and cold by driving down on an anvil with the head in a die, by nicking and bending and by bending back on themselves cold, all without developing cracks or flaws.

Tubes to be of charcoal iron or mild steel made for this purpose, lap-welded or drawn. Tubes must be round, straight, free from blisters, scales, and other defects and tested under an internal hydrostatic pressure of 500 lbs. per sq. in. Standard thicknesses (B.W.G.):—No. 13 for 1 to 1½ in. tubes, No. 12 for 2 to 2½ in., No. 11 for 2½ to 3½ in., No., 10 for 3½ and 4 in. No. 652 41 and 5 in.

and 4 in., No. 9 for 4½ and 5 in.

Tube Tests. A section cut from one tube selected at random from a lot of 150 or less must stand hammering down vertically when cold without cracking or splitting. Tubes must also stand expanding flange over

on tube plate.

For tubes............1 to $1\frac{1}{4}$ 2 to $2\frac{1}{2}$ $2\frac{1}{4}$ to $3\frac{1}{4}$ 3\frac{1}{4} to 4 4\frac{1}{4} to 5 in. in diam. Length of test piece = $\frac{1}{4}$ 1 $\frac{1}{4}$ 1 $\frac{1}{4}$ in.

Stay Bolts of iron or mild steel must show on an 8 in. test piece as follows: Iron, T.S. > 46,000 lbs., elastic limit > 26,000 lbs., elongation > 22% for sections under 1 sq. in. and > 20% for larger sections. For steel these values are respectively > 55,000 lbs., > 33,000 lbs., > 25%,

and >22%.

Tests. A bar taken at random from a lot of 1,000 lbs. or less and threaded with a sharp die to a V thread with rounded edges must bend cold 180° around a bar of same diam. without developing cracks or flaws. Another bar, screwed into a well-fitting nut of the material to be stayed and riveted over, must be pulled in a testing machine. If it fails by pulling apart its strength is measured by the T.S. If failure is due to shearing, the measure of strength is the shear stress per sq. in. of mean section in shear.

(Mean section = $\frac{t \text{ of pla}}{2}$ × circumf. at half height of thread.)

Braces and Stays to be of same material as stay bolts. determined from a 10 in. bar from each lot of 1,000 lbs. or less.

All bending and hammering tests indicated above must develop no flaws,

cracks, splitting, opening of welds, or any other form of distress.

Workmanship and Dimensions. Flanging, bending, and forming should be done at suitable heats, no bending or hammering, however, being allowed on any plate which is not red by daylight at the point worked upon and at least 4 in. beyond it. Rolling to be by gradual increments from the flat plate to a true cylindrical surface, including the lap. The thickness of bumped or spherically dished heads should equal that of a cylindrical shell of solid plate whose diam. is equal to the radius of curvature of the dished head, an increase of t being taken to allow for rivet holes, manholes, etc.

Rivet holes should be perfectly true and fair, either drilled or cleanly punched, burrs and sharp edges to be removed by slight countersinking and burr-reaming both before and after sheets are joined. Under sides of original rivet heads to be flat, square, and smooth. Allow length of 11 diam for stock for heads, for \$ to 11 in. rivets, and less for larger sizes. Allow 5% more stock for driven head for button-set or snap rivets. For Allow length of machine-riveting, total pressure on die = 35 tons for \$\frac{3}{2}\$ in. rivets, 57 tons for \$\frac{1}{2}\$ in. rivets, 65 tons for 1 in., and 80 tons for \$1\frac{1}{2}\$ and \$1\frac{1}{2}\$ in. rivets. Approximately, make d of rivet hole = 2t (of thinnest plate), p'' = 3d, distance between pitch lines of staggered rows = 0.5p'', lap for single-riveting = p'', lap for double-riveting = 1.333p'' (add 0.5p'' for each additional row of rivets). For exact dimensions make resistance to shear of aggregate rivet section = >1.1×T.S. of net metal. Holes<\frac{1}{2} in in steel may be punched, above \frac{1}{2}, punch and ream, or drill. Drift-pins to be used only to pull plates into position,—never to enlarge holes. Calking to be done only

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C=75 for plates exposed to heat or flame, steam being in contact with the plates, stays fitted as where C=125, above.

=67.5, same condition, but stays fitted with nuts only.

=100 for plates exposed to heat or flame, water being in contact with the plates, stays screwed into plates and fitted with nuts.

-66, same condition, but stays with riveted heads.

(Above values for steel plates; for iron plates take 80% of same.) $(\mathbf{U}.\mathbf{S}.) P = Ct_1 \div p^2.$

C=112 for plates $\frac{7}{18}$ in. and under, with screw stay bolts and nuts, with plain bolt ntted with single nut and socket, or with riveted head and socket.

= 120 for plates thicker than $\frac{7}{16}$ in. for same fastenings.

= 140 for flat surfaces, stays fitted with inside and outside nuts. = 200, same as for C = 140, but with the addition of washer riveted to plate, whose thickness is at Last 0.5t of plate and whose diam. $=0.4\times$ pitch of stays.

N.B. Plates fitted with double angle-irons and riveted to plate with leaf at least \$t\$ of plate and depth at least \$\frac{1}{2}\text{pitch are to be allowed the same pressure as that determined for plate with washer riveted on.

No brace or stay bolt in a marine boiler to have a pitch greater than

10.5 in. on fire-boxes and back connections.

 $P = \frac{3,300t}{d} \left(5 - \frac{L+12}{60t} \right).$ Plates for Flanging (B.T.). This formula is

for the strength of furnaces stiffened with flanged seams where L < 120t - 12,

the flanges being properly designed and formed at one heat.

Long furnaces (B.T.). $P = Ct^2 + (l+1)D_1$, where 3,000 for single-strap butt-joints single-riveted, Furnace Flues. >(11.5t-1). C=88,000 for single-strap butt-joints single-riveted, =99,000 for welded joints or butts with single straps double-riveted, l > (11.5t - 1). and also for double-strap butt joints single-riveted.

P from above formula should not exceed the value given by the following

formula for short and patent furnaces. Short Furnaces, Plain and Patent (B.T.). $P=ct+D_1$, where c=8,800 for plain furnaces; = 14,000 for Fox (max. and min. $t=\frac{1}{5}$ and $\frac{1}{16}$ in. and plain part < 6 in. long); = 13,500 for Morison, same conditions as Fox; = 14,000 for Purves-Brown (max. and min. $t=\frac{1}{5}$ and $\frac{1}{15}$ in., plain part < 9 in. long).

Long Furnaces (U.S.). $P=89,600t^2+lD_1$ (l not to exceed 8 ft.). Short Furnaces (U.S.). $P=ct \div D_1$, where c=14,000 for Fox ($D_1=$ mean diam.); =14,000 for Purves-Brown ($D_1=$ flue diam.); =5,677 for plain flues >16 in. diam. and <40 in. diam. when not over 3-foot lengths. Stay Girders (B.T.). $P=Cd_1^2t_2+(W-p_1)D_2l_1$, where C=6,600 for 1 bolt, =9.900 for 2 or 3 bolts and =11,220 for 4 bolts. Tube Plates (B.T.). $P=20,000t(D_3-d_2)+W_1D_3$. Crushing stress on tube plates caused by pressure on top of flame-box to be <10,000 lbs.

per sq. in.

Air Passages through grate bars should be from 30 to 50% of grate area, the larger the better, in order to avoid stoppage of air supply by clinker, but with clinkerless coal much smaller areas may be used.

COMBUSTION.

Combustion or burning is rapid chemical combination accompanied by heat and sometimes light, during which heat is evolved equal to that required to separate the elements.

In the burning of a simple hydrocarbon (e.g., marsh gas), the combus-

tion being complete,

Marsh Gas + Oxygen = Carbon Dioxide + Water (Steam);

CH₄ + 2O₂ = CO₂ + 2H₂O

10 10 12 1 and 16 resi

or, taking the atomic weights of C, H, and O as 12, 1, and 16, respectively, $(12+4)+2(16\times2) = [12+(16\times2)]+2(2+16)$,

i.e., 16 lb. + 64 lb. 44 lb. + 36 lb.2.75 lb. 1 lb. + 4 lb. yields +

Also, 1 lb. C burnt to CO₂ yields 14,600 B.T.U. and 1 lb. H burnt to H_2O yields 62,000 B.T.U., and, as 1 lb. $CH_4=\frac{1}{4}$ lb. $C+\frac{1}{4}$ lb. H, then 0.75 lb. C+O yields $14,600\times0.75=10,950$ B.T.U. 0.25 " H+O " 62,000 \times 0.25 = 15,500 "

Experimentally, about 2,800 B.T.U. less are obtained, the loss being required to effect the work of decomposing the C and H.

Good, dry bituminous coal contains on the average, by weight Carbon, 83.5%; Hydrogen, 4.6%; Oxygen, 3.15%; Nitrogen and Sulphur (inactive elements), 8.75%.

In 100 lbs. of fuel the 3.15 lb. O is already united to ($\frac{1}{2} \times 3.15$) 0.4 lb. H

in the form of water, consequently this H does not assist in combustion. This leaves 83.5 lb. C and 4.2 lb. H to be dealt with.

Now, 12 lb. C unite with 32 lb. O to form CO_2 (1:2.66) and 2 lb. H unite with 16 lb. O (1:8) to form H_2O . Consequently

83.5 lb. C require $83.5 \times 2.66 = 222$ lb. O

4.2 "H"

4.2×8 = 33.6"

Or, for 100 lb. coal, total = 255.6 " "

Air = 23% O + 77% N; therefore 23 100:: 255.6 + 100: 11.1, or 11.1 lb. of air are theoretically needed for the combustion of 1 lb. of the coal. practice the theoretical amount must be multiplied by 1.5 for gas furnaces, by 1.5 to 2 for good grates, and by 3 or more for defective furnaces.) Also, 0.835 lb. $C \times 14,600 = 12,191$ B.T.U. 0.042 "H $\times 62,000 = 2,604$ "

Total B.T.U. per 1 lb. coal = 14,795

The Calorific Value of a Given Fuel may be expressed by the following modification of Dulong's formula:

B.T.U. per lb. = 14,600 C + 62,000 $\left(H - \frac{O}{8}\right)$ + 4,000 S, where the pro-

portions of C, H, O, and S are determined by analysis.

Where a complete analysis of the coal is not obtainable the following formula of Otto Gmelin may be used B.T.U. per lb. = 144[100 - (w+a)]Tormula of Otto Gmein may be used B.T.U. per 1b. = 144[100 - (w+a)] - 10.8 wc, where w and a are the percentages of water and ash, and c is a constant varying with the amount of water. When w < 3%, c = 4; when w is between 3 and 4.5%, c = 6; w bet. 4.5 and 8.5%, c = 12; w bet. 8.5 and 12%, c = 10; w bet. 12 and 20%, c = 8; w bet. 20 and 28%, c = 6; w $\geq 28\%$, c = 4. Also, when C and C₁ are the percentages of fixed and volatile carbon, respectively, and H the percentage of hydrogen, B.T.U. per 1b. = $(14,600 \text{ C} + 20,390 \text{ C}_1 + 62,000 \text{ H}) \div 100$.

American Coals. Approximate Analyses and Calorific Values.

American Coarst 2	PPIVAII	IIIGUC IXI	AUL J BCB	and Ca	OTTIC V	aluca.
	Mois- ture.	Volatile Matter.	Fixed Carbon.	Ash.	Sul- phur.	B.T.U. per Lb. Coal.
Anthracites:	4 19	2.00	00 00	F 00	0.40	10.570
* E. middle field, Pa	4.12	3.08	86.38	5.92	0.49	13,578
*N.	3.42	4.38	83.27	8.20	.73	13,434
W.	3.16	3.72	81.1 4	11.08	.90	, 12,958
Semi-anthracite:			١	l	<u> </u>	
Loyalsock, Pa	1.3	8.10	83.34	6.23	1.03	14,247
Semi-bituminous.		1	1	<u>}</u>		
* Clearfield, Pa	.81	21.10	74.08	3.36	.42	14,985
* Cumberland, Md	.95	19.13	72.70	6.40	.78	14,461
* Pocahontas, Va		18.60	75.75	4.80	.62	14,854
* New River, W. Va	.76	18,65	79.26	1.11	.23	15,429
Bituminous:	'''	}		1	'	1,
* Youghiogheny, Pa	1.03	36.49	59.05	2.61	1.81	14.262
Connellsville, Pa	1.26	30.10	59.61	$8.\overline{23}$	1.78	13,946
Brazil, Ind	8.98	34.49	50.30	6.28	1.39	12,356
* Big Muddy, Ill		31.9	53	7.4	1.38	12,895
Streator, Ill.		37.63	45.93	8.14	1 -	12,047
	6.34	37.86	48.30	7.59	.49	
Rosyln, Wash	0.34	1 37.00	1 40.00	1 7.08	, **	12,429
(Cle-Elum.)	İ	1		1	1	1
Cokes:	(D TO II	L 1L	00 00	0.74	01	10.000
Connellsville, Pa	\ D . 1. 0	pr. lb. =		9.74	.81	12,988
Chattanooga, Tenn			80.51	16.34	1.595	
Birmingham, Ala			87.29	10.54	1.195	
Pocahontas, Va			92.53	5.74	. 597	13,509

Coals marked * are generally selected for boiler tests on account of availability, excellence of quality, and adaptability to various kinds of furnaces,

grates, boilers, and methods of firing.

The number of B.T.U. per lb. of coal is calculated by means of Goutal's formula: B.T.U. per lb. of coal = 14,760C + aV, where C = percentage of fixed carbon in the coal, V = percentage of volatile matter in the coal, and a = a variable depending on the ratio V_1 of the volatile matter to the amount of combustible in the coal.

Values of a:

$V_1 = V + (V + C) = 0.05$	0.1	0.15	0.20	0.25
$a.$ \ldots $= 26,100$	23,400	21,060	19,620	18,540
$V_1 \cdot \cdot \cdot \cdot = 0.30$	0.35	0 365	0.385	0.40
$a \cdot \ldots = 17,640$	16,920	16, 4 80	15,000	14,400

This formula is fairly accurate where the percentage of fixed carbon

This formula is fairly accurate where the percentage of fixed carbon is above 60; whenever exact results are required a calorimetric determination of the heating value of the particular fuel should be made.

Wood. 1 cord = 128 cu. ft., about 75 ft. of which are solid wood. 2.25 lbs. of dry wood are about equal to 1 lb. of soft coal in heating effect. Average wood (perfectly dry) has a calorific value of about 8,200 B.T.U. per lb.; if ordinary, air-dried (25% moisture), about 5,800 B.T.U. per lb.

Petroleum. Average composition = 0.847 C+0.131 H+0.022 O. Sp. gr.=0.87. B.T.U. per lb.=20,318 (Beaumont, Tex., crude oil, 18,500 B.T.U.).

Distillates from Petroleum (Calbar to Calbar) very from 71.42 to

Distillates from Petroleum ($C_{10}H_{24}$ to $C_{32}H_{64}$) vary from 71.42 to 7.77% C, and from 28.58 to 26.23% H. Sp. gr. = 0.628 to 0.792. Boiling-point varies from 86° to 495° F. B.T.U. per lb., from 27,000 to

Gas Fuels (B.T.U. per 1,000 cu. ft.): Natural gas, 1,100,000; coal-gas, 640,000 to 675,000; water-gas, 290,000 to 327,000; gasoline-gas, 517,000; producer-gas,—anthracite, 137,000; bituminous, 156,000.

Miscellaneous Fuels (B.T.U. per lb.): Spent tanbark, 4,280 (30% water) to 6,100 (dry); straw, 5,400 to 6,500; bagasse (sugar-cane refuse), 3,750, when fibre = 45%; corn, 7,800 (ordinary condition) to 8,500 (dry). Draft. Chimneys.

Kent. Gale-Meier. Ing. Taschenbuch.

Area,
$$A cdots = \frac{0.06F}{\sqrt{h}}$$

$$0.07F^{\frac{3}{4}}$$
Diam., $d = 0.242F^{0.4}$
Height, $h cdots = \left(\frac{0.06F}{A}\right)^2$

$$\frac{120}{t} \left(\frac{F}{G}\right)^2$$

$$0.216 \left(\frac{F}{G}\right)^2 + 6d.$$

Where F = total coal burnt per hour in lbs., t = temp. of discharge gases in F.°, G = sq. ft. of grate area, d = internal diam. in feet (A in sq. ft., h in ft.). The larger results obtained from the Taschenbuch formulas are probably due to the inferior evaporative power of German coals.

Intensity of Draft (f). f in inches of water = $h\left(\frac{7.64}{T_2} - \frac{7.95}{T_1}\right)$, where T_2 and T_1 are respectively the absolute temperatures of the external air and the chimney gases. f at the base of ordinary chimneys ranges from 0.5 to 0.75 in. In locomotives the vacuum induced by the steam-blast varies from 3 to 8 inches of water in the smoke-box and is about $\frac{1}{2}$ as much in the fire-box. The best value of $T_1 = 2T_2$, or about 585° F.

Temperature of Chimney Gases. To determine same approximately, suspend strips of the following metals in the chimney and note those which melt.

melt.

Velocity of Chimney Gases.

$$v$$
 in ft. per sec. = $\frac{8\sqrt{h}(\text{chimney temp.}-\text{air temp.})}{3.3 \times \text{chimney temp.}}$

(Temp. in F.°). Draft Pressures required for Combustion of Fuels (in inches of water). Wood, 0.2 to 0.25; sawdust, 0.35 to 0.5; do., with small coal. 0.6 to 0.75; steam coal, 0.4 to 0.75; slack, 0.6 to 0.9; do., very small, 0.75 to 1.25; semi-anthracite, 0.9 to 1.25; anthracite, 1.25 to 1.5; do.,

slack, 1.3 to 1.8.

Rate of Combustion (lbs. of fuel per hour per sq. ft. of grate area). Anthracite. 5 to 15; bituminous, 4 to 26. Ordinary combustion may be increased 50% by means of artificial draft. In locomotives the rate of combustion ranges from 45 to 85 and even 120 lbs. Low-grade or refuse fuels may be utilized to the artificial draft, the high rate of com-

bustion compensating for the low evaporative power of the fuel.

Mechanical Stoking. In the Jones underfeed stoker coal is fed into a hopper and pushed forward from the bottom thereof by a steamactuated plunger into the retort or fire-box from beneath, air being introduced at the top of retort. As the fresh coal approaches the fire from beneath its gases are liberated by the heat and pass upwards through the fire and are consumed,—aiding in the production of heat,—and the coal reaches the fire practically coked, the production of smoke being thus avoided. The manufacturers (Underfeed Stoker Co., Ltd., Toronto) claim that its use will effect a saving of from 18 to 25% of the fuel as compared with hand-firing.

BOILER ACCESSORY APPARATUS.

Feed-Water Heating obviates in large measure the strains that would otherwise be induced by introducing water into the boiler at ordinary temperatures, and also affords considerable economy.

Saving in per cent by heating feed-water with exhaust steam = $\frac{h_2-h_1}{H-h_1}$, where H=total heat of 1 lb. steam at boiler pressure, $h_1=$ total H=total heater before entering heater, and $h_2=$ same after leaving heat of 1 lb. water before entering heater, and h_2 = same after leaving heater.

For average conditions there is an approximate saving of 1% for each increase of 11° in the temp. of feed-water, which may be heated as high

Green's Economizer is a feed-water heater composed of tubes so situated in the flues between boiler and chimney as to intercept some of the heat of the waste gases. As the temperature of steam from 100 to 200 lbs. pressure ranges from 338° to 388° F., all heat in chimney gases above these temperatures is wasted unless a portion of it can be absorbed in some such manner. Average chimney temps. reach 600° F.

Economizers effect a gain in evaporative power of from 6 to 30%, fair results being set at 10 to 12%, with a cooling of flue gases of from 150°

to 250° F.

Condensers. In condensing the exhaust steam from an engine a partial vacuum is formed and the gain in power may be based on the increase of the mean effective pressure by about 12 lbs. per sq. in.

Jet Condensers, in which the exhaust is met by a spray of cooling water, should have a capacity of from ½ to ½ that of the low-pressure cylinder. Quantity of water required = 25 to 30 × wt. of steam to be condensed. Temp. of hot-well=110° to 120° F.

Surface Condensers should have vertical brass tubes for maximum efficiency and the water should flow downwards through them. Tubes should be as long as practicable and of small diam. (0.5 to 1 in.). Cooling surface of tubes = 1 to 3 sq. ft. per I.H.P., according to climate. 12.5 lbs. steam condensed per sq. ft. per hour is good practice. Q of circulating water = $30 \times \text{wt.}$ of steam condensed.

Q for jet condenser in lbs. $=\frac{H-t}{t-t_1}$, Q for surface condenser $=\frac{H-t}{t_2-t_1}$, where

 $t-t_1$ $H=1,114^{\circ}$ F.=total heat of 1 lb. exhaust steam, t=temp. of hot-well in F.°, $t_1=$ entering temp. of cooling water, and $t_2=$ temp. of water when leaving the condenser. Area of injection orifice=lbs. water per min. +650 to 750, or, =area of piston +250.

Evaporative Condensers. In these the exhaust is led through a large number of pipes cooled externally by trickling streams of water. This water evaporates, thus condensing the exhaust steam in the pipes, which is then pumped back into the boiler. Used where economy in water consumption is imperative. In well-designed condensers of this

class 1 lb. of water will condense 1 lb. of steam, as against the 20 to 30 lbs.

of water required in jet and surface condensers.

Air-Pumps in all condensers abstract the water of condensation and the air it originally contained when entering the boiler. In jet condensers they also pump out the condensing water and its content of air. size of an air-pump is calculated from these conditions, allowances being

made for efficiency. Volume of Air-Pump in cu. ft. = $\frac{c}{n}(q+Q) = \frac{I \text{ H.P.}}{r.\text{p.m.}} \times c_1$, where n = number of useful strokes per min.

where n = number of useful strokes per min., q = cu. ft. of water condensed per min., Q = cu. ft. of cooling water per min., c = 2.8 for single-acting and 3.5 for double-acting pumps. (For jet condensers only.) $c_1 = 0.41$ for single-acting pump and jet condenser, =0.17 for single-acting pump and surface condenser, and =0.27 for double-acting horizontal pump and jet condenser. Vol. of single-acting air-pump = Vol. of low-pres. cyl. +23.

Circulating Pumps. Capacity = Q + n. Diam. of cylinder in inches = $13.55\sqrt{Q} \div (n \times \text{length of stroke in feet})$. (For Q and n see Air-Pumps.) The area through valve-seats and past the valves should be large enough to permit the full quantity of condensing water to flow at a velocity

 \leq 400 ft. per min.

Fusible Plugs are screwed into those portions of boilers where the heating surface first becomes exposed from lack of water. They have a core of fusible metal at least 0.5 in. diam. tapered to withstand internal pressure. The U. S. Gov't specifies Banca tin which melts at 445° F. (2 Tin+1 Bismuth melts at 334° F., 3 Tin+1 Bismuth at 392° F.).

Safety-Valves, Area (U.S.). Lever valves: area=0.5 sq. in. per sq. ft. of grate area. Spring-loaded valves; \(\frac{1}{2}\) sq. in. per sq. ft. of grate area. Spring-loaded valves for water-tube, coil, and sectional boilers corrying over 175 lbs. pressure must have an area > \(\frac{1}{2}\) sq. in per sq. ft

carrying over 175 lbs. pressure must have an area > 1 sq. in. per sq. ft. grate area. Seats to be inclined 45° to axis. Spring-loaded valves to be supplied with a lever which shall raise valve from seat to a height equal to at least 1 diam. of opening.

(B.T.) Area in sq. in. = (37.5 × grate area in sq. ft.) + (gauge pressure + 15). Philadelphia Rule: Area in sq. in. = (22.5 × grate area in

sq. ft.) \div (gauge pressure +8.62). Ingenieurs Taschenbuch a=0.0644

where a =area of valve in sq. in. per sq. ft. of heating surface, p =max gauge pressure, V =cu. ft. of steam per lb. at pressure p.

Injectors (Live-Steam). Water injected in gals. per hour = 1,280 $D^2\sqrt{P}$, where D = diam of throat in ins., and P = steam pressure in lbs. per sq. in.

Area of narrowest part of nozzle in sq.in. = cu.ft. of feed-water per hour(gross). 800 V Pressure in atmospheres

An exhaust-steam injector One lb. steam will inject about 14 lbs. water. will feed against pressures < 80 lbs., the feed being at about 65° F. An auxiliary live-steam jet can be attached to feed against 110 lbs. pressure, and, by compounding another live-steam injector with it, a boiler may be fed up to about 200 lbs. pressure, the feed reaching boiler in this case at about 250° F.

Injector vs. Pump. Saving of fuel over amount required when a direct-acting pump feeds at 60° F. (without heater, boiler evaporating 10 lbs. water at 212° F. per lb. of fuel).

Injector feeding at 150°, no heater, through heater (from 150° to 200°). 1.5% 6.2° saving, Direct-acting pump through heater (from 60° to 200°), Garred (" 60° to 200°), 12.1% Geared

Steam-Pipes (B.T.). d = inside diam., t = thickness, both in inches: p =pressure in lb. per sq. in.

Copper Pipes. brazed, $t = \frac{1}{6,000} + \frac{1}{16}$ in., solid-drawn, $t = \frac{1}{6,000} + \frac{1}{37}$ in.

Lap-welded Iron Pipes, $t = \frac{pd}{6,000}$; Cast-iron Pipes, $t = \frac{pd}{3,500} + \frac{1}{4}$ in.

Provision should be made for expansion in long lines, which amounts to about 1 in. in 50 ft. for the range of temperatures usually employed.

INCRUSTATION AND CORROSION.

Incrustation or scale is the hard deposit in boilers resulting from the precipitation of impurities from water boiling at high temperatures. of 16 in. thickness will reduce boiler efficiency 16, and the reduction of efficiency increases as the square of the thickness of scale. A larger amount than 100 parts in 100,000 of total solid residue will generally cause troublesome scale, and waters containing over 5 parts in 100,000 of nitric, sulphuric, or muriatic acids are liable to cause serious corrosion.

Prevention and Cure of Boiler Troubles due to Water.

Troublesome Substance. Trouble. Incrustation. . Sediment, mud, clay, etc. Readily soluble salts. Bicarbonates of magnesia, lime, and iron.

Sulphate of lime.

Priming..... Carb. of soda in large amounts. Organic matter (sewage).

Corrosion..... Organic matter. Acid in mine waters. Dissolved carbonic acid and oxygen.

Grease.

Remedy or Palliative. Filtration, blowing-off. Blowing-off.

Heating feed and precipitating by addition of caustic soda, lime, magnesia, etc. Addition of carbonate of soda or barium chloride.

Addition of barium chloride.

ecipitate with alum or ferric chloride and then Precipitate filter.

Ditto. Add alkali.

Heating feed, addition of caustic soda, slacked lime, etc.

Slacked lime and filtering. Carb. of soda. (Substitute mineral oils.)

Many scale-making minerals may be removed by using a feed-water heater and employing temperatures at which the minerals are insoluble and consequently precipitate, when they may be blown off before passing to boiler. Phosphate of lime, oxide of iron and silica are insoluble at 212° carbonate of lime, at 302°, and sulphate of lime at 392° F

Kerosene has been successfully used in softening and preventing scale and should be introduced into the feed-water in quantities not exceeding 0.01 qt. per H.P. per day of 10 hours.

Tannate of Soda Compound.—Dissolve 50 lb. sal soda and 35 lb.

japonica in 50 gal. water, boil and allow to settle. Use $\frac{1}{10}$ qt. per H.P. per 10 hours, introducing same gradually with the feed-water.

Grooving is the cracking of plate surface due to abrupt bending under alternate heating and cooling. It is generally found near rigid stays and its ill effects are augmented by corrosion. It may be avoided by providing for sufficient elasticity along with strength and by rounding the stay adms at the plate. the stay edges at the plate.

INTERNAL-COMBUSTION ENGINES.

Internal-combustion engines are divided into two classes. In the first an explosive charge of gas and air (or a vapor of alcohol, gasoline, or kerosene, mixed with air) is drawn into the cylinder, compressed, ignited, expanded, and then exhausted. The ignition produces a practically instantaneous explosion.

In the second class (e.g., Diesel motors) a charge of air is drawn in and 18 raised by compression to a temperature high enough to ignite the oil. gasoline or other fuel which is sprayed into the cylinder during a certain The combustion in this case is gradual and portion of the power stroke.

extends over the period of the stroke during which the fuel is injected
In simple engines there are four strokes in the cycle of operation
1st stroke, drawing in of explosive charge; 2d (return) stroke, compression of the charge; 3d stroke, ignition and expansion (power stroke); 4th (return) stroke, exhaust of the burnt gases. The 1st, 2d, and 4th strokes consume from 5 to 10% of the power developed on the 3d stroke. (For indicator card, see Fig. 12, T.)

In two-cycle engines the charge is compressed in a separate cylinder, ignition and expansion taking place on the 1st or outward stroke of engine and exhaust on the return stroke,—there being one impulse for each revolution of fly-wheel. Large engines are also constructed so as to give

an impulse on each stroke.

Fuels. The thermal efficiency of an internal-combustion engine is Fuels. The thermal efficiency of an internal-compustion engine is increased by high compression, the only limit being that the temperature at the end of the compression must not approach near to that of ignition. The temperature of ignition varies inversely as the number of B.T.U. contained in the charge, and rich gases, therefore, should not be highly compressed save in well diluted charges. The limits of compression may be extended by cooling the gases undergoing compression, as in the Banki motor, where water is sprayed into the cylinder to absorb the heat given out during compression, and also as in the Diesel engine, where the air is compressed to its final pressure before the fuel is injected.

Rich Gases (containing over 350 B.T.U. per eu. ft.). Coal, coke-oven,

and natural gases.

and natural gases.	Rich Mixture.	Lean Mixture.
Ratio of gas to air	1:6 to 1:7	1:10 to 1:15
Temperature of ignition Compression, lbs. per sq. in	1,000 to 1,100° F. a.bs.	75 ' 115
M.E.P.	70 ' 85 210 ' 285	65 '' 78
Explosion pressure per sq. in.	2 10 '' 285	285 '' 355

Lean Gases (containing less than 350 B.T.U. per cu. ft.). Dowson, producer, and blast-furnace gases.

Ratio of gas to air	1:1 to	1:2		
Temperature of ignition1	,300 ''	1,475° F	'. abs.	
Compression Mean effective pressure	115 "	215 lbs.	per so	ı. in.
Mean effective pressure	65 ''	78''	- 4 4 6	4 4
Explosion pressure	255 ''	355 ''	** **	4.4

The gas and air should be thoroughly mixed before ignition, which, for rich mixtures, is either by a hot tube, a valve-governed flame, or by an electric spark. For lean mixtures the electric spark is used.

Liquid Fuels.

	Gasoline, Benzine.	Kerosene, Naphtha, Alcohol.		
Ignition temperature, o F. abs	930 to 1,020	9	985 to 1,075	
Compression, lbs. per sq. in	40 '' 70		55 115	
	170 '' 210	(Diesel) 4	150 '' 500	
Explosion pressure, lbs. per sq. in	170 ** 285	` 1	40 '' 285	
" (Banki)	565			
M.E.P., lbs. per sq. in	57 ° 78		50 '' 70	

Liquid fuels are vaporized before mixing. Light oils (gasoline, etc.) are vaporized by the heat of the air drawn through or over them, or they may be atomized. Heavier oils require heating in order to vaporize. Gasoline-gas is usually ignited by an electric spark,—heavier oils by the

Average Values for Compression (Lucke). Kerosene and city gas, 80 lbs.; gasoline, 85 lbs.; natural gas, 115 lbs.; producer gas, 135 lbs.; blast-furnace gas, 155 lbs. (All pressures are absolute.)

Fuel Consumption (Ch) per B.H.P. Hour, and actual thermal

	5 H.	P.	25 F	IP.	100 H	H.P.
	C_h	no	$ar{C}$ h	$\eta_{\mathcal{W}}$	C_{h}	710
cu. ft	19	0.20	15.5	0.24	13.8	0.27
** ** **	105 to	0.17		0.21	75 to	0.24
	115					
		•				0.24
			30	0.19	24.7	0.23
lbs	0.66	0.19	0.55	0.23		
4.4	1.2	0.11	1.02	0.13		
4.4	1.1	0.22	0.92	0.26		
**	0.55	0.25	0.51	0.27	0.44	0.315
	lbs	Ch cu. ft 19 105 to 115 lbs 0.66 1.2 1.1	cu. ft 19 0.20 '' '' 105 to 0.17 115 '' '' lbs 0.66 0.19 '' 1.2 0.11 '' 1.1 0.22	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

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Expansion and Compression Laws. $PV^n = P_1V_1^n$. For expansion n ranges from 1.25 to 1.4, and for compression, from 1.2 to 1.5. For expansion, n is generally taken at 1.35, and at 1.3 for compression. If n is taken at 1.33, the following formulas may be used:

Pressures and Temperatures (Absolute). Let P=suction pressure in lbs. per sq. in., P_c =compression pressure, P_e =explosion pressure, P_r =exhaust pressure, T=initial temperature of charge in degs. T=cabsolute, T_c =temp. at end of compression, T_e =explosion temperature, T_r =exhaust temperature, T_r =exhaust temperature, T_r =exhaust in in... and T_r =cabsolute expressed as inches of temperature, s=stroke in in., and c=clearance expressed as inches of

stroke. Then, $P_c = P\sqrt[3]{[(s+c)+c]^4}$. T for scavenging engines = 100 $\left(1+\frac{c}{s}\right)$

+461; for non-scavenging engines, T = 120[1 + (c+s)] + 461.

 $T_c = T \sqrt[4]{P_c \div P} = T \sqrt[3]{[(s+c) \div c]}$. $T_c = T_c + R$ if scavenging; if not, T_c $=T_c+R\div[1+(c\div s)]$, where R is the rise of temperature due to explosion and is obtained from a table which follows. $P_c=P_cT_c+T_c$. $P_r=$ $P_e \div \sqrt[3]{\left(\frac{s_1+c}{c}\right)^4}$, where s_1 = inches of stroke completed at point of release.

 $T_r = T_e \div \sqrt[4]{P_e \div P_r} = T_e \div \sqrt[3]{[(s_1+c) \div c]}.$

Ratio of Air to Gas (volumetric), $a = (C \div 50)$: 1 for best economy, $a = (C \div 60)$: 1 for maximum possible load. C = calorific value of gas in B.T.U. per cu. ft.

Calorific Value of Explosive Mixture, $C_1 = C + (a+1)$.

Properties of the Constituent Elements of Gases. (32° F. atmospheric pressure.)

(04 F.,	, 25 011108	spheric	pressur	G.)		
	Spe He	cific at.	Lbs. per cu.ft.	Lbs. Oxy- gen per lb. Gas for	Cu. ft. Air re- quired by 1 cu. ft. of Gas for	B.T.U.	per lb. tituent
	k_v .	k_p .		Combus- tion.	Com-	High.	Low.
Hydrogen, H	1.173	593 404	0445 0778 0777 .1221 0778 0888	8 4 3.434 .571	2.41 H CH ₄		20,016 4,392 . per

(Weights in above table have been calculated from the latest values given to atomic weights. The B.T.U. values have been taken from Des Ingenieurs Taschenbuch. The values for specific heat are taken from a table by W. W. Pullen, in Fowler's Pocket-Book.)

Calculation of the Calorific Value of a Gas (1 cu. ft. at 32° F.). The table on page 99 gives the calculations for a high-grade coal-gas.

The difference between the high and low values of the B.T.U. in the tables is due to the heat of condensation of that amount of steam which results from burning the hydrogen in one cubic foot of gas. The low value should be used in calculations, this being the only heat liberated in the cylinder. in the cylinder.

	Volume	Weight	Specific	e Heat.	B.T.U.	Air, cu. ft. for
	in cu. ft.	in lbs.	k	k_p .	(Low).	complete Combus- tion.
H CH4 C ₂ H ₄ CO CO ₂	.3978 .4516 .0638 .0704 .0108 .0050	.00222 .02010 .00496 .00547 .00132 .00039	.1553 .2738 .0477 .0278 .0059 .0020	.2191 .3455 .0580 .0392 .0083 .0003	115.28 430.83 99.35 24.02 669.48	.967 4.362 .925 .170 6.424
	1.0000	.03451	.5127	. 6732		

$$k_p \div k_v = 1.313 = n$$
.

If a 10 · 1 mixture of the above gas be used in an engine the calculations are as follows: 1 cu. ft. of mixture (10 vols. air +1 vol. gas) weighs $[(.08011 \times 10) + .03451] + 11 = .07596$ lb. Specific heat, $k_v = .1832$; $k_p = .2553$; $k_p + k_v = n = 1.394$. Heat required to raise one cubic foot 1 degree F. = .013916 B.T.U. = h. Heat evolved by combustion of 1 cu. ft. of mixture = 60.862 B.T.U. = H. $H + h = 4.374^{\circ}$ F. abs.

The efficiency of combustion of coal-gas has been experimentally determined to be as follows:

mined to be as follows:

10:1 12.1 . 543 . 575 . 580

The rise of temperature due to explosion at constant volume, R = Hx + h,

in this case = $4,374 \times .575 = 2,515^{\circ}$ F.

If this mixture be compressed from 15 lbs. absolute to 80 lbs. absolute, in a common or non-scavenging engine, (s+c)+c=3.51, s=2.51c, s+c=2.51, and c+s=.4. Substituting these values in the preceding formulas, $T=629^{\circ}$ F., $T_c=956^{\circ}$ F., $T_e=2.753^{\circ}$ F., $T_r=1.860^{\circ}$ F. P=15 lb., $P_c=80$ lb., $P_c=231$ lb., $P_r=47.86$ lb. (a taken=0.9s). For a scavenging engine, $T=601^{\circ}$ F., $T_c=914^{\circ}$ F., $T_c=3.429^{\circ}$ F., $T_r=2.315^{\circ}$ F. $P_c=300$ lb., $P_r=62.3$ lb. (All pressures and temperatures are absolute)

tures are absolute.)

The Diesel Engine. Clearance=0.0625 to 0.07×vol. of cyl. Compression: $PV^{1.3} = C$; expansion: $PV^{1.2} = C$. Temperature at the end of compression to 500 lbs. pressure=720° F.; temperature at the end of combustion=1,922° F. A test by Mr. Ade Clark in March, '03, showed a consumption of 0.333 lb. of Texas fuel oil (19,300 B.T.U. per lb.) per I.H.P., or 0.408 lb. per B.H.P. and an efficiency of 32.3%.

Various Engine Performances. Koerting engine, 900 H.P., 28% efficiency on B.H.P. (33.5% eff. I.H.P.). A Diesel engine of 160 H.P. tested by W. H. Booth used 0.45 lb. of heavy fuel oil per B.H.P. A Crossley engine using producer-gas required from 0.65 to 0.85 lb. anthracite per

tested by W. H. Booth used 0.45 lb. of heavy fuel oil per B.H.P. A Crossley engine using producer-gas required from 0.65 to 0.85 lb. anthracite per B.H.P. A Hornsby-Akroyd oil engine showed a consumption of 0.785 lb. of crude Texas oil per B.H.P.

Design and Proportions of Parts. The following matter is condensed from an article by S. A. Moss, Ph. D., in Am. Mach., 4-14-04. The results have been derived from 76 single-acting engines (5 to 100 H.P.) made by 20 builders and will serve as an index of average practice Maximum explosion pressures varied from 250 to 350 lbs. per sq. in., and 300 lbs. has been taken as an average. Compression varied from 50 to 100 lbs. (50 for gasoline, 100 for natural gas) and 70 lbs. has been taken as an average. Maximum H.P. was found to be about 1.125×rated H.P. Mechanical efficiency about 80%. Values to the right, in brackets, are taken from Roberts' Gas-Engine Handbook.

Diam. of cylinder in ins. $\ldots = d$. Thickness of cylinder wall, t. $=\frac{d}{16}+0.25$ in [t=0.09d]. [t=0.045d].[l=0.1d]water jacket $\dots = 1.25t$

```
No. of cylinder-head studs.....=0.66d+2.
External diam. of studs \dots = d+12 (average).
                           \dots = 1.5d
Length of stroke l
        'connecting-rod, c \dots = 2.5l
                                                     . .
Thickness of rear wall of piston \dots = d+10.
Crank-pin: length = 0.39d; diam. = 0.41d.
Crank-throws: thickness = 0.26d; breadth = 0.55d.
Diam. of crank-shaft, s=0.375d.
Main bearing, length = 0.85d (bearing pressure averages 125 lbs. per sq. in.). Fly-wheel: outside diam.... = 12,300 + N (N = r.p.m.).
           weight in lbs.... = 33,000 \times H.P. + N.
Revs. per min. N...... = 800 \div \sqrt{l} [N = 380 + (B.H.P.)^{0.21}  for 4-cycle.
                                           increase + for 2-cycle.]
Piston speed, ft. per min. . . = 133\sqrt{l}.
Exhaust pipe diam. \dots = 0.28d.
        valve '' .... = 0.3d [0.35d]
                   \dots = 0.27d \ [0.316d].
Inlet
Gas pipe .....=0.11d.
'' valve .....=0.15d.
Air pipe .....=0.25d.
Max. B.H.P.=d^2lN+14,400. [For gasoline, divide by 18,000 (4-cycle) or
               44.5
    by 13,500 (2-cycle).]
  M.E.P. = 50 to 85 lbs. per sq. in.; average, 70 lbs.
           Speed of exhaust gases = 5,200 ft. per min. (average).
'' inlet charge . = 6,400
'' gas . . . . . . = 3,700 '' ''
''
                  "air ....=6,900"
```

Dr. Lucke (in "Gas-Engine Design," D. Van Nostrand Co.) states that engines should be designed to withstand max. pressures of 450 lbs. per sq. in The following additional formulas are taken from his work: Thickness of cylinder wall, t=(.062 to .075)d+0.3 in. Wrist-pin: diam. =0.35d, length =0.6d.

Piston rings number = 3 to 10, width = 0.25 to 0.75 in., greatest radial depth = 0.02d + 0.078 in. (Güldner), or, = 0.033d + 0.125 in. (Kent). Valve diam., v = (0.3 to 0.45)d; valve-stem diam. = (0.22 to 0.3)v; valve lift = (0.05 to 0.1)v for flat valves, -50% greater for 45° conical valves; valve-seats, width = (0.05 to 0.1)v; valve-faces = $(1.1 \text{ to } 1.5) \times \text{width}$ of seat, for conical valves.

The following additional data are taken from E. W. Roberts' Gas-Engine Handbook l(for two-cycle) = d to 1.25d; diam. of water-pipes = 0.15d; diam. of fly-wheel hub = 2s; hub length = 1.75s to 2.25s; mean width of oval spoke or arm = 0.8s to 1.2s; mean thickness of arm = $(0.4 \text{ to } 0.5) \times 1.2s$ mean width; number of spokes = 6 (generally).

Engine Foundations. In order to absorb the vibrations of an engine it should be bolted to a foundation whose weight F is not less than $0.21E \sim N$, where E = wt. of engine in lbs. Brick foundations weight about 112 lbs. per cu. ft. and those of concrete about 137 lbs., an average being about 125 lbs. per cu. ft. Number cu. ft. in foundation = F + 125. The inclination or "batter" of the foundation walls from top to bottom should be from 3 to 4 in. per foot of height (E. W Roberts).

AIR.

Air is a mechanical mixture of oxygen and nitrogen,—21 parts oyxgen + 79 parts nitrogen, by volume (23 parts O+77 parts N, by weight).

1 cu. ft. of pure air at 32° F. and at a barometric pressure (B) of 29.92 inches of mercury (14.7 lbs. per sq. in.) weighs 0.080728 lb., and the volume of 1 lb.—12.387 cu. ft. At any other temperature and pressure,

weight per cu. ft., $w = \frac{1.3302B}{461+t} = \frac{2.707p}{461+t}$, where B = height of mercury in barometer in in., t = temperature in degs. F., 1.3302 = weight in lbs. of 461 cu. ft. of air at 0° F. and 1 in. barometric pressure. Air expands $\frac{1}{463}$ of its volume for each increase of 1° F., and the volume varies inversely as the pressure.

Air liquefies at -220° F. (its critical temperature) under a pressure of 573 lbs. per sq. in. and boils at -312° F. Specific gravity at -312° F. = 0.94. Latent heat = 123 to 144 B.T.U. per lb. Liquid air occupies about $\frac{1}{100}$ of the volume of the same weight of free air at normal tem-

peratures.

Barometric Determination of Altitudes. Pressure of the atmosphere at sea-level (32° F.)=14.7 lbs. per sq. in. Difference of levels (at 32° F.) in feet = $60,463.4 \log_{-B}$ (1), where B and B₁ are the barometric readings of the two levels. If B is taken at sea-level it is equal to 29.92 in. and Height above sea-level = $60,463.4 \log_{-B} \frac{29.92}{B}$ (2).

For any other temperatures, t (for B) and t_1 (for B_1), formulas (1) and (2), must be multiplied by a correction factor, $c=1+0.00102(t+t_1-64)$. Approximately, the pressure decreases 0.5 lb. per sq. in. for each thousand feet of ascent.

Flow of Air in Pipes. Q, in cu. ft. per min. $=c\sqrt{\frac{pd^5}{vL}}$, where p= difference between the entering and leaving gauge pressures in lbs. per sq. in., d= diam. of pipe in in., L= length of pipe in feet, and w= density of the entering air (lbs. per cu. ft.).

When
$$d=1$$
 in. 2 in. 3 in. 4 in. 9 in. 12 in. $c=45.3$ 52.6 56.5 58 61 62

Richards' formula is $Q = 100\sqrt{\frac{apd^5}{L}}$.

When
$$d=1$$
 in. 2 in. 3 in. 4 in. 8 in. 12 in. $a=0.35$ 0.565 0.73 0.84 1.125 1.26

Flow of Air through Orifices. Theoretical velocity in feet per sec. $v = V 2g \times 27.816 \left(1 - \frac{p_1}{p}\right) = 1.337.7V 1 - -$, where p is the pressure in the reservoir out of which the air flows, and p_1 the pressure of the receiving-reservoir. For the actual efflux the value of v must be multiplied by the proper one of the following coefficients.

Loss of pressure, $p = 0.107v^2wL + c^2d$, where w at ordinary temps. = $0.03(p_1 + 14.7)^{0.71}$, p_1 (at entrance, absolute) and p both in lbs. per sq. in.

COMPRESSED AIR.

Free air is that at atmospheric pressure and at ordinary temperatures (14.7 lb. per sq. in., 62° F.). Absolute pressure—gauge pressure+14.7 lb. Absolute temperature=461° F.+reading of thermometer in degs. F. **Relations between Temperature**, Volume, and Pressure.

$$\frac{p}{p_1} = \left(\frac{V_1}{V}\right)^{1.41} = \left(\frac{\tau}{\tau_1}\right)^{3.44}; \quad \frac{V}{V_1} = \left(\frac{p_1}{p}\right)^{0.71} = \left(\frac{\tau_1}{\tau}\right)^{2.44}; \quad \frac{\tau}{\tau_1} = \left(\frac{V_1}{V}\right)^{0.41} = \left(\frac{p}{p_1}\right)^{0.29}.$$

 $PV=R\tau$; R=53.354; P=ap. In the foregoing p, V, τ , and p_1 , V_1 , τ_1 are the respective initial and final absolute pressures, volumes, and absolute temperatures.

Work of Compression. Ft.-lbs. of work required to compress 1 cu. ft. of free air to any desired pressure, p_1 , isothermally = $144p \times \log_e \frac{p_1}{n}$.

If p=14.7 lb., work in H.P. = 0.0641 loge $\frac{p_1}{7}$, when compressed in 1 min.

Ft.-lbs. of work required to compress 1 lb. of free air adiabatically at the absolute temperature τ , = $(\tau_1 - \tau) \times 778 \times 0.2375 = 184.7(\tau_1 - \tau)$ ft.-lbs.

$$-184.7 \tau \left[\left(\frac{p_1}{p} \right)^{0.29} - 1 \right]$$
, where τ_1 is the temp. corresponding to the

volume to which the air is compressed. For work to compress 1 cu. ft. divide above value by the number of cu. ft. in 1 lb. at r.

In practice the actual work = work of isothermal compression + about 60% of the difference between isothermal and adiabatic work.

The Output of a Compressor at any Altitude expressed in percent = $100-0.0028 \times \text{height}$ in feet (approx.).

Loss by Cooling varies from 70% under bad conditions to 20% with

reheating and air injection.

Loss by Pipe Friction per mile =5%.

Reheating. Gain by reheating in per cent=100 $\left(1-\frac{\tau}{2}\right)$, where τ

and τ_1 are the absolute temperatures before and after heating. Tests made at Cornell University show that from 28 to 38% gain in thermal economy can be made by reheating air from 90° to 320° F., the efficiency of the reheater being 50%. There is no additional gain made by heating above 450° and if 300° is much exceeded there is danger of charring the lubricant.

Pneumatic Tools (cu. ft. of free air required per min., 80 lbs. pressure). Chipping and calking tools, 11 (light) to 17 (heavy); riveting tools, 15 (½ in. rivet) to 22 (1½ in. rivet); drills (metal), 15 (1 in.) to 35 (3 in.); wood-boring, 12 (1 in.) to 18 (2½ in.).

FANS AND BLOWERS.

Let h=pressure generated in inches of water (1 in. water=0.577 oz. per sq. in. 1 oz. per sq. in. =1.73 in. water); v=peripheral velocity of wheel in ft. per sec.; v_1 =velocity of air entering the wheel through the suction openings in side of case (25 to 33 ft. per sec.); d=diam. of suction openings in in. (for openings on both sides of wheel, $d=13.54 \sqrt{q} - 2v_1$; for opening one side only, $d=13.54 \sqrt{q+v_1}$; $D_1=$ inner diam. of wheel=d to 1.5d; D-outer diam.= $2D_1$ for suction-fans (= $3D_1$ for blowers); N=r.p.m.=229v+D; b=width of vanes at $D_1=0.25d$ to 0.4d for suction opening on one side (-0.5d to 0.8d for openings on both sides); $b_1=$ width of vanes at $D_1=0.25d$ to 0.4d for suction opening on one side (-0.5d to 0.8d for openings on both sides); $b_1=$ width of vanes at $D_1=0.5d$ to 0.5d for vanes=0.375D; q-cu. ft. of air per sec.; $\eta=$ efficiency=0.5 to 0.7 for large fans (0.3 to 0.5 for small fans); c=1.2 to 1.4 for large fans (1.4 to 1.7 for small fans); $\alpha=$ angle which the extreme outer element of a vane makes with the radius at that point. Then, $v=3.28[4 \tan \alpha + \sqrt{(4 \tan \alpha)^2 + 200h}]$. α is positive when the vanes are curved or inclined backward from the direction of rotation (negative when forward). For radial vanes $\alpha=0$, and $v=46.4c\sqrt{h}=46.4\sqrt{h}+\eta$. Area of discharge-opening in sq. in. =144 $q+v_2$, where $v_2=$ velocity of air in pipe in ft. per sec. H.P. required = $qh+105.7\eta$. Outer diam. of disc fan in in. = $3 \vee q$: $\eta = 0.2$ to 0.3.

MECHANICAL REFRIGERATION.

Mechanical refrigeration is produced by expanding a heat medium from a normal temperature to one which is below the usual limits for the climate and zone where the expansion takes place. Media are chosen with regard to their willingness to surrender their heat energy to surround-

ing objects, and vapors are therefore best employed.

The vapor chosen is compressed and then relieved of its heat in order to diminish its volume. It is then expanded so as to do mechanical work and its temperature is lowered. The absorption of heat at this stage by the vapor in resuming its original condition constitutes the refrigerating

effect.

Ammonia (NH₃), Sulphur dioxide (SO₂), Pictet fluid (SO₂+3\% of carbonic acid, CO₂) and air are most employed, ammonia and air being of principal importance. Air is used on shipboard where pungent vapors would be objectionable.

0.29 $=\frac{\tau}{}$. Air is cheap and harmless, but its use is limited on account of its bulk and the size of the machinery employed. Efficiency, measured in ice-melting effect (latent heat of fusion of ice = 142.2 B.T.U.) is between 3 and 4 lbs. of ice-melting capacity per lb. of

fuel, assuming 3 lbs. of fuel per H.P.

Saturated Ammonia is inexpensive, remains liquid under atmospheric pressure only below -30° F., and at 70° F. under 115 lbs. gauge pressure.

Temp. Degs. F.	Abs. Pressure, Lbs. per Sq. In.	Heat of Vaporization, B.T.U.	Vol. of Vapor. Cu. Ft. per Lb.	Vol. of Liquid. Cu. Ft. per Lb.	Wt. in Lbs. of 1 Cu. Ft. of Vapor.
-40	10.69	579.67	24.38	0.0234	0.0411
-30	14.13	573.69	18.67	.0237	.0535
-20	18.45	567.67	14.48	.0240	.0690
-10	23.77	561.61	11.36	.0243	.0880
0	30.37	555.5	9.14	.0246	.1094
+10	38.55	549.35	7.20	.0249	. 1381
20	47.95	543 .15	5.82	.0252	. 1721
30	59.41	536.92	4.73	.0254	.2111
4 0	73	530.63	3.88	.0257	. 2577
50	88.96	524.30	3.21	.0261	.3115
60	107.60	517.93	2.67	.0265	.3745
70	129.21	511.52	2.24	.0268	. 4664
80	154.11	504.66	1.89	.0272	. 5291
90	182.8	498.11	1.61	.0274	. 6211
100	215.14	491.5	1.36	.0277	. 7353
	<u> </u>	<u> </u>	<u>l</u>	<u> </u>	

Ammonia Compression System. The ammonia vapor is compressed to about 150 lb. pressure and a temp. of 70° F., and is then allowed to flow into a cooler or surface-condenser, where the heat due to the work of compression is withdrawn by the circulating water and the vapor is of compression is withdrawn by the circulating water and the vapor is condensed to a liquid. It is then allowed to pass through an expansion cock and to expand in the piping, thereby withdrawing heat from the "brine" with which the pipes are surrounded. This brine is then circulated by pumps through coils of piping and produces the refrigerating effect. The expanded ammonia-gas is then drawn into the compressor under a suction of from 5 to 20 lbs., thus completing the cycle of operations. The brine consists of a solution of salt in water. Liverpool salt solution weighing 73 lbs. per cu. ft. (sp. g. =1.17) will not congeal at 0° F. Ammonia required =0.3 lb. per foot of piping. Leakage and waste amount to about

required = 0.3 lb. per foot of piping. Leakage and waste amount to about 2 lb. per year per daily ice capacity of one ton. The brine should be about

6° colder than the space it cools.

Ammonia Absorption System. In this system the compressor is replaced by a vessel,—called the absorber,—where the expanded vapor takes advantage of the property of water or a weak ammoniacal liquor to dissolve ammonia-gas. (At 59° F. water absorbs 727 times its own volume of ammonia-vapor.) The liquor in the absorber is then pumped into a still heated by steam-pipes, where the ammonia-gas is vaporized, the remainder of the process being then the same as in the compression system. The absorption system is less expensive to install, and commercial ammonia hydrate (62% water, sp. g. =0.88) may be used in the absorber.

Efficiency. Ice-melting capacity per lb. of fuel = $wst \div 142.2w_1$; Icemelting capacity in tons (2,000 lbs.) per day of 24 hours = 24ust +(142.2 \times 2,000), where w =lbs. of brine or other fluid circulated per hour

 w_1 = lbs. of fuel used per hour, s = specific heat of the circulating fluid.

w₁=10s. Of fuel used per hour, s=specific heat of the circulating fluid in degs. F. Design of a Compression Machine. The weight of the medium required is determined by the condition that each pound must withdraw from the brine the heat necessary to change the liquid medium in the condenser at t (with a heat of liquid in each 1b = h) into saturated vapor at t_1 in the vaporizer, where the total heat of evaporation per 1b = H. The heat withdrawn per 1b per min., 1b = 1b = 1b and, in ice made per hour, the weight of the medium, 1b = 1b = 1b heat withdrawn per 1b per min., 1b = 1b = 1b heat 1b heat withdrawn per 1b per min., 1b heat withdrawn per 1b per min., 1b heat withdrawn per 1b per min., 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat withdrawn per 1b heat of evaporation per 1b heat withdrawn per 1b heat w

of the superheated vapor leaving the cylinder, $\Gamma_8 = T_2(-)$, where T_2

is the absolute temperature (degs. F.) of the vapor in the expansion or vaporizer coils in the brine, and p_1 , p_2 are the pressures before and after

expansion.

The cooling water required in the condenser, $W = w[k_p(t_8 - t_1) + H - h]$ lbs., where k_p = specific heat of the superheated vapor at constant pressure, t_8 and t_1 = temperatures (F.) of the compression cylinder and condenser respectively, and (H-h) heat of vaporization at the pressure p_1 of condenser.

The H.P. of the steam cylinder driving the compressor

$$=\frac{778w}{33,000}[k_p(t_8-t_1)+H_1-H_2],$$

where H_1 and H_2 are the total heats of vaporization at the pressures and temperatures in the condenser and vaporizer, respectively. This value must be increased to allow for heat and friction losses.

The volume of the compressor cylinder = $\frac{w \times \text{vol. of 1 lb. of vapor}}{\text{No. of strokes per min.}}$

Specific Heats at Constant Pressure (k_p) . Ammonia, 0.508; car-

bonic acid, 0.217; sulphur dioxide, 0.1544.

Temperatures for Cold Storage. Fruits, vegetables, eggs, brewery work, 34° F.; butter, cheese, shell oysters, 33°; dried fish, canned goods, 35°; flour, 40°. The following should be frozen at the first temperature and then maintained at the second: Butter, 20°, 23°; poultry, 20°, 30°; fresh fish, 25°, 30°; tub oysters, 25°; fresh meat, 25°.

HEATING AND VENTILATION.

Ventilation. Impurities in air are due to carbonic acid and organic particles exhaled from the lungs, water vapor from perspiration, dust, smoke, noxious gases, etc. The measure of impurity, however, is taken as the content of carbonic acid, which should not exceed 6 to 8 parts in as the content of carbonic acid, which should not exceed 6 to 8 parts in 10,000. Fresh air contains 4 parts (country air, 3 to 3.5) in 10,000. The hourly yield of CO₂ per person is 0.6 cu. ft.; consequently each 1,000 cu. ft. of fresh air can take up at least 0.2 cu. ft. of CO₂ and not exceed the limit of 6 parts in 10,000; hence 3,000 cu. ft. of fresh air per person, if uniformly diffused, will keep the respiratory CO₂ down to that limit. It is further found that the atmospheric contents of a room may be changed three times per hour without 'causing inconvenient draft, hence 1,000 cu. ft. of air space is a proper provision per person. From 2,000 to 2,500 cu. ft. per person per hour is sufficient for auditoriums used but for two or three hours at a time. School-rooms should have at least 1,800 cu. ft. per scholar per hour, and in hospitals from 4,000 to 6,000 cu. ft. per patient per hour should be supplied on account of the various unhealthy excreper hour should be supplied on account of the various unhealthy excretions.

According to Rietschel (Ing. Taschenbuch) the hourly supply of air per capita in cubic feet should be as follows. Hospitals, adults, 2,600,—children, 1,200; schools, pupils under 10 yrs., 400 to 600,—pupils over 10 yrs., 600 to 1,000; auditoriums, 600 to 1,100; work rooms, 600 to 1,100; living rooms, 1 to 2 times cubic contents; kitchens and closets, 3 to 5 times cubic contents.

Carpenter states that the number of changes of air per hour should be as follows Residences,—halls, 3; living rooms, 2; sleeping rooms, 1. Stores and offices, 1st floor, 2 to 3; upper floors, 1.5 to 2. Assembly rooms, 2 to 2.5.

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HYDRAULICS AND HYDRAULIC MACHINERY.

Water (1 part H+8 parts O.)

Degs. F.	Lbs. per cu. ft.	Relative Vol.	Degs. F.	Lbs. per cu. ft.	Relative Vol.
32	62.418	1.00011	100	62.02	1.00686
39.1	62.425	1.00000	120	61.74	1.01138
50	62.41	1.00025	140	61.37	1.01678
60	62.37	1.00092	160	60.98	1.02306
62	62.355	1.00110	180	60.55	1.03023
70	62.31	1.00197	200	60.07	1.03819
80	62.23	1.00332	210	59.82	1.04246
90	62.13	1.00496	212	59.76	1.04332

For sea-water, multiply above weights by 1.026. Pressure Equivalents.

1 ft. water at 39.1° F. (max. density) = 62.425 lbs. on the sq. ft., =0.4335 lbs. on the sq. in.

=0.0295 atmospheres on the sq. in.

1 lb. on the sq. ft. at 39.1° F. = 0.01602 ft. of water; 1 lb. per sq. in. = 2.307

ft. of water.

1 atmosphere (29.922 in. mercury) = 33.9 ft. of water.

1 ft. of water at 62° F. (normal temp.) = 62.355 lbs. per sq. ft.

= 0.43302 lbs. per sq. in.

1 inch of water at 62° F. (normal temp.) = 0.036085 lbs. per sq. in.

Hydrostatic Pressure. The pressure of a liquid against any point of any surface upon which it acts is always perpendicular to the surface at that point, and, at any given depth, is equal in all directions and due to the weight of a uniform vertical column of liquid whose horizontal cross-section is equal to the area pressed upon and whose height is the vertical distance from the center of gravity of the surface pressed to the surface

When a liquid pressure is exerted on one side of a plane area, the resultant force experienced by the area is perpendicular to the area, equal to the sum of all the pressures and acts at a definite point called the center

of pressure.

Centers of Pressure h(=vertical depth from surface of liquid). Rectangle: upper side parallel to liquid surface and distance h1 from same.

$$h = \left(\frac{a}{3}\right) \frac{3h_1 + 2a}{2h_1 + a} + h_1; \quad \text{if} \quad h_1 = 0, \quad h = \frac{2a}{3}.$$

Triangle: base lying in surface of liquid, h=a+2; vertex in liquid surface, base horizontal, h=3a+4.

Circle or Ellipse: $h=a+h_1+4(a+h_1)$, if $h_1=0$, h=5a+4.

In the above a = vertical height of triangle or rectangle, radius of circle

or vertical semi-axis of ellipse.

Buoyancy. When a body is immersed in a liquid it is buoyed up by a force equal to the weight of the liquid it displaces whether floating or sinking. This upward pressure may be considered as acting at the c. of g. of the displaced liquid, or, as it is termed, at the center of buoyancy, and a vert. line drawn through the center is called the axis of floating body. line connecting the center of buoyancy and the c. of g. of a floating body at rest is called the axis of equilibrium and is vertical. If an external force acting on the body inclines the axis of equilibrium, a vertical line from the center of buoyancy intersects this axis at a point called the meta-

from the center of buoyancy intersects this axis at a point called the meta-center. The equilibrium is stable, indifferent, or unstable, according as the metacenter is above, coincident with or below the center of buoyancy. Head, Pressure, and Velocity Energy. The pressure of the atmosphere balances the pressure of a column of water 33.9 ft, high, and the "head" of the column, $H = 33.9 \div 14.696 = 2.307p$. If a vertical gauge-tube be inserted in a pipe the water will rise in it to a height proportional to the pressure; then, connecting head and pressure PA = GHA, P = GH, and $H = P \div G$, where P = supporting pressure in lbs. per sq. ft., H = height of column in ft., H = G = weight of 1 cu. ft. of water in lbs., and H = area of cross-section of column in sq. ft.

Head and Velocity. A water particle (weight = w) at height, H, has a potential energy equal to wH, and when it has fallen through HHead and Velocity. its kinetic energy = $\frac{1}{2a}$. Neglecting friction and other losses, $wH = wv^2 + 2a$ and $v = \sqrt{2gH} = 8.02\sqrt{H}$.

Any given portion of water flowing steadily between two reservoirs which are kept at a constant level will,—neglecting friction and viscosity, —possess an unvarying amount of energy which may be due to head, pressure, velocity, or to all three. If a vertical gauge-tube be inserted at any point of the pipe connecting the reservoirs the water will rise in it to a level below that of the reservoir from which it flows, a portion of the head energy represented by the difference of levels having become kinetic, and the total head (H_i) consists of H due to unexpended fall $+_{\overline{G}}$ due to pressure (as shown by gauge-tube) $+\frac{v^2}{2}$ due to velocity.

Multiplying each by w gives the respective energy, the energy of 1 lb. of water being $H_i = H + \frac{P}{G} + \frac{v^2}{2g}$.

By sufficiently contracting the sectional area of the pipe at some point between the reservoirs the throttling so caused will reduce the pressure below that of the atmosphere and create a partial vacuum. This principle is employed in jet-pumps (efficiencies, 30 to 72%).

Discharge of Water through Orlfices. If a reservoir is emptied through an orifice near its bottom, the volume of the water passing. $Q = \text{velocity} \times \text{area}$ of orifice, and, neglecting resistances, The Theoretical Discharge in cu. ft. per sec. $q=Av=8.02A \lor H$. On account of resistances v is reduced, and, letting $c_1 = \text{coefficient}$ of velocity, $v = 8.02c_1\sqrt{H}$. If the reduced velocity be considered as due to a loss of head, H_r , a coefficient of resistance, ρ , may be adopted, H_r being taken as equal to ρH_1 , where H_1 is the remaining or unexpended head. $H = H_1 + H_r = H_1 + \rho H_1$ $=(1+\rho)H_1$, and $v=8.02\sqrt{H_1}=8.02\sqrt{\frac{H}{1+\rho}}$. Also, $c_1\sqrt{H}=\sqrt{\frac{H}{1+\rho}}$, $c_1=\frac{H}{1+\rho}$

 $\sqrt{\frac{1}{1+\rho}}$, and $\rho = \frac{1}{c_1^2} - 1$. This loss occurs within the vessel and orifice. A further loss is caused by the contraction of the jet area at a distance from the orifice equal to one-half the jet diam. Let k=coefficient of con-

traction; then, Actual Discharge in cu.ft. per sec., $q_a = c_1 v k A = 8.02 k A \sqrt{\frac{H}{1+\rho}}$,

or, letting $C = c_1 k = \text{coefficient of discharge}, q_a = 8.02 A C \sqrt{H}$.

	Orifices.				
	Sharp-edged.	Re-entrant Cyl.	Cylinder.	Bell-mouthed.	
$c_1 = \bullet$ $e = \bullet$ $k = \bullet$ $C = \bullet$	0.97 0.0628 0.64 0.62	1.00 0. 0.53 0.53	0.82 0.487 1.00 0.82	0.99 0.02 1.00 0.99	

Average Values of Coefficients.

Measurements of Water-Flow over Weirs. Let a stream be partly dammed and the water allowed to flow through a rectangular notch, or weir, which is beveled to sharp edges on the intake side. To find the discharge, divide the head, H (or distance from edge of notch to surface of water), into small portions, h_1 , and consider each small rectangle ($h_1 \times \text{length}$ of notch, L) as a separate orifice. At any depth, H_1 , $v=8.02\sqrt{H_1}$ and the discharge through the small rectangle $=8.02L\sqrt{H_1}$. Representing the various discharges by horizontal lines of proportionate length, the figure bounding these lines will be found to be a parabola of base = 8.02LVH, and height — head H (the lines varying in length as $\sqrt{H_1}$). The total theoretical discharge will then be equal to the area of the parabola, or, $q = \frac{3}{4} \times 8.02 LH^{\frac{3}{2}} = 5.347 LH^{\frac{3}{2}}$. The actual discharge is smaller, being, according to the following authorities:

Both end contractions suppressed.

One suppressed.

Full contraction.

Francis.
$$..q_a = 3.33LH^{\frac{3}{2}}$$
 $3.33\left(L - \frac{H}{10}\right)H^{\frac{3}{2}}$

$$3.33 \left(L - \frac{H}{10}\right) H^{\frac{3}{2}}$$

$$3.33(L-0.2H)H^{\frac{3}{2}}$$
.

$$q_a = 3.29 \left(L + \frac{H}{7} \right) H^{\frac{3}{2}} \qquad 3.29 L H^{\frac{3}{2}}$$

$$3.29\left(L-\frac{H}{10}\right)H^{\frac{3}{2}}.$$

(L should not be less than 3H.)

For flow over a sharp-crested weir without lateral contractions, air being freely admitted behind the falling sheet of water,

$$q_a = \left[0.425 + 0.21 \left(\frac{H}{H_1 + H}\right)^2\right] 8.02 LH^{\frac{3}{2}}$$

where H_1 = height in feet from bottom of channel of approach to the crest of weir (Bazin).

In triangular notches $\frac{L}{H}$ at any depth is constant and therefore C is regular and may be taken as 0.617.

 $q_a = \frac{4}{15}CLH^{\frac{3}{2}}\sqrt{2g} = 1.32LH^{\frac{3}{2}}$. For a 90° noteh, L = 2H and $q = 2.64H^{\frac{5}{2}}$; for a 60° noteh, L = 1.155H and $q_a = 1.524H^{\frac{5}{2}}$.

The Horse-Power of a Stream = $\frac{q_a \times G \times H}{550}$ (available height of fall)

 $=0.1135q_aH$. Friction in Pipes is independent of the pressure but is proportional to the wetted surface. $F_{n} \propto Av^2 = \mu Av^2$, at moderate velocities, and, as 1.03G = 2g, $F_n = 1.03 \mu GA \frac{v^2}{2y}$.

If a cylindrical body of water (length L, diam. D) move at a velocity, v, through the pipe, F_n per sq. ft. of sectional area = $1.03 \mu G \frac{\pi DL}{0.25 \pi D^2} \cdot \frac{v^2}{2g}$ = 4.12 $\mu \frac{L}{D} \times G \times \frac{v^2}{2a}$, and, as H = P + G, the Head Lost in Friction = 4.12 $\mu \frac{L}{D}$.

 $\mu = 0.004$ for clean, varnished surfaces, 0.0075 to 0.01 for pipes, and 0.009 for surfaces of the roughness of sand-paper.

Wm. Cox's formula: Friction Head $=L(4v^2+5v-2)\pm 1,000d$, where d=diam. in in. (Pelton Water Wheel Co.).

Flow of Water through Pipes. $v = CR^{\frac{2}{3}}S^{\frac{1}{2}}$. (Tutton.) R (hydraulic radius) = sectional area + wetted perimeter, = D + 4 for round pipes when full or half-full; S (slope) = Head + length of pipe = sine of angle of inclination of pipe. Values of C for various materials: W. I. pipe, 160; new C. I. pipe, 130; used C. I. pipe, 104; lap-riveted pipe, 115; W. I., asphalted, 170; wood-stave pipe, 125; rough, pitted pipe, 30 to 80; brick conduits, 110.

Flow of Water in Open Channels. (Kutter.)

$$v = \sqrt{RS} \left\{ \left(41.6 + \frac{0.00281}{S} + \frac{1.811}{C} \right) \div \left[1 + \frac{C}{\sqrt{R}} \left(41.6 + \frac{0.00281}{S} \right) \right] \right\},$$

where S=fall of water surface in any distance \div said distance = sine of slope; C=coefficient depending on the character of the channel surface, and having the following values: planed boards, 0.009; neat cement, 0.01; plaster (75% cement), 0.011; rough boards, 0.012; ashlar or brick-work, 0.013; rubble masonry, 0.017; canals, firm gravel, 0.02; canals and rivers in good condition, fairly uniform section, free from stones and weeds, 0.025; same but with coessional stones and weeds, 0.03; same in bad 0.025; same, but with occasional stones and weeds, 0.03; same, in bad condition, many stones and weeds, 0.035; torrents encumbered with detritus, 0.05.

Tutton's formula for pipes may also be used as herewith modified, where

C has the values given for Kutter's formula: $v = \frac{1.54}{C}R^{\frac{2}{3}}S^{\frac{1}{2}}$.

Hydraulic Gradient. Water being discharged from a reservoir through a pipe of uniform diameter, the net head at any point may be found by applying a pressure gauge which will show a loss from total

head due to velocity, -+loss due to friction. The friction loss varying

directly as the distance from reservoir, a straight line bounds the heights of the various water columns in the gauges and is called the line of virtual slope, or hydraulic gradient. No part of a pipe should be above this line, as the pressure would then be less than that of the atmosphere and

the water would tend to separate.

Loss by Eddies and Shock. Bends, elbows, valves, and cocks produce frictional resistances to flow in systems of piping, which are computed in terms of the head and are to be added to the resistance of the

pipe in order to obtain the final discharge.

Water discharged into a basin delivers all of its energy as shock, but whenever a sudden change of velocity takes place eddies are formed which absorb energy. When an abrupt contraction takes place, as from a large pipe to a smaller one, the loss of head $=0.3v_2^2 \div 2g$, and for a sudden enlargement of sectional area, loss of head $=(v_1-v_2)^2 \div 2g$, where v_1 and v_2 are respectively the velocities in the first and second pipes.

Angles and Elbows. Loss of head $=cv^2 \div 2g$. Let $\beta =$ number of degrees of the angle through which the direction of flow is deviated; then,

for
$$\beta = 20$$
 40 60 80 90 100 120 140 $c = 0.046$ 0.139 0.364 0.74 0.985 1.26 1.861 2.431

Loss of head = $c \cdot \frac{\beta}{180} \cdot \frac{v^2}{2}$. c depends on the ratio of the radius of the pipe (0.5D) to the radius of curvature of the bend (R).

0.5D + R = 0.10.20.50.6 0.7 0.30.4 $c = 0.131 \ 0.138 \ 0.158 \ 0.206 \ 0.294 \ 0.44 \ 0.661 \ 0.977 \ 1.408 \ 1.978$ **Gate-Valves.** Loss of head due to partial opening = $cv^2 + 2g$.

Opening = $\frac{1}{8}$ $\frac{1}{2}$ $\frac{3}{8}$ $\frac{1}{2}$ $\frac{1}{8}$ $\frac{3}{4}$ $\frac{1}{4}$ $\frac{1}{8}$ $\frac{1}$

Cocks. Loss of head = $cv^2 \div 2a$.

Opening = $\frac{1}{8}$ $\frac{1}{4}$ $\frac{1}{8}$ $\frac{1}{2}$ $\frac{1}{8}$ $\frac{1}{4}$ $\frac{1}$

WATER WHEELS.

Pressure on Vanes. Force causing momentum = $\frac{w}{g}$ f, and, as j = v + t, Pt = wv + g, or, pressure \times time (i.e., impulse exerted) = momentum generated. If t = 1 sec. and w = weight of water passing per sec., wv + g = change of momentum =P = pressure on vane. Flat Plate or Vane, fixed (its velocity being 0).

P = wv + a =

(GAv)v+g. Flat Plate Moving in the Direction of Jet. (Vel. of plate $= v_2$, vel. of jet $= v_1$.) Water passing per sec. $= GA(v_1-v_2)$. P =difference of momentum before and after impact, $= [GA(v_1-v_2)v_1+g]-[GA(v_1-v_2)v_2+g]=$

 $GA(v_1-v_2)^2+g.$

Moving Hemispherical Surface or Cup. Relative velocity of jet and cup when meeting = $v_1 - v_2$ (forward), and when leaving, = $v_1 - v_2$ (backward). Consequently, the absolute discharge velocity—cup velocity—relative backward velocity, $-v_2 - (v_1 - v_2) = 2v_2 - v_1$, whence, $P = \frac{GA(v_1 - v_2)v_1}{2} - \frac{GA(v_1 - v_2)(2v_2 - v_1)}{2} = \frac{2GA(v_1 - v_2)^2}{2}$. If $v_2 = v_1 + 2$, the absolute velocity of rejection = 0, and all of the jet energy is exerted on the

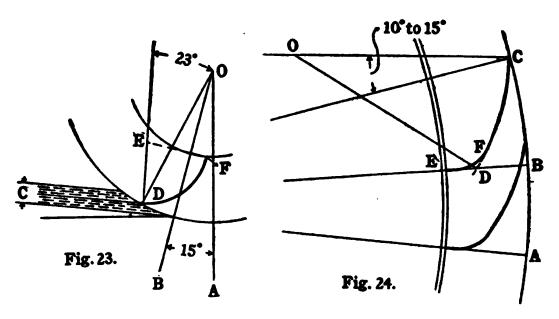
Wheel with Radial Vanes, a vane being constantly before the jet: Momentum before impact, $=(GAv_1)v_1+g$; after, $=(GAv_1)v_2+g$; $\therefore P=$

 $GAv_1(v_1-v_2)$

Wheel with Many Curved Vanes: momentum before impact = GAv_1^2+g ; after, $=GAv_1(2v_2-v_1)+g$, $\therefore P=2GAv_1(v_1-v_2)+g$, or twice that of flat radial vanes. In this case and that of the hemispherical cup

that of nat radial vanes. In this case and that of the hemispherical cup the direction of the jet water is returned upon itself.

Undershot Wheels are suitable for falls less than 6 feet. Diameter may be 4×fall. Efficiency: with radial floats or vanes, 30%; with curved floats, about 65%. Circumferential velocity = 55% of the velocity due to head (approx.). As the floats are never filled with water, the action is due to pure impulse, and if the floats are properly curved the water enters without shock and leaves without horizontal velocity. Construction of float curve (Fig. 23). From the center of wheel draw 04 vertically of float curve (Fig. 23): From the center of wheel draw OA vertically and make $AOB=15^{\circ}$. Let the jet (of thickness $C_{\bullet}=\frac{1}{2}\times\text{head}$) have a slope of 1 in 10. From the middle of jet, D_{\bullet} draw DE so that $ODE=23^{\circ}$. Take DE=0.5 to $0.7\times\text{head}$, and from E strike the arc DF, which is the curve for the Poncelet form of undershot wheel.



Breast Wheels are used for falls from 6 to 12 feet. Efficiency from 60 to 65%. Vanes curved similarly to those of Poncelet wheel.

Overshot Wheels are used for falls ranging from 12 to 70 feet. ciency, 70 to 75%. Best circumferential velocity = 6 ft. per sec. = one-half the velocity of the water due to a fall of 2.25 ft.; consequently, point at which water strikes wheel should be 2.25 ft. below the top water level. Construction of float curve (Fig. 24): make ED = AB + 3, and BC = 1.2AB. Draw CO 10° to 15° to radius. From O strike the arc FC, F being near to D, and round the arc curve into radial line DE.

The Pelton Wheel is used for heads exceeding 200 feet. In it the

water in the form of a jet impinges on a series of cup-shaped buckets affixed to the wheel circumference, to which latter the direction of jet is tangential. These cups are made double, with a center fin which splits the jet and returns the water on the sides, the discharge being effected with but little velocity. Efficiency, from 80 to 90%. Bucket velocity should be one-

half jet velocity.

TURBINES.

Turbines are water wheels in which the motion is caused by the reaction of the water pressure between stationary guide blades and the vanes or floats of the wheel. The water flow may be axial or radial (inward or outward) in direction, and it should be so deviated that it enters the wheel floats as nearly at a tangent as possible, and leaves either radially or in a direction parallel to the axis as the case may be.

Radial Outward-Flow Turbines (Fourneyron type). Q = cu. ft. water passing per sec. under a head of H feet. Inner radius $R_1 = 0.326\sqrt{Q}$; outer radius $R = cR_1$, where c = 1.25 to 1.5. Angle of guide at entrance $\alpha = 15^{\circ}$ to 30°. Angle of bucket at same point, $\beta = 2\alpha + 20^{\circ}$ to 30°. The

velocity of wheel at
$$R_1 = v_1 = \sqrt{\frac{2gH}{\frac{2\sin\beta\cos\alpha}{\sin(\beta-\alpha)} + 0.1\left[\left(\frac{\sin\beta}{\sin(\beta-\alpha)}\right)^2 + c^2\right]}}$$
.

(If $\alpha = 15^{\circ}$, $\beta = 60^{\circ}$, c = 1.5, $v_1 = 4.84\sqrt{H}$.) Velocity at $R = v = cv_1$; r.p.m. $= 60v + 2\pi R = 9.55v + R$.

Velocity through guide passages, $v_2 = v_1 \sin \beta + \sin(\alpha - \beta)$. Area of cross-section of all openings $= Q + v_2 = A = Q \sin(\alpha - \beta) + v_1 \sin \beta$. If D = depth and B = width of a bucket, $D + B = \lambda = 2$ to 5, inversely according to the head of water. Thickness of metal floats, T = 0.015R.

$$D = \frac{A}{2\pi R_1 \sin \alpha} \left[1 + \left(\frac{2\pi R \lambda T \sin \alpha}{A} \right) \right].$$
 Number of guides, $N_1 = \lambda A + D^2$. No.

of wheel buckets, $N = N_1 \sin \beta + \sin \alpha$. Angle of discharge, δ : $\sin \delta = (A_1 + NTD) + 2\pi RD$, where $A_1 =$ area of discharge openings. Curvature of floats (Fig. 25): Draw $CAB = \delta$, drop CB perpendicular to AB. AD = AE = B + 2. Set off BF and BG = AD. From F strike the arc HD. Draw DK = CL, making $BDK = 180^{\circ} - \beta$, and join CK. Bisect CK at M and draw the perpendicular MN. Draw arc DL from N as a center. Draw PL and CP, each inclined to CL by α° . From P as a center strike the arc RL of guide blade. Inward-flow turbines are designed similarly, but in an inverse manner.

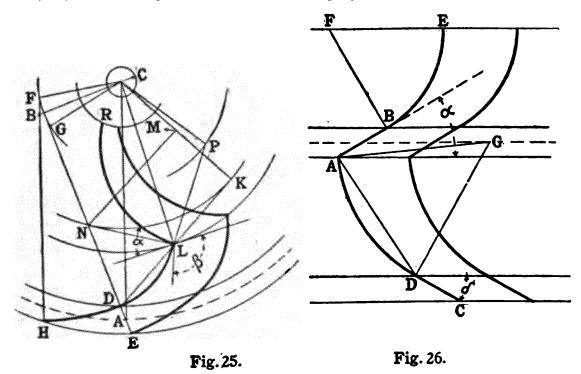
similarly, but in an inverse manner.

similarly, but in an inverse manner.

Axial or Parallel-Flow Turbines (Jonval type). The guide blades in this type are arranged in the form of a ring above the wheel vanes, the water flowing parallel to the axis. These wheels work best when submerged in the tail-race or connected thereto by a draft-tube whereby the suction of the latter may be availed of. $\alpha = 15^{\circ}$ to 25° , $\beta = 100^{\circ}$ to 120° . Velocity, v, same as velocity v_1 of the Fourneyron wheel where c = 1. Velocity of entering water $= v_1 = v \sin \beta + \sin(\beta - \alpha)$. Total sectional area of entrances between guides, $A = Q + v_1$; total discharge area, $A_1 = Q + v$. Mean radius, $R = (R_1 + R_2) + 2$; radial width of operative ring of wheel, $D = R_2 - R_1 = 0.4R$, and $R_1 = 0.8R$; $R_2 = 1.2R$. $\lambda = D \div B = 2$ to 4.

R, approx. = $\sqrt{\frac{A}{0.8\pi \sin \alpha}}$; T = 0.02R. No. of guides, $N_1 = (A + BD) + \frac{A}{0.8\pi \sin \alpha}$ $(\lambda A + D^2)$: No. of floats, $N = N_1 \sin \beta + \sin \alpha$. Sin $\delta = (A_1 + NTD) + 2\pi RD$. R.p.m. = 9.55v + R. Height of wheel = (0.5 to 0.6)R.

Curvature of floats (Fig. 26): Both the guides and floats are warped surfaces generated by a line at right angles to the axis, whose outer end follows the curves in the figure. Draw AB inclined to the plane of wheel by a° , and similarly DC at δ° . Draw BF perp. to AB. From F as a cen-



ter, strike the arc BE. Draw DG perp. to DC, make angles $GDA = DAG = (\beta + \delta) + 2$, and from intersection G, as a center, draw arc DA. The lower parts of guide and float (AB and CD) are straight lines.

Impulse Turbines (Girard type) are parallel flow wheels with the wheel passages so enlarged toward tne outlet and ventilated that they are never entirely filled with water, the energy being purely due to velocity. They are regulated by entirely closing a number of the guide passages, the efficiency (60 to 80%) being therefore unimpaired by fractional opening

Modern Practice. (From articles by J. W. Thurso in E. N., Dec., '02.) For heads less than 20 ft., use radial-inflow reaction (Francis) turbines with vertical shafts; for heads of 20 to 300 ft., the same, but with horizontal shafts; for heads exceeding 300 ft., use radial, outward-flow, free-deviation turbines with horizontal shafts, or Pelton wheels.

Parallel-flow turbines are now largely abandoned on account of their poor regulating qualities. Free deviation may be obtained with an efficiency of 70% at 0.2 gate, and 80% at full gate; reaction turbines with 60% efficiency at 0.2 gate and 78% at full gate. (Highest eff., 80%)

between 0.8 and 0.9 gate.)

Reaction wheels are either regulated by making the guide-vanes movable, so that the openings may be reduced according to load and without materially altering the direction of flow, or, the guide and wheel vanes are divided by crowns into three or more superposed turbines, any number of which may be shut off by a cylindrical gate according to load, allowing those in operation to work at full gate and at the correspondingly higher efficiency.

Free-deviation turbines to attain high efficiencies must work in the free air, and, in order to obtain the advantages of draft-tubes, they must be supplied with air-valves which will automatically keep the water-level

below and clear of the wheel.

Draft-Tubes. The use of draft-tubes permits turbines to be mounted on horizontal shafts and also to be set above the tail-water without loss of a part of the head. The hanging water-column in the draft-tube is balanced by atmospheric pressure and could theoretically attain a height of 34 ft. if the water were at rest,—but, with the water in motion, it cannot

exceed $(34 - \frac{1}{2})$ ft., where v = velocity of water in ft. per sec. When

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line inclined outward to R by angle α , whose tangent = 0.0176 $NR^{1}\sqrt{v_{1}}$ (N=r.p.m. Q=cu. ft. per min. $v_{1}=ft.$ per sec.).

The vane curve must be tangential to this line. At the extremity of a

radius draw a tangent and on this tangent, at a point distant $l\left(-\frac{1}{2R_1 \sin \alpha}\right)$ as a center, strike an arc from the outer circumference of wheel to the inlet circumference, and this arc will be the vane curve.

The case should start at zero cross-section and increase in one circum-

ference to full discharge section by means of an Archimedean spiral.

Hydraulic Ram. Water flowing in a pipe under a low head escapes through an opening at the end until it acquires a velocity sufficient to move a valve closing the outlet. This sudden stopping of flow creates an excessive pressure in the pipe, and a valve near the end is opened which leads to an air-chamber into which the water rushes, and from there into a delivery-pipe. Equilibrium being restored the air-chamber valve closes, outlet valve opens and the cycle is repeated. Water may be raised 10 times as high as the head of the stream in ft. Efficiency, 50 to 75%.

Pulsometer. In this device water is raised by suction into the pump

Pulsometer. In this device water is raised by suction into the pump chamber by a vacuum resulting from the condensation of steam within it; it is then forced into the delivery pipe by the pressure of a fresh supply of steam. Two chambers are employed, one raising while the other discharges. Duty, 10,000,000 to 20,000,000 ft.-lbs. per 1,000 lbs. of steam.

The Air-Lift Pump. A vertical pipe with its lower end submerged in a well or tank is supplied with a smaller pipe from which compressed air enters into the bottom of the larger pipe.

The column of liquid in the pipe consisting to a certain extent of sire

The column of liquid in the pipe, consisting to a certain extent of air-bubbles, is lighter than an equally high column of liquid not so aerated, and therefore rises. The efficiency ranges from 25 to 50%, where the ratio of submerged length to length above surface varies from 0.5 to 2, respectively. As there are no moving parts, this device is valuable in the case of lifting acids, chemical solutions, sewage, etc.

PLUNGER PUMPS AND PUMPING ENGINES.

Quantity of Water Pumped. Q (in cu. ft. per min.) =0.00545 Vd^2 ; Q_1 (gals. per min.) =0.040766 Vd^2 , where V= speed of plunger in ft. per min. and d= diam. of plunger in in. V ranges from 100 to 200 ft. per min., and in well-designed engines may reach 250 ft. if the waterways are ample and the water is not abruptly deflected. Loss by leakage and slip ranges from 5% for new, well-packed pumps to 40% for worn and badly cared-for apparatus

H. P. Required to Raise Water a Given Height, H. (Theoretical.) H.P. = $QH + 529.2 = Q_1H \div 3.958.7$, or, as 1 ft. H = 2.3 lb. pressure, p, H.P. = $Qp \div 229.2 = Q_1p \div 1.714.5$. Theoretical lift for normal temperatures H.P. = $Qp + 229.2 = Q_1p + 1,714.5$. Theoretical lift for normal temperatures = 34 ft. When the temperature of the water increases, the pressure of the water vapor decreases the theoretical lift, which at 150° F. = 25.7 ft., at 175° F. = 18.5 ft., and at 200° F. = 7.2 ft. Hot water should therefore flow to the pump by gravity.

Air-Chambers. Even flow and smooth running are obtained by the use of air-chambers, where the impact of the water is received and given out as pressure. On the delivery side these should be from 3 to 6 times the capacity of pump, and on the suction side from 2 to 3 times the capacity.

the capacity of pump, and on the suction side from 2 to 3 times the capacity.

High-Duty Pumping Engines. Small pumps are either driven from a crank-shaft or are direct-acting, i.e., having a steam cylinder in which the full pressure of the steam is used throughout the stroke. In large,

high-duty engines the steam is used expansively.

In the Worthington high-duty engines compensating cylinders are employed in order to equalize the driving force. These cylinders rock on trunnions, are connected to an accumulator under a water pressure of about 200 lbs. per sq. in., and have their plungers pivoted to the pump-rod. This arrangement offers a resistance to the steam pressure during the early part of the stroke, receiving energy during the period of full steam pressure and giving it out later when the pressure falls through expansion, thus maintaining a fairly even effective pressure throughout the stroke

Duty. The old measure of numping-engine performance was the number of ft.-lbs. of work done per 100 lbs. of coal consumed. In 1891 the A.S.M. E

committee recommended that it be changed to the number of ft.-lbs. of work per million heat units furnished to the boiler (=100 lbs. coal where each lb. imparts 10,000 heat units, or where the evaporation from and at 212° F. = 10.355 lbs. water per lb. of fuel). It is customary now to also state the duty in terms of the number of ft.-lbs. of work per 1,000 lbs. of steam used.

Performance of a Modern Pumping Plant. The following data are taken from a 24-hour duty trial of one of the units of the Central Park Ave.

pumping plant in Chicago (E. N., 5-26-04), and will serve as an illustration of high-grade installations.

Three Worthington high-duty, triple-expansion engines make up the plant, each with a rated capacity of 20,000,000 gals. per 24 hours against 150 ft. head. Cylinders are 21, 33, and 60 in. in diam., 50 in. stroke, steam-jacketed all over. Superheated steam is used which is supplied by six 225 H.P. Scotch marine boilers, each with two 40 in. corrugated Morison furneces and 140 21 in tubes. Roilers are 10 ft. in diam. and Morison furnaces and 140 2½ in. tubes. Boilers are 10 ft. in diam. and

12 ft. long, fitted with Hawley down-draft furnaces.

Steam pressure at throttle, h.p. and i.p. jackets and reheater coils, 114.45 lbs.; at l.p. jacket, 10.13 lbs. Vacuum in exhaust, near l.p. cyl.— 26.98 in. of mercury, barometer, 14.45 lbs. (The weights of pistons, plungers, etc., are exactly balanced by a water pressure of 78.97 lbs.) Delivery pressure of water = 52.23 lbs. = 120.65 ft. head. Height of delivery gauge above water = 32.24 ft. ... Total head = 152.89 ft. Temp. of water = 72° F., temp. of feed-water = 102.18° F., temp. of steam at throttle = 516.91° F. (superheated 154°) Total steam used in cylinders = 143,734 lbs. Steam used in jackets and reheater, 16,400 lbs. Total steam used, Steam used in jackets and reheater, 16,400 lbs. Total ste 34 lbs. Dry coal burnt to evaporate total steam, 18,534 lbs. 160,134 lbs. 100,134 108. Dry coal burnt to evaporate total steam, 18,534 lbs. R.p.m., 19.33. Piston speed, 159.74 ft. per min. Stroke, 49.587 in. Plunger displacement (24 hrs.), 22,086,318 gals. = 2,952,400 cu. ft. = 183,934,538 lbs. Allowance for leakage and slip, 0.5%. Net work (24 hrs.), 27,981,142,800 ft.-lbs. Net delivered H.P = 588.82. I.H.P. = 660.9. Efficiency, 89.15%. Steam per I.H.P. per hr., 10.01 lb.; do., per net delivered H.P., 11.32 lb. Dry coal per I.H.P. per hr., 1.42 lb.; do., per net delivered H.P., 1.58 lb. Combustible per I.H.P. per hr., 1.07 lb.; do., per net delivered H.P., 1.2 lb. Duty: per 1,000 lbs. steam = 174,735,801 ft.-lbs. Duty per 100 lbs. coal = 150 971 958 ft.-lbs 150,971,958 ft.-lbs.

150,971,958 ft.-lbs.

Boilers Fuel, Maryland Smokeless coal. Upper grate surface, 35 sq. ft. Water heating surface, 1,402 sq. ft. Superheating surface: internal, 180 sq. ft., external, 375 sq. ft. Total coal burnt, 22,779 lbs. Per cent moisture, 0.88. Total dry coal, 22,519 lbs. Per cent ash and refuse, 8.17. Total water fed to boiler, 195,153 lbs. Factor of evaporation (including superheat), 1.166. Equivalent water evaporated into superheated steam from and at 212°, 227,548 lbs. Dry coal per hour per sq. ft. of upper grate surface, 26.87 lbs. Equivalent evaporation from and at 212° per sq. ft. of heating surface, 6.7 lbs. Average steam pressure, 154.22 lbs. Temp. of feed-water entering purifier, 177.26° F. Temp. of escaping gases, 459° F. Degrees of superheat, 162. H.P. developed, 275. Actual water evaporated per lb. of coal fired, 8.567 lbs. Equivalent evaporation from and at 212° F.: of coal fired, 10.077 lbs.; of dry coal, 10.11 lbs.: of combustible, 10.97 lbs. Calorific value of dry coal per lb., 14,213 B.T.U.: do. of combustible, 15,634 B.T.U. Efficiency of boiler (based on combustible), 67.76%; do., including grate (based on dry coal), (based on combustible), 67.76%; do., including grate (based on dry coal), 64.52%. Cost of coal per ton of 2,000 lbs., \$2.89. Cost of coal to evaporate 1,000 lbs. water from and at 212° F., \$0.151. A similar engine at 142.27 lbs. steam pressure, 71.2° superheat gave a duty of 157,133,000 ft.-lbs. per 1,000 lbs. steam used.

The highest recorded duty (181,068,605 ft.-lbs. per 1,000 lbs. dry steam) is that of an Allis triple-expansion pumping engine at St. Louis, operating under 140 lbs. steam pressure. Another high-duty engine is a Reynolds triple-expansion vertical engine at Boston, 30,000,000 gals. capacity, operating at a piston speed of 195 ft. per min. under 185 lbs. steam pressure. Duty, 178,497,000 ft.-lbs. per 1,000 lbs. steam, or, 163,925,300 ft.-lbs. per million heat units. B.T.U. per I.H.P. per min.=196. Steam per I.H.P. hour=10.375 lbs. Coal per I.H.P. hour=1.06 lbs. Thermal efficiency, 21.63%, or, including economizer, 22.58%.

HYDRAULIC POWER TRANSMISSION.

Water under high pressures (600 to 2,000 lbs. per sq. in.) is advantageously used where power distribution is desired over small areas, viz., wharves. boiler and bridge shops, for presses, cranes, riveting, flanging and forging machinery. The system consists of pumps to develop the desired pressure, from which the water flows through piping to an accumulator, which is a vertical cylinder provided with a heavily weighted plunger. Pipes lead from the accumulator to the machines to be operated. The work stored in an accumulator is equal to the weight on plunger × height in ft. plunger is raised, or wH ft.-lbs. Accumulator efficiency may be 98%. Efficiency of a direct plunger or ram in a hydraulic crane is around 93%, decreasing in proportion to the number of multiplications of movement by pulleys. (Pressures used in holler shore range from 1500 to 1700 lbs.) by pulleys. (Pressures used in boiler shops range from 1,500 to 1,700 lbs. per sq. in.) Effective pressure (lbs. per sq. in.) = accumulator pressure (lbs. per sq. in.) \times (0.84 -0.02 m), where m = ratio of multiplying power (H. Adams).

Maximum hoisting speeds in ft. per sec.. warehouse cranes, 6; platform cranes, 4; passenger and wagon hoists, heavy loads, 2; plunger

passenger elevators, direct stroke, 10.

Cast iron should not be used for hydraulic cylinders when pressures over 2,000 lbs. per sq. in. are used, W. I. or steel being substituted. The test pressure should be about three times the working pressure.

Design of Hydraulic Cylinders. (Kleinhans.) Load on ram, in tons = 0.0003927 pd^2 ; thickness of walls of cylinder in in. = $pD \div 2(f - p)$; thickness of bottom end of cylinder at center = $0.5D\sqrt{p+f}$; thickness (at a radius D+3) between center and wall diam. =0.433 $D\sqrt{p+f}$; where p = water pressure in lbs. per sq. in., d = diam. of ram or plunger, D = internal diam. of cylinder =d+1 to 2 in., according to size, f= safe fiber stress = 10,000 for cast steel. The bottom of cylinder is spherical (of radius d) and rounded to wall of cylinder by a radius =0.2d.

Friction of Cup Leathers. F = frictional resistance of a leather in lbs. per sq. in. of water pressure = 0.08p + (c+d), where d = diam. of plunger in in., p = water pressure in lbs. per sq. in., and c = 100 for leathers in good condition, 250 if in bad condition. (Goodman.)

SHOP DATA.

THE FOUNDRY.

Sand. Good, new sand contains from 93 to 95% of silica, 5% of alumina, and traces of magnesia and oxide of iron. Sand containing lime should not be used. Floor sand: old sand, 12: new sand, 4; coal dust, 1. Facing sand: old sand, 6; new sand, 4; coal dust, 1. (The numbers refer to parts by weight.)

Loam is a mixture of clay, rock sand, powdered charcoal, cow hair. chaff, horse manure, etc. (for binding power and porosity) ground together

in a mill.

Cores require a mixture of rock sand and sea sand with a binding substance, and are black-washed after baking with a mixture of powdered

charcoal and clay water.
Parting Sand. Power Parting Sand. Powdered blast-furnace slag, brick dust or fine dust from castings may be used for this purpose. Plumbago, powdered charcoal, soapstone, and French chalk are used for facing moulds in order that smooth castings may be obtained.

Consistency of Sand. If too much burnt, or old sand is used it will cake in the mould. Sand should be so moistened that if the hand is closed on a ball of same and then opened, the sand will just retain the shape

given to it.

Shrinkage of Castings. Patterns having one horizontal dimension under 3 in. should be made 1/2 in. smaller to allow for rapping. Under ordinary conditions the shrinkage of castings per foot is as follows: cast and malleable iron, † in.; brass, aluminum, and steel, † in.; zinc, † in.; tin, † in.; white metal, † in.; gun-metal, † in. The edges of patterns should be rounded, all corners and angles being filleted in order to avoid the meakening due to constallination in cooling. weakening due to crystallization in cooling.

Weights of Castings. Multiply weight of pattern by 12.5, 14.1, or

16.7, respectively, if the pattern is of red, yellow, or white pine and the casting is of iron. If the casting is of yellow brass, multiply similarly by 14.2, 16, or 19.

To Clean and Brighten Brass Castings. In a glazed vessel mix 3 parts of sulphuric acid with 2 parts of nitric acid and add a handful table salt to each quart of the mixture. Dip the castings in the mixture and then thoroughly rinse in water.

The Cupola. Speed of melting: $W = 2d^2\sqrt{p}$. Air required $Q = 0.5d^2\sqrt{p}$. H.P. to operate fan = $d^2\sqrt{p+3}$,800. In these formulas d = inside diam. of cupola lining in in., W=1bs. of iron per hour, p=air pressure at cupola in ounces per sq. in., and Q = cu. ft. of air per min. (E. N., 7-21-'04).

THE BLACKSMITH SHOP.

Welding. Wrought iron welds at a white, sparking heat (1,500° to 1,600° F.), sand being used as a flux and to prevent scale. Steel welds

at lower heats, borax being the flux employed.

Electric Welding. Extra sound welds can be made by abutting the surfaces of the parts to be welded, allowing an electric current of large volume to flow, and by forcing the parts together when the localized heat at the joint (due to the current) has attained the welding temperature. Alternating currents of low potential are used. In general, from 25 to 30 H.P. applied to the generator are required per sq. in. of section to be welded. For iron and steel this power must be applied for [(area in

sq. in. ×18)+10] seconds. Copper requires 82 H.P. per sq. in. of section, and it must be applied [(area in sq. in. $\times 17.5$)+7] seconds.

To Anneal Tool Steel, heat to an even red and cool slowly in a box.

To Anneal Tool Steel, heat to an even red and cool slowly in a box, surrounding the steel by gravel and charcoal.

Case-Hardening. Raise the pieces (W. I. or mild steel) to a red heat and apply equal parts of prussiate of potash and salt. Quench while the mixture is flowing, not waiting until it burns off. If extreme hardness is desired, use cyanide of potassium. (A dangerous poison.)

Tempering of Steel. Harden by heating to a cherry red (1,650° F.), cooling quickly in water, the article being kept in motion. To temper, brighten the surface of the article and heat slowly (not in contact with the flame) until the desired color (as below) appears, and then quench in water or oil in water or oil.

Very pale straw (430° F.), for brass scrapers, hammer faces, lathe and planer tools for steel and ivory, and bone-working tools.

Light straw (450° F.), for drills, milling cutters, lathe and planer tools

for iron.

Medium straw (470° F.), for boring cutters.

Very dark straw (490° F.), for taps, dies, leather-cutting tools.

Brown-yellow (500° F.), for reamers, punches and dies, gouges, stonecutting tools.

Yellow-purple (520° F.), for flat drills for brass, twist drills, planes.
Light purple (530° F.), for augers, dental and surgical instruments.
Dark purple (550° F.), for cold-chisels, axes.
Dark blue (570° F.), for springs, screw-drivers, circular saws for metal,

wood-chisels, wood-saws, planer knives and moulding cutters.

Allowance for Machining. Forgings.

Diam.....up to 5 in. 6 to 8 in. 9 to 10 in. 12 in. and larger Allowance...... 0.25 in. 0.375 in. 0. 5 in.

THE MACHINE SHOP.

Punches and Dies. Diam. of hole in die = diam. of punch + (0.16 to 0.3) × thickness of plate to be punched, according to various authorities A fair average value for the excess is 0.2×thickness.

Cutting Speeds for Lathes, Planers, and Shapers in ft. per min.

(Ordinary tool steel.)

mary took breek,	American Practice. (J. Rose.)	German. (Ing. Taschen- buch.)
Hard cast steel	_	6 to 10
Tool steel	12	12
Machinery steel	15 to 20	18 to 30
Wrought iron	18 '' 35	18 '' 30
Cast iron.	20 '' 38	16 · · 24
Bronze	60 '' 1 20	40 '' 90
Copper	150 '' 350	40 '' 90

	Speed, ft. per	Depth of cut.	Feed, in. per
•			min.
	min.	in.	min.
Hard steel	21	33	Ŧ
Wrought iron	40	1	#
Mild steel	30	1	
Gun-metal	80	Į.	Ŧ
	20	i	1
Cast-iron gears		o i	
Hard cast iron	30	22	12

For light cuts, speed in ft. per min.: steel, 45; W. I., 60; C. I., 90; gunmetal, 105; brass, 120. For heavy cuts reduce these speeds about one-half. Twist Drills (of ordinary tool-steel). Revs. per min for iron: \(\frac{1}{2}\) in., 660; \(\frac{1}{2}\) in., 320; \(\frac{1}{2}\) in., 220; \(\frac{1}{2}\) in., 160; \(\frac{1}{2}\) in., 130; \(\frac{1}{2}\) in., 105; 1 in., 80; 1\(\frac{1}{2}\) in., 39; 3 in., 26; 4 in., 17. For steel take 0.7 of these speeds,—for brass, multiply them by 1.25.

Feed:—125 revs. per inch depth of hole for drills under ½ in.; for larger drills allow 1 in. of feed per min.

Morse Standard Tapers for Drill Shanks and Sockets.

No. of taper.	Large diam. of socket.	Diam. in. from bottom of hole.	Depth of hole.	C. to c. of slot drill- hole.	Width of slot.	Diam. of tongue.	Length of tongue.
1 2 3 4 5 6	0.475 0.7 0.938 1.231 1.748 2.494	0.369 0.572 0.778 1.026 1.475 2.116	2 1 2 1 3 2	5 5 15 15	0.213 0.26 0.322 0.478 0.635 0.76	0.33 17 11 11 11 2	

The tongues of drills are 0.01 in. less in thickness than the width of slot. Keys to force out drills are tapered 1.75 in 12 (or 8° 19'). **Taper Turning.** Distance tail-center is to be set over =

total length of piece X diff. between diams. at ends of taper length of tapered part

As the centers enter the work an indefinite distance, this rule is only approximate and the results must be corrected by trial.

Machine Screws.

Wire Threads gauge. per in.		Tap drill.		Threads per in.	Diam. in in.	Tap drill.
2 56 3 48 4 36 5 36 6 32 7 32 8 32 9 30 10 24	0.0842 .0973 .1105 .1236 .1368 .1500 .1631 .1763 .1894	No. 49 45 42 38 35 30 29 27 25	12 14 16 18 20 22 24 26 28 30	24 20 18 18 16 16 16 14	0.2158 .2421 .2684 .2947 .3210 .3474 .3737 .4000 .4263 .4520	No. 17 13 6 1 in.

Maximum lengths: No. 2, $\frac{1}{2}$ in.; No. 4, $\frac{3}{4}$ in.; No. 6, 1 in.; No. 8, $\frac{11}{4}$ in.; No. 10. 1 $\frac{1}{4}$ in.; No. 14, 2 in.; No. 18, $\frac{21}{4}$ in.; No. 22 and larger, 3 in. Lengths increase by 16ths up to $\frac{1}{4}$ in., by 8ths from $\frac{1}{4}$ to $\frac{1}{4}$ in., and by 4ths

International Standard Threads (Metric). Angle of thread=60°; flat \(\frac{1}{4} \) ht. of sharp \(V \) thread; root filled in \(\frac{1}{18} \) ht. Dimensions in mm.

Diam.	Pitch.	Diam.	Pitch	Diam.	Pitch.
6&7 8&9 10&11 12	1 1.25 1.5 1.75	18, 20 & 22 24 & 27 30 & 33 36 & 39	2.5 3 3.5 4	48 & 52 56 & 60 64 & 68 72 & 76	5 5.5 6 6.5
14 & 16	2	42 & 4 5	4.5	80	7

Metric threads may be cut in lathes whose lead-screws are in inch pitch by introducing change gears of 50 and 127 teeth. (127 cm.=50 in., within 0.0001 in. For less accurate work a 63-tooth wheel will give an error of only 0.001 in. in 10 inches.)

Screw Threads.

		U. S. S	tandard.			Whit	worth.
D'	(D)	Тар	drills.	Nuts-	-rough.	(D))	70:
Diam. in in., d.	Threads per in.,	U. S.	"V."	Hex.— short diam.	Jquare- long diam.	Threads per in.,	Diam. at thd. bottom.
1111111112222333344	20 18 16 14 13 12 11 10 9 8 7 7 6 6 5 4 4 4 3 4	thread = rounded 1. at bot- 1. 299 2. Con of V	ed officers of property of pro	111111222223333444	0.70 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	20 18 16 14 12 12 11 10 9 8 7 7 6 6 5 5 4 4 4 3 1 3 1 3	0.186 .241 .295 .346 .393 .456 .508 .622 .733 .840 .942 1.067 1.161 1.286 1.369 1.494 1.590 1.715 1.930 2.180 2.384 2.634
333444455556	4 4 3 3 3 3 3 3 2 2 2 2 2 2 2 2 2 2 2 2	Angle of U. and V thr 60°; Whitwo $h=55°$, ro top and botto a. Diam. a tom of U. S. hread $=d-+n$). Diam, at bottom	thread = $d - (1.733 + n)$. In U.S. threads $\frac{1}{2}$ of height is flatted off at top of thread and bottom is filled in $\frac{1}{2}$ ht wearing surface = $0.75 \times \text{pitch} = 0.866 \times \text{ht}$.	5556667788889	7 7 8 1 8 1 8 1 1 1 1 1 1 1 1 1 1 1 1 1	Thickness of rough nuts -d. Finished dimen- sions of hexagon nuts (short diam, and thick-	ness) are γ in less than rough dimensions. Radius for rounding Whitworth threads = pitch of threads × 0.1373.

Stubs' Steel Wire Gauge (continued from table on page 121).

No.	Diam.	No.	Diam.	No.	Diam.	No.	Diam.	No.	Diam.
41	.0.095	52	0.063	72	0.024	F	0.257	P	0.323
42	.092	54	.055	74	.022	G	. 261	\mathbf{Q}	. 332
43	.088	56	.045	76	.018	H	. 266	Ř	. 339
44	.085	58	.041	78	.015	I	. 272	S	.348
45	.081	60	.039	80	.013	J	.277	${f T}$.358
46	. 079	62	.037	A	. 234	K	.281	U	368
47	. 077	64	.035	В	. 238	L	. 290	V	.377
48	. 075	66	.032	C	. 242	M	. 295	W	.386
49	.072	68	.03	D	. 246	N	.302	${f X}$. 397
50	.069	70	.027	\mathbf{E}	.25	0	.316	Y	. 404
		i				ļ	į	Z	.413

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occur in a natural state, while the latter are products of the electric furnace, are very much harder and have greater cutting power and durability. Carborundum (SiC) is composed of 30% Carbon+70% Silicon. Alundum is obtained principally from bauxite, an amorphous hydrate of alumina.

Speeds. Peripheral speeds of wheels vary from 3,000 to 7,000 ft. per min., usually from 5,000 to 6,000. Cylindrical work in grinding-machines should have a peripheral speed of from 25 to 80 ft. per min., the slower speeds for delicate work. The traverse speed of wheel = face of wheel × 0.75 per rev. of piece being ground. Polishing wheels should have a peripheral speed of about 7,000 ft. per min.

Creades of Wheels for Various IIses. Abrasives are classified (accord-

Grades of Wheels for Various Uses. Abrasives are classified (according to the size of their grains) by numbers which indicate the meshes per linear inch of the screen through which the crushed substance has

The cutting capacity of the various sizes compared with files is as follows: 16 to 30, rough files; 30 to 40, bastard; 46 to 60, second-cut; 70 to 80, smooth-cut; 90 and upwards, superfine to dead-smooth.

The Norton Emery Wheel Co. gives the following table which is approximately correct for ordinary conditions. (I = medium soft wheel, M = medium, Q = medium hard; other letters indicate corresponding intermediate grades): No of grain

140.	UI KILIII.
Large C. I. and steel eastings (Q, R)	12 to 20
T - mallockle and shilled from costings (U K).	10 to 20
cmall costings (C. I. steel and malleable iron), Grob-Iorgings	
Single Castings (C. 1., Section and Landson and Castings (C. 1., Section a	20 to 30
Small castings (C. 1., shoot and managed (P, Q)). W. I., bronze castings, plow points (P, Q) , brass castings (O, P) .	16 to 30
Planer and paper-cutter knives (J, K) , lathe and planer tools (N, O)	30 to 40
α 1 = a	3U TO 4U
Wood-working tools, saws, twist-drills, hand-ground (M, N) .	36 to 60
Machine grinding: twist drills (K, M) , reamers, taps, milling	
	40 to 60
cutters (H, K)	46 to 100
Hand grinding: reamers, taps, milling cutters (N, P) For grinding machines, the Landis Tool Co. gives the following:	10 (0 100

	No. of grain	
Soft steel, ordinary shafts tubing or light shafts	. 24 to 60	Medium or one grade harder.
tubing or light shafts	. 24 '' 60	One or two grades softer than
		MACHINI
Hard steel and C. I	. 24 60	Medium or one grade softer.
Internal grinding	. 30 " 60	to several grades
		softer.

Economy in Finishing Cylindrical Work is obtained by reducing stock by means of rough, heavy cuts to within .01 to .025 in. of the finished diameter and then grinding to completion. It is possible to force wheels

to remove 1 cu. in. per min.

Emery Wheels vs. Filing and Chipping. The figures in the following table express approximately the number of lbs. removed per hour by the various processes. The metal bars ground were in. X in., held against wheel by a pressure of about 100 lbs. per sq. in. (T. Dunkin Paret, Jour. Franklin Inst., 5-12-1904):

	Brass.	C. I.	w . 1.	Hardened Sa eel.
Emery wheel File Cold chisel Wheel wear	34.	15.5	5.	6.87
	1.	.72	.34	.125
	2.56	4.69	1.31	.187
	.8	1.37	1.69	3.63

Grindstones for tool-dressing should have a peripheral speed between 600 and 900 ft. per min. Rapid grinding speeds should not exceed 2,800

ft per min.

High-Speed Tool Steel. In 1900 the Bethlehem Steel Co. exhibited tool steel at the Paris Exposition made and treated according to the Taylor White patents. This steel was capable of taking heavy cuts at abnormally high cutting speeds, the chips coming off at a red heat, and the tool stand

ing up well under the work. Since that date many steels of similar capacity

have been placed on the market by various makers.

These steels are air-hardening and contain (in addition to carbon) one or more of the elements, chromium, tungsten, vanadium, molybdenum, and manganese, these elements uniting with the carbon to form carbides. Iron carbides exist generally in an unhardened state and at high temperatures these part with their carbon, which then shows a greater affinity for chromium, etc. These newly formed carbides may be fixed by rapid cooling, and they impart the extraordinary hardness which they possess to the steel. This hardness is retained by the steel, as these carbides are not affected by changes of temperature within certain limits. Tools made from these steels are forged at a bright red heat and slowly cooled. The points are then reheated to a white, melting heat (about 2,000° F.), cooled to a red heat in an air-blast, and then slowly cooled, or quenched in oil.

Cutting Speeds for High-Speed Tool Steels. Experiments have been conducted in Germany and also in England (by Dr. Nicholson of Manchester) to determine the best cutting speeds to employ on various metals, and the results are expressed by the following formula: Cutting speed in feet per minute, $S = \frac{1}{r} + M$, where a is the sectional area of cut in sq. in. (= depth \times traverse in one rev.), and K, L, M are constants:

	Whitworth Fluid (Manchester) Pressed Steel					W . I.		
		Soft.	Medium.	Hard.	Soft.	Medium.	Hard.	
K	-	1.95	1.85	1.03	3.1	1.65	1.3	2.62
$oldsymbol{L}$	=	0.011	0.016	0.16	0.025	0.03	0.035	0.0092
M	-	15	6	4	8	7	5.5	23.5

		Siemens-	Martin Steel	Cast Iron.	Cast Steel.	
		Soft.	Medium.	Hard.	Cast Iron.	Cast Steel.
K	-	4.03	0.918	1.17	0.196	0.2
\boldsymbol{L}	-	0.012	0.009	0.0075	-0.0199	-0.005
M	-	-26	16	20	32.2	11.25

The chemical composition of the metals experimented upon is as follows:

-	CAST IRON. Berlin.		Manchester			
		Soft.	Medium.	Hard.		
Carbon, combined	0.45	0.459	0.585	1.15		
Graphite	3.46	2.603	2 .72	1.875		
Si	2.05	3.01	1.703	1.789		
Mn	1	1.18	0.588	0.3 48		
8	0.1	0.031	0.061	0.1614		
P.	0.1	0.773	0.526	0.732		
Crushing strength in tons of 2	,240 lbs.	26.9	44	43 .5		

STEEL.

	Siemens-Martin.			Whitworth.			
	Soft.	Medium.	Hard.	Soft.	Medium.	Hard.	
Carbon		$0.54 \\ .21$	0.63	0.198	0.275	0.514	
Si	.58	. 93	$\begin{array}{c} .20 \\ 1.22 \end{array}$.055	. 086 . 65	.111 .792	
8	.05 .07	.025 .05	. 05 . 05	.026	.037 .043	.033 .037	
Tensile strength in tons (2,240 lbs.).	26 to 32		49	26	29	47	

Shop Practice. The following data have been reported in the technical journals of the past year, and may be taken as an index of good average practice, when durability is considered as well as a high cutting rate.

TURNING.

Material.	Speed, ft. per min.		of cut in in.	Tool steel.
Mild steel	. 140-160	0.0117	to 0.035	A. W.
0.5 carbon steel	40-70	.0234	.0468	44.
		.0078	11 0026	4.6
Cast iron.	. 40–70			44
" rolls (hard)		.0117	.038	4.6
Gun-metal	. 50	.02	.063	
Chrome and high-carbon	1			
steels	. 17	.0125	" .02	4.6
0.4 carbon steel and C. I	. 240	.01	.032	Various Am. steels.
Tough alloy-steel shells	. 45–90	.0019	.0273	Blue chip.
	PLA	NING.		
C. I. and mild steel	. 30–36	0.0117	to 0.18	A. W.
	TO CE	RING.		
				4
0.5_carbon steel		316 hole,	in. feed.	A.W.
C. I	. 40–50	.0125	to 0.19	••
•	DRIL	LING.		
		_	Feed per	
	Size.	R.p.m.	min.	
C. I	. 🚦 in.	360	6 in.	A. W.
C I and mild steel	7	250	5 "	4.6
C. I. and mind steel	. 11 "	275	3.6 in.	4.6
Hard steel		80	0.83''	6.6
C. I		300	3.5 ''	Campbell, Laird
Mild steel		300	2.25''	& Co., "0172"
C. I. and soft steel	· 1.7. in	260	3.25"	(W. R. McKeen)
C. I. and soit steel		. 200	3.20	(W. It. McKeen)
	—С. I. <u>—</u>		Mac	hinery Steel.—
Size Drill. R.p.n		ed, in.	R.p.m.	Feed, in.
Die Dim Aup.n	• p∈	er min.	zo,p.m.	per min.
† in 390		10	320	3
1 260		1 2	260	4
1		<u>-6</u>	220	$ar{2}$
(Rand Drill Co.'s exper	iments, An		_	_
TURNING:—Cincinnati	Milling Mad	hine Co.	's practice	•
	_	~		•
Roughing.	-	Spee		er min.
Area of cut.	C.	1.	Steel.	Facing C. I.
.0005 sq. in.			200	
.001	130) '	125	125
.0015 '' ''	100	_	94	90
.0025 '' ''	66		66	64
,0020	5		62	50
.004	50		58	40
.008 '' '' Finishing	ð!	,	ĐO	30
RIDISTING				

Finishing. .00005 sq. in. 300 .000125250 200 300 4 6 200 150 188 .00025 4 6 4 6 125 143 . 0005 125 4 4 6 6 .001 97 100 60 4 4 .002

(T. A. Sperry, Am. Mach., 5-25-05.)
STEELS: "A. W." (Armstrong-Whitworth) results are from reports of J. M. Gledhill, "Blue Chip" steel is made by the Firth-Stirling Steel Co.; ".0172" steel is made by Campbell, Laird & Co., Sheffield: Drill data credited to W. R. McKeen are from a paper on Ry. Shop Practice, reprinted in Ry. Gazette, 7-8-04.

Pressures on Cutting Tools, p, in lbs. per sq. in.
Cast Iron: soft, 115,000; medium, 188,000; hard, 184,000.
Steel: soft, 258,000; medium, 242,000; hard, 336,000.

			-MILLING -		
Material.	Cutter.	Speed.	Surface cut.	Advance per min.	I (M)I.
C. I	4 in. 3 ''	90 ft. 40 '' 82 ''	$2 \times \frac{1}{32}$	27 in.	Blue Chip
Steel.	4 '' 4 ''	82 '' 103 ''	8× 1 2× 1 2×1	10 ::	".0172"
C. I	9 in.(face		$2 \times \frac{1}{2}$ $6 \times \frac{1}{4}$	8.5 " 7.5 "	A. W.
C. I	2 1 ''	87 ··	$2\frac{3}{4} imes\frac{4}{16}$	26 "	• • •
Steel gears (0.34 to 0.5 carbon).	8 ''	57 ''	🖁 deep	3.5 ''	44

Metal Removed in Unit Time.

Cast Iron: lbs. per min. = 3.13 Sa; lbs. per hour = 187.8 Sa. Steel: lbs. per min. = 3.4 Sa; lbs. per hour = 204 Sa.

Power Required by Cutting Tools (lathes, planers, shapers, boring mills). H.P. = $paS \div 33,000$. For milling machines J. J. Flather states that H.P. = cw, where w = lbs. removed per hour, and c = 0.1 for bronze, 0.14 for C. I. and 0.3 for steel.

Best Tool Angles. Dr. Nicholson indicates in his dynamometric experiments that the tool edge (in plan) should be at an angle of 45° to the center line of the work, the clearance from 5 to 6°, the tool angle about 65° for medium steel (75° for C.I.) and the top-rake 20° for medium steel (9° for C.I.). (A. S. M. E., Chicago, 1904.)

Average cutting stress: C.I., 150,000 lbs. per sq. in.; steel, 180,000 lbs.

H.P. = cutting stress $\times a \times S + 33,000$. Cutting H.P. for 1 lb. per min. = 1.46 for C.I. and 1.6 for steel.

H.P. lost in tool friction = 0.3 H.P. per lb. per min. .. Gross H.P. = 1.76

for C.I. and 1.9 for steel.

The surfacing force for best shop angle (70° for steel) = 67,000 lbs. per sq. in. of cut; similarly, traversing force = 20,000 lbs. per sq. in. The surfacing force will thrust the saddle against the bed if the coefficient of friction equals or exceeds 0.333. The total net force to be overcome by the driving mechanism of the carriage for cutting steel = $(67,000 \times 0.333) + 20,000 = 42,333$ lbs. per sq. in. of cut. Round-nose tools are preferably

High-Speed Twist Drills. Power required ∝ r.p.m.; thrust ∝ feed per Thrust increases more rapidly than the power consumed, consequently less power is required to drill a given hole in a given time by increasing the feed than by increasing the r.p.m. The angle of drill-point may be decreased to as low as 90° (standard angle=118°), thereby reducing the thrust 25% and without affecting the durability of point. (W. W. Bird & II. P. Fairfield, A.S.M.E., Dec., 1904.)

Metal-Cutting Circular Saws. Cutting cold metal: diam., 32 in.; thickness, 0.32 in.; width of teeth (cutting edge), 0.44 in.; teeth 0.2 to 0.5 in. apart; circumferential velocity, 44 ft. per min.; feed, 0.005 to 0.01 in per sec.

0.01 in. per sec.

Cutting metal at red heat: diam., 32 to 40 in.; thickness, 0.12 to 0.16 in.; teeth 0.8 to 1.6 in. apart; depth of teeth, 0.4 to 0.8 in.; circumf. vel., 12,000 to 20,000 ft. per min. (Ing. Taschenbuch).

Taylor-Newbold Saw, with inserted teeth of high-speed steel: A 9½ in. cold saw at 76 r.p.m. will cut through 1½ in. hex. cold-rolled steel in 26 seconds, and at 96 r.p.m., in 22 secs. A 36 in. saw, ¼ in. thick, teeth averaging ½ in. thick, running at a cutting speed of 85 ft. per min. will cut off a bar of 0.35 carbon steel 14 in. ×8½ in. in 20 min. A bar of 0.40 carbon steel 5×5½ can be cut in 44 min.

carbon steel 5×51 can be cut in 4.4 min.

Fits (Running, Force, Driving, Shrink, etc.). In the following table, which is derived from good practice, the first column gives the nominal diameter of hole. The mean value for each class of fit is given and also the permissible variation above or below same. For force, shrink, and driving fits the values given are those by which the diameter of the piece should exceed that of the hole, while for running and push fits they are the values by which the diameter of the hole should exceed that of the piece. Force and shrink fits are given the same value. Push fits are those in which the piece is forced to place by hand-pressure. Running fits are given three values: A, for easy fits on heavy machinery; B, for average high-speed shop practice; C, for fine tool work.

	Fore	æ+	Driv	e+	Pus	h —			Runni	ing—		
Diam. in in.	İ	Var	Mean	Var	Mean	Var	A		В			·
	Moon	V 26.1.	Mean	V 41.				Var.	Mean	Var.	Mean	Var.
0.5	.75 1.75 3.5	. 25 . 25 . 5	.37 .87 1.25	. 12 . 12 . 25	.5 .75 1.25	. 12 . 25 . 25	1.5 2 2.6	.5 .75 .87	1 1.5 1.9	. 25 . 5 . 62	1	. 12 . 25
2 3 4 5 6	5. 2 5	.75 1		5555	1.75 1.75 2.25	. 25 . 25	3.1 3.8 4.4	1.1 1.2 1.4	2.3 2.7 3.1	.8 .85	1.5	.4 .5 .6 .62
6	9 11	1	3.5	.5	2. 25 2. 25	. 25	5	1.5	3.5	1	2	.75

The values above given are in thousandths of an inch; thus, for a driving fit in a hole of 4 in. diam., the piece should be 4.0025 in. in diam. (It may be either 4.002 in. or 4.003 in. and still be within the permissible variation of 0.0005 in. either way.) For locomotive tires and other large shrunk work, Allowance in thousandths of an inch = $(\frac{1}{16} \times \text{diam})$. in in.)+0.5. (S. H. Moore, A.S.M.E., 1903.)

Sizes above 6 in. Diam.: For shrink fits add 0.0025 in. to diam. of piece for each inch of diam. of hole where the part containing the hole is thick and unyielding. Where the metal around the hole is thin and elastic, add 0.0035 in. per in. of diam. For force fits multiply diam. of hole by 1.0007 and add 0.004 in.; variation of 0.001 in. is permissible. For drive fits allow one-half of the excess just given for force fits. For running fits, multiply diam. of hole by 0.000125; add 0.00225 in. and subtract this sum from diam. of hole, thus giving diam. of piece. Variation of 0.001 in. permissible.

Power Required by Machinery.

Machine.	Material.	No. of tools.	H.P. working.	H.P. light.
Wheel lathe, 84 in	C. I.	2	6	1.5
Boring mills, 54 to 78 in	C. I.	1	4.5 to 6.5	2.5
Slotting machines, 36×12	}			
and 40×15	W. I.	1	5.3 & 7.3	1.5 & 2.2
Planers:				
Sellers, 62 in. \times 35 ft 36 in. \times 12 ft	W. I.	${f 2}$	24 . 5	5.8
" $36 \text{ in.} \times 12 \text{ ft.} \dots$	4.4	2	12.5	3 6
56 in. ×24 ft	4.4	2	16.8	6
Radial drill, 42 in	• •	2 in. drill	2 . 1	1.1
Shaper, 19 in. stroke		1	7.3	1.8

(Baldwin Loco. Works; measurements by separate electric motors.)

Machine.	H.P. of motor required to operate under best conditions.
Niles planer, 10 ft. \times 10 ft. \times 20 ft	. 30
Pond " 8" × 8" × 20"	25
" $5\frac{1}{2}$ " \times 5" \times 12"	15
Gray " $28 \text{ in.} \times 32 \text{ in } \times 6 \text{ ft.} \dots$	3
Gisholt turret lathe, 28 in. swing	
W. F. and J. Barnes drill press, 21 in	. 1
Niles radial drill, 60 in. arm	${f 2}$
Emery Grinder, two 18-in. wheels in use,	950 r.p.m 5
Pond Vertical Boring Mill, 10-ft. table	12
Bement & Miles Slotter	7
Jones & Lamson Turret Lathe, 2 in. ×24	in 1.5
Gisholt Tool Grinder	4
Hendey-Norton Lathe, 16 in	2
Putnam Lathe, 18 in	
Pond '' 36 in	<u></u>

(F B. Duncan, Engineers' Society of W. Pa.)

		or H.P.
Punch and Shears, 11-in. hole in 1-in. plate, 6 H.P.) shearing 1-in. plate, 15 H.P.		12
Plate-edge Planer, 35 ft. $\times 1$ in	• • • •	30 25
Wood Planers	4	4–16
Circular Saws. (D. Selby Bigge.)	• • • • •	1-24

H. P. of Motors for Machine Tools. Ordinary lathes: H.P. = 0.15S-1; Heavy lathes and boring mills under 30 in.: H.P. = 0.234S-2; Boring mills over 30 in. swing: H.P. = 0.25S-4; Ordinary drill presses: H.P. = 0.06S; Heavy radial drills: H.P. = 0.1S; Milling machines: H.P. = 0.3W; Planers (2 tools), ordinary: H.P. = 0.25W; Do., heavy; H.P. = 0.41W (Ratio of planer feed to return = 1:3). Slotters: 10 in. stroke, H.P. = 5; 30 in. stroke, H.P. = 10; Shapers: 16-in. stroke, H.P. = 3; 30 in. stroke, H.P. = 6.5.

In the above Seswing in inches and W--idla between

In the above S=swing in inches and W=width between housings in inches. Formulas based on the cutting by ordinary water-hardened steel tools at 20 ft. per min. (J. M. Barr, in Electric Club Journal.) If high-speed steels are used, the power required will be from 2.5 to 3 times the above forward on account of increased speeds and outs

times the above figures on account of increased speeds and cuts.

Power Absorbed by Shafting. In cotton and print mills about 25% of the total transmission; in shops using heavy machinery, from 40 to 60%. In average machine-shops 1 H.P. is required for every three men employed.

COST OF POWER AND POWER PLANTS.

Water Power. Cost of plant per H.P., including dam, \$60.00 to \$100.00; without dam, \$40.00 to \$60.00. Power costs from \$10.00 to \$15.00 per year per H.P.

Steam Power. Cost of engines per H.P.: Simple, slide-valve, \$7.00 to \$10.00; simple Corliss, \$11.00 to \$13.00; compound, slide-valve, \$12.00 to \$15.00; compound Corliss, \$18.00 to \$23.00; high-speed automatic, \$10.00 to \$13.00; low-speed automatic, \$15.00 to \$17.00. Plain tubular boilers, per H.P., \$10.00 to \$12.00; water-tube boilers per H.P., \$15.00. Pumps, \$2.00 per H.P. for non-condensing, and \$4.00 for condensing. (Dr. Louis Bell in "The Electrical Transmission of Power.") Total cost of plant ranges from \$50.00 to \$75.00 per H.P., exclusive of buildings. Dynamos and other electrical apparatus, including switch-boards, cost from \$20.00 to \$35.00 per kilowatt capacity (\$15.00 to \$26.00 per H.P.), making the cost of an electrical power plant range from \$65.00 to \$100.00

making the cost of an electrical power plant range from \$65.00 to \$100.00 per H.P.),

The cost of a H.P. hour has been estimated by various authorities to range from 0.55 to 0.85 cents. Dr. Bell places it at 0.8 to 1.00 cent with large, compound-condensing engines, and at 1.5 to 2.5 cents with simple engines, basing his calculations on a day of 10 hours, under full load. the load is fractional and irregular, these figures should be altered to 1.00 to 1.5 cents and to 3 and 4 cents, respectively.

The cost of electric power includes the cost of steam power to operate the generators, interest, repairs and depreciation on the apparatus, attendance, etc. In very large power plants under good load conditions the cost per kilowatt hour (1.34 H.P. hour) may be as low as one cent, at the bus

bars.

Gas Power. The cost of plant is about the same as that of a steam The gas consumption per brake H.P. per hour is about as follows: Natural gas, 10 to 12 cu. ft.; coal gas, 16 to 22 cu. ft.; producer gas, 90 cu. ft.; blast-furnace gas, 116 cu. ft Coal consumption when producer gas is used is about 1.25 lbs. per B.H.P. With dollar gas, 1 B.H.P. costs 2 cts. per hour. One B.H.P. in a gasoline engine costs about 1.5 cents per hour, in an oil-engine about 1.75 cts. per hour, and in a Diesel engine from 1 to 2 cents, according to the cost of oil in the locality.

Proportions of Parts in a Series of Machines. When two sizes of a nachine have been constructed and it is desired to extend the series or o introduce intermediate sizes, the following method of Dr. Coleman iellers may be employed:

Let
$$D$$
 be the larger nominal dimension, say 30 (of a 30-in. swing lathe) D_1 " " smaller " 12 (" 12-in. ")

Let diam. of lead-screw on D=C=3 in., and diam. of lead-screw on $D_1=C_1=1.5$ in. Thn $D-D_1=30-12=18$, and $C-C_1=3-1.5$. =1.5. (C-C₁)÷ $(D-D_1)=1.5\div18=0.0833=A$, a factor. $AD_1=0.0833\times12=1$. $C_1-AD_1=1.5-1=0.5=I$, the increment. Let it be desired to find C_2 when $D_2=20$ in. Then

$$C_2 = (D_2 \times A) + I = (20 \times 0.0833) + 0.5 = 2.16$$
 in.

Hoisting Engines. Theoretical H.P. required = weight in lbs. (of cage, rope, and load) × speed in ft. per min. ÷33,000. Add 25 to 50% for actual H.P. on account of friction and contingencies. Max. limit of rope length in ft. $x = \frac{f}{7w} - \frac{D}{w}$, where f is the breaking strength of rope in

lbs. per sq. in., w = lbs. per foot of rope, D = dead weight to be lifted, in lbs., and 7 = factor of safety.

Elevators. Speeds: low, 0 to 150 ft. per min.; medium, 150 to 350 ft.; high, 350 to 800 ft. Counterweights should be about 75% of the weight of car and plunger. Floor area, 20 to 40 sq. ft. Number of elevators for a high office building = (Height of building in ft. \times 330) + (speed in ft. per min. \times interval between elevators in seconds). (G. W. Nistle, A. S. M. E., May, '04.)

Wire ropes for elevators (6 strands, each of 10 wires). Safe working

Wire ropes for elevators (6 strands, each of 19 wires): Safe working load in lbs. = $11,600d^2-720,000\frac{d^3}{D}$ (for Swedish iron); = $23,200d^2-760,000\frac{d^3}{D}$

(for cast steel), where d = diam of rope in in. and D = diam of sheave in in. (Capt. H. C. Newcomer U. S. A., E. N., 1-15-03.)

Conveyor Belts. Lbs. conveyed per min. $=b^2wV + 13,824$; lbs. per hour $=b^2wV + 230.4$; tons per hour $=b^2wV + 460,800$, where b = width of belt in in., V = speed in ft. per min., w = lbs in 1 cu. ft. of the substance conveyed. These values are for flat belts; for trough belts multiply by 3. Average V = 300; higher speeds may be used, up to 450 for level and 650 when elevating at an angle. Approx. H.P. required to operate—the per per second standard st when elevating at an angle. Approx. H.P. required to operate-lbs. per min. ×elevation in ft. ÷16,500.

Electric Cranes. An electric travelling crane consists of a bridge, or girder, a trolley running on the bridge and a hoist attached to the trolley, each part being operated by its own motor. The following data are from a paper by S. S. Wales, read before the Engineers' Society of W. Pa. $L = \text{working load on crane, in tons; } W = \text{weight of bridge, in tons; } W = \text{weight of trolley, in tons; } S = \text{speed in feet per min.; } P \text{ and } P_1 = \text{trootive force in the part ton.}$

tractive force in lbs. per ton.

	Bridge		·Tr	olley.——	
Span.	W.	P.	$L. \ 1 ext{ to } 25 ext{ tons}$	$oldsymbol{w.}{0.3L}$	P ₁ . 30 lbs.
25 ft. 50 '' 75 ''	$egin{array}{c} 0.3L \\ .6L \\ 1.0L \\ 1.5L \end{array}$	30 lbs. 35 '' 40 '' 45 ''	1 to 25 tons 25 '' 75 '' 75 '' 150 ''	.4L .5L	35 '' 40 ''

H.P for bridge = PS(L+W+w)+33,000. (Use motor 1.5 times as large.) H P for trolley = $P_1S(L+w)+33,000$ ("" 1.25 " 1.25 H.P. for hoist = LS+10(=1 H.P. per ton lifted 10 ft. in one minute).

Speeds in Feet per Minute (Ing. Taschenbuch).

	5 tons.	25 tons.	50 tons.	100 tons.
Hoist	14 to 28	10 to 12	6 to 7.5	5
Bridge	180 '' 300	140 " 210	130 '' 200	120
Trollev	80 '' 120	50 " 75	35 '' 55	25 to 35

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ELECTROTECHNICS.

ELECTRIC CURRENTS.

Resistance (symbol R) is that property of a material which opposes the flow of an electric current through it. The unit of measurement is the ohm, which is a resistance equal to that of a column of pure mercury at 0°C., of uniform cross-section, 106.3 centimeters in length and weighing 14.4521 grams.

Electro-motive Force (symbol E, abbreviation E.M.F.) is the electric pressure which forces a current through a resistance. The unit of meas. urement is the volt, the value of which is derived from the standard Clark cell whose E.M.F. at 15° C. is 1.434 volts.

An E.M.F. applied to a resistance will cause a flow of Current (I). electricity which is termed a current. The unit of measurement is the ampere, or the current which flows through a resistance of one ohm when it is subjected to an E.M.F. of one volt. One ampere is the amount of current required to electrolytically deposit 0.001118 gram of silver in one second.

Quantity (Q). The quantity of electricity passing through a given cross-section of conductor is measured in coulombs. One coulomb is

the quantity of electricity which flows past a given cross-section of a conductor in one second, there being a current of one ampere in the conductor.

Capacity (C) is that property of a material by virtue of which it is able to receive and store up (as a condenser) a certain charge of electricity. A condenser of unit ca acity is one that will be charged to a potential of one volt by a quantity of one coulomb. The unit of capacity is the farad, which is too large for convenient use,—the microfarad (one millionth

of one farad) being employed in practice.

Electric Energy (W), or the work performed in a circuit through which a current flows, is measured by a unit called the joule. One joule is equal to the work done by the flow of one ampere through one ohm

for one second.

Electric Power (P) is measured in watts. One watt is equal to the work done at the rate of one joule per second. One H.P. = 746 watts. One watt = 0.7373 ft.-lbs. per sec., = 0.0009477 B.T.U. per sec. One kilowatt = 1,000 watts = 1.3405 H.P.

Subdivisions and Multiples of Units are expressed by the use of the following prefixes. One-millionth, micro; one-thousandth, milli; one

million, meg-a, one thousand, kilo (e.g., microhms, microfarads, milliamperes, megohms, megavolts, kilowatts, etc.).

Aids to a Conception of Electrical Magnitudes. One ohm=resistance of 1600 ft. of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 conception of the context of No. 2 context of ance of 1,600 ft. of No. 8 copper wire (1 in. diam.) approx., = resistance of 400 ft. of No. 14 copper wire (1 in. diam.) approx. One volt =90% of the E.M.F. of a Daniell cell (Zn, Cu, and a solution of copper sulphate), 66% of the E.M.F. of a Leclanche cell (carbon-zinc telephone battery). approx.

A 2,000 candle-power (c.-p) direct current arc lamp has a current of about 10 amperes flowing through it, and an E.M.F. between the carbons of about 45 volts; it consequently requires 450 watts of electric power.

An ordinary 16 c.-p. incandescent lamp on a 110-volt circuit requires about 0.5 ampere, its resistance being about 220 ohms and its power consumption

about 55 watts.

Ohm's Law. If E is the difference of potential (E.M.F.) in volts between two points in a conductor through which a steady, direct current of I amperes is flowing, and the resistance of the conductor between the two points is R ohms, then $I = \frac{E}{R}$, or E = IR.

Divided Circuits. If a current arrives at a point where several paths are open to its flow, it divides itself inversely as the resistances of these paths, or directly as their respective conductances. (The conductance of a circuit is the reciprocal of its resistance, or \overline{R} .) $\imath_1:\imath_2:\imath_3=\overline{r_1}:\overline{r_2}:\overline{r_3}$, etc., and $i_1+i_2+i_3=I$.

The total conductance of the branched circuits, $\frac{1}{R} = \frac{1}{r_1} + \frac{1}{r_2} + \frac{1}{r_3}$, etc., and the reciprocal of this value equals the joint resistance of the several paths.

For two branches $\overline{R} = \frac{1}{r_1} + \frac{1}{r_2}$, and $R = \frac{2}{r_1 + r_2}$.

Kirchoff's Laws. 1. The sum of the products of the currents and resistances in all the branches forming a closed circuit equals the sum of all the electrical pressures in the same circuit, or $\Sigma E = \Sigma(IR)$. 2. At

every joint in a circuit, $\Sigma I = 0$, or the sum of the currents flowing toward the joint equals the sum of the currents flowing away therefrom.

Resistance of Conductors. The resistance R (in ohms) of a conductor of length l (in cms.) and cross-section s (in sq. cms.) is R = cl + s, where c is the specific resistance of the material (the resistance between two opposite faces of a cube 1 cm. long and 1 sq. cm. cross-section).

Specific Resistances at 0° C. are given in the following table. When any higher temperature is taken, add as a correction $b \times degs$. C. above 0°

O°.`

Specific resistance in b. microhms.			Specific resistance in b. microhms.			
Silver	1.561 2.197 2.665 5.751 9.065	0.004 .00428 .00327 .00435 .00406 .00625 .003669	Nickel Tin Lead Mercury German silver Carbon	13.048 20.38 94.07 29.982	0.00622 .0044 .00411 .00072 .000273	

Dilute Sulphuric Acid.

The heat developed is equivalent to the energy causing the current flow. Rate of expenditure of energy, in watts, $=EI=I^2R$. Energy in joules or watt-seconds $=EIt=I^2Rt$.

Electrolysis is the separation of a chemical compound into its constituent elements by means of an electric current. Two plates or poles (electrodes) are inserted in the compound or electrolyte, the electrode of higher potential being called the anode, and the other the cathode. The products of the decomposition are called ions. A current I amperes flowing through an electrolytic bath will deposit a weight of G grams in t units of time.

G=kalt, where a is the chemical equivalent of the substance. If t is in seconds, k=0.000010386; if t is in minutes, k=0.0006232, and if t is in hours, k=0.03739. The electro-chemical equivalent=grams per coulomb.

•	a.	Grams per coulomb.	Grams per amp. hour.	а.	Grams per coulomb.	Grams per amp. hour.
Lead1 Mercury	65.4 03.2	. 00067924 . 00107184 . 00103756 . 00030431	1. 1815 2. 4453 3. 8585 3. 7352 1. 0955	Oxygen 8 Platinum 97.2 Potassium 39 Silver 107.7 Tin 58.7 Zinc 32.4	.00040505 .00111857 .00060966	3. 6343 1. 4582 4. 0269 2. 1948

(To obtain pounds per ampere-hour, multiply grams per ampere-hour by 0.0022046.)

ELECTRO-MAGNETISM.

When a current starts to flow in a conductor, whirls Lines of Force. of magnetism are generated around the conductor which seem to spring from its center, and the region so filled with these whirls increases radially in extent as the current increases, remains constant when a steady current is attained, and shrinks radially to nil when the current is interrupted.

If the conductor is bent into a loop, an elementary electro-magnet is

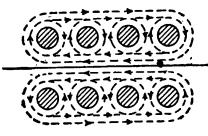


Fig. 27.

formed, with a pole on either side of the plane of the loop. If the conductor be wound into a number of loops along the surface of a cylinder, a solenoid is formed and the whirls so add themselves together that they may be considered as loops, entering the solenoid at all points of the section at one end, passing along inside parallel to the axis of the solenoid to the other end, thence emerging and returning outside in curved paths to the point first considered (Fig. 27).

These loops are termed lines of force, and their number depends on the number of spirals of conductor in the solenoid and the number of amperes of current flowing through them, or, as it is expressed, by the number of ampere-turns.

The Intensity of the Magnetic Field (3C) at any point is measured by the force it exerts on a unit magnetic pole, the unit intensity, therefore, being that which acts with a force of one dyne upon a unit pole, or one line of force per sq. cm. (A dyne is the force which, acting for one second upon a mass of one gram, imparts a velocity of one centimeter per second.)

Magneto-motive Force (F) is the magnetizing force of an electric current flowing in a coil or solenoid and is usually stated in ampere-turns. $\mathfrak{F}=4\pi nI\div 10=1.257\,nI$, where n is the number of turns or loops of the conductor and I the current in amperes. The unit for \mathfrak{F} is called the gilbert and is equal to 0.7958 ampere-turns.

The Intensity of the Magnetizing Force per unit length of solenoid $(\mathcal{H}) = 4 \pi n I + L = 1.257 n I + L$, where L = length in in cm. If $L_1 = \text{length in}$

inches, $\mathcal{K} = 0.495nI \div L_1$ or, if expressed in lines per sq. in., $\mathcal{K}_1 = 3.193nI \div L_1$.

* Magnetic Induction (B) is the magnetic flux or the number of lines of force per unit area of cross-section, the area at every point being normal to the direction of the flux. $\mathcal{B} = \mu \mathcal{B}$, where μ is the permeability. The unit is the gauss, or one maxwell per normal sq. cm.

The Magnetic Flux (4) is equal to the average field intensity × area.

The unit is the maxwell, or the flux due to unit magneto-motive force (M.M.F.) when the reluctance is one oersted.

Reluctance (R) is the resistance offered to the magnetic flux by the material undergoing magnetization. The unit is the cersted, or the resistance offered by one cubic centimeter of vacuum.

Magnetic Susceptibility, $(\kappa) = \mathcal{F} \div \mathcal{K}$.

^{*} B, F, and H are commonly used in place of B, F, and 3C,

Reluctivity (v) is the reluctance per unit of length and unit cross-

section, =1+ \(\alpha\). Maxwells = gilberts \(\div \) oersteds. **Hysteresis.** When a magnetic substance (e.g., iron) is magnetized, the intensity of magnetization does not increase as rapidly as does the magnetizing force, but lags behind it. This tendency is termed hysteresis, and it may be considered as an internal magnetic friction of the molecules of the substance. Continued rapid magnetizing and demagnetizing will cause the substance to become heated. Hysteresis (h) may be calculated by the following formula due to Steinmetz: h (in watts) = $nR^{1.6}kn10^{-7}$, where k = volume in cu. cms. and n = number of complete cycles of magnetization and demagnetization per second.

	η.		η.
Very thin, soft sheet iron	0.0015	Soft, annealed cast steel	0.008
" soft iron wire	. 002	" machine steel	. 0094
Thin sheet iron (good)	. 003	Cast steel	. 012
Thick " "	. 0033	Cast iron	. 016
Ordinary sheet iron	. 004	Hardened cast steel	. 025

The Magnetic Circuit. Magnetism may be considered as flowing in a magnetic circuit in the same manner as an electric current does in a conductor and the following relation holds:

Magnetic Flux = Magneto-motive Force, which is analogous to Cur-Reluctance

E.M.F.

 $\phi = \mathcal{F} + \mathcal{R}$. Reluctance, $\mathcal{R} = l + \mu a$, where l = length of magnetic circuit, a = area of cross-section and μ = permeability (see Dynamos). $\theta = \mathcal{F} + \mathcal{R}$, $\mathfrak{F} = 1.257 nI$; $\therefore nI = \frac{\mathfrak{G}l}{\mu a + 1.257} = 0.7958 \mathfrak{G} \frac{l}{\mu a}$, where l is in cms. and a in

sq. cms. When l_1 and a_1 are in inch measure, $nI = 0.31320 l_1 \div \mu a_1$.

Induction. If a conductor, of length dl_1 , is moved in a magnetic field (of strength 3C) with a velocity, v (the conductor making the angle α with the direction of the lines of force and the direction of motion being at the angle β with the plane passing through the conductor in the direction of the lines of force), the induced electromotive force, $dE - \mathcal{K}v \sin \alpha \sin \beta dl$,

or, $E = \int \mathcal{R}v \sin \alpha \sin \beta dl$. When $\alpha = \beta = 90^{\circ}$, E is a maximum and is equal to $3Cvl10^{-8}$ volts, when v is stated in cms. per sec. and l in cms.

The mean E.M.F. of the armsture of a two-pole dynamo, E =volts, where of is the total number of lines of force flowing between the pole-faces, n the number of active conductors on the armature, and N =r.p.m. In a series-wound multipolar dynamo, $E = \frac{1pnN10^{-8}}{20}$ and in a multiple-wound multipolar dynamo, $E = \theta_1 nN 10^{-8} + 60$, where ϕ_1 = no. of lines flowing between one pair of poles, and p = no. of pairs of

poles. The Direction of Currents, Lines of Force, etc. The lines of force in a magnet or solenoid flow from the south pole to the north pole and return outside to the south pole. The north pole of a magnetic needle when brought near a magnet points in the direction of the lines of force.

To determine the direction in which a current flows in a conductor, place a compass underneath it. If the north pole of the needle points away from the person holding compass (who is at one side of the conductor) the current is flowing to his right.

To find the direction of a current flowing in a coil, find the north pole by means of a compass, the north pole of which will be repelled by the north pole of the coil or magnet. Then place the right hand on the coil with the thumb (at right angles to the extended fingers) pointing in the direction of the north pole and the current will be flowing in the direction in which the fingers are pointing. If the direction of current is known, the north pole may be similarly determined.

The positive (+) pole of a generator of electric current is the one from

which the current flows into the external circuit. In primary batteries

the zinc is negative, copper, carbon, etc., being the positive poles.

Direction of an Induced Current.—If the letter N be drawn on the face of a north pole and a conductor (parallel to the vertical lines of the letter) be moved past the pole in a plane parallel to the pole face, the direction of current flow will be determined by the motion of the point of intersection (projected) of the conductor and the oblique line in the letter N. Thus, if the conductor moves from left to right, the point of intersection moves from above to below, which indicates the direction of the induced current.

ELECTRO-MAGNETS.

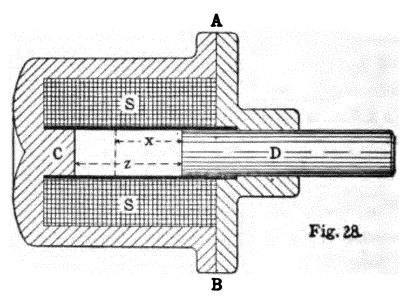
Traction or Lifting Power. If a bar of iron be bent into the shape of the letter U and coils of insulated wire are wound upon the limbs, the electro-magnet thus formed (when a current is flowing through the coils) will have a lifting or holding power on each limb of P (in lbs.) = $B^2a \div 72,134,000$, where B=no. of lines of force per sq. in. of iron section and a is the area of one pole-face of the magnet. The number of ampere-

turns is the coils necessary to produce the pull, $P=nI=2,661 - \sqrt{P+a}$.

where l is the length of the magnetic circuit in inches and μ the permeability. B may be taken at 110,000 for W. I. and mild steel.

The above formula is used when the keeper or armature is in contact with the pole-faces. If the keeper (by which the weight to be lifted or held is supported) is distant z inches from the pole-faces, then, $nI = 2z \times B$

If the iron is of good quality and far from saturation the number of ampere-turns required to force the flux through the metal part of the circuit is small enough, comparatively, to be negligible, and the formula value, which is the ampere-turns required to force the flux across the airgaps, may be taken as the total.



An iron-clad magnet which may be similarly considered is shown by the part ABC in Fig. 28; the cylin trical core C, however, should extend

through the coil to the plane AB.

Plunger Electro-Magnets. Fig. 28 shows an electro-magnet of the right in the first in the first in the stroke of the plunger or the iron-clad or jacketed type, which is provided with a movable plunger or core, D, an inner projecting core, C, and a guide or "stuffing-box," E. The air-gap is indicated by z and x is the stroke of the plunger or its range of motion, which must be less than z in order to meet the conditions imposed

in designing for certain specified pulls at the beginning and end of stroke. Pull in lbs. $=P=aB^2\div72,134,000$ (1). $B=nI\div0.3133z$ (2). Maximum pull (at end of stroke) =Pg. Minimum pull (at beginning of stroke) $=P_l$. Let $y=Pg\div P_l=\frac{Bg^2}{B_l^2}$, then $\sqrt{y}=\frac{Bg}{B_l}$ and $B_l=Bg\div\sqrt{y}$ (3). At

the beginning of stroke, $B_{lz} \times 0.3133 = nI$, and, at the end of stroke. $0.3133B_g(z-x)=nI$, consequently

$$\frac{z}{z-x} = B_0 + B_1 = \sqrt{y} \quad \text{and} \quad z = x\sqrt{y} + \sqrt{y} - 1$$
 (4).

Let d = diam. of core in in., then, $a = 0.7854d^2$, and, from (1), $d = 0.7854d^2$, and 9.580 $\sqrt{P_l + B_l}$ (5), which determines d if B_l is fixed upon.

If d is fixed, $B_l = 9.580\sqrt{P_l + d}$ (5a). From (2), $nI = 3.000z\sqrt{P_l + d}$ (6), which allows the calculation of the ampere-turns if d has been decided upon. Length of winding bobbin in in. = L; available winding depth in in. = T; mean length of one turn in in. = M; sectional area of coil in sq. in. = LT; winding volume = MLT. If the actual permissible current density over the gross section is β , then $nI = \beta LT$, or, $LT = nI + \beta$ (7). For momentary work β may be from 2,000 to 3,000 amperes, if the magnet is well ventilated and provided with radiating surfaces. For continuous use over several hours, $\beta = 300$ to 400 amp. From (6) and (7), $T = 0.000\sqrt{R}$ and $T = 0.000\sqrt{R}$. $3,000z\sqrt{P_l}+\beta dL$. Assume that L=z, then, if β is taken at 2,000. T= $1.5\sqrt{P_l}+d$ (9). $M=\pi(0.25+d+T)$ (10), assuming that the core of bobbin and clearance add 0.25 in. to d. Current density in copper (amperes per sq. in.) $=\alpha$; diam. of bare wire $=\delta$, do. of insulated wire $=\delta_1$; R=resistance in ohms; r_1 = resistance in ohms per inch of wire; s = sectional area of wire in sq. in.; σ = space factor, = total copper section + LT; V = volts at terminals; w = watts used; $VI = I^2R$. ρ = resistance in ohms per cu. in. of coil space. If I is given, nI + I = n; $\beta = nI + LT$; $\rho = 0.8\alpha\beta + (I^2 \times 10^6)$; $s = I + \alpha$, and V = w + I.

If V is given, I = w + V; $r_1 = V + MnI$, or, R per 1,000 ft. = 12,000 V + MnI;

 $\delta = 0.001 \sqrt{MnI + V}$; $s = 0.8MnI + V \times 10^6$; $\sigma = 0.7854\delta^2 + \delta_1^2$; $LT = ns + \sigma$,

and $M = 417dw + \alpha z \sqrt{P_l}$.

If a solenoid is provided with an ample and well fitting iron guide or stuffing-box at the end at which the plunger enters the coil, the effect of its presence will be to bring up the field at the point when the plunger is just entering to the intensity which exists at mid-length of the solenoid. The maximum pull (when plunger has reached the bottom of the coil) is one-quarter of that calculated from equation (1). If the permeability of the iron is known, B can be found from tables.

Calculation of a Plunger Electro-Magnet. A number of designs

should be made and the calculations tabulated in order to determine the

most economical one, in weight of copper and in watts required.

Example: It is required to design an iron-clad coil to give an initial pull of 25 lbs., increasing to 100 lbs. at the end of a stroke or range of 2 inches, E.M.F. supplied being 100 volts. for intermittent work.

 $P_g = 100$; $P_l = 25$; x = 2; y = 4; $\sqrt{y} = 2$; z = 4; $\sqrt{P_l} = 5$. $nId = 3,000 \times 4 \times 5 = 60,000$; $B_ld = 9,580 \times 5 = 47,900$, and $B_g = 47,900 \times 2 = 95,800$.

	Trial Values.				
d in inches = nI = Bl = Bg =	1	2	3	4	
	60,000	30,000	20,000	15,000	
	47,900	23,950	15,966	11,975	
	95,800	47,900	31,932	23,950	

Let $\beta = 2,000$, $\sigma = 0.5$; then, $\alpha = 4,000$. Then, for T = <3 in. (which will allow from 10,000 to 30,000 amp.-turns per inch length of coil, if properly ventilated)

d in inches =	1	2	3	4
<i>LT.</i>	30	15	10	7.5
<i>L.</i>	10	5	4	3.75
<i>T.</i>	3	3	2.5	2
<i>M</i> =	13.36	16 . 5	18.07	19.65
MLT=	400 .8	247 . 5	180.7	147.4
<i>ð.</i>	. 09	. 07	. 06	. 0543
	. 006413	. 00396	. 00 2 89	. 00 2 357
<i>I.</i> =	25 . 65	15.84	11.56	9.428
n =	2339	1894	1730	159 1
<i>u</i> =		1584	1156	942.8
Copper, lbs =	63 .73	39.35	28 .73	23 . 44

If it is desired to use metric units (1) should read: Pull in kilograms = $a^{B^2}+24,655,000$, and (2): B=nI+0.795z, where B is the flux density in lines per sq. cm., a=area in sq. cm., and z=gap-length in cm.

The foregoing is an abstract from a paper presented at the International Electrical Congress, St. Louis, 1904, by Prof. S. P. Thompson, F.R.S. (1) and (2) may be combined into the form $P=a(nl+2.660z)^2$. Mr. C. R. Underhill (E. W. & E., 5-20-05) states that this expression is at best incomplete and offers the following formula: Pull at any point l_a , $P = a(nI + 2.660z)^2 + al_a P_c(nI - k) \div 0.4L(10,000 - k)$, where $L = \text{length of winding or solenoid, } l_a = \text{distance plunger has entered the coil, from end of winding, } P_c \text{ and } k \text{ having the values given in the succeeding paragraph on "Solenoid and Plunger"$ on "Solenoid and Plunger."

Solenoid and Plunger. The ampere-turns (nI) required to produce a pull of P lbs. on a plunger of Swedish iron may be calculated from the following formulas, which are due to C. R. Underhill (E. W. & E., 5-13-05):

rollowing formulas, which are due to C. R. Underhill (E. W. & E., 5-13-05): $nI = [10,000P - k(P - P_c)] + P_c$; $A = 0.01 \sqrt{nI}$; $d = 0.1128 \sqrt[4]{nI}$; where $P_c = \text{pull}$ in lbs. on 1 sq. in. of plunger section when nI = 10,000, A = area of section in sq. in., and k = an empirically determined factor. P_c and k are to be determined from the following formulas which have been derived by the compiler from curves in the original article: $P_c = (102.73 + 0.2105L) + (1.684 + L)$; k = (66,000 - 3,000L) + (L + 18), where L = length of plunger (and generally that of solenoid) in in.

In calculating, add 10% to P desired, and the range through which it will be practically uniform will = 0.5L.

Example: For a pull of 30 lbs. over 5 in., $P = 30 \times 1.1 = 33$; $L = 5 \times 2 = 10$ in.; $P_c = 8.973$; k = 1,285.7; nI = 33,334; A = 1.83 sq. in.; d = 1.523 in. From an examination of the data employed by Mr. Underhill the compiler has deduced the following formula, which is much simpler and sufficiently accurate: nI = 96P(L+1).

CONTINUOUS-CURRENT DYNAMOS.

Connections and Flow of Current. Series-wound dynamo: Armature—field magnets—external circuit—armature.

Shunt-wound dynamo: Armature— { field magnets } —armature.

Compound-wound dynamo, short shunt:

Armature— { series magnet coils—external circuit } —armature.

Compound-wound dynamo, long shunt.

Armature—series coils—{external circuit shunt magnet coils}—armature.

(In the brackets the current divides between the paths in the upper

and lower lines inversely as their respective resistances.)

Efficiencies of Dynamos. Let E=E.M.F. in volts; I=armature current in amperes; e=volts at terminals of dynamo; i=amperes in external circuit; i=amperes in shunt coils; EI=total watts; ei=useful watts in external circuit; $R_1=$ armature resistance; $R_2=$ series-coil resistance; $R_3=$ shunt-coil resistance; r=resistance of external circuit (all resistances in ohms). N=r.p.m.; $\eta_s=$ electrical efficiency=ei+EI; $\eta_m=$ commercial efficiency= $ei+746\times H.P.$ Then for magneto and separately excited dynamos r= η_m = commercial efficiency = $ei \div 746 \times H.P.$ Then for magneto and separately excited dynamos, $\eta_e = e \div E = r \div (r + R_1)$; for series-wound dynamos, $\eta_e = e \div E = r \div (r + R_1 + R_2)$; for shunt-wound machines, $\eta_e = ei \div EI = i^2r \div (i^2r + is^2R_3 + I^2R_1)$; for compound-wound, short-shunt dynamos, $\eta_e = ei \div EI = i^2r \div [i^2(r + R_2) + is^2R_3 + I^2R_1]$; for compound-wound, long-shunt dynamos, $\eta_e = ei \div EI = i^2r + [i^2r + I^2(R_1 + R_2) + is^2R_3]$.

The Armature. Let $n_1 = number$ of coils on armature and $n_2 = number$ of turns per coil; then, the number of active conductors for a ring armature, $n_0 = n_1 n_2$,—for a drum armature, $n_0 = 2n_1 n_2$. The E.M.F. = $\theta n_0 s 10^{-8} \div 60$, where s is the number of revolutions per minute. The cross-section of the armature iron, $a = \theta \div B$, where B = 10,000 to 16,000 lines per sq. cm. (65,000 to 100,000 lines per sq. in.) for soft charcoal-iron discs, the lower

(65,000 to 100,000 lines per sq. in.) for soft charcoal-iron discs, the lower

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trifugal force by bands of German silver or steel wire which are tightly wound around the exterior of the coils in the plane of revolution, secured by soldering or brazing, and insulated from the coils by a layer of mica from 0.012 to 0.025 in. thick. The band wires are from 0.04 to 0.08 in. in diam. and the bands are from 0.6 to 1.2 in. wide. The clearance between

the bands and the pole-faces should be from 0.08 to 0.2 in.

Field Magnets. In order that a magnetic flux of ϕ_a lines may pass through the armature core there must be a certain number of ampereturns on the field magnets. The dynamo is to be considered as a closed magnetic circuit through whose several parts (armature core, air-gaps, magnet cores, and yoke) the lines of force flow. For each separate part, $\mathcal{F} = \mathbf{0}\mathcal{R}$, and, as $\mathcal{F} = 0.4\pi nI$, the ampere-turns $nI = 0.7958\mathbf{0}\mathcal{R}$. If l is the length of the mean path of the lines of force in each part in cm., and athe cross-section of each part in sq. cm., then, for the air-gaps, nI = 0.7958Bl; for iron, nI = 0.7958Hl, where $B = 0 \div a$, $H = B + \mu$, and $\mu = 1$ for air. In the following table B is given as a function of 0.7958H = H', so that nI = H'l, i.e., H' is the number of ampere-turns required to force B lines through 1 cm. length of iron.

Ampere-turns for 1 cm. length of mean path of lines of force (H').

	J.———				
per sq. cm.	per sq. in.	Sheet metal.	Cast steel.	W. I	C. I.
2,000	12,900	0.35	0.65	0.5	3
4,000	25,800	.75	1.3	1	6.5
6,000	38,700	1.1	2. 1	1.7	18
7,000	45,150	1. 25	2.65	$ar{2}$	31
8,000	51,600	1.4	3.25	$\bar{2}.35$	48
9,000	58,050	$ar{f 1}$. $ar{f 6}$	4	2.8	$\tilde{72}$
10,000	64,500	1.75	$ar{5}$	3.4	97
11,000	70,950	2	6.5	4	133
12,000	77,400	$ar{f 2}.7$	8.6	$\bar{5}$	176
13,000	83,850	4	12	7	232
14,000	90,300	$ar{6}$. 5	18	12	
15,000	96.750	12	2 6.8	$oldsymbol{ ilde{2}}oldsymbol{ ilde{1}}$	
16,000	103,200	21	4 0. 6	40	
16,000	100,200		5 8.0	$\overline{72}$	
17,000	109,650	40			
18,000	116,100	71	93	120	

The above values are for first-quality American metals. (Sheldon.) To find the number of ampere-turns per inch of length, multiply values in table by 2.54. to 0.7958B + H'. The value of μ may be found from table, it being equal

For high densities such as are found in the teeth of sheet-metal armature discs.

B per sq. cm = 19,000	20,000	21,000	22,000	23,000
H' per cm = 100	184	320	800	1,450

Calculation of the Ampere-turns of a Dynamo. Armature: θ_a , a_a , and B_a are determined by the design of the armature; l_a is approximately measured from the dimensions of the core discs, and, the value of H_a corresponding to B_a being taken, $(nI)_a - H'_a l_a$.

If the armature is toothed, a special calculation is necessary; a_i is then the cross-section of the iron in the teeth before one pole-face and should be of such an area that B_i is about 19,000 per sq. cm.

Air-gaps: $\theta_{air} = \theta_a$; $l_{air} = 2\delta$, where $\delta = \text{distance}$ from armature core to pole-face; $a_{air} = \lambda b$, where λ and b are respectively the length of the arc and the breadth of the pole-faces. $B_{air} = \theta_{air} + a_{air}$ and $(nI)_{air} = 1.5916B_{air}\delta$.

Field:—Not all of the flux in the field magnets passes through the armature, a part being lost through leakage between the poles. This stray

ture, a part being lost through leakage between the poles. This stray field amounts to from 10 to 50% of the total flux and the field flux must therefore be accordingly greater than that required by the armature. The number of lines of force in the field, $\Phi_m = c\Phi_a$, where c has the following rlues:

Capacities of Dynamos in Kilowatts.

Types of Field Magnets.	10	100	300	500	1,000	2,000
Upright bipolar, yoke at top, $c=1.65$	i.45	1.3	1.2			
Same,—yoke at bottom $c=1.45$	1.28	1.2				
Vertical double magnet (Man-						
chester)1.8	1.55	1.4				
Radial outward multipolar1.5	1.32	1.25	1. 2	1.18	1.16	1.15
Same, but with inner poles 1.4	1.3	1.22	1.18	1.15	1.12	1.1
Axial multipolar2	1.7	1.55	1.45	1.4	1.35	1.3

The sectional area, a_m , is calculated in accordance with the permissible B_m , which for C.I. is from 5,000 to 10,000 lines per sq. cm (32,000 to 64,000 per sq. in), and for W.I. and steel is from 10.000 to 16,000 per sq. cm. (65,000 to 103,000 per sq. in.). Then, $(nI)_m = H'_m l_m$.

If the cores, yoke, and pole-pieces are of different materials, a separate calculation of the (nI) for each should be made and their sum taken. On account of the reaction of the armsture current upon the field the latter is weakened and it is therefore necessary to add from 7 to 15% to the number of ampere-turns. This amount may be approximately calculated by the following formula of Kapp: Let g = the shortest distance between two pole-pieces; then, $(nI)g = n_0Ig + \pi(d_e + 2\delta)$, where $n_0 = No$. of active conductors on the armsture, $d_e = \exp(-n_0Ig + \pi(d_e + 2\delta))$, where $n_0 = No$. of armsture in cm. and δ = air-gap between armature core and pole-face in cm.

Finally, the total number of ampere-turns required in the field magnets, $nI = (nI)_a + (nI)_{air} + (nI)_m + (nI)_g = i_m n_m$.

In series machines $i_m = I$ or a fractional part thereof. In shunt machines im is determined by the loss permissible in the coils for excitation. The mean length of one turn L_m (in meters) is previously calculated; the resistance, r_m is calculated with regard to the permissible drop, e_m , and $r_m = e_m + i_m$. The cross-section of the magnet wire in sq. mm. is then, $a_{w} = L_{mn}I \div 55e_{m}.$

The current density in the field coils should not exceed 2 amperes per

In current density in the field coils should not exceed 2 amperes per sq. mm. (1,300 amp. per sq. in.). In shunt machines from 20 to 40% of the field resistance is used for regulation.

Kapp states that from 10 to 16 sq. cm. of outside coil surface (1.5 to 2.5 sq. in.) is necessary to radiate the heat of each watt lost in the coils. The rise in temperature (25° to 35° C.) t (C°)=(280 to 320)W+surface in sq. cm.=(43.4 to 49.6)W+surface in sq. in. Also, t(F.)=(78 to 89)W+surface in sq. in. W=No. of watts.

Fields should be massive, compactly designed with well fitted joints, and in large sizes should be of W. I. or steel as C. I. requires too great a weight of copper. A circular section should be preferably adopted, sharp edges and corners being avoided, as they tend to increase the leakage. Sparking may be decreased by so boring and adjusting the pole-pieces that the tips are farther distant from the armature-core than are the points midway between the tips.

Eddy currents in pole-pieces may be avoided by slitting the faces in planes at right angles to the axis of rotation of armature, or by construct-

ing the pole-pieces of sheet-iron laminations.

The Commutator segments should be from 0.25 to 0.4 in. thick, made of cast or hard-drawn copper, and insulated from each other by thicknesses of from 0.025 to 0.04 in. of mica. The segments should have a length of about 1.25 in. for each 100 amperes of current, when copper brushes are used. When carbon brushes are employed, length should be from 1.8 to 2.5 in. per 100 amperes.

Brushes. Copper brushes should have a surface of contact with the commutator of from 0.0055 to 0.007 sq. in. per ampere, brass brushes from 0.008 to 0.01 sq. in. per ampere and carbon brushes froom 0.018 to 0.038 sq. in. per ampere. Each brush should cover about 1.5 segments and should be from 1.5 to 2 in. in width, excepting in small machines,

where lesser widths are used.

Armature Shafts should possess unusual stiffness in order that vibration may be avoided. Diam., $d=c\sqrt[3]{\text{H.P.}+N}$, where c=16 to 23 when

d is in cm. and 6.3 to 9 when d is in inches.

The Weight of a Continuous-Current Dynamo in lbs. =386K², where K = output in kilowatts at 1,000 r.p.m. (Fisscher-Hinnen). About 0.2 of this weight is in the armature If the dimensions of a dynamo are multiplied by m, the output will be increased $m^{2.5}$ times, with equal circumf.

speed of armature, equal heating, etc. (Kapp.)

The Design of Large Multipolar Dynamos. The following matter, abridged from a series of articles by H. M. Hobart, M. I. E. E. in Technics (London, Jan. to July, 1904), will serve as an illustration of the methods employed in the design of large continuous-current generators. A 400-kilowatt machine (550 volts, 730 amperes) with 8 poles (100 r.p.m.) is taken as an example. E.M.F. $= 4TNM \times 10^{-8}$ (1), where T = no of armsture turns in series between + and - brushes, N = cycles series or periodicity of reversals of flux in armature core, M = magnetic flux linked with coils in armature. The armature has a multiple-circuit winding, there being 8 paths through it for the current. The external diam. D=230 cm. The polar pitch $\tau=\pi\times230+8=91$ cm. Gross length of armature between flanges, $\lambda_g=40$ cm. There are 8 ventilating ducts, each 13 mm. wide, and 10% of the net length is taken up by insulation. \therefore Net length between flanges, $\lambda_n=27$ cm. The mean length of one armature turn (lap winding) = $3\tau+2\lambda_n=327$ cm. Total number of armature ture turn (lap winding)= $3\tau+2\lambda_n=327$ cm. Total number of armature slots = 264, and, as there are 6 conductors per slot, the total number of face conductors $-264 \times 6 = 1,584$, and the total number of turns = 1,584 + 2-792. Turns in series between brushes = 792 + 8 = 99. Total length of conducting circuit between brushes = 792+8=99. Total length of conducting circuit between brushes = $327\times99=32,400$ cm. Cross-section of one conductor = 2.4 mm. $\times 13$ mm. = 0.312 sq. cm. Total cross-section between brushes (8 conductors in parallel) = $0.312\times8=2.5$ sq. cm. Armature resistance at 60° C. = $32,400\times0.000002+2.5=0.026$ ohm. Voltage drop in armature = IR=730 amp. $\times 0.026$ ohm = 19 volts. Drop at brushes = 2 volts (ranges from 1.2 to 2.8 volts). Assumed drop in compound winding = 3 volts. Total drop in machine = 24 volts. Internal voltage = 550+24=574 volts. $N=(100+60)\times(8+2)=6.67$, and T=99; substituting these values in (1), M=21,800,000 lines. Core loss due to hysteresis and eddy currents: Watts per kilogram of

Core loss due to hysteresis and eddy currents: Watts per kilogram of weight = 2.54 × periods × kilolines per sq. cm. +100 (2). If the internal

diam. of armsture disc=140 cm., gross area of disc= $\frac{1}{4}(230^2-140^2)$ = 26,100 sq. cm. Area of one slot (3.3 cm. deep \times 1.23 cm. wide) = 4.06 sq. cm. Area of 264 slots = $4.06 \times 264 = 1,100$ sq. cm. Net area of disc = 26,100-1,100=25,000 sq. cm. Volume of iron in core = $25,000 \times 27(=\lambda_n)=675,000$ cu. cm. = 5,250 kgs. The core is 42 cm. deep below the slots, consequently the cross-section of core = $42 \times 27 = 1,135$ sq. cm., but, as the field flux divides as it enters the core and flows both to the left and right, twice this value, or 2,270 sq. cm., = area of core, and the flux density in core will then be 21,800,000+2,270=9,600 lines, or 9.6 kilolines. The core loss in watts per kg. from $(2) = 2.54 \times 6.67 \times 9.6 + 100 = 1.7$, or for the entire core = $5,250 \times 1.7 = 8,900$ watts.

Watts per square decimeter of external cylindrical surface of armature: The over-all length of armsture may be taken as $L = \lambda_{\tau} + 0.7\tau = 104$ cm. Surface = $\pi DL = \pi \times 230 \times 104 = 75,000$ sq. cm. = 750 sq. dm. The loss in the copper of armsture conductors = $I^2R = 730^2 \times 0.026 = 13,100$ watts, and the total armsture loss = 13,100+8,900=22,000 watts. Watts per sq. dm. =22,000 + 750 = 29.4, for which value the rise in temperature will not exceed

The M.M.F. corresponding to 9,600 lines per sq. cm. - 4 ampere-turns per cm. of length for sheet iron. (This value for English metal is much higher than that given in preceding table of values for H' of American sheet iron.) The length of path in armature per pole=42 cm. ... 42×4=168=ampere-turns per coil=M.M.F. for armature core.

Tooth density and the corresponding M.M.F.: $\tau=91$ cm.; are of poleface = 61 cm.; ... pole-arc = 0.67τ. There are 264+8=33 teeth per pole, 67% of which (22.2) lie below the mean pole-arc. Allowing 10% for "spread" of flux, the total number of teeth through which the flux passes = 24.4 Diam. of armature at the bottom of slots = 223 cm., and circumference at same diam. = 700 cm. $700 \div 264 = 2.66 \text{ cm}$. = tooth pitch at bottom of slots. Width of slot is taken = 1.23 cm., leaving width of tooth = 1.43 cm. 24.4 teeth $\times 1.43 = 34.8$ cm. at roots. $34.8 \times \lambda_n$ or 27 = 940 sq. cm. = area of magnetic circuit at roots of teeth for one pole, and the apparent flux density = 21,800,000 + 940 = 23,200 lines per sq. cm. This apparent

density must not be employed, but a corrected one which varies according to the ratio of the slot width (a) to the tooth width (b). In this case $a \div b = 1.43 \div 1.23 = 1.16$, and by interpolating in the following table the corrected density is found to be 21,800 lines per sq. cm., requiring 640 amp.-turns per cm., or, as length of tooth=3.3 cm., 2,100 amp.-turns per coil for the teeth.

Apparent Density.	Corrected Density.					
	a+b=0.5	0.75	1	1. 25		
18,000	17,400	17,700	18,000	18,300		
20,000	18,800	19,200	19,500	20,000		
22,000	20,000	20,400	20,700	21,300		
24,000	21,000	21,500	22,000	22,400		
26,000	22,000	22,600	23,000	23,400		
28,000	23,000	23,600	24,000	24,500		
30,000	23.700	24,600	25,000	25,500		

Air-space or gap: Area of pole-face = pole-arc $\times \lambda_0 = 61 \times 40 = 2,440$ sq. Average pole-face density=21,800,000+2,440=8,900 lines per sq. Ampere-turns per coil= $0.795 \times \text{average density} \times \text{length of gap in}$

cm. $= 0.795 \times 8,900 \times 0.9 = 6,400$.

Magnet cores and yoke: Cores may be of cast-steel, W. I., sheet metal, or C. I.; yokes of C. I. or cast steel,—occasionally of sheet metal. Densities for large machines are kept around 14,000 to 15,000 lines per sq. cm. for cast steel and at about 16,000 for W. I. In smaller machines lower values are taken. The flux for the cores and yoke must be greater than that in the air-space and the armature (or account of leakage or dispersion of the lines of force when leaving the poles), and the armature flux must be therefore multiplied by a leakage factor, or, as it is called by Prof. S. P. Thompson, a dispersion coefficient, which ranges from 1.1 in very large machines to 1.25 in small and compactly designed ones. In this example it is taken at 1.13 and the flux in field is therefore 21,800,000 × 1.13 = 24,600,000 lines. The core density is then 24,600,000 + 1,630 = 15,100 lines for cast steel, the core being 45.5 cm. in diam. and having an area of 1.630 sq. cm. The yoke is of cast steel and is designed for 9,000 lines of 1.630 sq. cm. The yoke is of cast steel and is designed for 9,000 lines per sq. cm., and has therefore a total sectional area of 2,772 sq. cm., but as the flux divides after leaving the core and flows to the right and left, this value is seen to be twice the actual cross-section, which is 1,386 sq. cm.

The length of the path of flux in the magnet core is 50 cm. and that for the yoke and pole-shoe is 73 cm. (=\frac{1}{2}\) of the total length of path in the yoke between two consecutive cores). The number of amp.-turns per cm. length of core at 15,100 lines = 28, and for total length of 50 cm. = 1,400 amp.-turns. The amp.-turns per cm. of yoke length at 9,000 lines = 6 or for total length of 73 cm. = 440 amp.-turns.

Total ampere-turns per coil for 574 volts, at no load:

	r the slots		
teeth		• • • • • • • •	2,100
Air-space		• • • • • • • •	6,400
Magnet core		• • • • • • •	1,400
Yoke		• • • • • • •	440
Total			10,508

The direct demagnetizing effect of the armature winding when a current is flowing is very considerable and increases the more the brushes are displaced from the mechanical neutral point. This effect may be closely calculated from the formula: Amp.-turns per field coil to overcome demagnetizing component of the armature field = $0.0175IPT_a$, where I = amperes per turn in armature coil, T_a = armature turns per pole, and P = percentage of polar pitch by which the brushes are set in advance of the neutral point. In this example, $I = 730 \div 8 = 91$ amp., $T_a = 99$, and, if brushes are set ahead 15 segments of the commutator, $P = 15 \times 100 \div 99 = 15.2\%$, and

 $0.0175IPT_a = 2,400$ amp.-turns.

The distortional component of the field set up by the armature current may be taken at 10% of the total armature field per pole=730 amp. X

99 turns $\times 0.10 + 8 = 900$ amp.-turns. Therefore for 550 terminal volts (574 volts internal) at full load are required:

Amp.-turns for saturation at no load 10,508 to counteract demagnetization... distortion......

Total..... 13,808 per pole

(In a two-pole dynamo, if the brushes are set at the mechanical neutral point, i.e., at right angles to the direction of the flux, the current in the point, i.e., at right angles to the direction of the flux, the current in the armature will produce a flux at right angles to that of the fields and tending to distortion of the same. If the brushes are set at 90° from the neutral point, the effect of the armature current is purely one of demagnetization, the flux it produces being directly opposed to the field flux. The brushes being generally set at some intermediate point, it will be seen that both distortion and demagnetization have to be considered). At no load and 550 volts the saturation turns required = $(550 \div 574) \times 10,428 \times 0.93 = 9,300$ amp.-turns, where 0.93 is a factor which approximately allows for the bending of the no-load saturation curve. The shunt coils must therefore have 9,300 amp.-turns at all loads, and the series coils at full load 13,728-9,300=4,428 amp.-turns.

Space factor in winding:—In armatures with voltages up to 1.000 the

Space factor in winding:—In armatures with voltages up to 1,000 the insulation thickness between the copper and iron should range from 1.15 mm. to 2 mm.,—or, for the present design, say a slot lining 0.4 mm. thick and insulation wrapped around coil of about 0.6 mm. The double-covering of cotton on the conductors may be considered as adding 0.3 mm. to the diam. of the bare wire. The ratio of actual copper section to the slot section is called the space factor and should be as high as possible, thereby increasing the output of the machine. This factor is higher the fewer the number of slots and is lower the smaller the diam. of conductors used. Space factors for armatures range from 0.3 to 0.5 for round wires and from 0.36 to 0.6 for conductors of rectangular cross-section. Space factors for field coils range from 0.4 to 0.65, a good average value being 0.5. The value 0.65 is used for series coils with large conductors of rectangular

cross-section which are wound edgewise.

Calculation of field coils:—Space factor taken at 0.5 for both coils. The length allowable for winding = 40 cm. (i.e., 50 cm. minus the thickness of flanges, pole-shoe, etc.). Dividing this length in proportion to the number of ampere-turns gives a length of 28 cm. for the series coil. At full load (coil at 60° C.) 10% of the shunt 12 cm. for the series coil. At full load (coil at 60° C.) 10% of the shunt excitation is wasted in an adjusting rheostat in series with the coils. This reduces the voltage from 550 to 500 volts, or 62.5 volts for each of the 8 coils. Allowing 1 cm. for clearance, the internal diam. of coil=46 cm., and assuming radial depth to be 4 cm., the external diam. will be 54 cm., and the mean length of one turn (a) will be 1.58 meters. The watts per shunt coil at 60° C.=0.000176 $a^{2}b^{2}+k$, where k=kgs. of copper per coil and b=amp.-turns per coil (=9,300). Cross-section of shunt coil= $28\times4=112$ sq. cm., which, multiplied by the space factor (0.5)=cross-section of copper in coil=t=56 sq. cm. Cu. cm. of copper in coil= $56\times1.58\times100=8,900$, and, as 1 cu. cm. weighs 0.0089 kg., the kgs. of copper in one shunt coil=79. Substituting these values in above formula, the watts per shunt coil=480. the watts per shunt coil = 480.

The external cylindrical surface of coil=48 sq. dm., and the watts per sq. dm. therefore = 10, which allowance will not permit a rise in temperature

of more than 40° C.

Size of wire in shunt coils:—Amps. per coil=watts+volts per coil= $480 \div 62.5 = 7.7$ amp. Turns per coil=amp.-turns+amps.= $9.300 \div 7.7 = 1.210$. Cross-section per turn= $t \div No$. of turns= $56 \div 1.210 = 0.0462$ sq. cm. Current density= $7.7 \div 0.0462 = 167$ amp. per sq. cm. Diam. of bare wire=2.42 mm. Watts in 8 coils=3.840. Watts in shunt rheostat=380.

Total watts for shunt=4.220. Copper in 8 coils=630 kgs.

Series coils - These are placed at the end of core nearest the armature. Winding length = 12 cm. Turns = 4,420 amp.-turns ÷ 730 amp. = 6 turns. (In this particular machine 210 amp. are diverted through a shunt in parallel with the series winding so that turns $=4,420 \div 520 = 8.5$.) The series coils may have a higher current density than the shunt coils, and, if this is taken at 180 amp. per sq. cm., the cross-section of the series turns = 730+180=4.05 sq. cm. This may be in the shape of a rectangular section

(4 cm. \times 1.01 cm.) and wound edgewise. Mean length of 1 turn = 158 cm. Weight of copper in one coil=6 turns $\times 158 \times 4.05 \times 0.0089 = 34.17$ kgs., or 273.36 kg. for 8 coils. Resistance of 8 coils in series at 60° C. = $8 \times 6 \times$ $158 \times 0.000002 \div 4.05 = 0.00374$ ohm.

Watts lost in the 8 coils, at 60° C. = 730²×0.00374 = 1,993.

Reactance voltage:—When a coil carrying a current arrives at and passes the brush, the direction of the current is suddenly reversed. change should take place sparklessly and the winding should be so designed that the reactance voltage due to the decreasing current at the moment of commutation will be as small as possible at full load, the brushes being Reactance voltage = 12.566e $\left(\frac{Q}{B}\right)\left(1+0.15\frac{1}{\lambda_2}\right)$. set at the neutral point. where e=average voltage per coil (=550+99=5.5 volts), Q=amperes

in conductors per cm. of periphery of armsture $\left(= \frac{1}{8} \times \frac{1}{2} \right) = 200 \text{ amp.}$

B=average flux density per sq. cm. of cylindrical surface of armature $[=(8\times21,800,000)+(28\times230\times\pi)=8,600]$ lines], and $\tau+\lambda_n=$ ratio of polar

pitch to net length of armature core $(=99 \div 27 = 1.49)$. The reactance voltage, consequently, is 2.42 volts for this machine, which is low enough to permit a practically sparkless commutation. The brushes should be neld against the commutator by a pressure of about 0.1 kg. per sq. cm., and the loss in watts due to brush friction = 0.1 kg × section of brushes in sq. cm. × 0.3 × peripheral speed of commutator in meters per second × 9.81, where 0.3 = coeff. of friction for carbon brushes (= 0.2 for copper brushes). The current density in brushes ranges from 4 to 12 amp. per sq. cm.,—average = 6.

The IE loss at commutator in watts = total armature current × volts denoted at brushes (1.2 to 2.8 — average 2)

dropped at brushes (1.2 to 2.8,—average, 2).

Efficiency:—The following is a tabulation of the several losses of energy in the generator at full load:

(a)	Core loss in armature	8,900	watts	
<i>(b)</i>	I^2R " "	13,100	4 6	(variable)
(c)	Brush contact loss	1,460	4.6	4.6
(d)	Brush friction loss	540	4.4	(constant)
(e)	Friction loss at bearings, estimated	3.000	4.6	44
7	Loss in shunt coils	3,840	4.4	4.4
(g)	" series "	1,993	4 4	(variable)

Output = $730 \times 550 = 401,500$ watts. Total generated = 401,500 + 32,833 = 434,333 watts. Efficiency at full load = 401,500 + 434,333 = 92.5%. At half-load, losses = $a + d + c + f + \frac{1}{2}(b + c + g) = 24,560$ watts. Output = 200,750 watts, and total generated = 200,750 + 24,560 = 225,310 watts. Efficiency at half-load = 200,750 + 225,210 = 90%

ciency at half-load = 200,750 + 225,310 = 89%.

Cost of manufacture. The factory cost of generators of this class is proportional to the product of the diameter of the armature by the "equivalent length of one armature turn over the end connections," which latter may be taken = $\lambda_g + 0.7\tau$. The factory cost then = $KD(\lambda_g + 0.7\tau)$, K being

may be taken = $\lambda_g + 0.7\tau$. The factory cost then = $KD(\lambda_g + 0.7\tau)$, K being a function of voltage and of the type of machine. For 6 and 8 pole dynamos of 250 volts, K may be taken at \$0.30, and for 500 volts at \$0.265 to \$0.28. (These values are for material and labor costs and for methods of manufacture obtaining in England.)

The output and speed being decided upon, a series of calculations should be made, the diameter of armature being so chosen that the peripheral speed will vary from 10 to 15 meters per sec. and the total ampere-turns per pole on the armature varying from 4,000 to 10,000. From these designs a choice may be made which will be the best compromise on such points as cost, speed, and reactance voltage, all of which should be as low as possible.

For a two-circuit winding on a multipolar dynamo.

For a two-circuit winding on a multipolar dynamo armature, where one pair of brushes is used, No. of face conductors = No. of poles X (winding pitch ± 2).

CONTINUOUS-CURRENT MOTORS.

These are generally designed on the same lines as are dynamos of similar types. The revolutions of the armature develop an E.M.F. which is op-

posed to the impressed E.M.F. and which is called the counter electromotive force. Let E = E.M.F. applied at the terminals of motor, e = counter E.M.F., and R = resistance of motor armature. Then, I = (E - e) + R; total watts, W = EI = E(E - e) + R; useful watts, $w_1 = eI = e(E - e) + R$; $W = w + I^2R$ (or watts lost in heating), and the efficiency w + W = e + E.

Torque = mechanical power in ft.-lbs. + angular velocity. Let $w = 2\pi \times rev$ revs. per sec. = angular velocity, T = torque; then, $w_1 = rev$ mechanical power in ft.-lbs. per sec. eI = electrical power of the armature in watts. H.P. = $\frac{w_1}{550} = \frac{I}{746}$, and $eI = 2\pi n_1 \times \frac{746}{550} = 8.52n_1 \cdot rev$, where m = rev per sec. $e = n_1 \cdot rev$ where m = rev of conductors on the periphery of armature r = rev. where m = No. of conductors on the periphery of armsture and $\theta = \text{flux.}$ T at 1 ft. radius $= m\theta I \div (8.52 \times 10^8)$. If r = resistance of armsture, $I = \frac{(E - e)}{r}$, and T (at 1 ft.) $= m\theta \left(\frac{E - e}{r}\right) \div (8.52 \times 10^8)$. R.p.m. $= e \times 60$ $\times 10^8 \div m\phi$.

Rheostats for Motors. If a motor at rest were directly connected to a source of current, the mains would be short-circuited through the armature and the abnormal current flowing would speedily burn up the armature coils. It is necessary, therefore, to introduce a starting resistance into the armature circuit so that only a moderate current will flow through the armature circuit so that only a moderate current will flow through the armature at the beginning of its motion. As the speed (and consequently the counter E.M.F.) increases, the current strength decreases, and the resistance may be lowered gradually, by steps, and when full speed is attained it may be cut out of the circuit altogether. The following table gives the resistance and current-carrying capacity of several metals used in pheastat soils: in rheostat coils:

Galvanized		d Iron.	Iron. German Silver.		Platinoid.		Man-	
B.W.G.	Ohms per ft.	Amp.	Ohms per ft.	Amp.	Ohms per ft.	Amp.	ganın. Ohms per ft.	
8 19 12 14 16 18 20 22 24	0.00266 .00366 .006 .0117 .016 .029 .041 .0883	28 21 16 10 7.5 4.5 3.5 2	0.00566 .00833 .0127 .0203 .0333 .0583 .115 .18	19 14 11 7 5 3 2. 2 1.5	0.008 .0123 .019 .032 .05 .089 .158 .262 .423	13.5 10 7.7 4.7 3.5 2.2 1.5 .95	0.0093 .0133 .021 .0363 .0553 .1013 .1446 .3133	

Resistance coils should be wound according to the following table, which gives the sizes for maximum rigidity and energy dissipation:

B. W. G.	Inner diam. of Spiral in inches.	Approx. length Coil in inches.
8	1	27
9 to 11	0.875	22
12 '' 14	.75	18
15 '' 16	. 625	14
17 '' 19	.5	11
20 '' 24	. 375	8

A starting resistance should be so designed that the momentary increase of current due to cutting out a section of same does not exceed a certain predetermined amount.

In the above diagram r is the armature resistance, R_1 , R_2 , R_3 , R_n are the sectional resistances of the rheostat included between the segments 1, 2, 3, 4, n. Let the E.M.F. of supply =E; i= current in armature at full load; I= permissible momentary current, and let $I \div i = k$. The resistance R_1 between segments 1 and 2 should then be =(k-1)r, $R_2=(k-1)kr$, $R_3=(k-1)k^2r$, and $R_n=(k-1)k^{n-1}r$.

In order for the motor to start, the total resistance in the circuit $(=r+R_1+R_2+R_3...+R_n)$ m st be less than E+i. To avoid arcing between the segments no section should have a drop of over 35 volts, and

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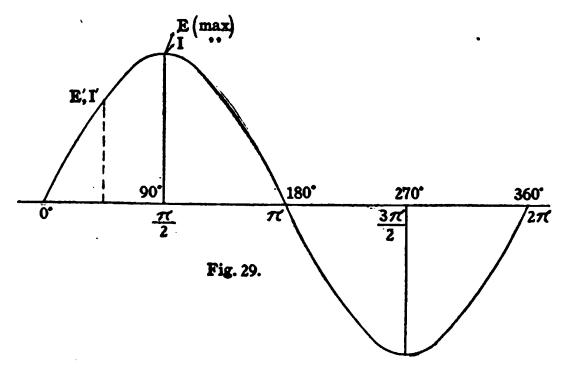


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of phase with the E.M.F., or to lag behind the E.M.F. When maximum and zero values are reached at an earlier time, the current is said to lead the E.M.F. The distance between any two corresponding ordinates of current and E.M.F. may be measured and expressed in degrees and is called the angular displacement, or phase difference. This angle is represented by ϕ .

An alternator giving a single pressure wave of E.M.F. to a two-wire circuit is called a single-phase current generator. One giving pressure to two distinct circuits (each a single phase), the phases being 90° apart, is a two-phase, or quarter-phase generator. A three-phase machine



theoretically has three two-wire circuits, the maximum positive pressure on any one circuit being displaced from each of the pressures in the other two circuits by 120°, but, as the algebraic sum of the currents in all three circuits (if balanced)=0, the three return wires of the circuits may be dispensed with.

Power in Alternating-Current Circuits. The power, P, in an alternating circuit depends on E, I, and ϕ , and is thus expressed: $P = EI \cos \phi$. Cos ϕ is called the power factor, it being the number by which the apparent power, or volt-amperes (EI), must be multiplied in order to obtain the true power. When E and I are in phase, $\phi = 0$ and $\cos \phi = 1$. Self-Induction:—Impedance, Reactance, and Inductance. A cur-

Self-Induction:—Impedance, Reactance, and Inductance. A current flowing in a conductor sets up a magnetic field around it; conversely, when there is an increase or decrease of the number of lines of force cut by a conductor, a current is induced in it, and in alternating circuits it is necessary to consider these self-induced currents.

When the rate of change of value of the current strength is greatest (at 0) the self-induced E.M.F. is a maximum, and when lowest (at peak of the sine curve) the E.M.F. is a minimum; consequently, the phase of the self-induced E.M.F. differs from that of the impressed E.M.F. by 90°, or is at right angles to it.

Let an alternating current of I amperes flow through a circuit having a resistance of R ohms and an inductance (self-induction) of L henrys. To maintain the current flow through R requires an effective E.M.F., $E_r = RI$. The effective value of the E.M.F. of self-induction, E_8 , will be $= -2\pi f LI$, the minus sign indicating that it is an opposed, or counter E.M.F. As E_r and E_8 are at right angles to each other they are not to be added, but are to be taken as two sides of a triangle, the hypothenuse of which is the impressed E.M.F., E; whence, $E = \sqrt{E_r^2 + E_8^2} = \sqrt{(IR)^2 + (2\pi f LI)^2}$, and $I = E \div \sqrt{R^2 + (2\pi f L)^2}$. $\sqrt{R^2 + (2\pi f L)^2}$ is called the

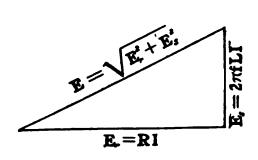
impedance, or apparent resistance, and $(2\pi fL)$ the reactance, both being

expressed in ohms (Fig. 30). As E_r is the part of the impressed E.M.F. which sends the current through the conductor (E_{θ}) being that required to neutralize the self-induction), the current must be in phase with it, and I is therefore always displaced 90° from E_{θ} . I and E_r lag behind E by an angle (ϕ) whose cosine $=E_r+E$. The inductance of a coil on the field of a generator is: L (in henrys) $= \theta nI10^{-8}$, where θ is the total flux from one pole, n the number of turns in soil and I the appropriate of current in soil

in coil, and I the amperes of current in coil.

Capacity. Any two conductors separated by a dielectric (i.e., insulating substance) constitute a condenser. In practice this term applies to a collection of thin sheets of metal separated from each other by thin sheets of insulation, every alternate sheet of metal being connected to one terminal of the apparatus and the intervening leaves of metal to the other terminal. The function of a condenser is to store up electrical energy. If a continuous E.M.F. be applied to a condenser, a current will flow,—large at first, but gradually diminishing until the metal sheets have been charged to an electrostatic difference of potential equal and opposed to that of the E.M.F. applied. The capacity of a condenser is numerically equal to the quantity of electricity with which it must be charged in order to raise the difference of potential between its terminals. charged in order to raise the difference of potential between its terminals from zero to unity. A condenser whose potential is raised 1 volt by the charge of 1 coulomb has a capacity of 1 farad.

The capacity in microfarads of a condenser = C = 0.000225—, where A = area of dielectric between two metal leaves, in sq. in.; n = number of sheets of dielectric; t = thickness of dielectric in mils; k - specific inductive capacity of the dielectric.



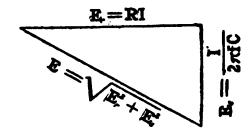


Fig. 30.

Fig. 31.

Values of k:—Glass, 3 to 7; ebonite, 2.2 to 3; gutta-percha, 2.5; paraffin, 2 to 2.3; shellac, 2.75; mica, 6.6; beeswax, 1.8; kerosene, 2 to 2.5. If a sinusoidal E.M.F., E, of frequency, f, be impressed on a condenser, the latter will be charged in $\frac{1}{4f}$ seconds, discharged in the next $\frac{1}{4f}$ seconds and charged and discharged in the opposite direction in equal succeeding intervals. Max. voltage, $E_m = E\sqrt{2}$; max. quantity, $Q_m = EC\sqrt{2}$; quantity per second = $4fQ_m = 4fEC\sqrt{2}$ = average current, I_{av} , and, as the effective current, $I = \frac{\pi}{2\sqrt{2}}I_{\text{av}}$, $I = 2\pi f C E$, and $E = \frac{\pi}{2\pi f C}I$. $2\pi f C$ is called the capacity

reactance and is analogous to $2\pi fL$. Circuits containing Resistance and Capacity. In this case the impressed voltage, E, must be considered as being made up of E_r ,—which sends the current through the resistance, R,—and E_c , which balances the counter pressure of the condenser and which is 90° in phase behind the current. $E_r = RI$, and $E_c = \frac{1}{2\pi i C}I$. .. Impressed E.M.F, $E = \sqrt{E_r^2 + E_c^2}$

or
$$I = \frac{E}{\sqrt{R^2 + \left(\frac{1}{2\pi i C}\right)^2}}$$
. (See Fig. 31.)

Circuits containing Resistance, Inductance, and Capacity. This is the most general case. The counter E.M.F. due to self-induction $=2\pi fL$, and leads the current by 90°. The E.M.F. of capacity reactance = 10, and lags behind the current by 90°. These two E.M.F.'s being 180° apart, the resultant reactance is their numerical difference and the general equation is: $I = E + \sqrt{R} + \left[2\pi f L - \frac{1}{2\pi f C}\right]$. The quantity within the brackets indicates an angle of lag, if positive, and an angle of lead, if negative. If $2\pi/L = \frac{\pi}{2}$, then $I = \frac{\pi}{R}$. This condition prevailing, resonance is said to exist, as, at one instant, energy is being stored in the field at the same rate it is being given to the circuit by the condenser, and at another instant, energy is being released from the field at the same rate as it is being stored in the condenser.

Combinations of Condensers. If condensers are connected in series their combined capacity, $C = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3} + \dots + \frac{1}{C_n}}$. If $C_1, C_2, \dots C_n$ are

equal capacities, $C = \frac{C_1}{n}$.

If connections are in multiple, $C = C_1 + C_2 + C_3 + \dots + C_n$, and if $C_1 = C_2$

 $=C_3=C_n, C=nC_1.$ Combinations of Impedances. If several impedances are to be arranged in series they should be represented by the hypothenuses of triangles whose horizontal sides represent the resistances and vertical sides the reactances. The resultant impedance is then represented by the hypothenuse of the triangle whose base—sum of the resistance horizontals of the separate triangles and whose height—sum of the reactance

verticals, or, resultant impedance = $\sqrt{\Sigma R^2 + \Sigma [2\pi/L]^2}$.

If the impedances are in parallel, find their reciprocals or admittances. Take any two admittances at their proper phase angle and construct a parallelogram. The diagonal will be the resultant of these two admittances in direction and value. This resultant may be similarly combined with a third admittance, etc. The reciprocal of the final resultant admittance will then be the combined impedance desired and the direction of tance will then be the combined impedance desired and the direction of the final diagonal will represent the resultant phase.

ALTERNATING-CURRENT GENERATORS.

Alternators are either single-phase or poly-phase (i.e., more than one phase,—usually two or three). For low potentials the field is stationary, the armature revolving, while for high potentials the field is made to rotate, the armature being fixed. The latter may have a field of radial poles each of which is of opposite polarity to its neighbor, or, it may be of the inductor type, in which both field and armature coils are stationary, the rotating part being an iron mass called the inductor. This inductor (which carries no wire) has pairs of soft-iron projections termed inductors which are magnetized by the current flowing in a fixed annular field coil which surrounds but does not touch the inductor. The surrounding frame is provided with radial internal projections which correspond to the inductors in number and size, and upon which are wound the armature coils. As the inductors revolve the flux linked with the armature coils varies from a maximum to a minimum, but its direction is not changed, varies from a maximum to a minimum, but its direction is not changed, as the annular field coil gives a constant direction of field.

Two-Phase Generator. In a two-phase system of winding, if two coils and 4 conductors are used, each coil generates a pressure of E volts between the two wires leading from it and there is no connection between the two coils. If three wires are used, connected as shown in Fig. 32, the E.M.F.'s between the wires are as indicated in the diagram. (E and I in the figures are taken as the effective E.M.F.'s and currents.)

A monocyclic generator (for lights chiefly, but carrying a certain motor load) is a single-phase machine to which is added on the armsture a so-

load) is a single-phase machine to which is added on the armature a so-

called "teazer" winding of a section sufficient to carry the motor load, and with turns enough to produce a voltage equal to one-quarter of that

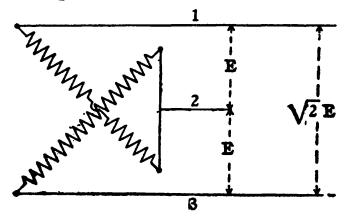


Fig. 32.

of the regular winding and lagging 90° behind same. One end of the teazer winding is connected to the middle of the regular winding and the

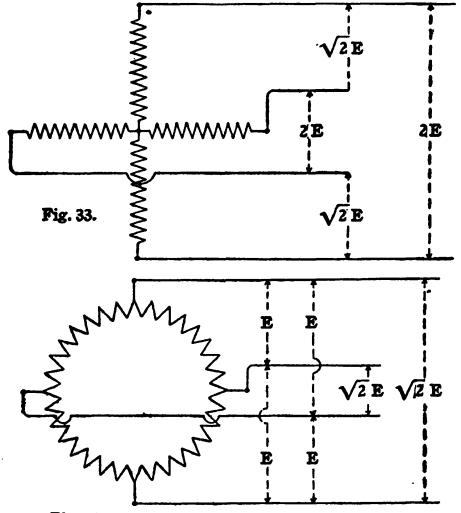


Fig. 34.

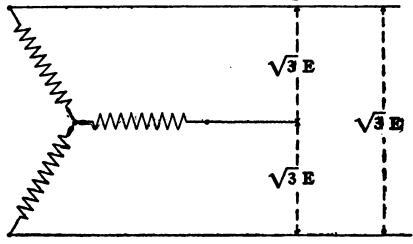
which is either connected directly or through a transformer.

Four-Phase, or Quarter-Phase. See Figs. 33 and 34 for the two

styles of connections. The current in each line in Fig. 33 = I, and in each

line of Fig. 34 = $I\sqrt{2}$.

Three-Phase (Figs. 35 and 36). Fig. 35 shows the Y or "star" connection, the current in each line being I. Fig. 36 shows the Δ (delta) or mesh connection, the current in each line being $I \vee 3$.



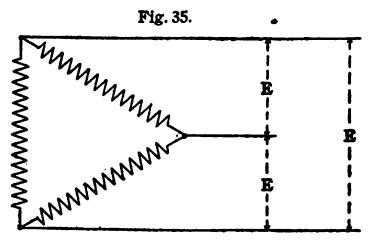


Fig. 36.

E.M.F. Generated. $E_{av} = 2p\Phi n \frac{N}{60} 10^{-8}$, where p = number of pairs of poles, $\Phi = \text{flux}$ per pole in maxwells, N = r.p.m., and n = number of inductors. The effective E.M.F. = kE_{av} , where k is the form factor (=1.11 for a sine wave). Also, pN + 60 = f, consequently $E = 2.22\Phi n f 10^{-8}$.

If the armature winding is all concentrated into one slot per pole, single-phase, this formula is applicable. If, however, the wires are distributed over the surface of the armature in a number of slots the right-hand member of the equation must be multiplied by a distribution constant, k_1 , which varies according to the number of slots on the periphery of armature from center to center of two adjacent pole-faces and the fraction of the latter distance which is occupied by slots.

Values of k_1 .

Part of polar distance occupied by slots.	1 slot.	2 slots.	3 slots.	many slots.
0.1	1.00	0.996	0.995	0.994
0.2	1.00	. 986	.984	. 982
0.3	1.00	. 972	.967	.962
0.4	1.00	.95	.942	.935
0.5	1.00	.925	.912	.9

TRANSFORMERS.

The transformer is a device for changing the voltage and current of an alternating electric system and consists of a pair of nutually inductive circuits (primary and secondary) or coils interlinked with a magnetic circuit or core. When an alternating voltage is applied to the primary coil an alternating flux is set up in the iron core which induces an alternating E.M.F. in the secondary coil in direct proportion to the ratio of the number

of turns of the primary and secondary coils.

The magnetic circuit or core is made up from laminations of sheet iron or steel. Two general types are used: I, the core type, which is built up from laminations, each of which is a rectangle, with a similar but smaller rectangle stamped out from its center. These laminations are bound together with the holes corresponding and coils are wound on two opposite limbs. II, the shell type, which is similarly assembled, but in which each lamination has two rectangular holes stamped out. The coils are wound on the central limb formed by the bridges or cross-pieces between the rectangular holes in the laminations. Laminations are about 0.014 in. thick and are insulated from each other by shellac, tissue paper, etc., in much the same manner as are the discs in armature cores. (See Fig. 37, the coils being wound on the limbs marked a.) the coils being wound on the limbs marked a.)

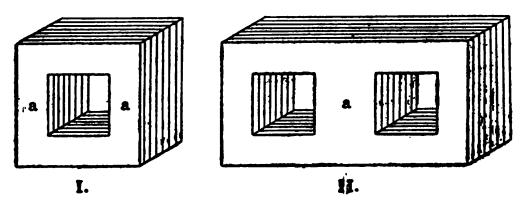


Fig. 37.

Volts induced in transformer coil, E=4.44T. •/10⁻⁶, where T=total number of turns of wire in series and f=frequency, in cycles per sec. Eddy current losses.—Watts per cu. cm. of core = $(tfB)^210^{-16}$, where t=thickness of each lamination in mils, and B is in lines per sq. cm. Amperes required to magnetize core to induction $B=\frac{Bl}{-c}$ where

l = length of magnetic circuit in cms., B = lines per sq. cm., T = No. of turns in primary coil, and μ =permeability of the iron in core.

The current at no load

$$= \sqrt{(\text{magnetising current})^2 + (\frac{\text{watts lost in iron}}{\text{primary voltage}})^2}.$$

Transformer Design (abridged from articles by Prof. Thos. Gray, in E. W. & E., April 23 and 30, 1904).

Let a, b, and l be the dimensions in cm. of the cross-section and mean length of the copper link or coil, and a_1 , b_1 , and l_1 be similar dimensions for the iron link or core. Then, total cross-section of coils =ab=A, and cross-section of core $=a_1b_1=A_1$. Volume of iron, $v_1=A_1l_1$, and volume of coils, v=Al. (In this discussion the laminations are assumed to be rectangular and the wires as being bent sharply at right angles as they turn the corners of the core.)

For a core transformer, ab = total section of both coils. $l = 2(a_1 + a_2 + a_3)$, and $l_1 = 2(a + \frac{A}{a} + 2a_1)$. In order that l may be a minimum (assuming

A, A_1 , and l_1 to be constants and differentiating), it is found that for this condition $\frac{a_1}{b_1} = \frac{b-a}{b+a}$, and $\frac{a}{b} = \frac{b_1-a_1}{b_1+a_1}$.

For the least total volume of material in both cores and coils it is found necessary that $a^2 = \frac{AA_1}{A+A_1}$, $b^2 = \frac{A(A+A_1)}{A_1}$, $a_1^2 = \frac{AA_1}{A+2A_1}$, and $b_1^2 = \frac{AA_1}{A+2A_1}$. $\underline{A_1(A+2A_1)}$ If the volumes are to have a definite relative value, let $v_1 = nv$, and let the corresponding relative value of the areas be: $A_1 = xA$.

When
$$x=0.5$$
 1 1.5 2 3 4 5 $n=0.796$ 1.086 1.286 1.435 1.637 1.77 1.864

Let the induction per sq. cm. of core $=B\sin\omega t$, and the total induction $=A_1B\sin\omega t$: then, the magnetizing current being small, the amplitude of the applied E.M.F. will (when the transformer is not loaded) be practically equal to that induced by self-induction; consequently, $E=n_1A_1B\omega 10^{-8}$, where $n_1=N_0$. of turns on primary coil.

Let P= full load in watts, I= square root of the mean square of the

full-load current in primary coil, and power factor = 1. Then, $P = EI + \sqrt{2}$, runi-load current in primary coil, and power factor = 1. Then, $P = EI + \sqrt{2}$, or 1.41P = EI. Let i = average current per sq. cm. of coil section. The heat generated in the coils will then be, approximately, $= 4i^2v10^{-6}$, assuming the space factor of the coils is 50% (i.e., one-half of coil section is copper), and the working temperature = 80° C.

At full load the heat wasted in the coils should equal that lost in the core through hysteresis and eddy currents. This heat, $H = \frac{18B^{1.6}}{10^{11}}$ in watts

per cu. cm. per cycle per second.

A certain area of radiating surface, s, must be allowed for the dissipation of the heat of each watt, the total surface being S. For ordinary aircooled transformers s is taken at 30 sq. cm., and at 20 sq. cm. for transformers immersed in oil or cooled by artificial ventilation. The following equations and values have been derived from the foregoing premises:

$$B^{9\ 2} = 7.866 \times 10^{55} \times \left(\frac{2\pi}{\omega}\right)^{5} \left(\frac{g}{s}\right)^{8} \times \frac{v_{1}}{v} \times \frac{x_{1}^{4}x^{2}}{P^{2}} \quad (1).$$

$$a = \frac{2\pi}{\omega} \times \frac{g}{s} \times \frac{10^{11}}{36B^{1.6}} \quad (2). \qquad n_{1} = \frac{10^{8}E}{xx_{1}B\omega a_{1}} \quad (3).$$

Total heat dissipated, $H_1 = 2 \times 18B^{1.6} v_1 \frac{\omega}{2\pi} 10^{-11}$, in watts per sec. (4).

$$\frac{w}{2\pi} = \text{frequency}; \ g = \text{total exposed surface} \times \frac{a}{v_1} = \frac{Sa}{v_1}; \ x_1 = \frac{b}{a}; \ x = \frac{A_1}{A}.$$

$$x = \frac{A_1}{A} = 0.25 \quad 0.5 \quad 1 \quad 1.5 \quad 2 \quad 2.5 \quad 3.5$$

$$x_1 = \frac{b}{a} = 6 \quad 3 \quad 2 \quad 1.66 \quad 1.5 \quad 1.4 \quad 1.285$$

$$x_2 = \frac{b_1}{a_1} = 1.5 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6 \quad 8$$

$$g = \frac{Sa}{v_1} = 6.83 \quad 4.76 \quad 3.46 \quad 2.83 \quad 2.46 \quad 2.22 \quad 1.92$$

(Read thus When x=1; $x_1=2$, $x_2=3$, and g=3.46, etc.)

Example Core transformer; P = 10,000 watts, E = 3,000 volts, $\frac{w}{2} = 100$,

x=1, and from previous tables $x_1=2$, $\frac{1}{a_1}=3$, $\frac{1}{v}=n=1.086$, and g=3.46. Substituting in (1), (2), (3), and (4), B=2.747 lines per sq. cm., n_1 (primary) =853 turns, a=10.1 cm., b=20.2 cm., $a_1=8.25$ cm., $b_1=24.75$ cm., $A=A_1$

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For 125 cycles,

B=4,500 to 7,500 lines per sq. cm. (30,000-50,000 per sq. in.). rrent Densities. Primary coil, 1,000-1,500 circular mils per ampere. Secondary 1,200-2,000 Current Densities.

Insulation between laminations is about 10% of total assembled thick-

ness; ... vol. of iron = $0.9 \times \text{cubic contents}$.

Economic Design. The best economy of first cost may be obtained by calculating several transformers of the same capacity, but with various ratios of copper to iron, plotting the results and balancing the annual interest on the cost of material saved (labor cost being substantially a constant for a given output) with the cost of the extra watt-hours per year sacrificed by cheapening the construction.

CONDUCTORS. Copper-Wire Table, A. I. E. E. 20° C.

Gauge. B. & S.	Piameter. Inches.	Area. Circular mils.	Weight. Pounds per ft.	Length. Feet per lb.
0000	0.460	211,600	0.6405	1.561
000	. 4096	167,800	. 5080	1.969
00	. 3648	133,100	. 4028	2.482
Ŏ l	. 3249	105,500	. 3195	3. 13
Ī l	. 2893	83,690	. 2533	3.947
	. 2576	66,370	. 2009	4.977
3	. 2294	52,630	. 1593	6. 276
2 3 4 5 6 7 8	. 2043	41,740	. 1264	7.914
5	1819	33.100	. 1002	9.98
6	. 1620	26,250	.07946	12.58
7	. 1443	20,820	.06302	15.87
8	. 1285	16,510	. 04998	20.01
9	. 1144	13.090	. 03963	25 . 23
10	. 1019	10,380	.03143	31.82
īĭ	. 09074	8,234	. 02493	40. 12
12	. 08081	6,530	.01977	5 0. 59
13	. 07 196	5,178	.01568	63.79
14	. 06408	4,107	.01243	80.44
15	. 05707	3,257	.009858	101.4
16	.05082	2,583	.007818	127.9
17	. 04526	2,048	. 006200	161.3
<u>18</u>	. 04030	1,624	. 004917	203.4
19	. 03589	1,288	. 003899	256.5
20	. 03196	1,022	.003092	323. 4
21	. 02846	810.1	.002452	407.8
22	. 02535	642.4	. 001945	514.2
$\overline{23}$. 02257	509.5	.001542	648.4
24	. 02010	404	.001223	817.6
25	. 01790	320.4	0009699	1,031
26	. 01594	254.1	.0007692	1,300
27	. 0142	201.5	.0006100	1,639
28	. 01264	159.8	. 0004837	2,067
29	. 01126	126.7	. 0003836	2,607
30	. 01003	100.5	.0003042	2,287
31	. 008928	79.7	.0002413	4,145
32	. 00795	63. 21	. 0001913	5,227
33	. 00708	50. 13	. 0001517	6,591
34	. 006305	39.75	.0001203	8,311
35	. 005615	31.52	.00009543	10,480
36	. 005	25	.00007568	13,210
37	. 004453	19.83	.00006001	16,660
38	. 003965	15.72	00004759	21,010
39	. 003531	12.47	00003774	26,500
40	. 003145	9.888	00002993	33,410

Copper-Wire Table—(Continued).

O	Weight.	Length.	Resista	nce.
Gauge. B. & S.	Pounds per ohm.	Feet per ohm.	Ohms per pound.	Ohms per foot.
0000	13,090	20,440	0.00007639	0.00004893
000	8,232	16,210	.0001215	.00006170
00	5,177	12,850	.0001931	.00007780
Ō	3,256	10,190	.0003071	.00009811
1	2,048	8,083	.0004883	.0001237
2 3 4 5 6	1,288	6,410	.0007765	.0001560
ş	810	5,084	.001235	.0001967
4	509.4	4,031	.001963	.0002480
ð	320.4	3,197	.003122	.0003128
9	201.5 126.7	2,535	.004963 .007892	.0003944
7 8 9	79.69	2,011 1,595	.01255	.0004973 .0006271
õ	50.12	1,265	.01995	.0000271
10	31.52	1,003	.03173	.0009972
ii	19.82	795.3	.05045	.001257
$\overline{12}$	12.47	630.7	.08022	.001586
13	7.84	500.1	.1276	.001999
14	4.931	396.6	,2028	.002521
15	3.101	314.5	.3225	.003179
16	1.950	249.4	.5128	.004009
17	1.226	197.8	. 8153	. 005055
18	.7713	156.9	1.296	.006374
19	.4851	124.4	2.061	.008038
20	.3051	98.66	3.278	.01014
21	. 1919	78.24	5.212	.01278
22	.1207	62.05	8.287	.01612
23	.07589	49.21	13.18	.02032
24	.04773	39.02 30.95	20.95 33.32	.02563
25 26	.03002 .01888	24.54	52.97	.03231 .04075
20 27	.01387	19.46	84.23	.05138
28	.007466	15.43	133.9	.06479
29	.004696	12.24	213	.0817
30	.002953	9.707	338.6	.103
31	.001857	7.698	538.4	. 1299
32	.001168	6.105	856.2	. 1638
3 3	.0007346	4.841	1,361	.2066
34	.0004620	3 .839	2,165	. 2605
35	.0002905	3.045	3,441	.3284
36	.0001827	2.414	5,473	.4142
37	0001149	1.915	8,702	.5222
38	00007210	1.519	13,870	. 6585
39	.00004545	1.204	22,000	.8304
40	.00002858	0.955	34,980	1.047

The table is calculated for a temperature of 20° C. Resistance in international ohms. For resistance at 0° C., multiply values in table by 0.9262; for resistance at 50° C., multiply by 1.11723, and for resistance at 80° C., multiply by 1.23815. The following data were used in computing the table: Specific gravity of copper=8.89. Matthiessen's standard 1 metergram of hard drawn copper at 0° C.=0.1469 British Association unit (B.A.U.)=0.14493 international ohm (1 B.A.U.=0.9866 international ohm.) Ratio of resistivity of hard to soft copper=1.0226. Temperature ohm.) Ratio of resistivity of hard to soft copper = 1.0226. Temperature coefficients of resistance for 20°, 50°, and 80° C. (cool, warm, and hot) taken as 1.07968, 1.20625, and 1.33681, respectively.

Aluminum Wires at 75° F. (Pittsburgh Reduction Co.).

Gauge. B. & S.	Ohms per 1.000 ft.	Feet per ohm.	Ohms per lb.
0000	0 08177	12,229 .8	0.00042714
000	. 1031	9,699	.00067022
00	. 1300	7,692	.00108116
0	. 1639	6,245.4	.0016739
1	. 2067	4,637.4	.0027272
2	. 2608	3,836.2	.0043441
3	.3287	3,036.1	. 0069057
4	.4145	2,412.6	.0109773

Conductivity taken as 60% of that of pure copper. Weight of pure aluminum taken as 167.111 lbs. per cu. ft.

General Formulas for Wiring. (From General Electric Co. literature.) Area of conductor in circular mils $=DWK+PE^2$; Volts lost in line =PEM+100; Current in main conductors =WT+E; Weight of copper in line $=AWKD^2+PE\times10^6$; where D= distance of transmission (one way) in feet, W= total watts delivered at the end of line, P= per cent loss of W in line, and E= voltage between the conductors at the receiving end of line. A, K, and T are constants having the following values:

line.	A, K,	and T a	e consta	nts havi	ng the fo		values:	
			4		D	<i>K</i>	C 4	
			\boldsymbol{A}	100	Per cer 95	at power: 90		80
Single	-phase.		6.04	2160	2400	2660	85 3000	3380
		wires)	12.08	1080	1200	1330	1500	1690
		3 wires).	9.06	1080	1200	1330	1500	1690
	paul (0 11210071	0.00	2000	1200	T	2000,	1000
					Per co	ent powei	r feetor-	
				100	95	90	85	80
Single	-phase.	• • • • • • •			1.05	1.11	1.17	1.25
Two-	phase (4	wires)	• • • • • • •	$\tilde{0}.5$.53	.55	.59	.62
Three	-phase (3 wires)	• • • • • • •	58	.61	. 64	.68	.72
		nuous cur			A = 6.04	and $M =$	1.	
		Values of	MW	ires 18 in	. apart fro	om c. to c	} _	
Gauge	e:	25 Cy	cles.			40 Cy		
B. & 8		ver factor	in per ce		~Pow	ver factor	in per ce	nt.—
	95	90	85	.80	95	90	85	80
0000	1.23	1.29	1.33	1.34	1.52	1.53	1.61	1.67
000	1.18	1.22	1.24	1.24	1.40	1.41	1.48	1.51
00	1.14	1.16	1.16	1.16	1.25	1.32	1.35	1.37
Q	1.10	1.11	1.10	1.09	1.19	1.24	1.26	1.26
1	1.07	1.07	1.05	1.03	1.14	1.17 1.12	1.18	1.17
2 3	$\frac{1.05}{1.03}$	$1.04 \\ 1.02$	$\begin{array}{c} 1.02 \\ 1.00 \end{array}$	1.00	$\begin{array}{c} 1.11 \\ 1.07 \end{array}$	1.12	1.12 1.07	1.10
4	1.02	1.00	1.00		1.05	1.06	1.03	1.05 1.00
Ī	1.00	1.00			1.03	1.01	1.00	1.00
Ř	1.00				1.02	1.00	1.00	
7				•	1.01	2.00		
5 6 7 8		•			1.00			
_		60 Cy	cles.			125 Cy	cles.	
	~Po	wer factor	in per co	ent.—	~Pow	er factor	in per cer	nt.—
	95	90	85	_80_	95	90	85	80
0000	1.62	1.84	1.99	2.09	2.35	2.86	3.24	3.49
000	1.49	1.66	1.77	1.95	2.08	2.48	2.77	2.94
00	1.34	1.52	1.60	1.66	1.86	2.18	2.40	2.57
Q	1.31	1.40	1.46	1.49	1.71	1.96	$\frac{2.13}{1.00}$	2.25
1	1.24 1.18	$egin{array}{c} {f 1.30} \ {f 1.23} \end{array}$	$\begin{array}{c} 1.34 \\ 1.25 \end{array}$	$\begin{array}{c} \textbf{1.36} \\ \textbf{1.26} \end{array}$	$\begin{array}{c} 1.56 \\ 1.45 \end{array}$	$\begin{array}{c} 1.75 \\ 1.60 \end{array}$	1.88 1.70	$\frac{1.97}{1.77}$
3	1.14	1.17	1.18	1.17	1.35	1.46	1.53	1.57
4	1.11	1.12	1.11	1.10	1.27	1.35	1.40	1.43
Ŝ	1.08	1.08	1.06	1.04	ī. 2 i	1.27	1.30	1.31
6	1.05	1.04	$\tilde{1}.\tilde{0}\tilde{2}$	1.00	$\tilde{1}.\tilde{1}\tilde{6}$	1.20	1.21	1.21
7	1.03	1.02	1.00	2.00	1.12	1.14	1.14	1.13
2 3 4 5 6 7 8	1.02	1.00			1.09	1.10	1.09	1.07
9	1.00	-			1.06	1.06	1.04	1.02
10	_				1.04	1.03	1.00	1.00
The	values	of M in	the above	ve table :	are about	true for	10% lin	e loss.

They are reasonably accurate for losses less than 10%, under 40 cycles, and close enough for larger losses. If the largest conductors are used at 125 cycles and the loss is greater than 20%, the values should not be If the conductors are closer to each other than 18 inches, the loss will be less than that given by the formula, and if very close together, as in a cable, the loss will be that due to resistance only.

For a direct-current 3-wire system, the neutral feeder should have a section equal to one-third of that of the outside wires as obtained from

For both alternating and direct current the secondary mains and the house wiring should have the neutral wire of the same area as

the outside conductors.

For the monocyclic system (power and lights) calculate the primary circuit as if all the power were transmitted over the outside wires, the size of the power wire to be to either outside wire as the motor load (in amperes) is to the total load in amperes. Secondaries leading to induction motors should all be of the same size as for a single-phase circuit of the same capacity in kilowatts and same power factor. The three lines of a 3-phase circuit should be of equal cross-section.

Power Factor:—When not more accurately determinable, take as follows: Lighting only, 95%; lighting and motors, 85%; motors only, 80%. For lighting circuits using small transformers the voltage at transformer primaries should be 3% higher than the voltage × ratio of transformation. For motor circuits substitute 5% for 3% in the preceding rule.

Examples:—Direct-current circuit, 1,000 110-volt lamps, each taking

0.5 ampere; line loss, 10%; two wires; distance, 2,000 feet. Circular mils= $2,160\times2,000\times(1,000\times0.5\times110)+(10\times110^2)=1,963,636$.

Volts drop to lamps = $10 \times 110 \times 1 + 100 = 11$ volts.

Three-wire circuit,—220 volts between the outside wires: Area of each outside conductor = $2,160 \times 2,000 \times (1,000 \times 0.5 \times 110) \div (10 \times 220^2) = 490$,-900 cir. mils. Area of neutral or third wire = $490,900 \div 3 = 163,633$ cir. mils. Volts loss in circuit = $10 \times 220 \times 1 \div 100 = 22$ volts. Alternating currents: Two-wire, single-phase; 10 to 1 transformers 900 cir. mils.

Alternating currents: Two-wire, single-phase; 10 to 1 transformers 2 volts loss in secondary wiring; transformer drop=3%; loss in primary line to be 5% of the delivered power; efficiency of transformer=97%. Volts at transformer primaries= $(110+2)\times10\times1.03=1153.6$. Watts required by lamps= $1,000\times110\times0.5=55,000$. Watts required at primaries= $55,000+(0.98\times0.97)=58,000$. Cir. mils= $2,000\times58,000\times2.400+(5\times1.153.62)=41.760$

 $2,400 \div (5 \times 1,153.6^2) = 41,760.$

Three-phase, 3-wire power transmission, 60 cycles; 3,500 H.P., 5 miles; loss, 10% of delivered power; voltage at motor -5,000; power factor of load = 85%. Circular mils = $(5,280 \times 5) \times (3,500 \times 746) \times 1,500 + (10 \times 5,000^2) = 413,582$. Two 0000 wires have this area, also four 0 wires. If the latter are used, the drop will be only 73.3% of that when using the larger wires Per cent $loss = 5,280 \times 5 \times 3,500 \times 746 \times 1500 +$

 $(4 \times 105,592) \times 5,000^2 = 9.79\%$ of the delivered power, or 322.6 H.P. loss in the transmission. Volts lost in line = $9.79 \times 5,000 \times 1.46 + 100 = 715$. Volts at generator = 5,000+715=5,715. Current in line = $3,500\times746\times$ $0.68 + 5{,}000 = 355$ amperes.

Calculations applying to Transmission Circuits. The E.M.F.'s in the various parts of a transmission system may be calculated by means of the following table and the method employed in the example given.

Line Constants. (Wires 18 in. apart.) Gauge, Wt., Diam. Area, B. & S. lbs. mils. cir. mils. f = 25 40.372 .382 .558 1.16 3,376 460 211,600 .266 1.48 .0102 .0385 .232 0000 167,800 2,677 410 .239 .573 1.19 .335 1.52 .00996 .0375 000 2,123 365 .588 1.22 133,100 .422 1.56 .00973 .0366.245 .392 .603 1.26 1.685 325 105,500 .533 1.60 .00949 .0358 . 251 .402 1,335 289 .671 1.63 .00926.256 .614 1.28 83,690 .0349 .409 23 .845 1.66 .261 1,059 258 66,370 .00909 .625 1.30 .0342.417 52,630 1.067 1.70 840 229 .00883 .0333. 267 .427 .641 1.33 41,740 1.346 1.73 33,100 1.700 1.77 .00863 4 666 204 .0326 .272 .435 .652 1.36 .278 .00845 .0319 .445 5 6 7 8 **528** 182 .667 1.39 . 284 .00827 26,250 2.138 1.81 .0312 . 455 .682 1.42 419 162 .0305 . 289 . 462 332 144 20,820 2.698 1.84 .00809 .693 1.44 16,510 3,406 1.88 .00793 .0295 .295 .472 .708 1.48 263 128

Weight given in lbs. per mile of wire; R = ohms per mile of conductor: L = inductance in millihenrys per mile; C = capacity in microfarads, of two wires, each one mile in length; i = charging current of line of two wires $(f = 60, E = 10,000 \text{ volts}) = 2\pi f C E 10^{-6}$; X = reactance $= 2\pi f L 10^{-3}$.

Impedance, $Z = \sqrt{R^2 + X^2}$.

Let it be required to transmit 2,700 H.P. over a 3-phase circuit 10 miles in length, the power being generated at 1,000 volts, raised through a step-up transformer to 10,000 volts for transmission along the line, and reduced to 1,000 volts at the receiving end by a step-down transformer. Transformer efficiencies=97.5%; copper loss in each, 1%; core or hysteresis loss, in each, 1.5%; reactance=3.5%; magnetizing current=4%. Loss in transmission=15%, 10 of which is in line; power factor=0.85. Voltage between any branch and the common center of system= $E \div \sqrt{3}$ = 10,000+ $\sqrt{3}$ =5,774. Energy delivered by each wire=2,700×746÷3=671,400 watts. Apparent energy per branch=671,400÷0.85=790,000 watts. Current in each wire=790,000+5,774=136.8 amperes. Drop in each wire=10% of 5,774=577.4 volts. Resistance of each wire=577.4÷136.8=4.22 ohms, or 0.422 ohms per mile, which is the resistance of a 00 wire; consequently, three 00 wires will carry the loade Reactance of 10 miles single conductor=0.588×10=5.88 ohms. Inductance for 10 miles=10×1.56=15.6 millihenrys. Charging current for each line, for 10 miles=.0366×10=0.366 amp. Power factor being 0.85, the inductance factor= $\sqrt{1}$ -0.852=0.52.

To find the E.M.F. at generator and the distribution of current when full load is on, the entire system may be considered at 10,000 volts for

convenience in calculation.

Impressed E.M.F. = $\sqrt{\Sigma \text{ (energy E.M.F.'s)}^2 + \Sigma \text{ (Induction E.M.F.'s)}^2}$.

Commencing with the secondary circuit, working back and tabulating the steps, the following is obtained:

	Ener E.M		Current.
Secondary Circuit: Energy, E.M.F. = 5,774 × 0.85 Inductive E.M.F. = 5,774 × 0.52 Current, in amperes Step-down Transformers:	- 4,90	9 3,003	136.8
Resistance loss, $IR = 1\%$ of 5,774 Reactance '' $IX = 3.5\%$ of 5,774 Hysteresis '' $= 1.5\%$ of 136.8	= 55 =	8 202	2.05
	4,96	7 3,205	138.85
Line Resistance loss, $IR = 138.85 \times 4.22$ Reactance $IX = 138.85 \times 5.88$	= 58 =	6 81 7	
	5,55	3 4,022	138.85
(Volts at terminals of step-up transformers = $\sqrt{5,553^2+4,022^2=6,857.}$) Step-up Transformers:		•	
Resistance loss, $IR = 1\%$ of 6,857 Reactance '' $IX = 3.5\%$ of 6,857 Hysteresis '' 1.5% of 138.85	= 69 =	240	2.08
	5,62	2 4,262	140.93

Volts at generator = $\sqrt{5,622^2+4,262^2}$ = 7,055 volts, or, reduced by 10.1 ratio, = 705.5 volts, for one branch. The total generator F.M.F. would then be $705.5 \times \sqrt{3} = 1,222$ volts, or total volts at generator = 122.2% of volts at secondaries of receiving transformers, and the power factor of the entire circuit is 1,000+1,222=0.818.

Inductance for Parallel Copper Wires, Insulated. L per 1,000 feet per wire = $0.01524 + 0.14 \log \frac{1}{2}$; I. per 1,000 ft. of the whole circuit for a

3-phase line = $0.02639 + 0.2425 \log \frac{d}{r}$, where L is in millihenrys, d and r being respectively the distance between centers of wires and radius of wire. both measured with the same unit.

Capacities of Conductors. Lead-protected cables: Microfarads per 1,000 ft. of length = $0.007361K \div \log \frac{1}{d}$. Single overhead conductors, with earth return: Microfarads per 1,000 ft. = $0.007361 + \log \frac{4h}{a}$.

Each of two parallel, bare aerial wires: Microfarads per 1.000 ft. = $0.003681 + \log -$. In the above, D = diam. of cable outside of insulation. d=diam. of conductor, $d_1=$ distance between wires, c. to c., h=height above ground, r=radius of wire, K-specific inductive capacity of insulating material. D, d, d_1 , h, and r should all be measured by the same unit.

Heating of Conductors. Insulated parallel wires: Diam. in inches = 0.0147 $\sqrt[3]{I^2}$ (Kennelly). Bare wires: Diam. in mils = $45\sqrt[3]{I^2+(T-t)}$, where I = current in amperes, T = temp. of wire, and t = temp. of air, both

in degs. F.

Carrying Capacity of Interior Wires and Cables (A. I. E. E.).

B. & S.	Rubber-	Weather-	Circular	Rubber-	Weather-
Gauge.	covered.	proof.	mils.	covered.	proof.
14	12	16	400,000	330	500
12	17	23	600,000	450	680
10	24	32	800,000	550	840
- š	33	46	1,000,000	650	1000
6	46	65	1,500,000	850	1360
4	65	92	2,000,000	1050	1670
$ar{f 2}$	90	131	The caps	cities are	
ō	127	185	peres. No	o smaller	
00Ŏ	177	262	than No. 1		
0000	210	312			

Rubber covering to be $\frac{2}{64}$ in. thick for No. 14 to No. 8, $\frac{1}{16}$ in. for No. 7 to No. 2, $\frac{1}{64}$ in. for No. 1 to 0000, $\frac{2}{32}$ in. for No. 0000 to 500,000 cir. mils., $\frac{1}{64}$ in. up to 1,000,000 cir. mils, and $\frac{1}{6}$ in. above 1,000,000 cir. mils. Weatherproof coverings must have the same thicknesses, the inner coating to be fireproof and 0.6 of the total thickness.

Insulation Resistance (National Code). The wiring in complete instal-20,000,000

lations must have an insulation resistance = $\left(\frac{20,000,000}{\text{amperes flowing}}\right)$ in ohms.

Fuses. Fuses for 5 amperes and less should be 1.5 in. long, and 0.5 in. should be added for each additional 5 amperes. Round wire should not be used for over 30 amp.—shows that use a flat strip. Fusing some shows that use a flat strip. be used for over 30 amp.,—above that, use a flat strip. Fusing current = ad², where d=diam, in inches and a is a constant having the following values: copper, 10,244; aluminum, 7,585; platinum, 5,172; iron, 3,148; tin, 1,642; lead, 1,379; 2 lead+1 tin, 1,318.

Diameter in Inches.

		~		
Amperes.	Copper.	Iron.	Tin.	Lead.
1	.0021	.0047	.0072	.0081
10	.0098	.0216	.0334	.0375
50	.0288	.0632	.0975	. 1095
100	.0 4 57	. 1003	. 1548	. 1739
200	. 072 5	. 1592	. 2457	.276
300	. 095	. 2086	.322	.3617 (Preece.)

ELECTRIC LIGHTING.

Arc Lamps. 45 to 60 volts, 9.6 to 10 amp., 2,000 candle-power (nominal); 45 to 50 volts, 6.8 amp., 1,200 candle-power (nominal). Fnclosed arcs require 80 volts, 5 amperes; carbons burn from 100 to 150 hours. Alternating-current arc lamps require 28 to 30 volts and 15 amperes.

The mean spherical candle-power (c.-p.) is the mean of that over a sphere of which the light is the center and equals, approximately, -- +--, where H is the horizontal c.-p. and M the maximum c.-p. (40° below horizontal for a direct-current arc). The continental unit of light is the hefner.

or 0.88 candle-power.

Clear-glass globes cut off 10% of the illumination, ground-glass globes from 35 to 50%, and opal globes from 50 to 60%.

Incandescent Lamps, usually 16 c.-p., require from 3 to 3.5 watts per c.-p. and have a life of 800 to 1,000 hours. They should not, however, be used over 600 hours, as their efficiencies decrease during use. The most economical point at which to renew a lamp (i.e. the "smashing" point) may be found as follows: point) may be found as follows:

Hours lamp should be used $=c\sqrt{B+E}$, where $B=\cos t$ of lamp per c.-p., $E-\cos t$ of 1,000 watt-hours of energy, and c=1,410 when the increase of watts per c.-p. per hour of use =0.001 (c=1,000 when increase =0.002, and 815 when increase =0.003).

The Tantalum Incandescent Lamp has a fine wire of this rare metal in place of the ordinary carbon filament. Properties of tantalum: melting point =2,300° C., sp. heat =0.0365; sp. g. =16.5; sp. resistance (1m. × 1mm.²) =0.165 ohm. The resistivity increases with the temperature and at 1.5 watts per c.-p. =0.855. Lamps (1.5 watts per c.-p.) have a useful life of 400 to 600 hours. Are lamps: for outdoor or street illumination.

Illumination. Arc lamps: for outdoor or street illumination, 100 to 150 sq. ft. per watt; for railway stations, 10 to 18 sq. ft. per watt; for large halls, exhibitions, etc., 2 sq. ft. per watt; for reading-rooms, 1 sq. ft. per watt and for intense illumination 0.5 sq. ft. per watt.

Incandescent lamps: (16 c.-p.). Ordinary illumination, sheds, depots, etc., 1 lamp (8 ft. from floor) for 100 sq. ft.; waiting-rooms, 1 lamp for 75 sq. ft.; stores and offices, 1 lamp for 60 sq. ft. Dark walls require an increase in the above figures. Nernst lamps, having a "glower" formed of metallic oxides which becomes incandescent during the passage of current, are made in sizes from 25 to 150 c.-p. and require about 1.6 watts per c.-p.

ELECTRIC TRACTION.

Tractive Force and Power. The force, F, required to bring a car from rest to a certain speed, s, (in miles per hour,) within a given time. t, (in seconds,) is F (in lbs.) = $f + \frac{91 \cdot 1Ws}{4} + 20Wp$, where W = weight of

car in tons, $f=(20 \text{ to } 30)\times W$, and p=per cent of grade.It takes a pull of about 70 lbs. per ton to start a car on a level or to round a curve. If there is a grade, the starting pull in lbs. =(70+20p)W,

based on a speed of 9 miles per hour being attained in 20 secs. The average II.P. required = $0.00133Fs + \eta$, where η = efficiency of motor (from 50 to 60%). The per cent grade, p, at which slipping occurs when $\frac{a}{x}$ -3.5, where a=ratio of adhesive force to weight on car is starting = drivers, =0.125 to 0.16, and x = weight on drivers + total weight of car. When running, $p = \frac{100a}{x} - 1.5$.

Resistance of Rails used for Returns. Cir. mils of cross-section of a rail = 124,750W; equivalent cir. mils of rail section in copper = 20,800W; Resistance of a single rail per mile in ohms = $2.5 \div W$, approx. (Varies from 2.5 to 5 according to the chemical composition of rail.) W = weightof rail in lbs. per yard.

Safe Current for Feeders, in amperes, $=\sqrt{(\text{diam. in mils})^3+1,300}$. Heavy Electric Railroading. Train resistance, R, in lbs. per ton of 2,000 lbs. = 3 + 1.67s + 0.0025, where s=speed in miles per hour, A =cross-section of car in sq. ft., w = weight of train in tons of 2,000 lbs. This formula was found applicable to conditions met with on the Long Island Ry. (W. N. Smith, A. I. E. E., 11-25, 1904).

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APPENDIX.

MATHEMATICS.

Metric H.P. (Force de cheval). 1 metric H.P. = 75 m.-kgs. per sec. = 542.475 ft.-lbs. per sec. = 0.9863 British H.P. (1 British H.P. = 1.01389 metric H.P.). 1 meter-kilogram (m.-kg.) = 7.233 ft.-lbs. 1 ft.-lb = 0.138255 m.-kg.
Guldinus' Theorems for Areas and Volumes.

1. If a straight or curved line in a plane revolves about an axis lying in that plane, the area of the surface so generated is equal to the length of the line multiplied by the distance through which its center of gravity

2. If a plane area revolves about an external axis in the same plane, the volume of the solid so generated is equal to the area of the figure mul-

tiplied by the distance through which its center of gravity moves.

Centers of Gravity of Lines. Straight line: Its middle point.

Circumference of a triangle: Form an inner triangle by connecting middle points of sides and inscribe a circle; the center of circle is c. of g. desired.

Circumference of parallelogram: At incresection of diagonals, circles. arc: On middle radius at distance x from center of circle $[x = (\text{chord} \times \text{ra})]$ dius) + length of arc]. For very flat arcs c. of g. lies 3h from chord, where h = height of arc.

MATERIALS.

Metals, Properties of.

Sn G	Lbs. per	Fusing-
-	cu. in	points.
6.7	0.242	806° F.
9.8	. 354	516
	.411	62 0
	289	3.452
	325	2.678
21.5	776	$\overline{3},\overline{272}$
	Sp. G. 6.7 9.8 11.38 8. 9. 21.5	9.8 .354 11.38 .411 8289 9325

Alloys. Sterro Metal (Tensile strength $\Gamma.S.=60,000$ lbs. per sq. in.): 55% Cu+42.36% Zn+1.77% Fe+0.1% Sn+0.83% P. Wolfram-inium: 0.375% Cu+0.105% Sn+98.04% Al+1.442% Sb+0.038 W. Magnalium: 2 to 25% Mg+98 to 75% Al. Sp.g., 2.4 to 2.54; fusing-point, 1,100° to 1,300° F. With 10% Mg, alloy has properties of rolled zinc; with 25%, those of bronze. Parsons' Manganese Bronze: 60% Cu+37.5% Zn+1.5% Fe+0.75% Sn+0.01% Mn+0.01% Pb (for sheets); 56% Cu+42.4% Zn+1.25% Fe+0.75% Sn+0.5% Al+0.12% Mn (for sand castings). T.S.=70,000 lbs. per sq. in.; elastic limit, 30,000 lbs.; elongation in 6 in. =18%; reduction of area = 26%.

Nickel-Vanadium Steel. (Carbon content = 0.2%.) With 2% Ni, and 0.7% V, tensile strength = 90,000 lbs. per sq. in; increasing V to 1%, T.S.=120,000. With 12% Ni and 0.7% V, T.S.=200,000; increasing V

Compression.

Safe.

Breaking.

to 1%. T.S. = 220,000. By tempering the 90,000 lb. steel (heating to 1,560° F. and quenching in water at 68° F.) its T.S. is raised to 168,000. Elastic limits about 80% of T.S. Elongation for 2% Ni steels about 22%; for 12% Ni = 6%.

Malleable Iron, Ultimate Strength. Round bars tensile strength = 43,000 lbs per sq. in approx : clongation = 70% in 2 in traduction of approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in approximate the strength of a per sq. in a per sq. i

43,000 lbs. per sq. in., approx.; elongation = 7% in 8 in.; reduction of area = 3.75%. Square and star-shaped sections have about 85% of the strength of circular sections. Compressive strength is from 31,000 to 34,000 lbs. per sq. in. (Mason and Day.)

Steel. Each per cent. of the carbon content of a steel is divided into 100 parts, each of which is called a "point"; thus, a 40-point carbon steel

is one containing 0.4% of carbon.

Portland Cement Concrete in Compression (safe strength). f_c (direct compression) = $4.260 \div (s+g+4.4)$, where s and g are the No. of parts of sand and gravel in the mixture to one part of cement (c). For one cubic yard of concrete, No of bbls. of cement, N=11+(c+s+g); No. cu. yds. sand = 0.141Ns; No. cu. yds. gravel or crushed stone = 0.141Ng. (1 bbl. = 3.8 cu. ft.)

STRENGTH OF MATERIALS.

Elastic Limit. Yield-Point. Permanent Set. The elastic limit is the point at which the strains begin to increase more rapidly than the stresses causing them. This increase of strain is initially slight but becomes marked later at what is called the "yield-point" (e.g., when scale-beam of a testing machine suddenly drops). That part of the strain which does not disappear when the stress is removed is called the "permanent set." If none of the strain disappears on removal of the stress, the material is said to be "plastic," if the greater part remains, the material is "ductile," and 'f the material breaks under very low stress and slight stretch, it is said to be "brittle."

Transverse Elasticity (see page 18). In formula $C = f_0 + \partial_{\theta}$, ∂_{θ} is the

Transverse Elasticity (see page 18). In formula $C = f_8 + \delta_8$, δ_8 is the strain between two shear planes 1 in. apart.

Pure Shear Stress (I'ltimate) $= C \times \text{ult.}$ tensile stress, where C = 1.2 (1.1 to 1.5) for C. I., 1.25 for phosphor bronze and yellow brass, 0.9 for gun-metal, 0.6 for alloy bronzes, 0.75 for W. I., and 0.12 carbon steel, and 0.65 for 0.70 carbon steel. (E. G. Izod, Engineer, London, 12-29-'05.)

Aluminum (99% pure). Breaking and safe stresses in lbs. per sq. in.:

Breaking.

Tension.

Safe.

Castings	14,000- 25,000-	40,000	3,500-4,500 6,000-7,000	16,000 20,000	3,000 5,000
Wire	30,000-	35,000	• • • • • • • • •	(E=11,500)	0,000 for t metal.)
Allowable Fiber S	tresses i	n Lbs. per	Sq. In. (Bac	eh Can	—
	W.I.		Steel.		C. I.
		Low Carbon	High	Cast-	
Tension, $ft =$	12,800	12,800 17,000	Carbon. 17,000 21,300	1ngs. 8,500 12,800	4,300
Compression, f_{σ}	12,800	21,400		12,800 17,000	12,800
Bending, $f_b =$	4.4	• •	4.6	10,700 15,000	(a)
Shearing, $f_8 =$	10,200	10,200 13,700	13,700 17,000	6,800 12,000	4,300
Torsion, ftw=	5,100	8,500 12,000	12,800 17 000	12,000	(b)

⁽The higher values are for homogeneous metal, not too soft.)
(a) For rect. sections, 7,300; circular, 8,800; I sections, 6,200.

⁽b) For circ. sections, solid and hollow, 4,300; elliptic and hollow rect.,

to 5,300; rect., square, I, channel, angle, and cruciform sections,

e values above given are for constant stresses due to a dead load, P.

repeated stresses:

repeated stresses:
1) load fluctuating between 0 and +P, take $\frac{2}{3}$ of tabular values;
2) '' +P '' -P, ' $\frac{1}{3}$ repring steel (1), $f_b=52,000$ (unhardened) or 62,000 (hardened).

rength of Cylinders. According to Prof. C. H. Benjamin, if the se of a C. I. cylinder are unsupported, the initial fracture will be cirrential, near the flanges, and will be caused by a pressure much han $p=2ft \div d$. Also, if flanges are sufficiently braced by brackets to be longitudinal fracture, a considerable allowance (say $\frac{1}{3}$) must be for bending and other accidental stresses. Hydraulic cylinders pressures above 3,000 lbs. should be made from air-furnace iron or castings, as water will ooze through ordinary, open-grain C. I. walls

pressures above 3,000 lbs. should be made from air-furnace iron or castings, as water will ooze through ordinary. open-grain C. I. walls n. thick. (A. Falkenau, Am. Mach., 1-4-06.) e thickness, t, of the walls of a cylinder under internal pressure, p, be found from the following formula, which is a simplification by the r of a rather unwieldy one due to C. Bach: $t=0.42pd+(f_t-p)$, where am. of cylinder and f_t =allowable stress in the material employed (to ed only when $p<0.77f_t$). lues of f_t : C. I. and bronze, 4,300 to 8,500 (and even 10,000 for strong; phosphor-bronze, 7,100 to 14,200; cast steel, 14,200 to 17,000 (for esmann tubes of Martin steel, 18,000 to 43,000); W. I., 12,800 to 0. t and d in in., p and f_t in lbs. per sq. in. tter Joints (W. I. and Machinery Steel). Diam. of rod, d, is entered to D(=1.33d) in socket. Socket diam. =2D=2.66d; thickness of steel) =0.25D; mid-depth of key, h=1.33D=1.75d. Ends of socket od should extend the total heavy slots (=1.25d, average). y-Wheels, Safe Velocities for. Velocity in ft. per sec. $=\sqrt{s\eta f_t + w}$, where s= factor of safety, $\eta=$ efficiency of joint used. w=

 $\sqrt{s\eta f_t + w}$, where s = factor of safety, $\eta = \text{efficiency of joint used}$, w = f 1 cu. in. of material, and $f_t = \text{tensile stress of material}$.

		Hard Maple.	Cast Iron.	Steel.
w	=	.0283	. 261	.283
f.	=	10,500	10,000 10	60,000 20

wooden rims s=20, but as the segments break joints in assembling rength is reduced one-half, making s really equal to 40. Steel rims are up from segments riveted together, and the usual factor 10 is simi-increased to 20. Using above values and considering wheels as $\eta=1$. For cast-iron rims, $\eta=0.25$ for flange-joints between arms, for pad-joints (each arm having a flat enlarged face on its end to rim-sections are bolted), =0.6 in heavy, thick-rimmed balance-wheels joints reinforced by steel links which are shrunk on. (W. H. Boehm, wrance Engineering) nurance Engineering.)

veted Joints. General Formulas. (W. M. Barnard.)

$$l = \frac{4t}{\pi} \left(\frac{nf_c + mf_c'}{nf_s + 2mf_s'} \right); \quad p'' = \left(\frac{nf_c + mf_c'}{f_t} \right) d + d, \quad = \frac{\pi d^2}{4} \left(\frac{nf_s + 2mf_s'}{tf_t} \right) + d.$$

ciency of joint = $1 \div [1 + f_t \div (nf_c + mf_c')]$. he above n = No, of rivets in single shear in a unit strip equal to the pitch (where rows have different pitches), and m = No. of rivets simiin double shear. f and f' are respectively strengths in single and

ron) varies from 40,000 for single-riveting, punched holes to 50,000 puble-riveting, drilled holes. f_t (steel) = 55,000 (punched holes) to 1 (drilled holes). f_s (iron) = 36,000 to 40,000; f_s (steel) = 45,000 to

ron) = 67,000 (for lap-joint) and 90,000 (for butt-joint); f_c (steel) =) (lap) and 100,000 (butt).

lical Springs of Phosphor-Bronze will withstand the action of ater. For wire up to $\frac{1}{2}$ in. diam. use formulas on pages 23 and 24, $\frac{1}{2}$

Moment of Inertia. The following graphic method is in extended

use among designers of structural steel.

Divide area of section A (Fig. 38) into 10 or more strips parallel to direction of neutral axis desired, and set off lengths representing their respective areas on the polar diagram at the left, as 01, 12, 23, ... mn. These strip areas are to be considered as parallel forces which act at their respective centers of gravity as indicated by the small circles. Set off pole O, making $OB = \frac{1}{2}A$, and draw OO, O1, O2, ... On. Draw K0||OO, O1||O1, 12||O2..., closing diagram with nL||On. At J, the intersection of nL and KO, draw JX, which is the neutral axis of the section. Find the

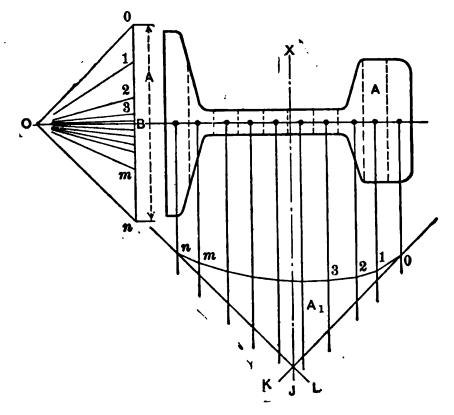


Fig. 38.

area of the equilibrium polygon, A_1 , then, Moment of Inertia of Section = area $A \times \text{area } A_1$. (The greater the number of strips, the more accurate

the results obtained.)

Laminated Springs. For nearly flat springs, Deflection $d = Wl^3 +$ 4,460nbt³ (approx.), but for exact results, as true for buffing as for ordinary springs, Deflection $= 4[1-c(5c-74)+34^2]+3l^2$, where l=length of arc of top plate, c=camber, b and t=width and thickness (all in inches), n=No. of plates, and W=load in tons. (H. E. Wimperis, Engineer, London, 9-15-705.)

Strength of Forged Rings (for hoisting, etc.). Consider the suspended ring to be divided into two equal parts by a vert. plane, $\frac{1}{2}$ of total load W_1 acting on each half. Employ formula for combined tension and bending (page 29): $f_t = W\left(\frac{1}{a} + \frac{r}{cs}\right)$, where $W = \frac{W_1}{2}$, $a = \pi d^2 \div 4$, r = 0.5(D+d), where D = internal diam. of ring and d = diam. of iron used, c = 1.6 for W. I. or steel, $s = \pi d^3 \div 32$. This reduces to: $f_t d^3 - 2.23W_1 d = 1.6W$ D, in which $f_1 = 5,000$ to 6,000 lbs. per sq. in. for safe tensile stress (allowing for suddenly applied load and efficiency of weld). W_1 in lbs., d and D in in., any two of which being assumed, the third may be derived from formula.

A formula discussed in Engineering (London), 5-29 '95, and arrived at through a different method, is: $f_i d^3 - 1.62W_i d = 1.62W_i D$.

Columns. Euler's Formulas. Safe load $W = c\pi^2 EI + sl^2$, where c =0.25 for one fixed and one free end, =1 for both ends free, load guided, =2 for one fixed end and one free end, with load guided, =4 for both ends fixed, load guided: s=safety factor =5 to 6 for W. I. and steel, 8 or more for C. I., and 10 for fir. The above formula should not be used where l (=length in in.) is less than 25d for W. I. and steel, or less than 12d for C. I. and wood, where d=diameter or smaller rectangular dimension of cross-section in in.

For reinforced-concrete columns, c=1, s=10, and $E=(a+b)E_c+(a+1)$, where $E_c =$ modulus for concrete, a =concrete cross-section + steel cross-

section, $b - E_{\text{steel}} + E_c$.

For shorter bars subjected to thrust, the following formula, due to Grashof, should be employed:

$$\mathcal{W} = \max$$
 load in lbs. $= ckaI + \left(\frac{al^2}{C} + cI\right)$,

where a = sectional area of bar in sq. in.; k=12,000 for steel (=10,000 for W. I.); C=5,000 for steel and 5,600 for W. I.; c=1 for bar free at both ends (e.g., connecting-rod), =4 for bar fixed at both ends. For connecting-rods take but 75% of the above values for k.

Collapse of Tubes. (Lap-welded Bessemer steel, 3 to 10 in. in diam.)

Collapsing pressure p, in lbs. per sq. in.=1,000(1- $\sqrt{1-(1,600t^2+d^2)}$, where (t+d)<0.023; p=(86,670t+d)-1,386, where (t+d)>0.023. (Approx., $p=50,210,000(t+d)^3$ when (t+d)<0.023.) These formulas apply when l > 6d. A safety factor of from 3 to 6 should be introduced, its size being according to the risk at stake to life and property. (R. T. Stewart, A. S. M. E., May, '06.)

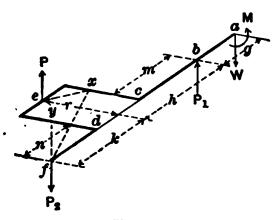


Fig. 39.

Torsion and Bending (see also page 31). According to Bach, Equiv-

alent Bending Moment = $0.35B_m + 0.65\sqrt{B_m^2 + (\alpha T_m)^2}$, where $\alpha = 1.9$ for W. I., 1.15 for soft steel, and 1 for hard steel.

Cranked Shafts. Let abced (Fig. 39) be a horizontal cranked shaft. The turning force P (having a moment M, due to wt. of fly-wheel at a and equal to Pr) acts at center (e) of crank-pin in the direction indicated. Weight of fly-wheel (W) acts vertically downward at a. Neglecting end thrust:

Bearing reaction at center b (upward)
$$=P_1 = \frac{W(g+h+k)}{h+k} - \frac{Pk}{h+k}$$
;

f (downward) =
$$P_2 = \frac{W\eta}{h+k} + \frac{Ph}{h+k}$$
.

Bending and Twisting Moments: at b, $B_m = Wg$, $T_m = Pr$; at c, $B_m = W(m+g) - P_1m$, $T_m = Pr$; at d, $B_m = P_2n$, $T_m = 0$; at e, $B_m = P_2k$, $T_m = P_2r$; at x (any point on throw) the moments P ex and P_2 fx are each to be resolved into moments in and also perpendicular to the cross-section and then combined. The component in the plane of cross-section gives T_m and

the component perp. to cross-section gives B_m . Similarly for any point yP should also be assumed as acting downward and above values worked out for that direction.

Gap Frames for Riveters, Punches, Shears, etc.

The size and character of the work determine the depth of throat l, or distance from point of application of force w to the nearer or tension flange of frame. Assume the main section of frame (lying in a plane ± to direction of force w) to be of an I-, or equivalent box-section, of area a, and

having a uniform tensile stress — (due to w) distributed over it.

mine position of the neutral axis of section and also its moment of inertia, I. The bending moment B_m (due to w) on the section $=wl_1=w(l+x)$, where x = distance from neut. axis to outer fibers of the tension range. Tensile stress due to $B_m = B_m x + I$, and total stress in tension flange = $\frac{B_{m}x}{I} + \frac{w}{u} (1).$

Similarly, stress in compression flange due to $B_m = \frac{B_m y}{I}$, where y = dist.from neut. axis to outer fibers of compression flange.

This stress is opposed by the uniformly distributed tensile stress, $\frac{w}{a}$, and

the net stress in compression flange = $\frac{B_{my}}{I} - \frac{w}{a}$ (2).

If (1) and (2) differ from the safe stresses for the material employed (C. I., or cast steel) the area and proportions of section must be altered until substantial agreement is arrived at. Sections parallel to direction

of force w are calculated for bending only, there being no direct stress (-a)

on them, but the webs must have sufficient surplus section to resist shear. Steel Chimneys (self-supporting). H = height; D and $D_1 = \text{outside}$ and inside diams.; T = thickness $[=0.5 (D-D_1)]$; $D_b = \text{diam.of}$ bell-shaped base (=1.5D to 2D); $H_b = \text{height}$ of base $(=D_b)$. All dimensions in feet. Wind pressure P (los. per sq. ft.) = (velocity in miles per hour)² + 200. P is generally taken at 50 lbs., or 25 lbs. actual pressure per sq. ft. of projected area (HD). To this is added 5 lbs. to allow for compression on one side, making $P_{\text{gross}} = 30$. Bending moment, $B_m = 30HD \times 0.5H = 15DH^2$. side, making $F_{\text{gross}} = 50$. Section modulus, $S = \frac{\pi}{32} \left(\frac{D^4 - D_1^4}{D} \right) = 0.7854D^2T$. $F(\text{per sq. ft.}) = B_m + S = \frac{\pi}{32} \left(\frac{D^4 - D_1^4}{D} \right) = 0.7854D^2T$. For steel plates f = 45,000 to

19.1 H^2+DT , or $f(\text{sq. in.})=0.1326H^2+DT$. For steel plates f=45,000 to 50,000, or taking strength of riveted joint as 36,000 and safety factor of 4, $f_{\text{mate}} \leq 9,000$. To find T at any section, measure H from top of chimney

to section and substitute in formula.

Total wind pressure $P_1 = 25HD$ lbs., or, if H and D are expressed in inches, $P_1 = 0.1736hd$ lbs. Resistance to breaking at foundation = $1.57db^2tf + h$, where db, t, and h are inch equivalents of Db, T, and H. For stability, make Df (of foundation) = $Hf = \frac{H^2D}{6000} + 10$. Moment of wind

pressure $=P_1(0.5H+H_f)$. Let W=total weight of chimney, lining, and foundation, in lbs.; then, x, or the lever-arm of W, $=P_1(0.5H+H_f)+W$. If $x<0.5D_f$, the structure will be stable. $(0.5D_f+x=$ factor of stability, usually about 1.6, but increased to 2.5 and even 3 for loose soil.) t should

usually about 1.6, but increased to 2.5 and even 3 for loose soil.) t should never be taken less than $\frac{1}{2}$ to $\frac{1}{16}$ in., to insure durability, rivet diam., dr. not less than $\frac{1}{2}$ in., spaced about 2.5dr (c. to c), and in any case <16t. (1 cu. ft. of foundation weighs 125 to 150 lbs)

Foundation bolts (usually 6 or 12): Gross overturning moment = $12.5D_bH^2$; moment resisting overturning = $0.5W_1D_b$ (where W_1 =wt. of shell), and net overturning moment $T=0.5D_b(25H^2-W_1)$. If D_c =diam. of bolt circle, then T_c (or overturning moment at D_c)= $0.5D_c \times 9,000$ lbs. \times No. of bolts \times area of 1 bolt in sq. in. ($T_c=D_cT+D_b$).

Lining: Where temperatures are above 600° F., fire-brick linings are used. Linings are generally 9 in. thick for lower 30 ft. of stack, and 4 in. thick above that height. 1 cu. ft. brick (red or fire) weighs about 120 lbs.

thick above that height. 1 cu. ft. brick (red or fire) weighs about 120 lbe

ENERGY AND THE TRANSMISSION OF POWER.

Screws for Power Transmission (Screw-Presses, etc.). Square threads are preferable to V threads, and the moment to raise load W

$$=Wr\Big(\frac{p^{\prime\prime}+2\pi r\mu}{2\pi r-p^{\prime\prime}\mu}\Big)_{\bullet}$$

where r=mean radius of thread, p''=pitch, and μ =coeff. of friction between nut and screw. Let n=No. of threads in nut, the projected area of which=0.7854 $n(d_1^2-d_2^2)$, and $W=0.7854np(d_1^2-d_2^2)$, where d_1 and d_2 are root and outer diams. of thread, and p=allowable pressure in lbs. per sq. in. of projected area, =125,000 ÷ V, where V=rubbing speed in ft. per min. and ≤ 100 . (p=80,000+V when V=400.) These values of p are for W. I.; for steel, multiply same by 1.2. $\mu=0.07$ for heavy machine-oil and graphite in equal vols., =0.11 for lard-oil, =0.14 for heavy machineoil.

Efficiency: Let α =pitch angle at radius r, $(\tan \alpha = p'' + 2\pi r)$, and ϕ = angle of friction, $(\tan \phi = \mu)$. Then, efficiency = $\tan \alpha + \tan(\alpha + \phi)$. For max. eff., make $\alpha = 45^{\circ} - 0.5\phi$. In order that load may not overhaul, α must be less than ϕ , and the efficiency cannot then exceed 50%.

Piston-Rods, Connecting-Rods, Eccentric-Rods.

Euler's formula for compression (both ends free) is: $P = \pi^2 EI + l^2$, where P = total pressure or load in lbs., l = length of rod in in. $(l = \pi d^4 + 64)$ for circular sections; $l = b^3 h + 12$ for rectangular sections).

Substituting in formula, introducing a factor of safety s, and taking E = 29,000,000 for W. I. forgings, P = 29,000,000 $d^4 + 2st^2$ for circular sections, and $P = 23,800,000b^3 h + sl^2$, where d = diam in in., b and h = breadth and height in in.,—d, b, and h being taken at mid-length. For piston-rods, s = 8 to 11 when load fluctuates between P and 0; s = 15 to 22 when load fluctuates between +P and -P. (For very large horizontal engines the deflection of rod due to weight of rod and piston should be considered, and it should not exceed 0.15 in.) For eccentric-rods s = 40, for connecting-rods s = 25 and 15 respectively for circular and rectangular sections. h at mid-length = 1.75b to 2b (heights at crank and cyl. ends = 1.2b and 0.8h, resp.). d tapers to 0.8d at crank end, and to 0.7d to 0.75d at cyl. end). 0.8h, resp.). d tapers to 0.8d at crank end, and to 0.7d to 0.75d at cyl. end). For very low speeds (circ. section) s=33; for sudden changes in direction of P (as in pumps), s=40 to 60. For high speeds, as in locomotives (rect sections), h=2b s=6.6 to 3 3 (See also Columns, Euler's formulas, ante.)

Connecting-Rod Ends (Marine type, rod formed with a T-end, brasses being held to T by bolts and cap). Diam. of each bolt at bottom of thread, $d=0.02\sqrt{P}$, where $P=\frac{1}{2}$ max pressure on piston in lbs. Thickness of cap and T on end of rod, t=1.4d. These values of d and t are for W. I.; for steel take 90% of same.

Piston-Rings. Radial depth, h=0.033d when bored concentrically, =0.04d opposite joint when bored eccentrically (tapering to 0.7h at ends). Width = 2h; overlap of ends = 0.1d, where d = diam. of cyl.

Stuffing-Boxes. Inner diam. of box = depth = $d + (0.8 \text{ to } 1)\sqrt{d}$.

where d = diam, of rod

Pedestals (d=shaft diam., l=length of brass, both in in.). Diam of bolts for base and cap=0.25d+0.125 in.; dist. bet. centers of cap-bolts=3.3d+1.65 in.; do., base-bolts=3.5d+1.75 in.; width of pedestal=0.72l. Thicknesses: cap, 0.375d; base-plate, 0.25d+0.125 in.; metal around cap-bolts and brasses, 1.8d+0.09 in. (If d < 7 in., use 4 bolts each for base and cap.) Brasses: thickness at center = 0.08d+0.125 in.; do., at sides, 0.06d + 0.03 in.

Journal Bearings.

Allowable pressure $(l \times d)$: Bearing. p. 2,100 lbs. Journal. Crucible steel (hardened) Crucible steel 1,250 (hardened) Bronze 4 4 (soft)

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For a 2-point bearing, the coeff. of friction, $\mu = 0.0015$; for 3-point, 0.003 to 0.006; for 4-point, 0.015 to 0.06 (which is no better than a plain The friction loss is constant up to linear speeds of 2,000 ft. per Above 17,000 r.p.m. centrifugal force causes the balls to slide on

the shaft instead of rolling.

Bevel Gearing. θ =angle between shafts= $\alpha+\beta$, where α and β are angles made by the shafts and elements in their respective pitch cones (α for larger gear). Let $\phi = 180^{\circ} - \theta$, and $\gamma = \text{angle}$ to be added to α and β to give face angles of gears. Then, if $\theta < 90^{\circ}$, $\tan \beta = r + [r \cot \theta + (R + \sin \theta)]$; if $\theta = 90^{\circ}$, $\tan \beta = n + N$; if $\theta > 90^{\circ}$, $\tan \beta = r + [(R + \sin \phi) - r \cot \phi]$. $\alpha = \theta - \beta$; $\tan \gamma = \sin \beta + 0.5n$. Face angles $= \alpha + \gamma$ and $\beta + \gamma$ for larger and smaller gears respectively. $D = D_1 + D_2 \cos \alpha$; $d = d_1 + D_2 \cos \beta$. (D, d = outside diams.; D_1 , $d_1 = \text{pitch diams.}$; $D_2 = \text{working depth of tooth}$; R, r = pitch radii ($= 0.5D_1$, $= 0.5a_1$); $= N_1$, $= N_2$, of teeth. Capital letters for larger

The cutter for larger gear should be the proper one to cut N_1 teeth, where $N_1 = N + \cos \alpha$; for smaller gear, the one to cut n_1 teeth, where $n_1 =$

Spiral Gears. Let angle that teeth make with a line parallel to axis of gear = θ . Then, normal pitch $\tau = p'' \cos \theta$ (where p'' = circumferential pitch), and $p'' = \tau + \cos \theta$. Let $P_d = \text{diametral pitch}$, N = No. of teeth in a spur-gear of pitch radius r, and $N_1 = \text{No.}$ of teeth in a spiral gear of pitch radius r. Then, $N = 2rP_d$, and $N_1 = 2rP_d \cos \theta$. Pitch diam. = $N_1 + P_d \cos \theta$; outside diam. = $N_1 + P_d \cos \theta$;

radius r. Then, $N = 2rP_d$, and $N_1 = 2rP_d \cos \theta$. Pitch diam. $= N_1 + P_d \cos \theta$; outside diam. = pitch diam. $+ (2 + P_d)$.

The teeth of spiral gear should be cut with a spur-gear cutter which is correct for N_2 teeth, where $N_2 = (\text{No. of teeth in spiral gear}) + \cos^2 \theta$. γ and γ_1 (page 50) $= (90^{\circ} - \theta)$ and $(90^{\circ} - \theta_1)$ respectively.

Worm-Gears. Involute gears of more than 27 teeth, and having addenda of 0.25p'', yield favorable results for pitches not exceeding 18°. Allowable pressure on teeth, P(in lbs.) = cbp'', where b = width of tooth in in. and p'' = pitch in in. c = 250 to 400 for cast-iron (= 450 to 700 for phosphor-bronze wheel and hardened-steel screw).

hardened-steel screw).

Worms whose threads make an angle > 12.5° with a normal to axis of

worm generally run well and are durable. (Halsey.) Diam of worm wheel at throat $= 0.3183 \times (\text{No. of teeth} + 2) \times \text{pitch of teeth}$

worm in in.

Power Transmitted by Worm-Gearing. $p^4 = (aF^2 + bF + c) + N$, for single thread, where p = pitch of teeth in worm wheel in in., F = H.P. transmitted, and N = r.p.m. For F > 3 H P., a = 4.74, b = 113, c = -105; for F < 3 H P., a = 22, b = 25, c = 2.

For double, treble, and quadruple threads take 2N, 3N, 4N, respectively for denominator of formula.

for denominator of formula. Greatest pitch diam. of worm, d=17.2p+F, for single thread. For double, treble, or quad. threads multiply formula value of d for single thread by 2, 3, or 4. The foregoing is for finished worms and gears; if rough, cast teeth are used, multiply values of p and d obtained from formulas by 1.33 and 0.8, respectively. (Derived from practice of Otto Gruson & Co., as stated by W. H. Raeburn, Am. Mach., 4-19-06)

Flat-Link Driving Chain (Steel). Load in lbs.=P; end diam. of pin, d=(2.4P+6.100)+(P+27.000); diam. of pin bet. links=1.25d for small sizes (ranging to 1.12d for large sizes); width of link=2.5d; length of pin bet. links=1.65d+0.22 in. (for d<1 in.), or 2.62d-0.7 in. (for d>1 in.); length, c. to c. of pins=2.7d+0.16 in.; over-all length of link=4.4d+0.16 in. No. of plates, $i(\frac{1}{2}i)$ on each side): When P= up to 1.000 lbs. 1.000 to 4.500 4.500 to 13.000 larger

larger 8

Thickness of each plate = (3.17P + 3.900) + i(P + 29.000).

(Derived from data on a chain extensively used in Germany.)

Pulleys (C. I). Width of face, $b_1 = (1.1 \times \text{belt width}) + 0.4 \text{ in.}$; thickness of rim at edge = $(0.01 \times \text{radius of pulley}) + 0.12$ in. Crowning: diam. of pulley at center is $0.12 \checkmark b_1$ greater than diam. at edges. No. of arms = For oval arms h (long axis of ellipse) = $\sqrt{1.25btd}$ + No. of arms. h_1 (short axis) = 0.4h. h and h_1 (at hub) taper to 0.8h and 0.8h, at rim (b = belt width, t = belt thickness, d = diam. of pulley,—all in in.). Length of hub= b_1 , when $b_1>1.2$ to $1.5\times$ shaft diam. (for narrow faces); for wide

faces, length may be less than b_1 . For loose pulleys make length of hub= $2 \times \text{shaft diam}$. If $b_1 > 12$ in., use two sets of arms.

Pulley Blocks and Sheaves. Diameters are taken considerably less in hoisting work than for power. The Ing. Taschenbuch gives the following: Diam of sheave and diam. gives the following: Diam. of sheave $= c \times \text{diam}$. of rope, where c = 20 for wire rope and 8 for hemp.

Brakes (Fig. 40). Let W = pressure on brake lever in lbs., P = braking force at rim of wheel in lbs., $\mu = \text{coeff.}$ of friction ≤ 0.5 for wood or leather on iron (dry surfaces) = 0.18 to 0.25 for iron on iron, diminishing with increase in vel. For block brakes (I.) W = PBsign being used for rotation indicated,—plus for opposite.

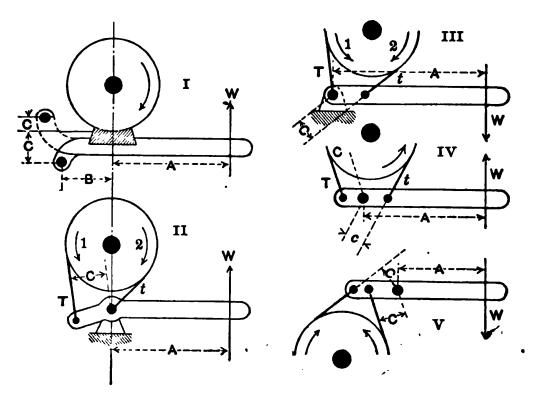


Fig. 40.

W=0, or the brake is self-acting; B+C is therefore made $>\mu$. For dotted position, C is negative and signs in parenthesis should read \mp . For opp.

direction of rotation, B+C should be $<\mu$.

Band Brakes: Let e = base of hyperbolic system of logarithms = 2.71828; α = angle spanned by the arc of contact of band with wheel; t and b = thickness and width of band, and f_t = allowable unit stress in band. Then (in II.) tension $T = P + (e^{\mu\alpha} - 1)$; and $t = Pe^{\mu\alpha} + (e^{\mu\alpha} - 1)$, for direction 1 (for direction 2, interchange values of T and t). Band cross-section = $bt = Pe^{\mu\alpha} + f_t(e^{\mu\alpha} - 1)$, where $f_t = 8,500$ to 11,000 lbs. per sq. in. (t is generally about 0.15 in.,—t not more than 3 in.). If t is taken = 0.18 and t = 0.7 (generally), then t = 0.83t and t = 1.83t, for direction 1.

For $\alpha + 2\pi = 0.1$ $e^{\mu\alpha} = 1.12$ 0.50.3

For $\alpha + 2\pi = 0.1$ 0.3 0.7 0.9 $e^{\mu\alpha} = 1.12$ 1.40 1.76 2.21 2.77 In II, W = TC + A; in III, W = tC + A. W is least when end with lesser tension is attached to lever, as T in II (direction 1) and t in III (dir. 2). Differential Brake (IV): $W = (TC - tc) + A = P(C - ce^{\mu\alpha}) + A(e^{\mu\alpha} - 1)$. If $C = ce^{\mu\alpha}$, W = 0; C is generally taken $> ce^{\mu\alpha}$. (For $\alpha + 2\pi = 0.7$, C = 2.5c to 3c.) For alternating directions of rotation (V), $W = PC(e^{\mu\alpha} + 1) + A(e^{\mu\alpha} - 1)$. A block brake is preferable to this arrangement.

HEAT AND THE STEAM-ENGINE. **Properties of Saturated Steam** (below Atmos Pressure).

p , abs.	t° F.	v.	w.	H.	h.	L.
.089	32.	3,387	.0002952	1091.7	0.	1091.7
.125	40 .	2,717	.0003681	1094.2	8.	1086.2
.25	59.5	1,270	.0007874	1100.	27 .5	1072.5
.50	80.	640.8	.00158	1106.3	47.8	1058.5
.75	92.5	442.5	.00226	1110.	60.5	1049.5
1.	101.99	334.6	.00299	1113.1	70.	1043.1
2.	126.27	173.6	.00576	1120.5	94.4	1026.1
4.	153.09	90.31	.01107	1128.6	121.4	1007.2
6.	170.14	61.67	.01622	1133.8	138.6	995.2
8.	182.92	47.07	.02125	1137.7	151.5	986.2
10.	193.25	38.16	.02621	1140.9	161.9	979.
2.	201.98	32.14	.03111	4143.6	170.7	972.9
[4].	209.57	27.79	.03600	1145.8	178.3	967.5
4.7	212.	26.42	.03794	1146.6	180.9	965.7

Superheated Steam. According to Linde (Z. V. D. I., Oct. 28, '05) the PV law may be expressed as: $144p(v+0.261)=85.86\tau$, where p=1bs. pressure per sq. in., v=cu. ft. in 1 lb. at the pressure p, and $\tau=a$ bsolute temperature in degs. F A formula which expresses the results of his experiments to determine k_p is: $k_p=0.462+p\left(\frac{1}{1-35}-0.00022\right)$, p and τ

as above. Herr Berner (Z. V. D. I., 9-2-'05) states that Linde's values for k_p are confirmed by his own observations, those of Lorenz being from 20 to 25% too high. He further states that the cost of lubrication is slightly higher than when saturated steam is used, that the resistance to flow in a superheater coil=1.2×resistance of smooth pipe, and that the resistance of a valve fully open is equal to the resistance of about 55 ft. of smooth pipe. The velocity of flow in engine passages may be as high as 12,000 ft. per min. (Arndtsen, Z. V. D. I., 11-25-'05.)

Corliss Valves, Dash-Pots. Diam. of valve= $c \times cyl$. diam., where c = 0.25 for valve on high-pressure cyl. (=0.2 for low-pres. cyl.). Dash-pot diameters are about 0.8 of the diams. of their respective valves.

Steam Consumption of Compound Engines, high-grade, at full load.

Steam Consumption of Compound Engines, high-grade, at full load = 15.6 lbs. per kilowatt-hour (=11.5 lbs. per H.P.-hr.) at 170 lbs. gauge pressure, 90° F. superheat, and 26 in. vacuum. (Averages by Stevens & Hobart, Power, Dec. '05.)

Prime Movers for Power Plants. In a high-grade power plant about 10.3% of the heat units in a pound of coal are delivered to the bus-bars in the form of electricity. It is possible to raise this thermal efficiency to about 14.4% (with steam-turbines to 15%) by reducing the losses due to the stack, boiler radiation, and leakage, and by using superheated steam. Where the load-factor exceeds 0.25, economizers should be used. Auxiliaries should be steam-driven, with exhaust into heater. The friction loss of a 7,500 HP engine recently tested was 6.35% of the H.P. generated. Large gas-engines can convert about 24% of the energy of coal into electric energy, the chief objection to their use being with regard to overloads. This objection may be overcome by a suggested combination of gas-engines and steam-turbines (utilizing the waste heat of the gas-engines in the production of steam), which would yield an average thermal efficiency of 24.5%. Comparative cost of maintenance and operation of plants per kw.-hr.: Prime Movers for Power Plants. In a high-grade power plant about

Stean engir	 Gas- engines.	Gas-engines and tur- bines.
Maintenance and Operation 100	51	46.3
Relative Investment 100	100	91

Marine Steam-Engines.

The pitch of a screw is the distance which any The Screw Propeller. point in a blade will advance in the direction of the shaft or axis during one revolution, the point being assumed to move around the axis and without "slip" Propellers are generally provided with four blades (naval vessels and small high-speed boats with three). The blades are generally inclined backward from the vertical from 8° to 20° (according to the r.p.m.)

in order to throw the water to the rear and to increase the efficiency. The indicated thrust of screw, $T = (I.H.P. \times 33,000) + NP$, where N = r.p.m., and P = pitch in feet. The mechanical efficiency of the shaft transmission varies from 0.8 for engines of about 500 H.P. up to 0.95 for large ones. The mechanical efficiency of the screw—Useful work of axial thrust+Shaft performance=0.6 to 0.7 for best conditions. Diam. of Screw in ft., $D = K\sqrt{1.\text{H.P.} + (0.01PN)^3}$; Total area of blades (developed) = $K_1 \sqrt{1.\text{H.P.} + N}$; P varies from 0.9D to 1.5D. Speed V is measured in knots (1 knot=6,080 ft. per hr.).

	$oldsymbol{V}.$	K .	K_1 .
Cargo Boats,	8–13	17–19	19-15.5
Passenger and Mail Boats,	13–17	19.5–21.5	15-12.5
Do., very fine lines,	17-22	21-23	12.5- 9
Naval Vessels,	1622	21-23.5	11.5- 7
Torpedo Boats,	20–26	25	7- 6

The Apparent Slip (in per cent) S = (C - V) + 100C, where $C = P \times 60N + 6,080$. S = -2 to +8 for slow freighters, =8 to 15 for passenger and mail steamers, =13 to 20 for naval vessels, =20 to 27 for small, fine-lined

Strength of Blades:—The indicated thrust T (divided by the number of blades Z) acts at a distance 0.35D from the center of shaft and causes a bending moment B_m . $B_m = \frac{T}{Z}(0.35D - \text{distance from c. of shaft to root of } D$

blade). For a parabolic segmental cross-section (length l, thickness h) oblique to axis, the Moment of Resistance = $0.076lh^2$, and consequently $f = B_m + 0.076lh^2$ f (safe) in lbs. per sq. in. = 7,800 for cast steel, = 5,700 for bronze, = 2,800 for C. I.

Thickness of blades at tips = 0.25 to 0.8 in. for bronze, and 0.6 to 1.2 in.

for C. I., according to size of the screw.

Indicated Horse-Power of Engines. I.H $P = p_m La(2N) + 33,000$, where a = area of low pressure cyl. in sq. in. p_m , the mean effective pressure, depends on the absolute boiler pressure p, and also on the number of expansions:

$$p_m = kpc\left(1 + \log_e \frac{1}{c}\right)$$
, where $c = \frac{\text{vol. of steam admitted into h. p. cyl.}}{\text{l. p. cyl. vol} + \text{h. p. cyl. vol.}}$.

k has the following values at ordinary speeds:

0.65 to 0.7 (at higher speeds, 0.6 to 0.65). 0.55 '' 0.6 ('' '' 0.52 '' 0.58). 0.52 '' 0.54 Compound-Engines. Triple-Expansion, Quadruple-Expansion,

Total Number of Expansions (=1+c): Compound, small boats, 5 to 6; do., freighters, 7 to 8. Triple-Expansion, torpedo boats, 5 to 7; do, naval vessels, 6.5 to 8; do, express and freight steamers, 8 to 10. Quadruple-Expansion, express steamers, 10; do., freight steamers, 11 to 13. Cut-off in high-press. cyl is at about 0.7 stroke (0.6 stroke for slow boats).

Piston Speed and Revs. per Min.

	Speed, ft. per min.	$\mathbf{R}.\mathbf{P}.\mathbf{M}.$
Torpedo Boats,	1,000-1,200	300-400
Armored Vessels,	800-1,000	100-150
Express Steamers,	800- 950	75 – 95
Large Passenger Steamers,	700- 900	70- 90
"Freight"	700- 800	70- 85
Small " "	600- 750	95-130
' passenger '	400- 600	150-200

Steam Velocities (ft. per min.). Main steam-pipes, 6,000-8,000; steam passages: h. p. cyl., 5,000-6,000; intermediate cyl., 6,000-7,000; l. p. cyl., 7,200-8,500. For exhaust take 80% of above values. For small engines these velocities may be increased 20%.

Cylinders. Thickness of walls (cast iron) $t = \frac{dp}{120+10} + 0.4$ in,

where p-gauge pressure in lbs. per sq. in at h. p. cyl., and d-diam. of h. p. cyl. in in. (This value of t is for h. p. cyl. with or without jacket and also for intermediate and l. p. cyl. linings. Cylinders without linings should be 0.2 in. thicker to allow for reboring.)

Thickness of cylinder head t_1 =t (for cast iron, head ribbed)=0.6t to 0.65t for cast steel. Diam. of cyl.-head studs=t; pitch of studs=t, 5.5t and 6.5t for high, intermediate and low-pressure cylinders, respectively. Thickness of cyl.-head flange=1.2t, width=2.6t to 3.3t. Relief valves (for both heads) should have a diam.=t1, t2, t3, t4, t5.5t6 diam. of (high, intermediate, low-pressure cyl.). Valves should open at about 8 lbs. above t5.

8 lbs. above p.

Pistons. (Cast steel, coned, concave toward crank). Thickness near

center, $t=0.0043d\sqrt{p}+c$; thickness near rim = 0.5t to 0.7t. c=0.24 in., 0.36 in., 0.48 in., respectively, for h., i. and l. pres. cyls. p=boiler pressure in lbs per sq. in. for h. p. cyl., = 0.45 \times boiler pressure for intermediate cyl., = 0.2 \times boiler pressure for l. p. cyl. For forged steel

take \overline{t} of above formula value for t.

Piston-Rods. (Medium hard steel, end tapered and fastened to head by nut.) Area at root of thread in sq. in. $\geq (p \times \text{area of h. p. cyl. in sq. in.})$ +7,000. (For naval vessels and torpedo boats substitute 10,500 and 12,500 respectively for 7,000). Full section of rod beyond taper $=2\times$ area at root of thread.

Connecting-Rods. Length = $(2 \text{ to } 2.25) \times \text{stroke}$. Diam. at piston end = diam. of piston-rod, approx.; diam. at crank-end = $(1.1 \text{ to } 1.4) \times$

diam. of piston-rod, according to length.

Bearings. The crank bearing is lined with white metal of a thickness = $(0.025 \times \text{diam.})$ of bearing) + 0.2 in. Thickness of cast-steel bearing cap at the middle = $(0.17 \text{ to } 0.24) \times \text{diam.}$ of bearing. Shaft bearing: thickness (cast iron) = 0.12d + 0.2 in.; for bronze, thickness = 0.09d + 0.12 in.

Thickness of white-metal lining = $\left(0.2 + \frac{1}{35}\right)$ in. d = shaft diam. in in.

Crank-Shafts (forged steel): $d^3 = \frac{16}{\pi} \cdot \frac{T_m}{f} \cdot \frac{1}{\left(1 - \frac{\overline{d_1}^4}{d^4}\right)}$, where d = outer

diam, of shaft in in. $(d_1 = \text{inner diam. in case of a hollow shaft})$, $T_m = \text{turning moment in inch-lbs.} = 63,025 \times \text{I.H.P.} + N$.

 f_{safe} (average) in lbs. per sq. in.=6,600 for torpedo boats,=5,700 for naval vessels, -4,500 for mail steamers, =4,000 for freighters (max. and min. values are equal to average values $\pm 10\%$).

Crank-Throws. Outlier described in part by circles (of diam.=2d)

from centers of shaft and crank-pin, connected with filleting curves of radii = d. (d=diam, of shaft). Thickness of throws=0.6d to 0.7d. The shaft is enlarged $\frac{1}{40}$ of its diam, in the throw. Thickness of flanges on shaft=0.25d to 0.28d. Length of bearing+diam, of shaft=1.4 to 1.6 for torpedo boats, =1.1 to 1.4 for naval vessels, =0.9 to 1.2 for other

Surface Condensers. Cooling surface in sq. ft. required per I.H.P.: Compound, 5 to 6; triple-expansion, 3.5 to 5; quadruple-expansion, 3.5 to 4.6; torpedo boats, 26 to 32. (The lower values given are for naval vessels.) Condenser tubes are of brass, tinned inside and out, ‡ to ‡ in. outside diam, and about 0.04 in, thick,

Air-Pumps for Surface Condensers (Single-acting). Volume = $c \times$ vol. of l. p. cyl. $c = \frac{1}{14}$ to $\frac{1}{18}$ for compound; $= \frac{1}{26}$ to $\frac{1}{24}$ for triple-expansion; $= \frac{1}{24}$ to $\frac{1}{24}$ for quadruple-expansion. For injector condensers, Vol. =

 $(\frac{1}{6} \text{ to } \frac{1}{6}) \times \text{vol. of l. p. cyl.}$

Surface Condensers of High Efficiency. By passing the condensing water several times through the tubes (arranged in groups), and by providing for the thorough drainage of the water of condensation so that the tubes are not continually subjected to showers of water particles which

impair the surface contact, Prof. R. L. Weighton has designed condensers impair the surface contact, Prof. R. L. Weighton has designed condensers to be used in connection with dry air-pumps which condense 20 lbs. of steam per hour per sq. ft. of surface, condensing water required being 24 times the amount of feed-water used. He has effected a higher surface efficiency—36 lbs. per hour per sq. ft.,—but the condensing water required in this case is equal to 28 times the feed-water. Vacuum in both cases is 28.5 in. of mercury, feed-water temp. at inlet = 50° F. For a system with tight piping, capacity of air-pump = 0.7 cu. ft. per lb. of steam condensed per hour. The condenser tubes are provided with triangular wooden cores in order that the water may meet the tube surface in thin streams. Temp. of hot-well may be 3° to 5° higher than that corresponding to vacuum (up to 29 in.).

Circulating Pumps (Double-acting). Vol. = 0.025 × vol. of l. p. cyl. (approx.).

(approx.).

Boiler Accessory Apparatus.

Feed-Water Heaters. Let t and T = initial and final temperatures of water in degs. F. [average temp. $-(t+T) \div 2$]. B.T.U. transmitted per sq. ft. of surface per hour, per degree difference of temp. -c = 180 for water-tubes, 200 for coils, and 114.5 for steam-tubes (usually 2 in. diam.). Let T_s temp. of exhaust (-212° F. generally); then, B.T.U. per hour per sq. ft. $-(T_s - 0.5(t+T)]$; lbs. steam condensed per sq. ft. per hour $-(T_s - 0.5(t+T)) \div 966$. Velocity of water in tubes in ft. per min.: single-flow, 8.33; double-flow, 12.5; coils, 140. Sectional area within shell $-c \times total$ cross-section of tubes, where c = 6.3 to 9 for water-tubes, -7.5 to 10 for steam-tubes —the higher values for variable loads. For coil heaters 10 for steam-tubes,—the higher values for variable loads. For coil heaters, sectional area within shell= $(11 \text{ to } 8) \times \text{cross-section}$ of exhaust pipe, inversely according to the capacity of heater. Open heaters with trays or pans: Volume of shell in cu. ft.=Capacity in H.P.÷c, where c=2.2, 6, and 8 for very muddy, slightly muddy, and clear water respectively. Tray surface in sq. ft.=lbs. water heated per hr.÷c, where c=118, 166, and 500 for very muddy, slightly muddy, and clear water respectively. These values for tray surface are for vertical heaters: for horizontal These values for tray surface are for vertical heaters; for horizontal type of heater the values of c are about 8% lower.

Siphon or Barometric Condensers operating on the principle of injectors: Diam. of exhaust pipe in in., $d = \nabla c \times lbs$. steam to be condensed per min., where c=0.81 when wt. of steam is less than 20,000 lbs. per hour (=0.63)if greater than 20,000 lbs. per hr.). Diam. at throat in in. = $\sqrt{Ww+17,210}$; width of annular opening through which water is admitted = Ww+39,550d(W = lbs. steam to be condensed per hr., w = lbs. water required to con-

dense 1 lb. of steam).

Air-Pumps for Stationary Engines. Single-acting: vol. in cu. ft. = 0.032S + N; double-acting: vol. in cu. ft. = 0.016S + N. S = lbs. of steam condensed per hour, and N = r.p.m. (Ing. Taschenbuch.)

Locomotives.

Elevation of Outer Rail on Curves. E (in ft.) = $0.06688GV^2 + R$, where G = gauge of track in ft., V = velocity of fastest train in miles per hr., and R = radius of curve in ft. (R. R. Gazette, 3–16–'06.)

Combustion.

Natural-Gas Fuel for Steam-Boilers. The same economy is exhibited with a blue flame as with a white or straw-colored flame, but the latter affords greater capacity. One boiler H.P. may be expected from 43 to 45 cu. ft. of gas (at 60° F. under a pressure of 4 oz. above 29.92 in. of Fuel costs are the same with natural gas at 10 cents per 1,000 cu. ft. and semi-bituminous coal at \$2.87 per ton of 2,240 lbs. Whitham, A. S. M. E., Dec. '05.)

Efficiency of Combustion. The higher the percentage of CO₂ in the gases escaping into the chimney, the higher will be the efficiency of the furnace, and the production of CO₂ may be forced until the presence of CO indicates incomplete combustion. In good furnaces 10 to 15% of CO₂

may be realized. The approximate fuel loss (in per cent) due to incomplete combustion $=0.4(t_2-t_1)+$ (per cent by volume of CO_2), where $t_2=$ temp. of chimney gases and $t_1=$ temp. of air entering the furnace (both in degs. F.). An instrument called a CO_2 recorder indicates and records continuously the percentage of that gas present

Mechanical stokers do not accomplish any marked saving of fuel over careful hand firing in plants where less than 200 tons of coal are used per month, but they yield much better results than average hand firing, are easily forced, maintain a uniform steam pressure, and assist greatly in the smokeless combustion of soft coals. They are adaptable to all kinds of solid fuels, and in this respect promote economy, for it often happens solid fuels, and in this respect promote economy, for it often happens that a cheap, low-grade fuel may be employed, whereas with hand-firing a more expensive quality would have to be used.

Incrustation and Corrosion.

Boiler Purges. Caustic soda and lime-water combine with the carbonic acid contained in water (in combination as bicarbonates) and precipitate calcium and magnesium carbonates. Soda ash acts on the bicarbonates of lime and magnesia, forming bicarbonate of soda, which is decomposed by heat into CO₂ and sodium carbonate, the latter being precipitated.

Sodium aluminate and sodium fluoride are also used in waters contain-

ing bicarbonate of lime.

Trisodium phosphate is used where water contains sulphate of lime. precipitating sodium sulphate and calcium phosphate.

Internal-Combustion Engines.

Gas Producers are closed furnaces in which the fuel is burnt with a limited supply of air and steam, resulting in the production of gas. The air and steam are either forced (pressure producer) or drawn (suction producer) through a bed of incandescent coal or coke. The O of the air first combines with the C of coal to form CO₂. This passes up through the incandescent coal and changes to CO. When steam is mixed with the air and meets the burning fuel, H is liberated and the O of steam combines to form more CO. These, with the N of air and the volatile part of the fuel (CH₄) make up the resulting fuel-gas. Theoretically the best temperature is about 1,900° F. 1 lb. of coal with upwards of 0.7 lb. steam will yield from 65 to 75 cu. ft. of gas (135 to 140 B.T.U. per cu. ft.). Pressure producers are used for engines or over 200 H.P. In these the air and steam are furnished under a pressure of from 2 to 8 in. of water. The hot limited supply of air and steam, resulting in the production of gas. gas passes through an economizer where it preheats the air used and also gives up heat for the generation of the steam required. It then passes gives up heat for the generation of the steam required. It then passes through the scrubber (vessel provided with trays of coke upon which water streams from above) and thence to the purifier (another vessel provided with trays of sawdust, and also with oxidized iron-filings when sulphur is to be removed from the gas). The best results are obtained from anthracite (pea size or larger) having less than 10 to 15% of ash and but little moisture. If the fuel contains more than 5 to 8% of volatile matter, it will cohere and prevent proper working of producer. cessive amount of ash tends to choke up the air-passages. Coal with an ex-

Grate surface per H. P. = 6 to 8 sq. in. (the latter for producers of less than 25 H.P. capacity). The volume of producer per H.P. = 0.11 cu. ft., approx. (firing intervals of 3 to 4 hours), for anthracite, and 0.18 cu. ft. for coke. Vol. of scrubber = 0.9 to 1.1 cu. ft. per H.P. Vol. of her there = 0.36 cu. ft. per HP. In ordinary generators about 85% of the heat of the fuel leaves the producer, a loss of 15 to 20% being due to heating.

radiation, and unburnt residue. Efficiency, 65 to 75%.

Suction-Producer Tests of a number of plants in London using Scotch anthracite (pea) showed a consumption of 0.85 to 1.1 lbs. per B.H.P. hr. for full load, and 0.9 to 1.25 lbs. at half load (larger values for 8 H.P., smaller for 20 H.P.). Volume of producers in cu. ft. per H.P. = 0.23 (for 20 H P.) and 0.26 (8 H P). R.P.M., 200; mechanical efficiency, 81 to 84% at full load (69 to 71% at half load). M.e.p. about 79 lbs.

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will vaporize this amount of water and also 0.162 lb. of alcohol, consequently the smaller amount of alcohol actually used will be superheated.

Under these conditions (total heat of vaporization at 77° F. being 458 B.T.U. per lb.) the heat required for vaporizing is about 6% of the heating value of the alcohol and may be obtained from the exhaust, or by preheating the air used to about 270° F.

The best results are obtained by compressing the mixture to 180–200 lbs. per sq. in., the corresponding max explosion pressure being about

450 lbs. per sq. in.

90% (vol.) alcohol costs about 15 cents per gal. (2.21 cents per lb.) when made from good corn at 42.4 cents per bushel. To compete with gasoline at 15 cents per gal. its cost must be reduced to 12 cents per gal., which is possible through the use of low-grade grain, cheap vegetable matter, and refuse containing sugar or starch.

	Gasoline.	Kerosene.	Alcohol (90% vol.).
B.T.U. per lb	.19.000	18,500	10,100
Cost per gal. in cents.	.15	13	15
'' 'Ib. '' '	. 2.57	1.88	2.21
Specific gravity * Lbs. per B.H.P. hour	. 0.710	0.8	0.815
* Lbs. per B.H.P. hour	. 0.58	0.725	0.803
* Thermal brake efficiency in pecent	r		
cent	.23.	18.	3 1.7
B.T.U. per B.H.P. hour	.11,000	14,140	8,030
Fuel cost per B.H.P. hour (cents)	1.485	1. 44 6	1.758

Gas-Engine Design.

Pistons. Max. pressure on piston, $P=0.7854pd^2$. Permissible surface pressure, k=18 to 22 lbs. per sq. in. (frequently as low as 8 lbs. where length of piston is unimportant). Length of piston $l \ge 0.11P + dk$. Generally, l = 2.25d to 2.5d for small engines (=1.25d to 1.5d for large engines). Wrist-pin diam. $d_1 = \sqrt[6]{p}d^2l_1 + 5{,}680$, where $l_1 = \text{total}$ length of pin = 0.75d; bearing length of pin is about 0.5d. Thickness of piston wall = 0.02d + depth of packing-ring groove + 0.2 in. To provide for expansion the piston is tapered from d at the crank-end to from 0.995d to 0.998d at head end. Pistons over 8 in. in diam. have from 4 to 6 radial stiffening ribs.

Piston-Rings. Radial depth, s=0.022d; width, b=0.028d to 0.044d. of rings = d + 5b. Space between grooves = b; depth of groove =

s+(0.02 to 0.08 in.).Cylinders. Thickness of walls for strength, t=[0.42pd+(f-p)], where f for C.I. may be as high as 3,500 lbs. per sq. in. If d>24 in., the wall to the strength of the str may be gradually tapered from t at compression end to 0.5t. To allow for reboring, etc., 0.16 in. to 0.4 in. should be added to t throughout the length. Jacket: where axial forces do not enter into consideration, t_1 of If the jacket is cast in one piece with the cylinder, t_1 = jacket > 0.4 in.0.022(d+2t) for a test pressure of 420 lbs. per sq. in. (corresponding to

f=8,500 lbs. per sq. in. in a cold test). Valves. $h_1=$ lift in in.; $d_1=$ diam. in in.; $a_1=\pi d_1h_1=$ area of valve opening in sq. in.; a= piston area in sq. in.; S= stroke of piston in ft.; c= mean velocity of piston in ft. per sec.; v= mean velocity of gas through valve in ft. per sec.; d= diam. of cyl. in in. Then, $a_1=ac+v$, and, if $h_1 \le 0.25d_1$, $\pi d_1 h_1 = \pi d^2 N S$, or $d_1 h_1 = d^2 N S + 1,200$. v (mean) = 82 ft. per sec.If l of connecting-rod = 2.5S, v(max.) = 1.6v = 131 ft. per sec. In order not to exceed this velocity each position of the piston requires a corresponding lift of the valve, $h_1 \ge d^2NS\psi + 9.840d_1$, where $\psi = \sin \alpha (1 \pm \lambda \cos \alpha)$, a being the angle made by the crank and the direction of center-line of piston-rod.

^{*} Best results obtained.

If $\lambda = 0.5S + l = 0.2$.

% stroke, outward, return,	2	5	10	20	30	40	45	50
	98	95	90	80	70	60	55	50
$\psi =$.304	. 472	. 648	.853	. 962	1.011	1.018	1.014
$\%$ stroke, outward, return, $\phi =$	55	60	70	80	90	95	98	100
	45	40	30	20	10	5	2	0
	1 00	.976	.892	.759	.554	.394	.251	.0

Thickness of valve in in. = $\sqrt{pd^2 + 25,600}$, where d = outside diam of valve. Diam. of valve-seat = 0.98d - 0.32 in. Diam. of valve-stem = 0.125d+ (0.2 in. to 0.32 in.). Spring tension on valves: for throttling regulation, not less than 7 lbs. per sq. in. of cone surface; for automatic valves, from 0.7 to 1.00 lb. per sq. in. of cone surface, according to speed.

Fly-Wheels. Weight of rim in lbs. = $2,165,320kK(0.75+\rho)$ ·I.H.P.+ v^2N , where $\rho=\text{m.e.p.}$ on compression stroke+m.e.p. on power stroke = 0.3 usually; k has the values given on page 74; v=mean vel. of rim in ft. per sec., N=r.p.m. and K has the following values:

	4-cycle.	2-cycle,
One cylinder, single-acting,	1.000	0.400
' double-acting,	.615	.110
Two cylinders, twin, single-acting,	. 400	.400
single-acting, cranks 180°	apart, .645 or 4	. 085
twin opposing cyls.,	. 085	

Total weight of wheel is about 1.4 times wt. of rim. (The foregoing matter has been derived chiefly from Güldner's "Verbrennungsmotoren.")

Proportion of Parts. It is now customary to assume an explosion pressure of 450 lbs. per sq. in. (m.e.p. = 70 lbs.) and a mean piston speed of 800-850 ft. per min. For this pressure the values given on pages 99 and 100 should be altered to the following:

t of cyl. wall = 0.092d + 0.25 in; outside diam of cyl-head studs = $0.29d\sqrt{1 + \text{No. of studs}}$; l of piston = 2.25d; t of rear piston wall = 0.12d; wrist-pin: length = 0.47d; diam. = 0.27d; connecting-rod diam. at midlength = 0.29d; crank-pin: diam. = 0.47d, length = 0.52d; crank-throws: thickness = 0.3d, width = 0.63d; crank-shaft (at main bearings): diam. = 0.43d, length = 1.12d.

Expansion must be allowed for between the jacket and cylinder walls. (For 144° F. increase in temp., a cyl. 60 in. long will expand 0.053 in. in

length.)

Large Gas-Engines (over 200 to 300 H.P.) should be double-acting. tandem, in order to obtain maximum power with minimum weight. (Junge.

Power, Dec. '05.)

Marine Gas-Engine (Otto-Deutz). 4-cyl. horizontal (20-25 H.P per cyl.); 275-325 r.p.m.; cylinder: diam. = 10.8 in., length = 33.72 in.; stroke=15.6 in.; crank-pin: length=diam.=5.4 in.; length of connecting-rod=2.25×stroke; crank-throws: 6 in. wide×3.7 in. thick; diam. of

wrist-pin = 2.8 in.

The best results are obtained with high compression. Gas Turbines. rapid introduction of heat (around 900 B.T.U. per lb.), and by an exhaust temp. of about 1,300° F. absolute. The charge should be compressed to about 570 lbs., maintained at about 140 lbs. in combustion-chamber, and exhausted at or below atmospheric pressure. Velocity at nozzle varies from 1,600 to 2,600 ft. per sec. according as the temp. of combustion ranges from 1,800° to 4,500° F., absolute. For a temp. of 3,600° F. abs. (compression 350 lbs.), the sectional area of combustion-chamber = 100×sectional area of posses and vol = sectional area × 5 to 10 times the diam tional area of nozzle, and vol. = sectional area × 5 to 10 times the diam Nozzles to resist heat are made of corundum, metal-tipped. Peripheral speed of wheels should not exceed 650 ft. per sec. Wheels and vanes should be made of nickel steel, which is not weakened or unduly oxidized by the temperatures employed. (L. Sekutowicz, Mem. Soc. des Ingenieurs Civils, France.)

Compressed Air.

Blowers and Compressors.

		Pressures employed	Capacities
		lbs. per sq. in. (gauge).	(cu. ft. per min.).
For	blast-furnaces,	4 to 10 lbs.	Up to 65,000
• •	Bessemer converters,	15 '' 45 ''	1, 1, 30,000
4.6	compressed-air transmission,	70 '' 115 ''	" " 10,000
4 4	'' reservoir storag	ge 1,000 and upwards	10,000
4 6	44	2,000 (for torpedo b	oats)

For pressures above 75 lbs., two- or three-stage compression should be employed, the air passing from compression cylinders into intercoolers, where it is split up into thin streams and flows over the surfaces of tubes chilled by water circulating through them. For two-stage compression. pressure in intercooler = $\sqrt{\text{final pressure to be obtained.}}$ For three-stage compression (high pressures, 1,000 lbs. and over), pressure in first intercooler = ♥ final pres.; pressure in second intercooler = ♥ square of final pres.

cooler = V final pres.; pressure in second intercooler = V square of final pres.

The mean piston velocities employed range from 400 to 600 ft. per min.

Blowers for blast-furnaces have strokes of from 3 to 6 ft., and r.p.m. up to 50. Air and steam cylinders are generally of equal dimensions and have the same length of stroke. $p_m(\text{air}) = \eta p_m(\text{steam})$. For large, horizontal blast-furnace blowers $\eta = 0.85$, for blowers for converters and compressors $\eta = 0.75$ to 0.85 ($\eta = \text{mechanical efficiency}$).

The volumetric efficiency ranges from 90 to 95%. It may be determined from the low-pressure cyl. diagram: Volumetric efficiency = length of card on atmospheric line ÷ total length between the extreme end ordinates of card. Velocity of flow through valves = 3,000 to 5,000 ft. per min. (suction), = 5,000 to 7,000 ft per min. (compression).

I.H.P.=144cxQ(p-14.7) ÷ (0.9 × 33,000), where c=1.3 to 1.4 for blast-furnace blowers, =1.35 to 1.5 for compressors and blowers for converters; Q=cu. ft. of air per min.; p=absolute pressure of air in lbs. per sq. in.; 0.9 = specific weight of air at 29.52 in. of mercury and at 77° F. compared with air at 29.92 in. of mercury and at 32° F.

Values of x:

For $p =$	25	50	75	100	125
x (poor cooling) =	.81	.61	. 50	.44	.40
x (efficient cooling, compression	ac-				
cording to pv^{1} 25) =	.77	.57	. 46	.40	. 35

Ft.-lbs. of work theoretically required to compress 1 cu. ft. of free air from p to $p_1 = (3.44 \times 144p) \left[\left(\frac{p_1}{p} \right)^{\frac{1}{20}} - 1 \right]$ (see page 102).

Rotary Blowers consist of two impeller wheels revolving in a close-fitting casing with equal velocities and in opposite directions, the air being drawn in at right angles to the axes of impellers and delivered compressed at the opposite opening. The profiles of the impellers are developed in

the same manner as are the teeth of gear-wheels. Capacity in cu. ft. per sec., $q = \lambda N\pi B(D^2 - A) \div (4\times 30)$, where N = r.p.m.; B = axial length, and D = diam. of impellers, both in feet; A = area of cross-section of impeller in sq. ft.; $\lambda = \text{volumetric}$ efficiency = 0.6 to 0.95. Mechanical efficiency ranges from 0.45 to 0.85. Pressures from 12 to 80 in. of water (0.43 to 2.9 lbs. per sq. in.).

Mechanical Refrigeration.

Plate Ice vs. Can Ice. Plate ice does not require the use of distilled water in its production. 1 lb of coal will make about 10 lbs. of plate ice, some 275 sq. ft. of freezing surface being required per ton capacity. In the manufacture of can ice filtered or distilled water must be used,

otherwise the impurities contained in ordinary water will be retained in the core of the block. Can ice does not keep well when stored. 1 lb. coal will make from 6 to 7½ lbs. of can ice. Plate systems cost from 40 to

75% more than can systems. (For 50-ton plant, a can system costs about \$550 per ton capacity).

Heating and Ventilation.

Heat Losses due to conduction and radiation, H (in B.T.U.) = Equivalent glass surface, $E \times (t+15^{\circ})$, where t = difference between temp. of room and outside temp. = 70° F., generally.

 $E = \frac{\text{Exposed wall surface}}{\text{Add surface}} + \text{Glass surface} + \frac{\text{Exposed ceiling or floor surface}}{\text{20}}$

(Surfaces in sq. ft.) Exposed surfaces are those one side of which is subjected to temp. of outside air.

To H must be added, $V = \frac{1}{25}$ to provide for ventilation losses, where

n=No. of changes of air per hour, c= contents of room in cubic ft. The total loss (H+V) must be increased 15% for E. exposures and 25% for N. and W. exposures.

Hot-Air Heating. Air should be heated to about 140° F. No. of cu. ft. of air heated from 0° to $140^{\circ} = Q = \text{total heat loss in B.T.U.} \div 2.87$. Assuming that 5 lbs. of coal are burnt per sq. ft. of grate-area per hr., and that each lb. supplies 8,000 B.T.U., area of grate in sq. ft. =Q+14,000. The heating surface of furnace should be from 12 to 20 times the grate area, 1 sq. ft. of heating surface giving off about 2,500 B.T.U. per hr. The fire-pot should not be less than 12 in. deep, and the cold-air box should have an area of about 75% of the combined cross-section of all the pipes. For an average outside temp. of 25° F., from 1.75 to 2 lbs. of coal are burnt per hr. per sq. ft. of grate area. For temp. of -5° F., from 4 to 4.5 lbs.

Area of Pipes for Hot-Air Heating. Volume of air in cu. ft per min. $V = E(t+15) \div (60 \times 1.1)$. Velocities of air, v = 280, 400, and 500 ft. per min. for 1st, 2d, and 3a floors respectively. Area of pipes in sq. ft. = V + v. or, diam, of pipe in in. $= \sqrt{184V + v}$. Area of air outlets should exceed $1.1 \times \text{grate}$ area. Area of registers $= 1.25 \times \text{area}$ of pipe supplying same. (Condensed from Proceedings Am. Soc. Htg. and Vent. Engrs., W. G. Snow

and I. P. Bird.)

Blower System of Heating and Ventilating. In this system the air is blown by means of a fan over coils of pipe through which steam circulates. Cu. ft. of air required = Total B.T.U. required ÷55(140-70), where 140 = degs. F. air is to be heated, and 70 = degs. F temp to which rooms are to be heated. The coils are generally of 1-in. pipe, from 200 to 250 linear ft. of pipe being used per 1,000 cu. ft. of air to be heated per min. Air velocities (ft. per min.): Mains, 1,500-2,000; branches to register flues, 1,000-1,200; flues to registers, 500-700; from registers, 200-500

Steam Heating, Sizes of Mains for. (Indirect Radiation.) Sq. ft. of radiating surface supplied by pipe 100 ft. long = A.

where p < 16 lbs. († lb. allowed for drop). p > 16 ' († '' $A = (82+2.3 \ p)d^{2\cdot61},$ $A = (138+2.15p)d^{2\cdot61},$

For other lengths, multiply by factor c:

400 600 800 1,000 L in ft. **50** .31

(p=abs. pressure in lbs. per sq. in.; d=diam. of pipe in in.) Diam. of returns, $d_1=0.5d$ when d>7 in. If d<4 in., d_1 is one size smaller; if d=4 to 7 in., $d_1=3\frac{1}{2}$ in. Direct Radiation: For W.I.-pipe radiators, A will be 20% greater than

above for a given diam. d, and for C.I. radiators 30% greater

[The foregoing has been digested from matter contained in The En-

gineer (Chicago) for Jan. '06.] Compare with: Square feet of radiating surface = lbs. steam per min. ×145 (=lbs. steam per min. ×60 min. ×966 B.T.U. per lb. +400 B.T.U. radiated per sq. ft. per hour). See also formulas on page 70 for Flow of Steam in Pipes.

Cooling of Hot-Water Pipes. Ordinary 2-in. pipes (0.154 in. thick) with water at 140° F. cooling to 32° F. (air about 7° F.) lose approximately as follows:

0.55 B.T.U. per sq. ft per hr. per degree drop in temp (still air). 1.05 B.T.U. per sq. ft per hr. per degree drop in temp. (air moving 1 ft. pe). 1.5 B.T.U. per sq. ft. per hr per degree drop in temp. (in still water at 32° F.). 4.5 B.T.U. per sq. ft. per hr. per degree drop in temp (in water moving 1½ in. per sec.). (*Power*, Feb. '06.)

HYDRAULICS AND HYDRAULIC MACHINERY.

Plunger-Pumps. Strainer area = $(2 \text{ to } 3) \times \text{cross-section of suction-}$ tube. Area of valve-passages = $(1 5 \text{ to } 2) \times \text{cross-section}$ of suction-tube. Valves should be of pure rubber.

Suction air-chamber vol. = $(5 \text{ to } 10) \times \text{vol.}$ of pump cyl. Suction velocity=150 to 200 ft. per min. Vol of pressure air-chamber = $(6 \text{ to } 8) \times \text{vol.}$

of pump cyl.

Pressure velocity = 200 ft. per min. for large pumps and long pipes, =

300 to 400 ft. per min. for small pumps and short pipes. Thickness of cyl. wall = 0.02d + 0.4 in. for vertical pumps (for horizontal

pumps make thickness 25% greater).

Thickness of air-chamber walls, $t=0.42pd \div (f_t-p)$, where p=1bs. per sq in., gauge, f_t (safe) = 2,100 for C. I. = 8,500 to 10,000 for W. I.

Efficiencies up to 93%, usually 80 to 85%. Centrifugal Pumps. Outer rim velocity in ft. per sec., $v_1 = 2\pi r_1 N + 60$;

relative discharge velocity, do., $=vd=\phi v_3$ ($v_3=$ entering velocity of water). $\phi=r_2b_2+r_1b_1$ sin α . (r_1 , b_1 , and r_2 , $b_2=$ outer and inner radii of wheels and vane widths, respectively; $\alpha=$ angle included between tangent to wheel (in direction of motion) and direction of end element of a vane, produced). Theoretical pressure height, $H_1=(v_1^2+v_dv_1\cos\alpha)+g(=1.3H$ for short conductors and 1.5H for average lengths). H=total height of delivery = suction head+pressure head. Head against which pump can lift = $(v_1^2-v_2^2)+2g$. $r_1=2r_2$ (diam. of suction-tube is made equal to r_1); $v_3=3$ to 10 ft. per sec. No of vanes=Z=6 to 12. Efficiency of best pumps is around 80% around 80%.

Cu. ft. of water pumped per sec. = $(2\pi r_2 - \frac{Zt}{t})b_2v_3$, where $\alpha_1 = \text{angle}$ between tangent to vane at inner end, and tangent to inner circle of radius r_2 : t =thickness of vane in ft.

Pumping-Engines. Area of valve-seat openings = area of plunger X

plunger speed in ft. per min. +200. (Chas. A. Hague.)

SHOP DATA.

High-Speed Steel Practice (Speeds in ft. per min., cuts in in.).

	Lig	ht	Heavy		
C. I., medium, C. I. (hard), tool-steel Steel, soft, hard, Mall. iron,	Speed. 75 35 150 92 100 120	Cut.	Speed. 47 20 67 50 80 90	Cut.	
Brass, Chilled iron	3 to 12	2 ft. per m	in., all cuts	3 A B	

The above values for turning are for diameters of work >6 in.; for smaller diams, use speeds 10 to 15% lower. For milling, multiply above speeds by 1.5,—for boring, multiply by 0.6 to 0.8.

Drilling: Average peripheral speeds (feeds 0.008 to 0.02 in. per rev. for drills>} in):

> Material, C. I. Mall. Iron. Tool Steel. Brass. Steel. Speeds.

Reaming: Periph. speed = Periph. speed of drill of same size ×2+No. of lips on reamer. Feed for reamer = ½(drill feed × No. of reamer lips).

Milling: Periph. speed of cutter for a cut ½ in. deep, and a feed of 0.01 in. per tooth of cutter per rev.: C. I., 90; mall. iron, 86; soft steel, 75; tool steel, 37; brass, 140.

Planing: 50 ft. per min. for steel. (O. M. Becker, Eng. Mag., Aug. '06.)

Turning:	Steel Shafting.	C.	I.	Forged Steel.
Ft per min.,	61	150	102	160 32-100
Lbs. per min.,	3.64	2.75	5.6	10 35
Milling:	Steel.			C . I.
Cut,	$7\frac{1}{2}\times\frac{1}{2}$ in., 6 ft. pe	r min		$6 \times \frac{1}{4}$ in., 4 ft. per min.
Lbs. per min.,	6.4			5

Drilling: 50 to 100% higher speeds than given above by Becker. (Results with "A. W." steel; *Engineering*, London, 12-15-'05.)

Tool.	Material.	Ft. per min.	Lbs. per min.
Lathe,	C. I.,	106	2.63
4.	Steel,	44	2.3 to 3.43
• •	44	170	1.69
4.6	W. I.,	54	4.2
Wheel-lathe,	Steel,	14	6.
Planer,	Cast steel,	30	3.2
• • •	C. I.,	29	18.3
Shaper,	Brass,	120	2.03
Drill (11 in.),	W. I.,	54	.88
Boring-mill,	Steel,	60	1.1
			 •

(G. M. Campbell, Am. Mach., 1-25-'06.)

The average cutting force varies from 100,000 lbs. per sq. in, for soft C. I. to 170,000 lbs. for hard C. I. Very hard C. I. may be cut at 25 ft. per min.; above 125 ft. per min. for C. I., tools begin to wear rapidly. (Univ. of Ill. tests.)

H.P. Required by Machine Tools = C×lbs. removed per min. C = 2.5 for hard steel, 2 for W. I., 1.8 for soft steel, and 1.4 for C. I.

(G. M. Campbell, W. Soc. Eng'rs, Feb. '06.)

Standards for Machine Screws (Threads U. S. Form.,—proposed by Committee of A. S. M. E. May '06)

Committee of A. S. M. E., May, '06). p'' = pitch = 1 + No. of threads per in.; d = depth = 0.70365p''; flat at top = p'' + 8; flat at root of thread = p'' + 16. D = diam. of body of screw.

	Diam. of	Thickness of	-Sl	ot—
	Head.	Head, t .	Width.	Depth.
Round Head,	1.83D	0.703D	0.235 D	0.4D
Flat Head (countersunk)	, 2D	$\frac{D-0.0052}{1.739}$	4.6	0 333t
Oval Fillister Head.	1.6D	.80D	4.4	0.4 D
Flat '' ''	1.6D	0.65 D	4.4	0.325D

Round Head: Radius of top of head = 1.095D; radius of sides of head = 0.7D. Oval fillister head: Radius of head = 2.186D, thickness of flat = 0.65D. Included angle of flat head = 82°.

Diam. in in., Threads per in.,	$\begin{array}{c} 0.07 \\ 72 \end{array}$	$0.085 \\ 64$	0.1 56	$0.11 \\ 48$	$\begin{array}{c} 0.125 \\ 44 \end{array}$	0.14 40	0.165 36
Diam. in in., Threads per in.,	$0.\overline{19} \\ 32$	0.215 28	0.24 24	$0.25 \\ 24$	$0.\overline{27} \\ 22$	$0.32 \\ 20$	0.375 16

Force Fits. Pressure required in tons = $786dl\delta + d^{1.06}$, where d = diam. of piece, l=length, d=allowance for fit, all in inches. (S. H. Moore.)

International Metric Threads. Angle of thread = 60°. The top of thread is flatted off ($\frac{1}{3}$ of its height) and the bottom is rounded to $\frac{1}{13}$ its height, making total depth of thread = $\frac{1}{13} \times$ the depth of a sharp V

thread of same pitch.

Cost of Electric Power.—In large street-railway power-houses (2,000 to 10,000 kw. capacity) with coal costing \$3.50 per ton, the cost of one kilowatt hour at the switchboard is about \$0.0078. (C. H. Hile, *Power*, Nov. '05.)

Miscellaneous Machine Design.

Power-Hammers. Lifting force P = weight of hammer $W \times \alpha$, where $\alpha = 1.2$ to 2. Lift L = 3 to 6 ft., W = 100 to 2,000 lbs. Velocity = 150 to

250 ft. per min.; strokes per min. = 20 to 30 Steam-Hammers. W = 50,000 to 250,000 lbs., $\alpha = 1.5$ to 2. No. of strokes per min. = $72 \div \sqrt{L}$. Greatest lift L, in ft., = $0.25\sqrt[3]{W}$. of piston-rod in in. = $0.055\sqrt{W}$. For small hammers (W = 150 to 2,000 lbs.). $\alpha = 2$ to 3.5.

Piston-rod diam. in in. = $(0.5 \text{ to } 0.65) \times \text{piston diam}$. Weight of Anvil and Base $W_1 = cLW$; $(c=1.8 \text{ for iron forging, } = 3 \text{ for } 1.8 \text{ for iron forging, } = 3 \text{ for } 1.8 \text{ for iron forging, } = 3 \text{ for } 1.8 \text{ for iron forging, } = 3 \text{ for } 1.8 \text{ for iron forging, } = 3 \text{ for } 1.8 \text{ for iron forging, } = 3 \text{ for } 1.8 \text{ for iron forging, } = 3 \text{ for iron forging,$ steel-work)

Pressure exerted on anvil= $xLW+W_1$, where x=18 to 25 for iron-work, and 25 to 35 for steel.

Riveters are designed to furnish 100,000 to 200,000 lbs. pressure per sq. in. of rivet section (according to the hardness of rivets), and about one-third of this pressure for holding plates together while being riveted.

Bending Rolls. Diam. of roll $d=2\sqrt{bt}$, where b=width of plate. and

tethickness (d, b, and t in in.).

Punches. Diam. of punch $d_1 = d$, or $d - \frac{1}{2}t$; diam. of hole in die $d_1 + \frac{1}{4}t$; (d = diam. of hole in plate, <math>t = thickness of plate, both in in.). Greatest force required $= \sigma \pi dt$. σ (or shearing strength of material in lbs. per sq. in.) = 84,000 to 100,000 for steel plates, = 55,000 to 85,000 for W. I. (=17,000 to 28,000 when heated to a dark red), = 35,000 to 55,000 for copper, =13,000 to 20,000 for zinc. Velocity of stroke=3 to 4 ft. per min.

Shears. Vertical clearance of blades = 2°; angle of cutting edge of Shears. Vertical clearance of blades = 2°; angle of cutting edge of blades = 75° (approx.). Angle included between cutting edges of both blades = α = 8° to 10°. Greatest pressure required (when α = 0°) = σbt , where b = width of blade and t = thickness of plate to be sheared. Pressure required when α > 0° = $\frac{0.225\sigma t^2}{\tan \alpha}$. Cutting speed = 3 to 6 ft. per min.

tan a

Circular Shears are used for cutting sheets up to 0.2 in. in thickness.

Diam. of blades = $70 \times \text{thickness}$ of sheets to be cut, circumferential speed = 100 to 200 ft. per min.

Rolls for W. I. Diam. of roll in in. $d = (t_1 - t_2) \div (1 - \cos \theta)$, where θ is obtained from the relation. $\tan \theta = \mu$. μ for W. I. at rolling heat is approx. equal to 0.1, whence $d = (t_1 - t_2) \times 200$. $(t_1 = \text{thickness})$ of metal before rolling, t_2 = thickness after).

Planers. Speed for tables over 6 ft. wide = 12 to 20 ft. per min.; for tables less than 6 ft. wide, from 20 to 28 ft. Return speed = 4 × cutting

speed.

Shapers. Cutting speeds up to 48 ft. per min.; return speeds $= 4 \times \text{cut}$

ting speed.

Belt-Conveyors. Rubber-covered belts from 8 to 60 in. wide running on rollers (3 to 5 in. in diam.) are used for conveying grain, coal, ashes, etc., where the angle of elevation is not over 23°.

	Spacing of	
	Driving side.	Return side.
Grain		12 to 18 ft
Coal	. 4 to 6 "	8 to 12 ''

For changing direction guide rollers 6 to 8 in. diam. are used; if the deviation is abrupt, rollers from 12 to 20 in. diam. are employed. The tension of belt is maintained by weights or a screw.

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The Dielectric Strength of Insulating Materials a √thickness. generally (for Para rubber, strength \alpha thickness). (Approx. values below.)

Material.	Volts for 1 mm. thickness.	Material.	olts for 1 mm. nickness.
Ordinary paper	. 2,200	Varnished paper and linen. Ebonite	28,500
paper	. 4,500	Gutta-percha	19,000

(C. Kinsbrunner, Electrician, London, 9-29 and 10-6-'06.)

Electro-Magnets, Table for Winding.

of Wire,	cov	ngle- ered, irns	Double- covered, Turns		of Wire, & S.	cov	ngle- ered, urns	cov	uble- ered, ırns
Sise o	per In.	per Sq. In.	per In.	per Sq. In.	Size c B.	per In.	per Sq. In.	per In.	per Sq. In.
4 5 6 7 8 9 10 11 12 13 14 15 16 17	4.73 5.29 5.92 6.61 7.55 8.24 9.18 10.44 11.65 13. 14.48 16.11 17.92 19.9	244.6 302.9	4.58 5.11 5.68 6.32 7.18 7.81 8.63 9.88 11.01 12.21 13.5 14.8 16.44 18.26	24.5 30.5 37.7 46.6 60.1 71.2 86.9 113.8 141.4 173.9 212.6 255.5 315.3 388.9	18 19 20 21 22 23 24 25 26 27 28 29 30	22.08 25.07 27.81 30.81 34.07 37.64 41.49 45.66 50.15 54.95 60.1 65.57 71.27	568.7 733.3 902.2 1107.6 1354.3 1652.8 2008.2 2432.4 2933.8 3522.9 4213. 5016.2 5926.1	32.68 35.59 38.6	461.1 606.5 730.9 876.6 1048.4 1245.8 1477.7 1738.2 2035.5 2366.4 2738.4 3149.9 3589.5

^{&#}x27;Turns per sq. in." are calculated on the assumption that the number of layers per in. depth = No. of turns per in. (linear) $\times 1.166$ (or 163% increase per in. due to imbedment of layers), and that "Turns per sq. in." = $1.166 \times (\text{turns per in.})^2$.

No. of feet of wire in 1 cu. in., L=Turns per sq. in. +12.

Ohms resistance per cu. in. $=L\times No$. of ohms per linear foot (see table on page 155). Insulation assumed, δ (diam. of covered wire = diam. of bare wire + δ):

Size of Wire, 11 to 18 inclusive 4 to 10 inclusive 19 and up Single-covered, $\delta =$ 0.007 in. 0.005 in. 0.004 in.0.010 in. 0.008 in. Double-covered, $\delta =$ 0.014 in.

E. M. F. of Dynamos. Let 2p = No of poles, 2a = No of parallel armature branches into which the current divides; then, $E = \theta_{ano} = \frac{10^{-8}}{60}$. Let $\alpha = \lambda + \tau(\lambda = \text{pole arc}, \tau = \text{polar pitch})$, $B_l = \text{induction in air-gap}$, D = diam. of armature in cm., l = length of armature in cm. Then, kilowatt capacity of generator = $clND^210^{-6}$, where $c = \alpha B_lA10^{-5} + 6$. (A = No. ofampere-conductors per cm. of circumference, $=noIa+2\pi D$, where Ia=am-peres in each conductor) A (ordinarily=200) may reach 300 to 350, with high B_l , strong saturation of teeth and good ventilation. (If $\alpha = 0.6$ to 0.85, $B_l = 6,000$ to 10,000, A = 150 to 200, then c = 1 to 3.) The current volume in one slot of an armsture ($= I_{e}n_0$) should not exceed 900 amp.

If I_s <70 amp., round wire should be used; if >70 amp., conductors rectangular section are preferable. No. of commutator segments= of rectangular section are preferable. $0.04n_0 \checkmark I_a$. For no see bottom of page 136.

Current density in armature conductors: 2 to 5 amp. per sq. mm. (=400

to 1,000 cir. mils per amp. = 1,300 to 3,200 amp. per sq. in.).

Tooth saturation: maximum (at root) = 16,000 to 23,000 lines per sq.

cm.; minimum (at periphery) = 14,000 to 20,000.

Saturation of core: 7,000 to 12,000,—lower value for multipolar machines. For cooling of armature allow 5 to 10 sq. cm. of external surface for each watt wasted. (Kapp.) Brushes: each metal brush should cover from 1

to 2½ commutator segments (carbon, 2 to 3½).
Interpoles, Motors and Generators with. Interpoles are used between the main poles of multipolar machines for the purpose of neutralizing the armature magneto-motive force and the reactance voltage due to the short-circuiting of the armature coils by the brushes, sparking being thereby reduced to a minimum. The higher the speed, the voltage, and the output, the greater are the advantages derived from their use. Roughly, for generators.

K.W.	Voltage.	R.P.M.	Interpoles are:
750 and up 250 100 100 and up 400	250 and up 250 250 250–500 500 250	1,500 and up 1,000 1,000 100 200 200	To be used. Of slight advantage. no To be used.

In the second and third cases, interpoles are more satisfactory, but they increase cost of construction, and good designs are available without using them. Interpoles are extensively used in small motors and dynamos of high and moderate speeds, but where heating and not sparking is the limit of output, their use is attended with increased cost, lowered efficiency, and no especial advantages.

The peripheral speed of commutator should not exceed 115 ft. per sec., and commutator should be large enough to radiate the heat generated, 1 sq. in. of surface being allowed for each 60 amperes of current taken off.

The leakage or dispersion coefficient is larger than in designs without interpoles, being 1.35 for the main magnetic circuits and 1.45 for the aux-

iliary or interpole circuits.

To calculate the flux required to enter the armature from the interpoles, let λ =length of conductor (in cm.) which actually cuts the auxiliary field. Then, $\lambda=1.1\times0.7\times b$, where b= breadth of pole-shoe (|| to shaft), 1.1 = coefficient to allow for "fringing" or spreading of field at the pole-tips, and 0.7 = that portion of the length of conductor which is active (i.e., imbedded in the armature iron, the remaining 0.3 being taken up by airducts, insulation, etc.).

Let S=peripheral speed of armsture in cm. per sec., and B=average density in the air-gap of interpole in lines per sq. cm. Then, E.M.F. generated by one conductor= $B\lambda S$: 10^{-8} . As there are two conductors in the short-circuited turn, E.M.F. in one turn = 2BiS 10⁻⁸, and this must suffice to neutralize the reactance voltage. If v = mean reactance voltage [= reactance voltage + $(\pi + 2)$], $v = 2B\lambda S \cdot 10^{-8}$, whence B, or the desired flux density = $v \cdot 10^8 + 2\lambda S$. See pages 140-143. (H. M. Hobart, *Elec. Review*, N._Y., 1-20-'06.)

Resistance of Iron and Steel Rails. Iron rails have x times the resistance of copper conductors of same cross-section and the content of manganese in the iron seems to be the chief factor in increasing the value of x. For continuous currents, x-5+7 Mn (roughly), where Mn = per cent of manganese. A very good rail used in London and containing 0.19% Mn has a measured value of x=6.4. (By formula: $x=5+(7\times0.19)$

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